

Cosmogenic Neutrinos challenge the Proton Dip Model

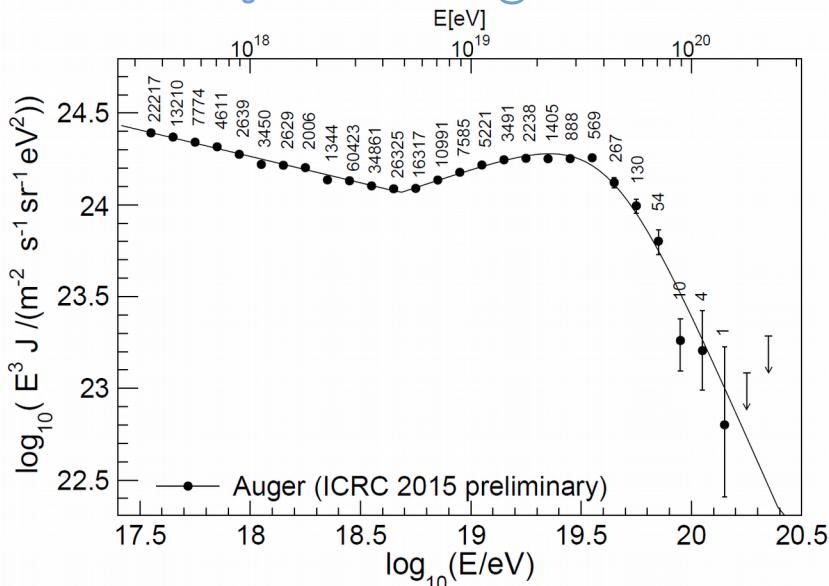
Heinze, Boncioli, Bustamante, Winter arXiv 1512.05988 , ApJ 825 (2016) no.2, 122

Jonas Heinze
DESY Zeuthen

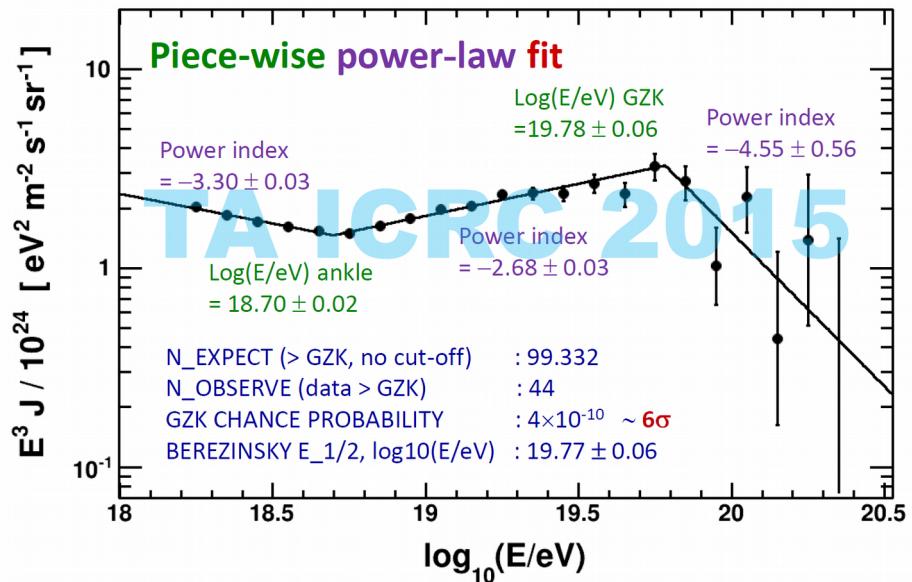
HAP Workshop | Non-Thermal Universe
22nd September 2016

UHE Cosmic Ray spectrum

Auger Collaboration @ ICRC 2015



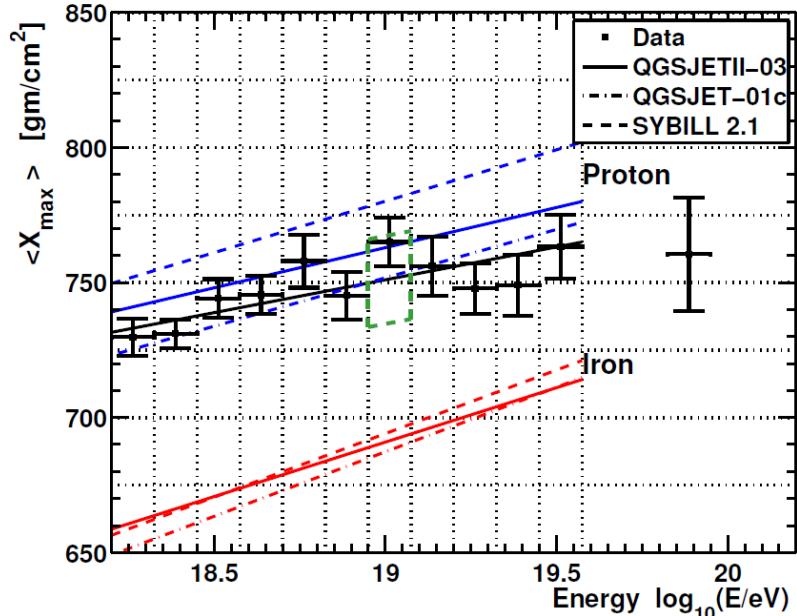
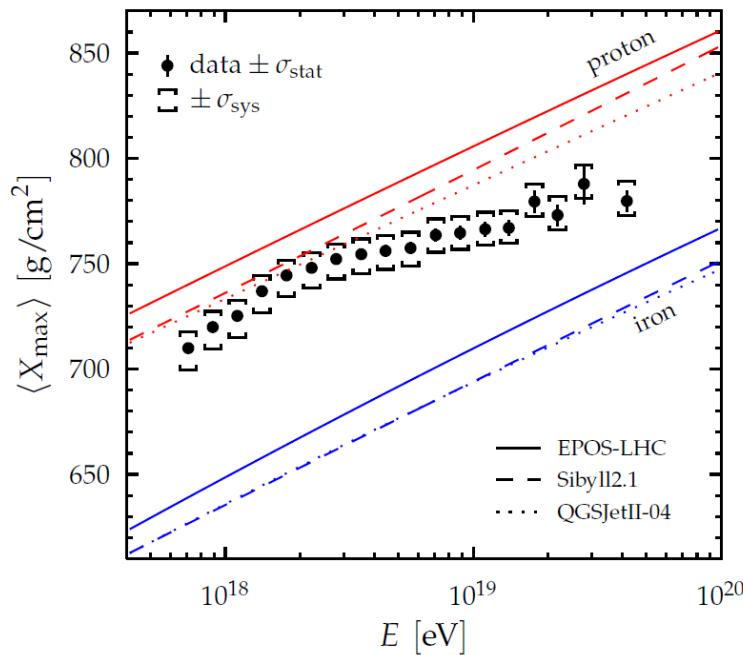
TA Collaboration @ ICRC 2015



- Main spectral features: **ankle** and **cutoff**
- Interpretation ambiguous, different models viable
 - Protons or nuclei
 - Point of galactic – extragalactic transition
- **Dip model:** extragalactic and pure proton UHECRs
 - Ankle = pair - production dip
 - Cutoff = **GZK** - cutoff

UHECR mass composition

TA & Auger working group @ ICRC 2015



- Auger: *heavier composition at highest energies*
- TA: *consistent with pure proton composition*
- High uncertainties → experiments still in agreement statistically
- **We use TA - data**: consistent with the dip model

Interpretation of the UHECR spectrum

$$\mathcal{L}_p^{\text{inj}}(E, z) \propto H(z) E^{-\gamma} \exp(-E/E_{\max})$$

> Scan in 2 injection parameters

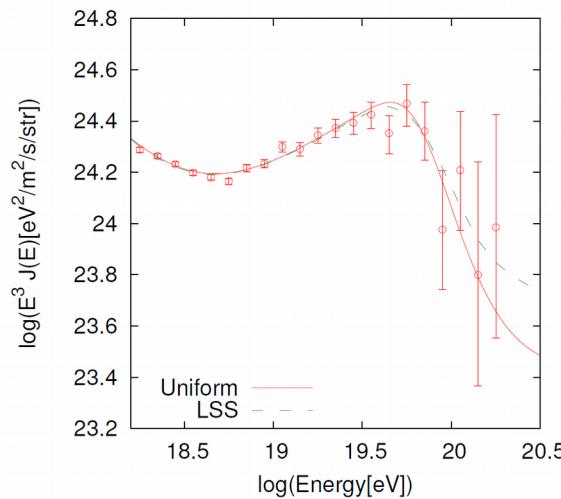
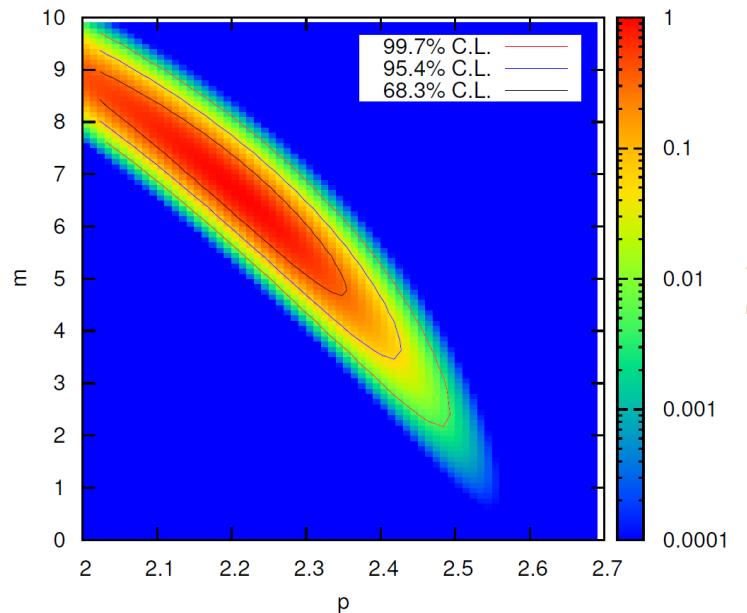
- Source evolution $H(z) = (1 + z)^m$
- Power law spectral index
- **Fixed $E_{\max} = 10^{12}$ GeV**
(above GZK-threshold)
- Only local redshifts $z < 2$

> Best fit with:

- Spectral index of 2 – 2.5
- Strong source evolution

> GZK - interpretation implied by construction?

> What does the **strong source evolution** mean for **cosmogenic neutrinos** ?



TA Collaboration @ ICRC 2015

Model: Injection and Propagation

> Injection Model: identical, homogeneous proton sources

- Source evolution
- Power law at injection
- Maximal energy

$$\mathcal{L}_p^{\text{inj}}(E, z) \propto H(z) E^{-\gamma} \exp(-E/E_{\max})$$

> Parametrization relative to SFR

$$H(z) = (1+z)^m \cdot \begin{cases} (1+z)^{3.44}, & z \leq 0.97 \\ 10^{1.09}(1+z)^{-0.26}, & 0.97 < z \leq 4.48 \\ 10^{6.66}(1+z)^{-7.8}, & z > 4.48 \end{cases}$$

Hopkins & Beacom astro-ph/0601463

> Energy losses during propagation:

- Adiabatic energy losses
- Photo-pair-production (CIB & CMB)
- Photo-pion-production (CIB & CMB)



Computed numerically via the transport equation

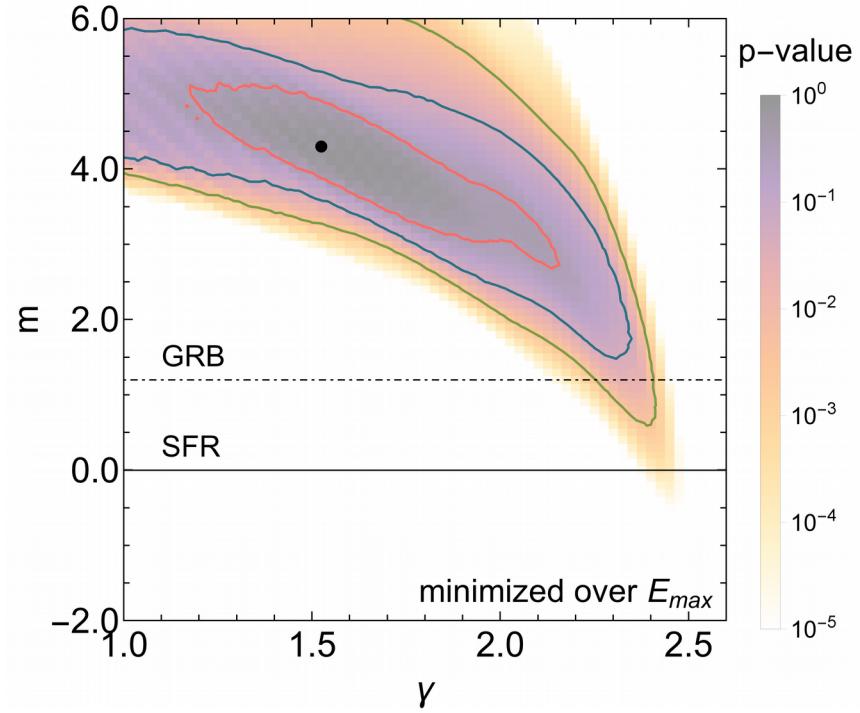
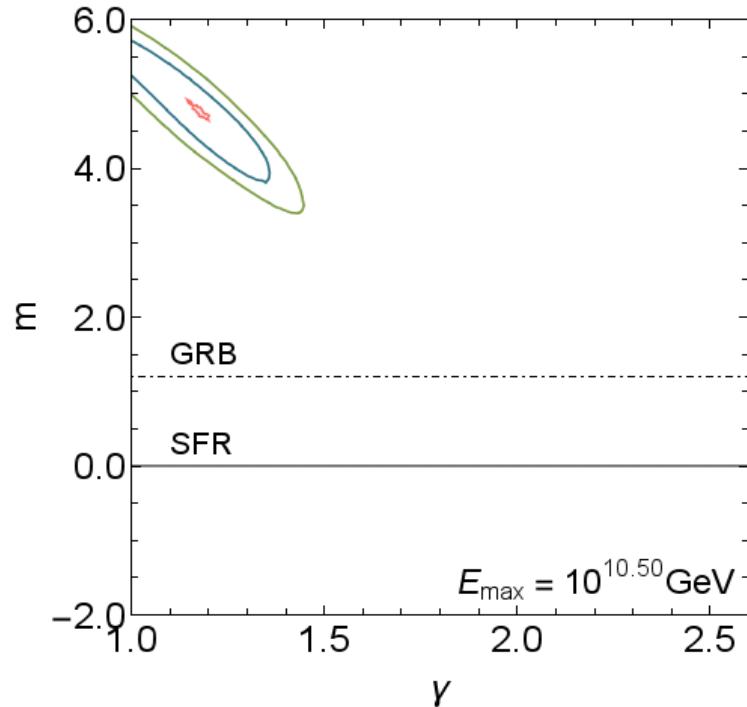
Fit to TA-data

> Fit – parameters:

- Normalization f
- Energy shift $E' \equiv (1 + \delta_E)E$

$$\chi^2 = \sum_i \frac{(f J^{\text{mod}}(E'_i; \gamma, E_{\max}, m) - J^{\text{TA}}(E_i))^2}{\sigma_i^2} + \left(\frac{\delta_E}{\sigma_E}\right)^2$$

> 3D manifold shown as 2D projections



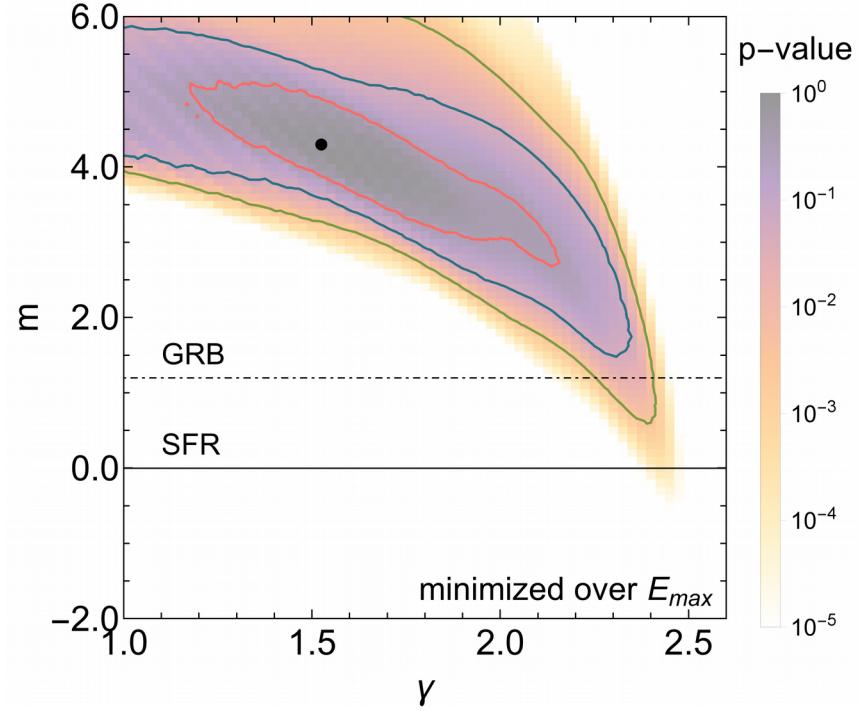
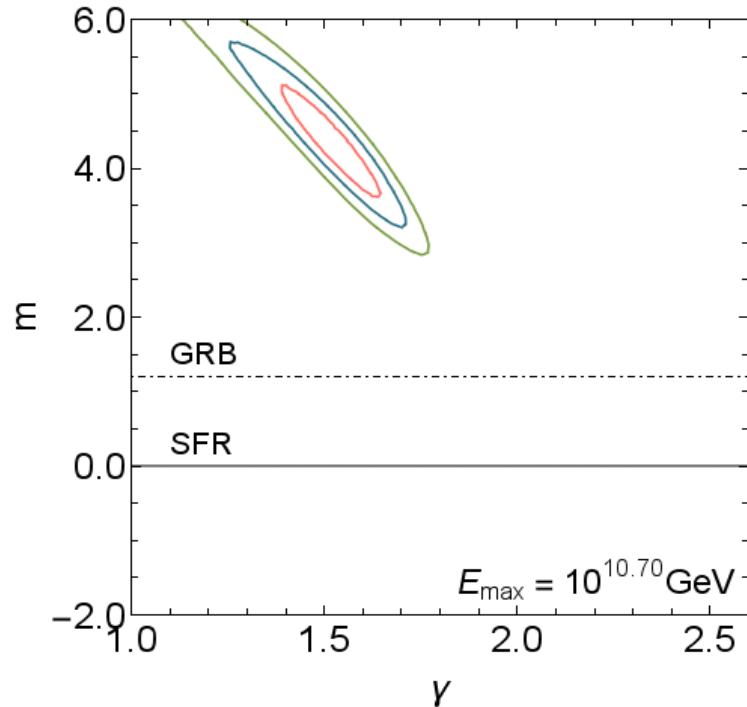
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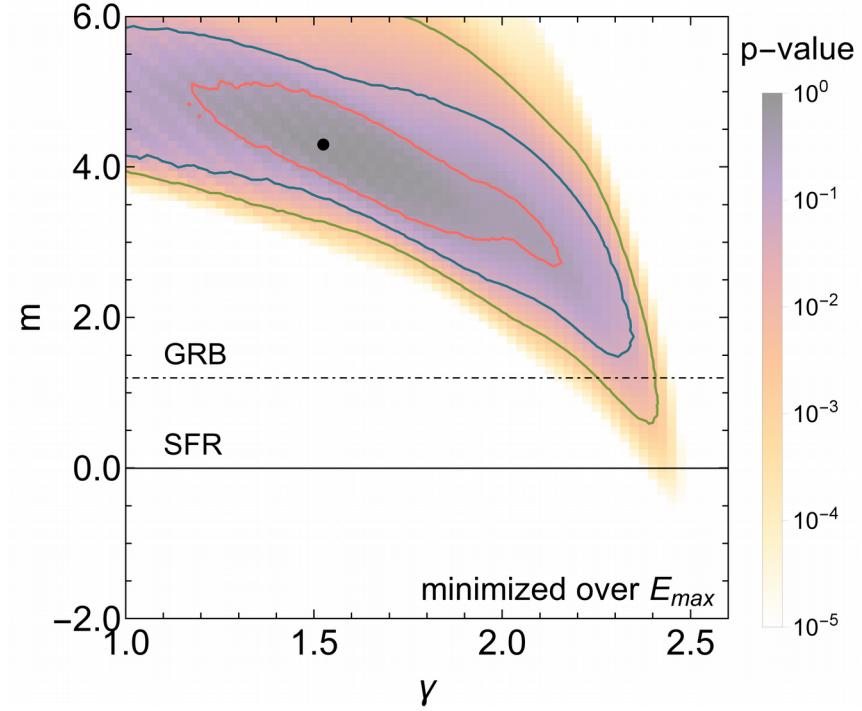
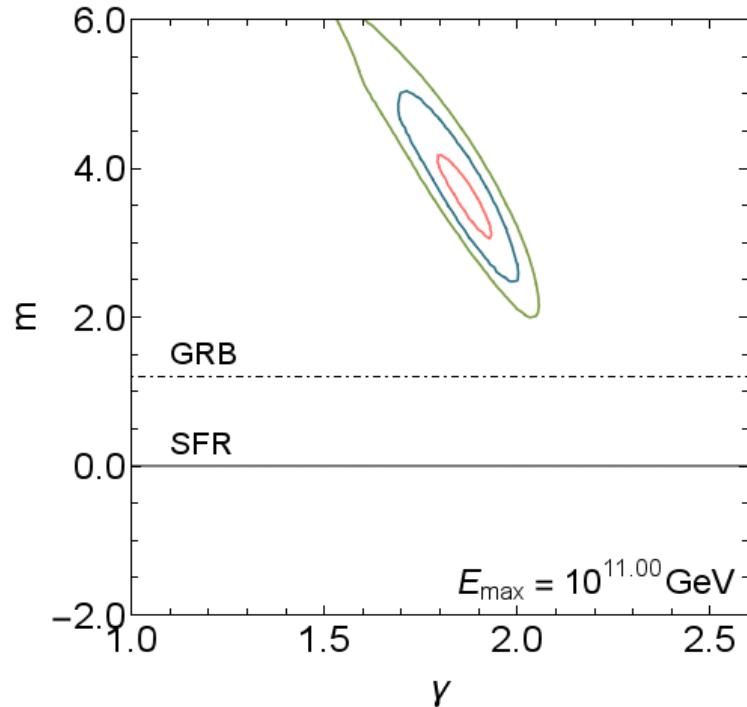
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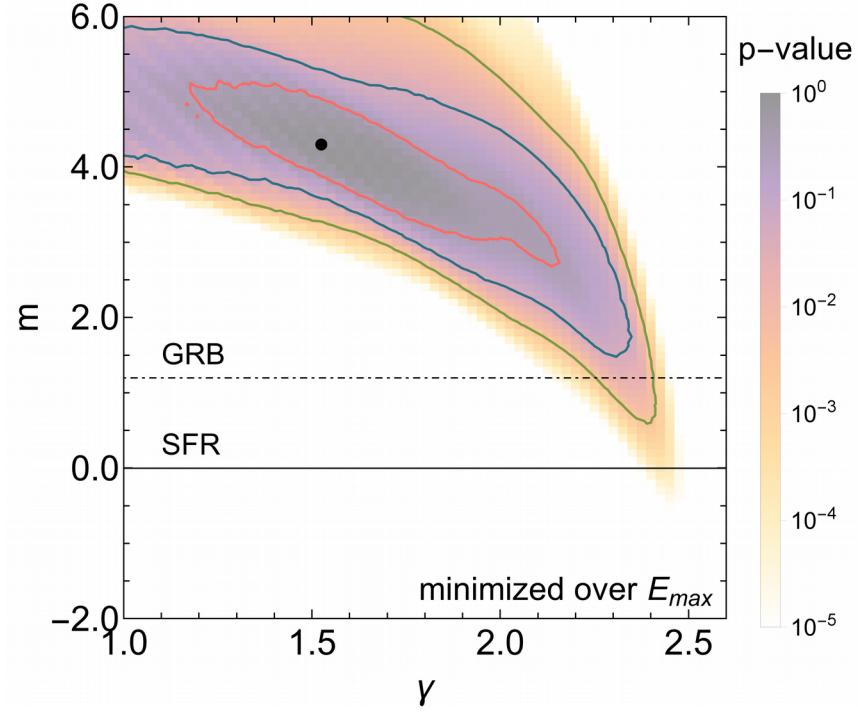
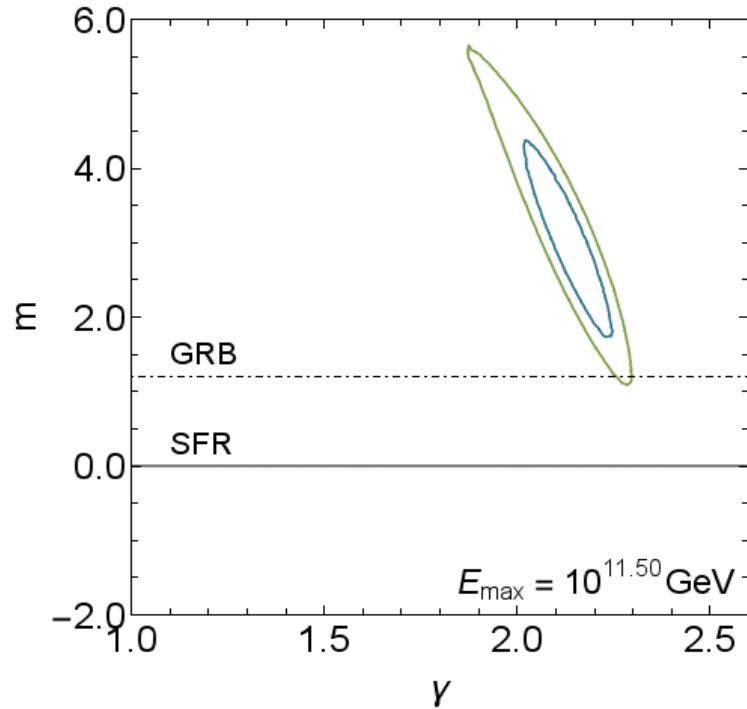
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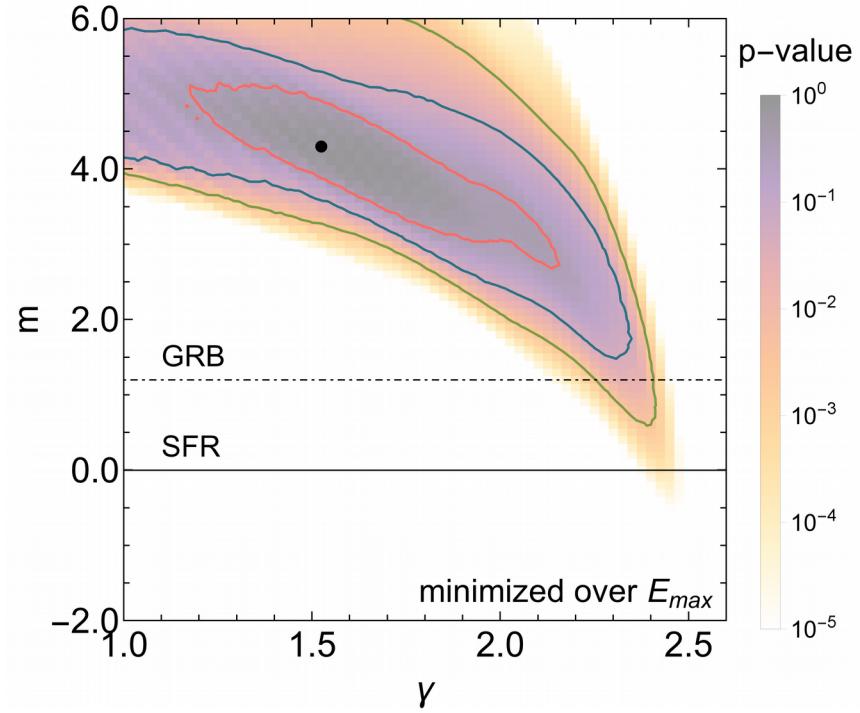
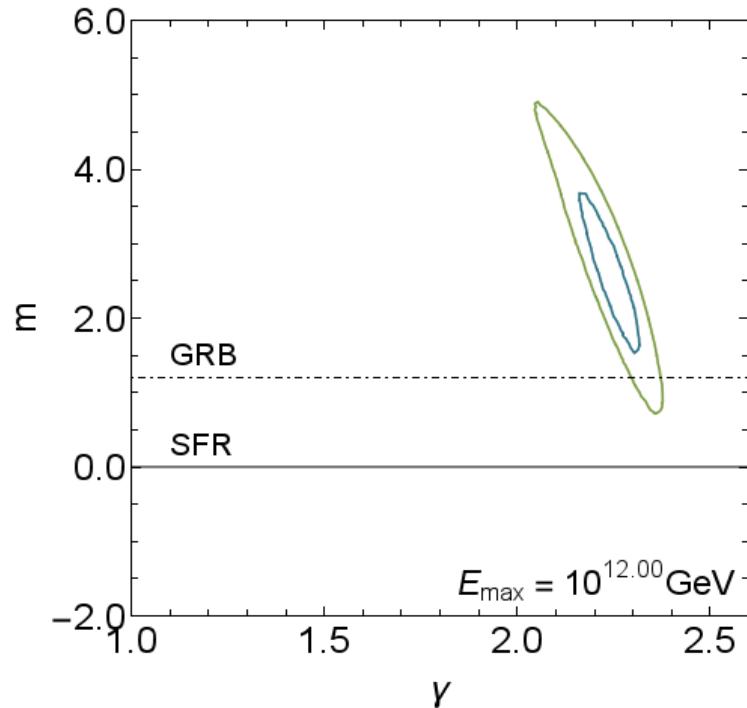
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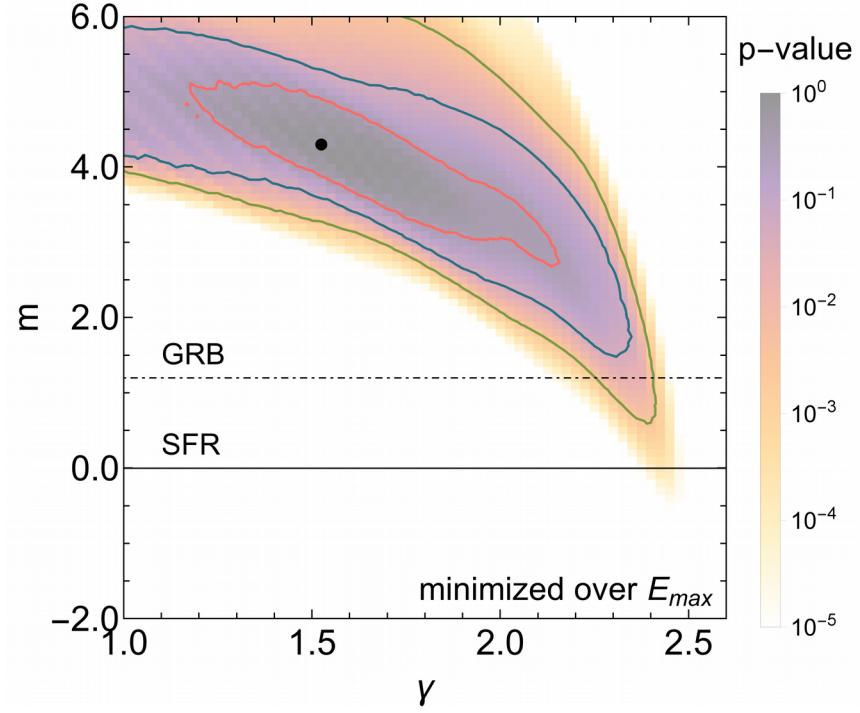
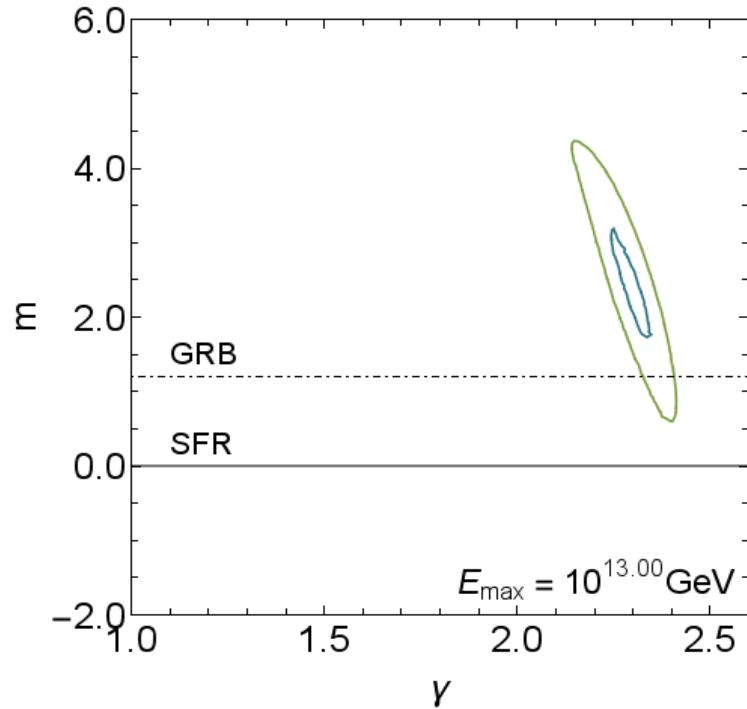
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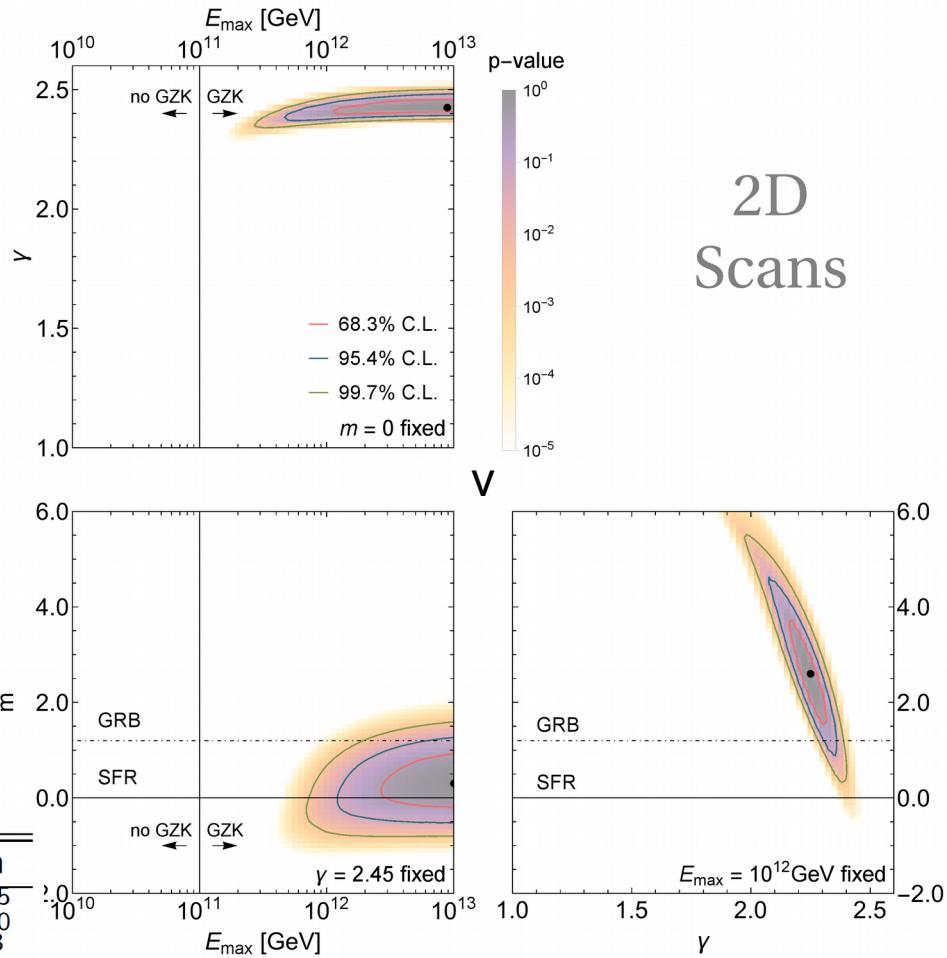


Results: Parameter space

- Enlarged parameter regions compared to 2D fit
 - Multi - parameter correlation that was hidden in 2D

- 3D Best fit compared to 2D:
 - Harder spectral index / stronger source evolution
 - E_{\max} below GZK - threshold → suppression source related
 - Large energy shift ($\approx 35\%$)

	2D scan		3D scan
γ	2.25	*2.45	2.42
$\log_{10}(E_{\max}/\text{GeV})$	*12.0	13.0	12.9
m	2.6	0.3	*0.0
χ^2_{\min}	34.7/17	47.8/17	47.8/17
			1.52 $^{+0.35}_{-0.20}$
			10.7 $^{+0.3}_{-0.1}$
			4.3 $^{+0.4}_{-0.8}$
			30.8/16

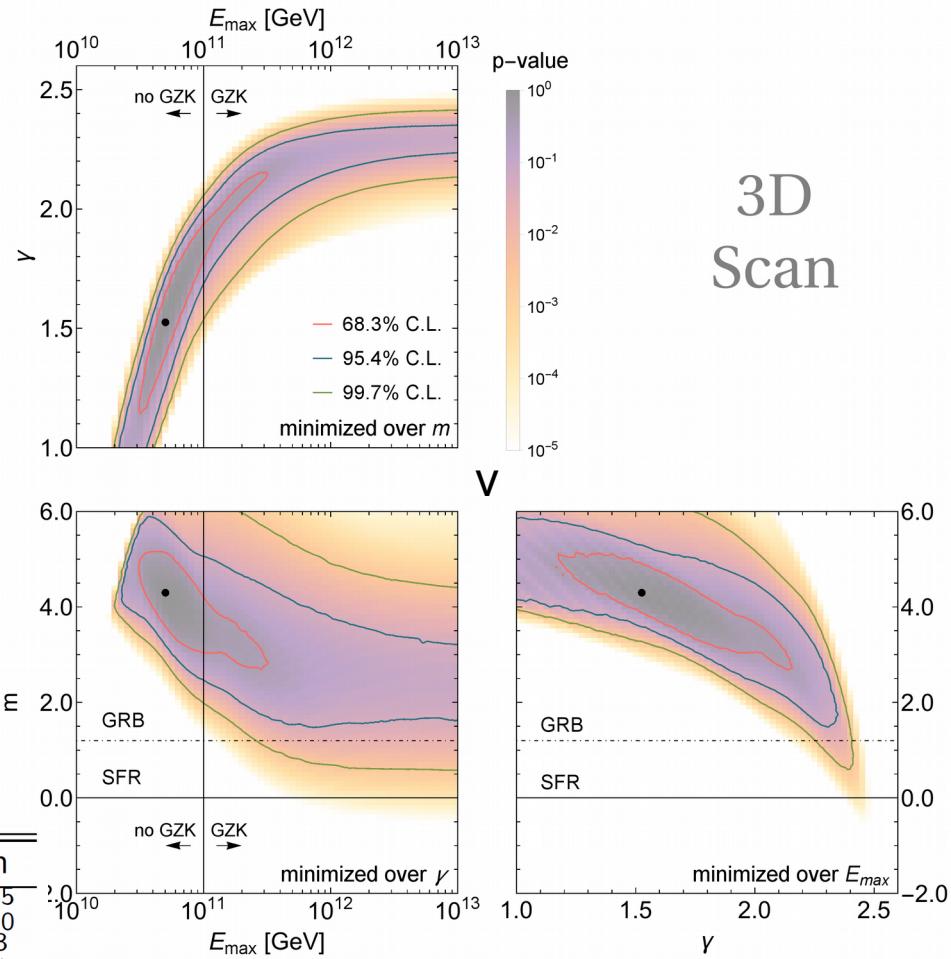


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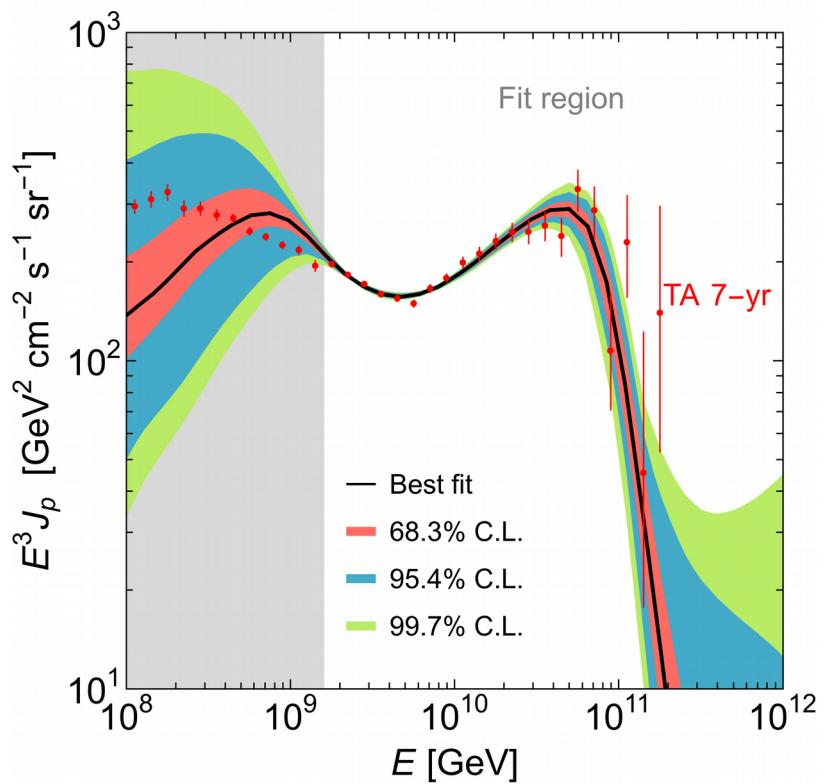
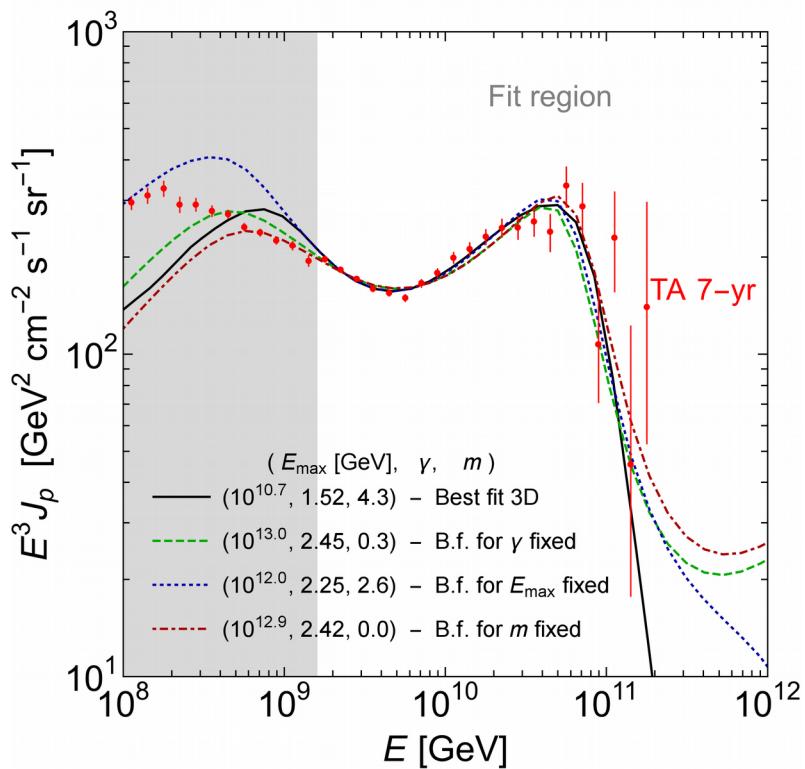
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Results: Cosmic Ray Spectra



- Fit driven by ankle region (highest statistics)
- Strong overshoot below the fit range
 - Suppressed by diffusion in magn. fields
 - Low energy suppression at the sources

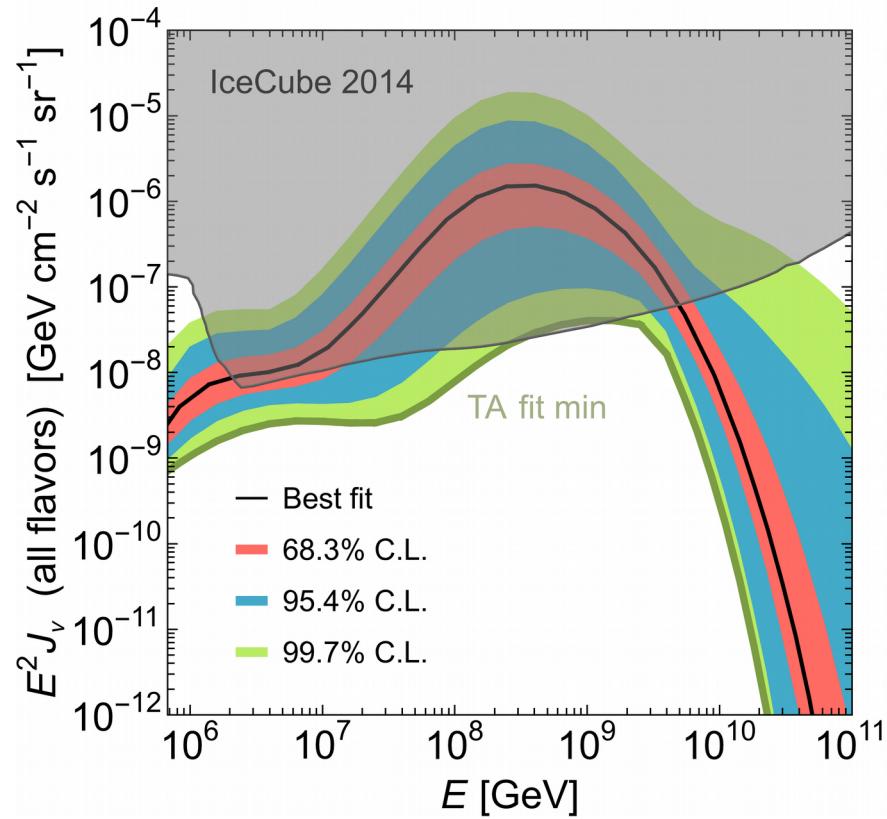
Results: Cosmogenic Neutrino Flux

- Neutrino flux ranges:
min/max over allowed
parameter space
- The lowest flux ('**TA fit min**')
exceeds the IceCube limit
- High flux mainly due to
strong source evolution

- Expected events:

	ν events
Best fit	180.6
68.3% C.L. min flux	62.7
95.4% C.L. min flux	12.4
99.7% C.L. min flux	TA fit min 4.9

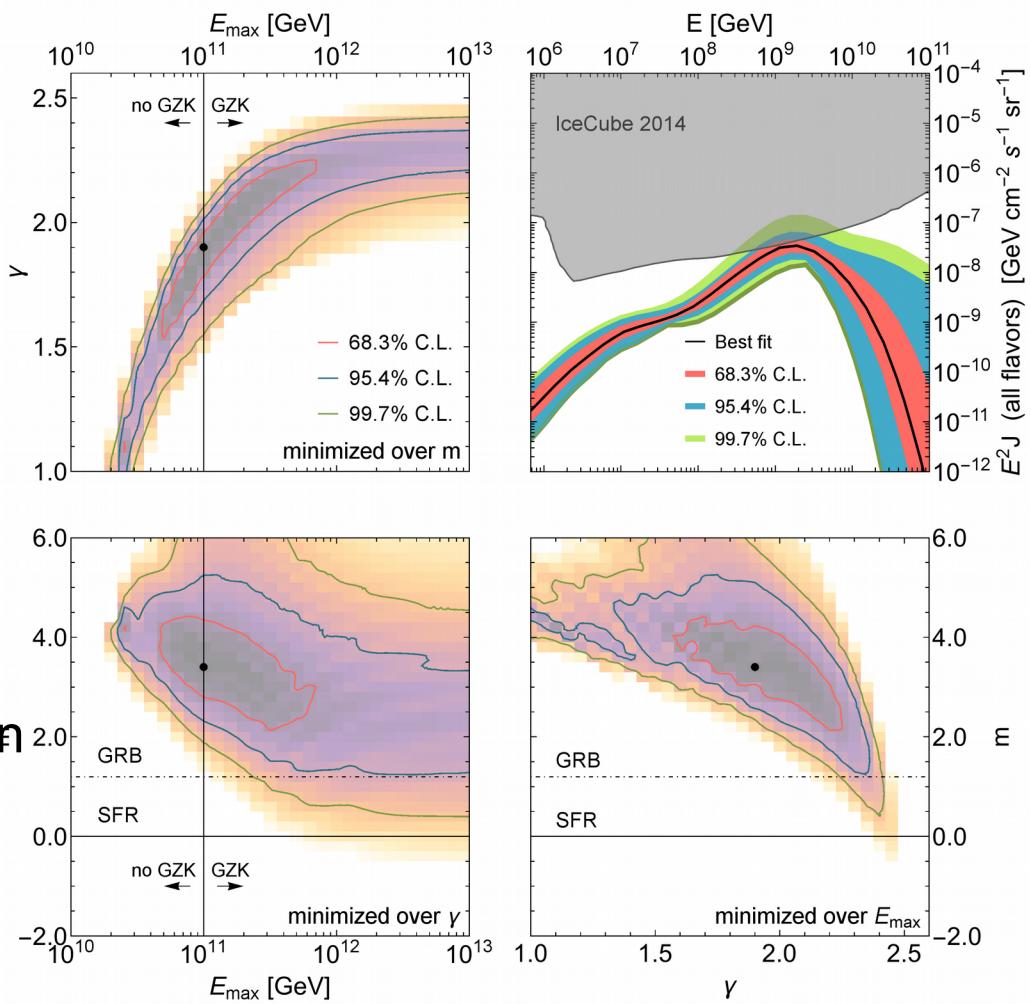
- Can be rejected at 95% C.L.



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Local injection ($z < 1$) only

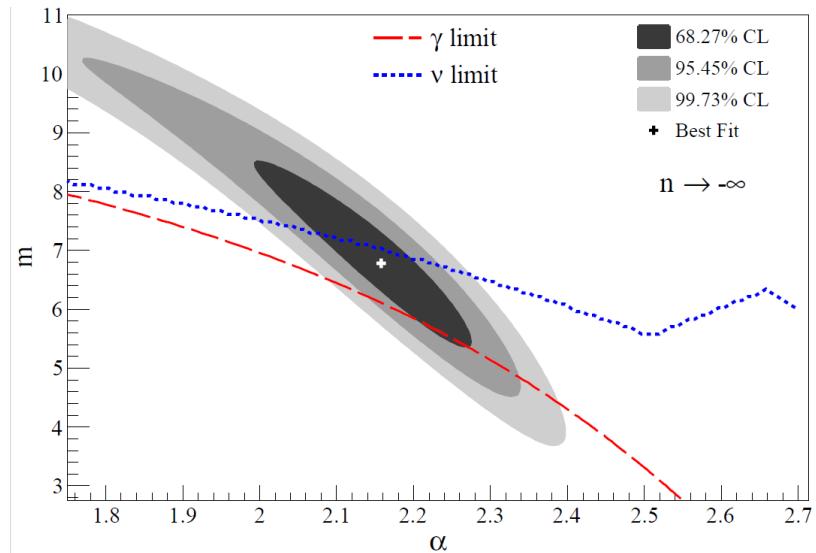
- Minimal source evolution:
 - Injection only for $z < 1$
 - Parameter space stays qualitatively the same
- UHE cosmic rays are only sensitive to the local universe
- No contribution from high z
→ neutrino flux below limit
- Still: a realistic source evolution would continue to higher z



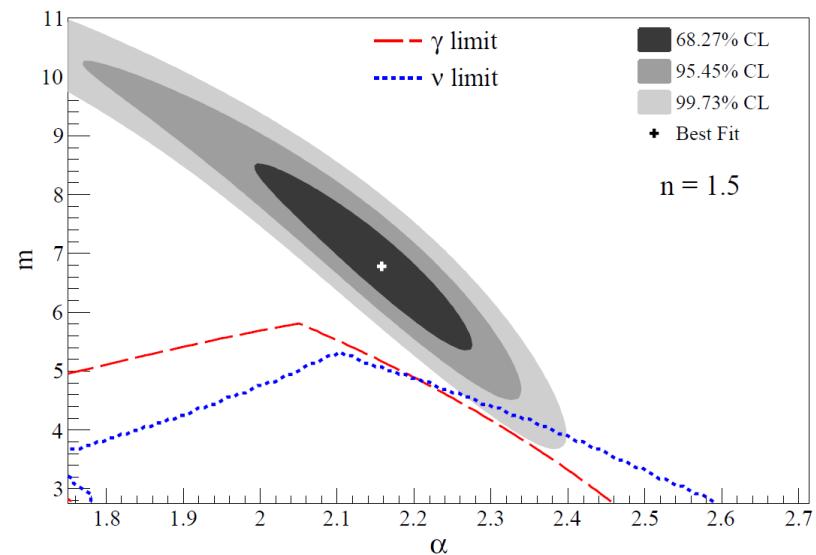
Gamma Ray Constraints on Proton dip model

- Gamma Ray and neutrino constraints for broken power law source evolution

$$S(z) = \begin{cases} (1+z)^m & z \leq 1 \\ 2^{m-n} (1+z)^n & z > 1 \text{ \& } z \leq 6 \\ 0 & z > 6 \end{cases}$$



- Gamma ray limit stronger only for local sources
- Neutrino limit becomes stronger for distant sources



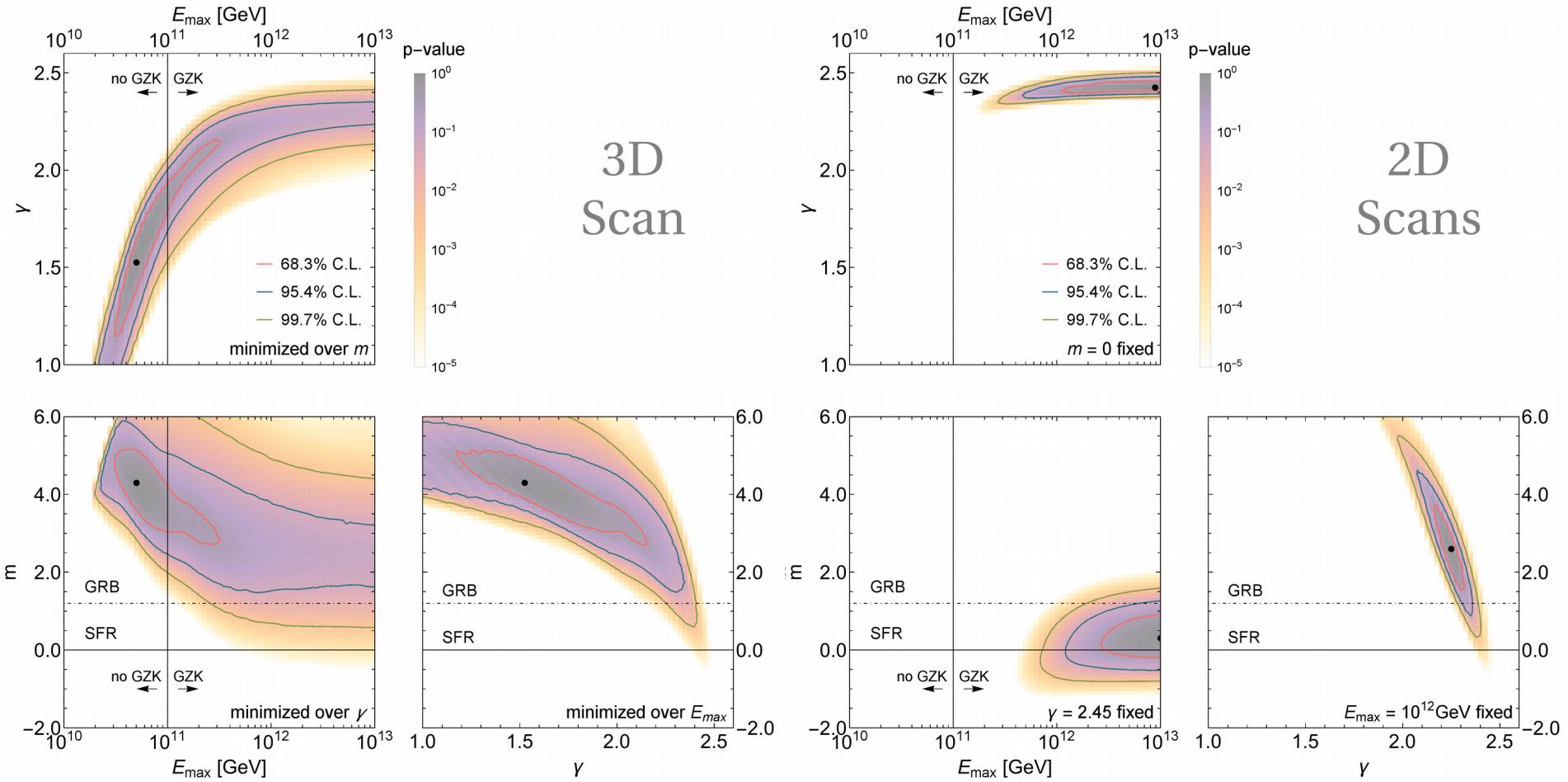
Summary

- > Cosmogenic Neutrinos limit the astrophysical scenarios **independent of composition measurements**
- > Fitting 3 instead of 2 astrophysical parameters enlarges the allowed parameter space
 - **Hard spectra, strong source evolution** and **low maximal energy** slightly favored over the *GZK* cutoff scenario
 - Fixing a high maximal energy implicitly assumes *GZK* - interpretation
- > Expected **neutrino flux challenges the proton dip model**
 - Can only be compensated by cutting off injection at small redshifts
- > Gamma Rays as can be additional messengers
 - Complementary to neutrinos:
stronger limit for local, but weaker limit for distant sources

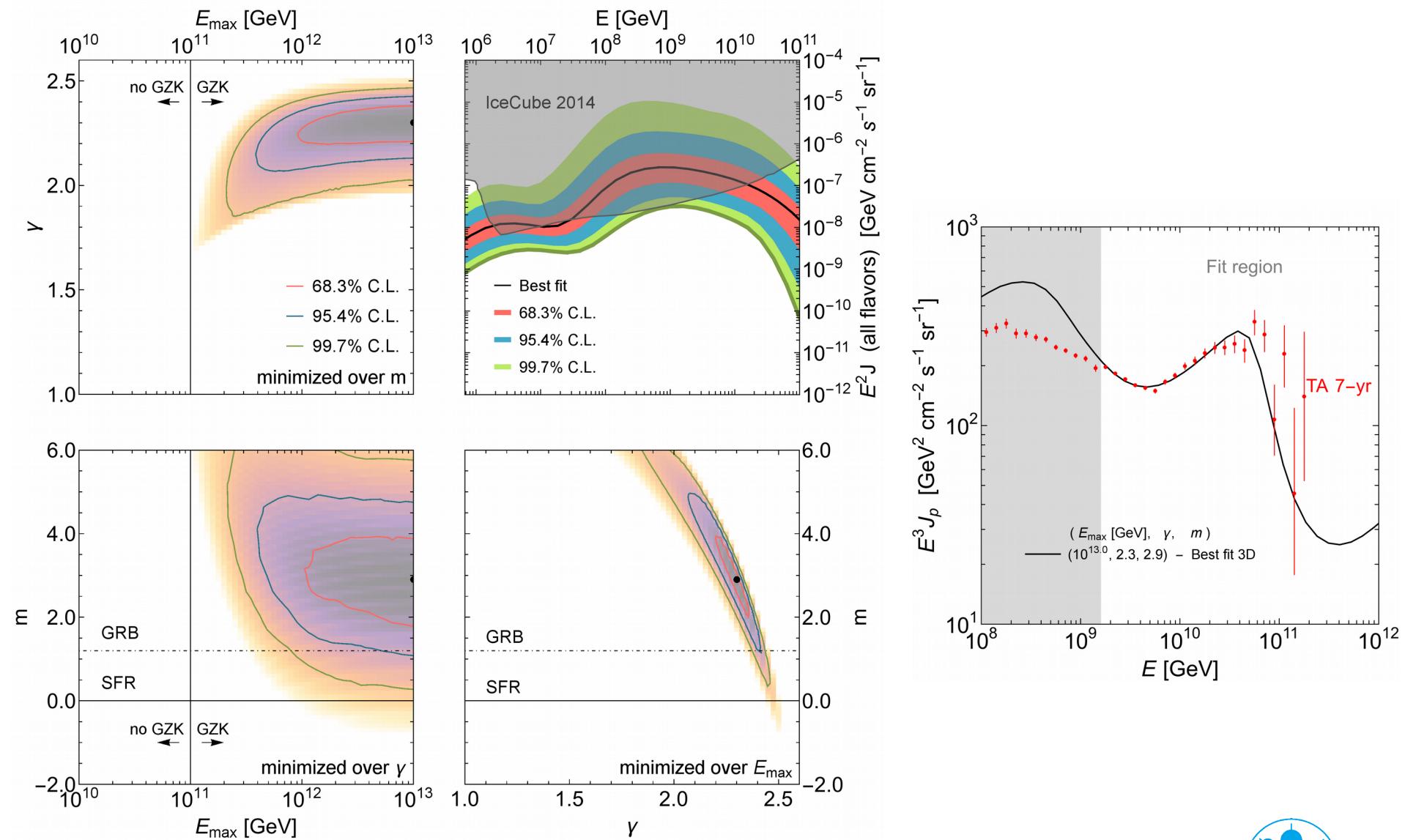
Backup Slides



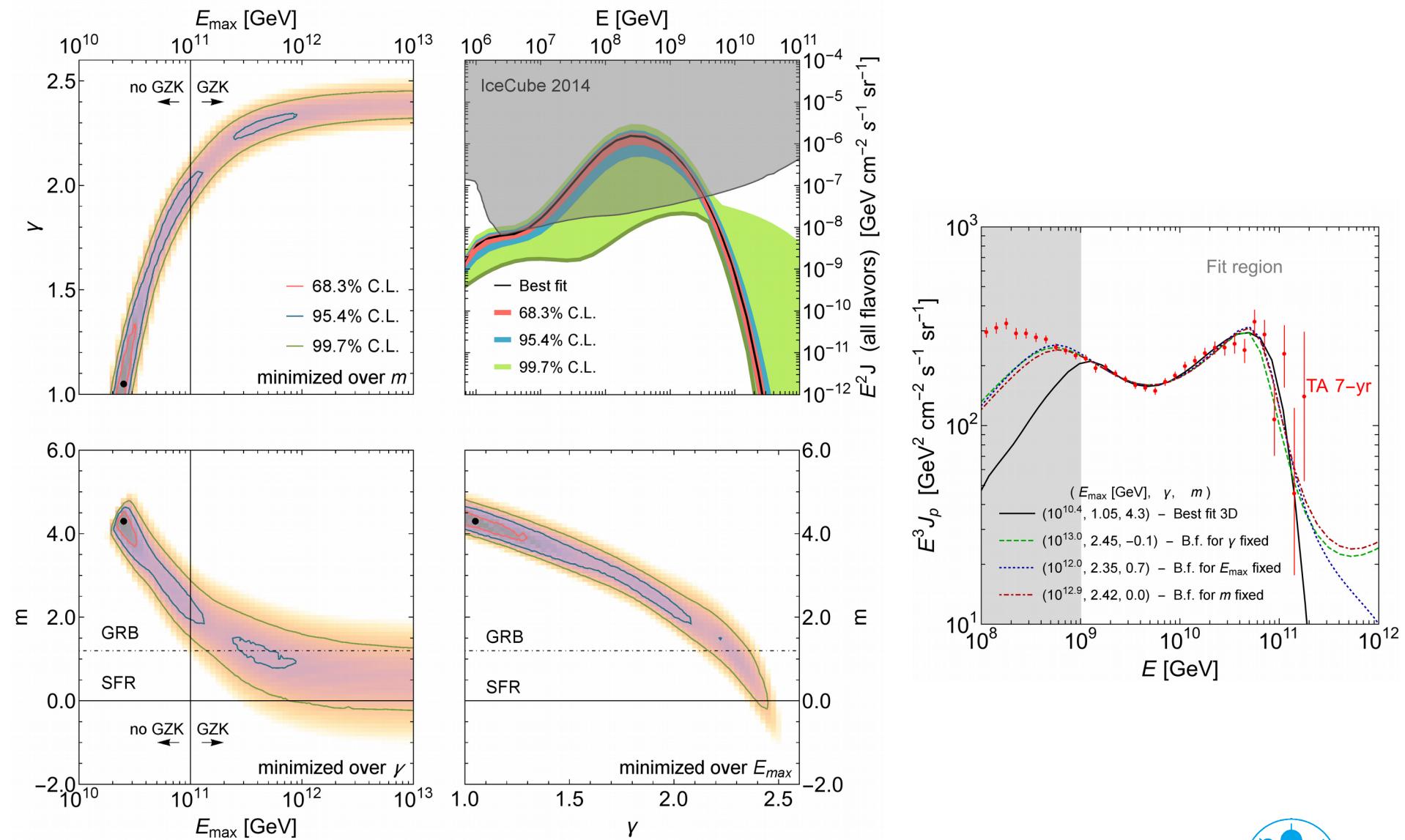
2D scan vs 3D scan



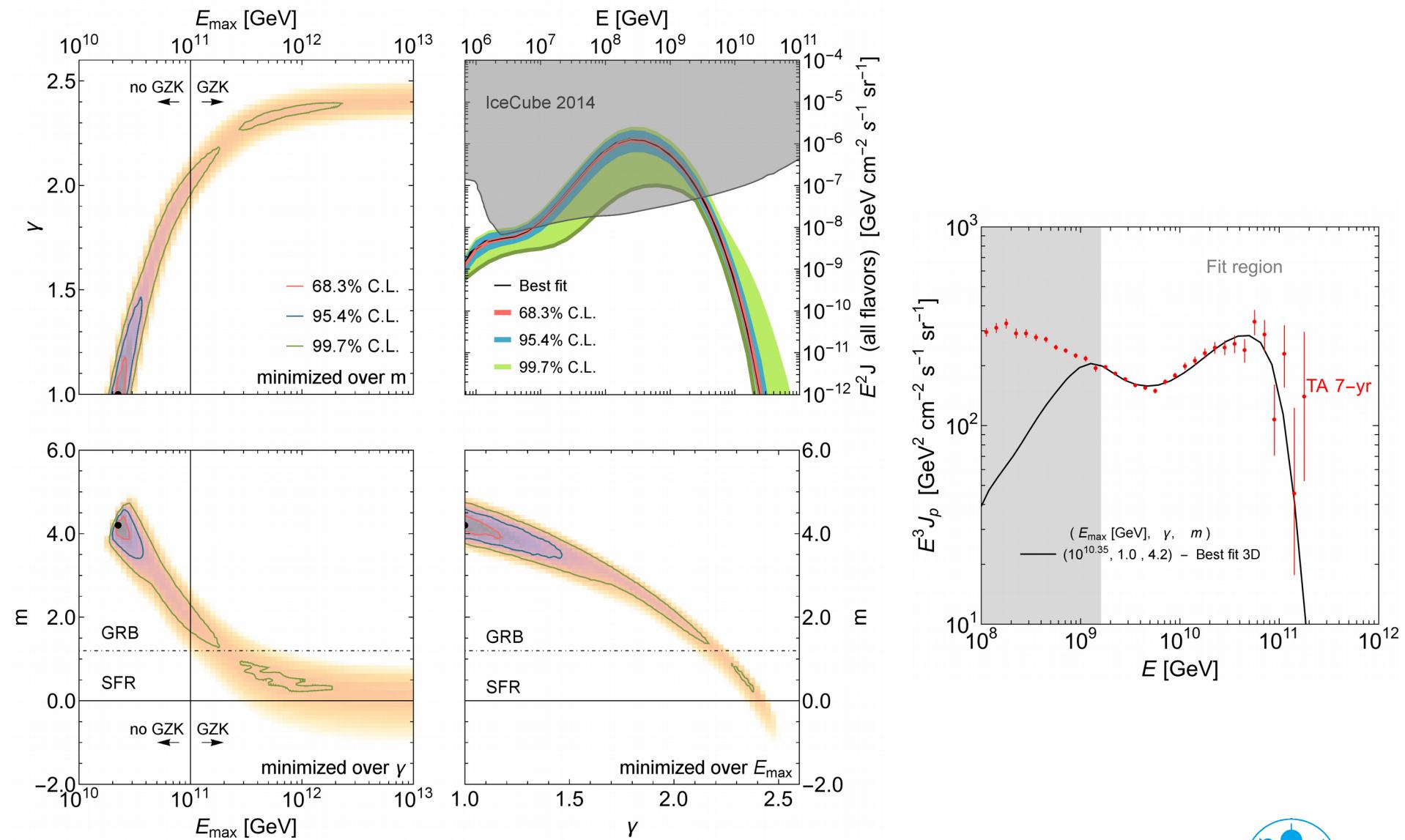
Fixed energy scale



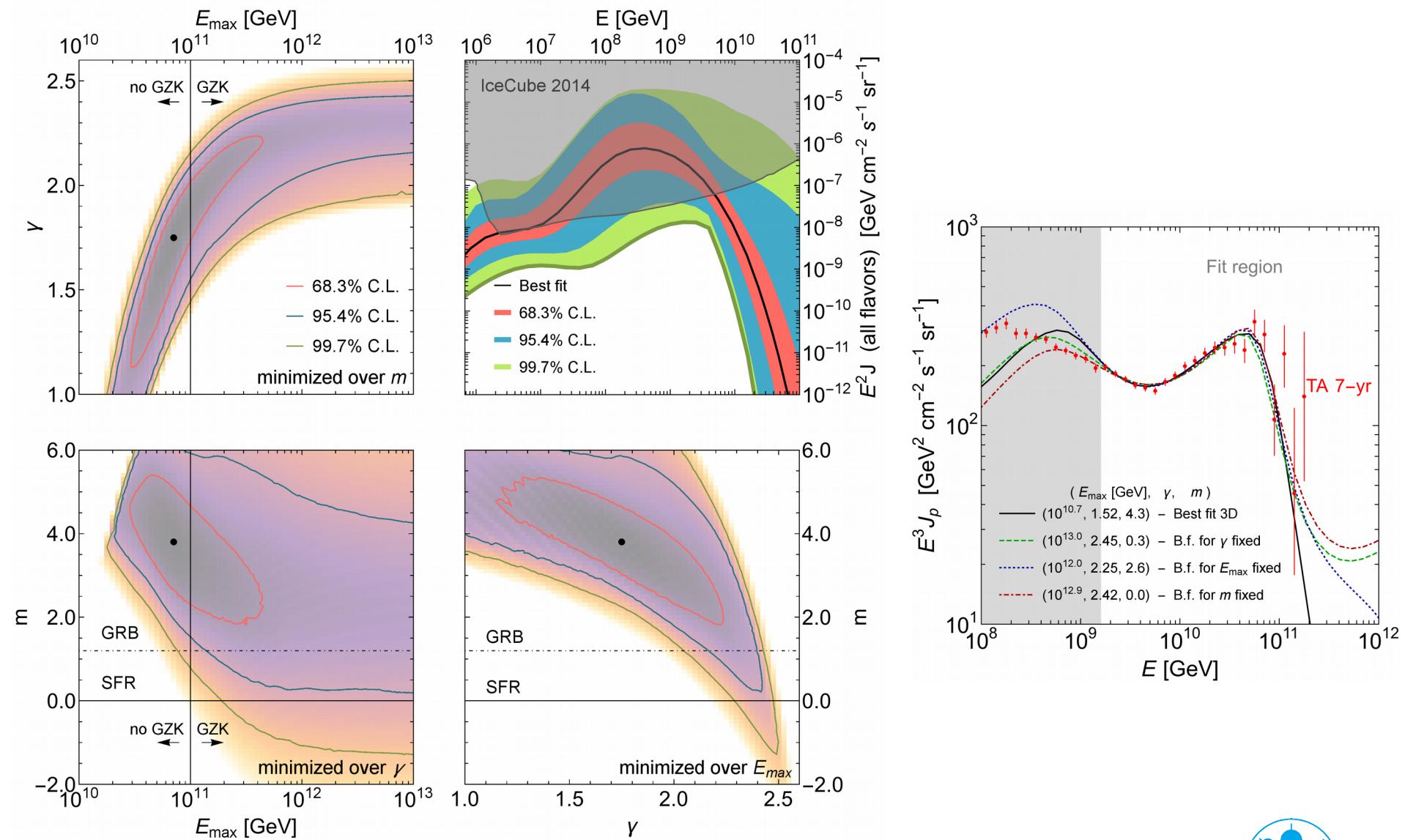
Extended fit range



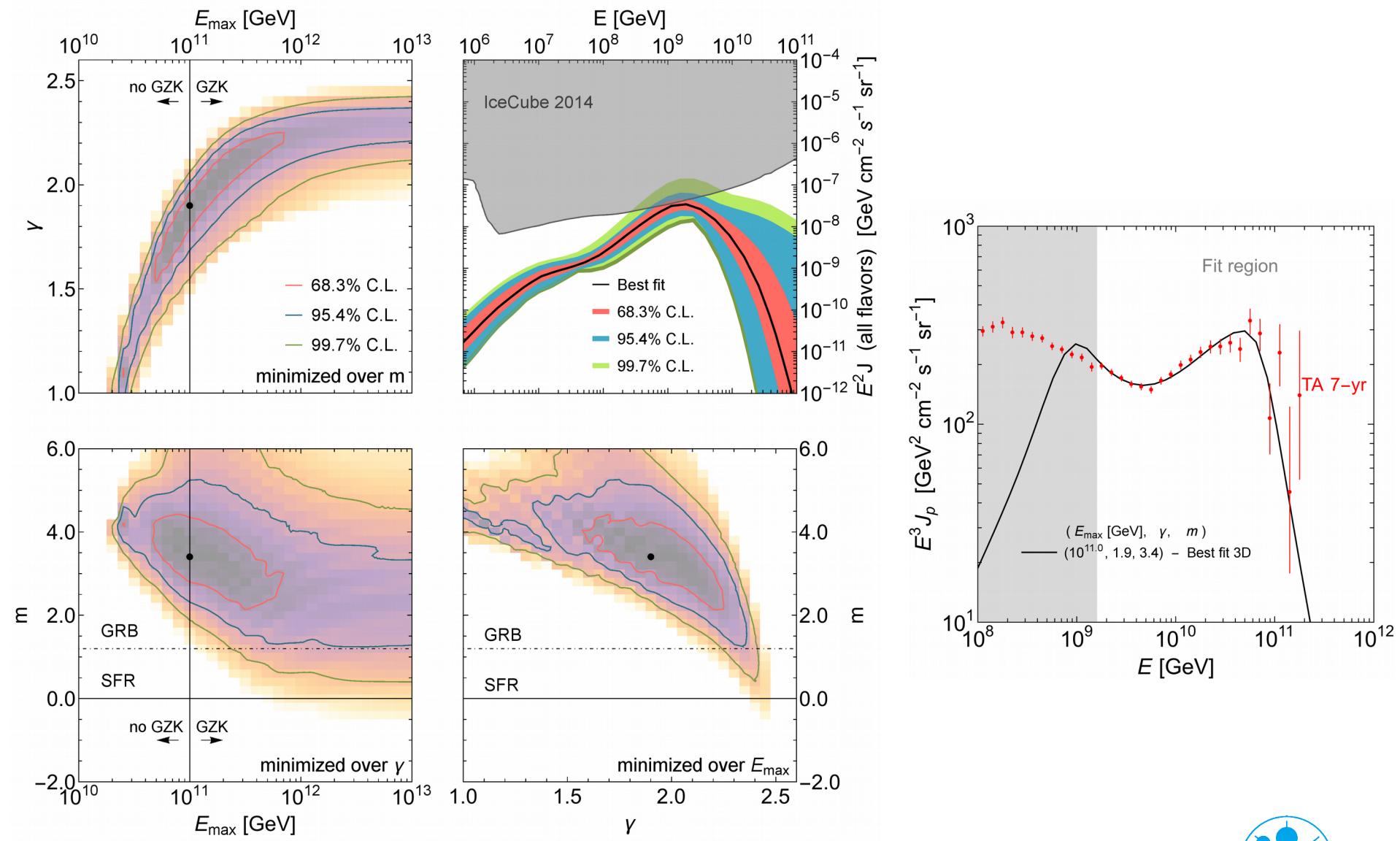
Overshoot penalty



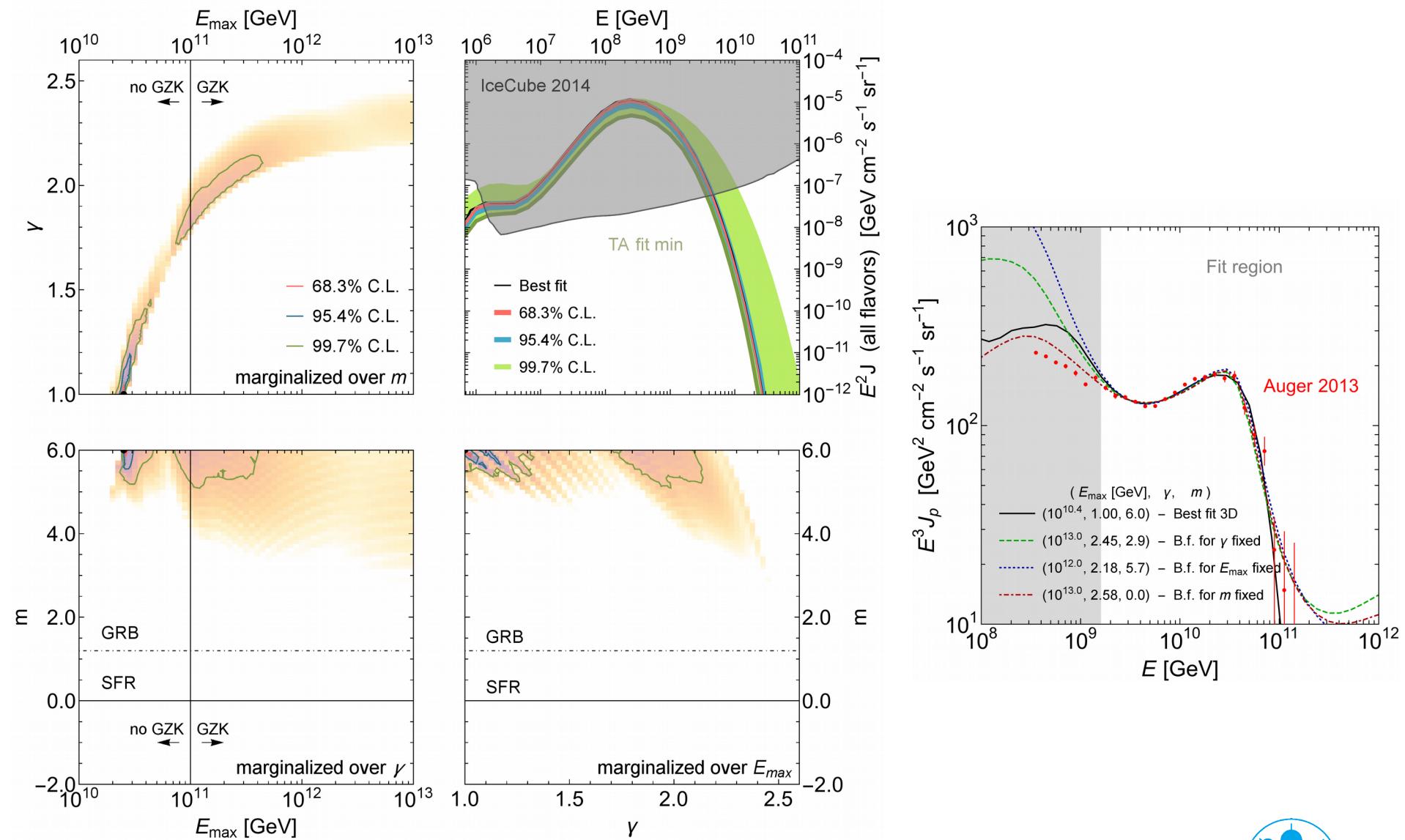
Additional 3% uncorrelated systematics



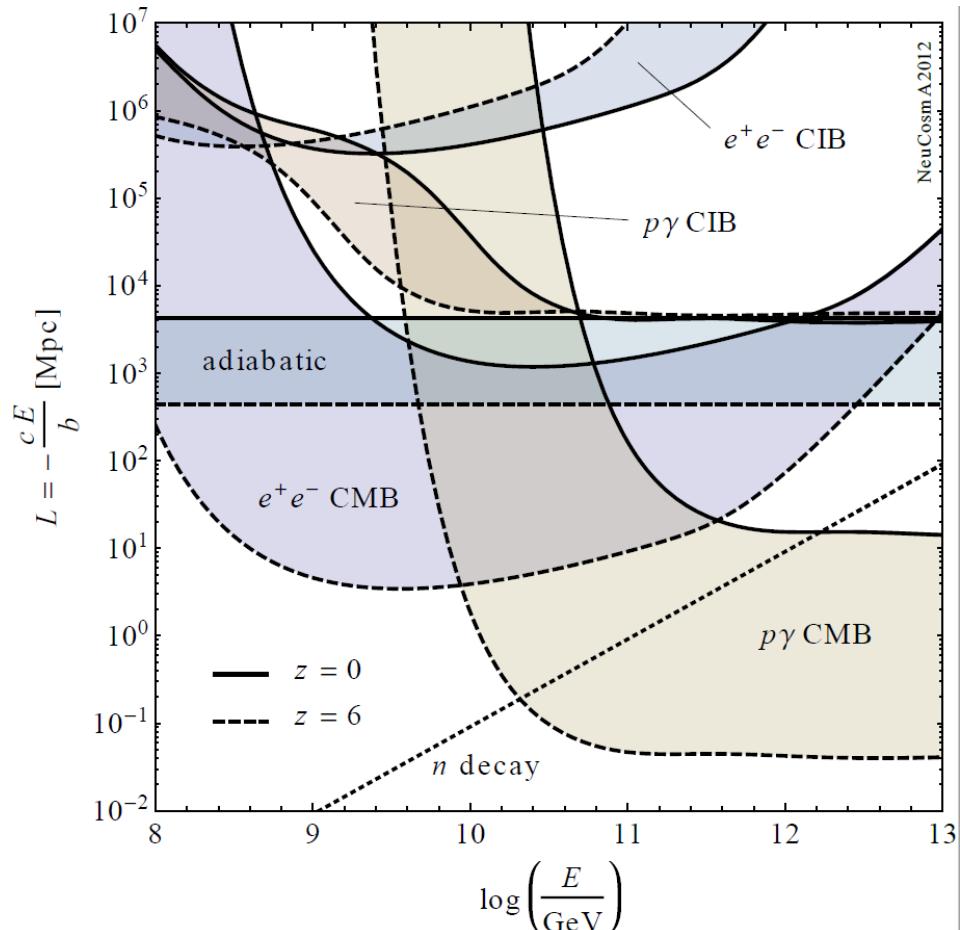
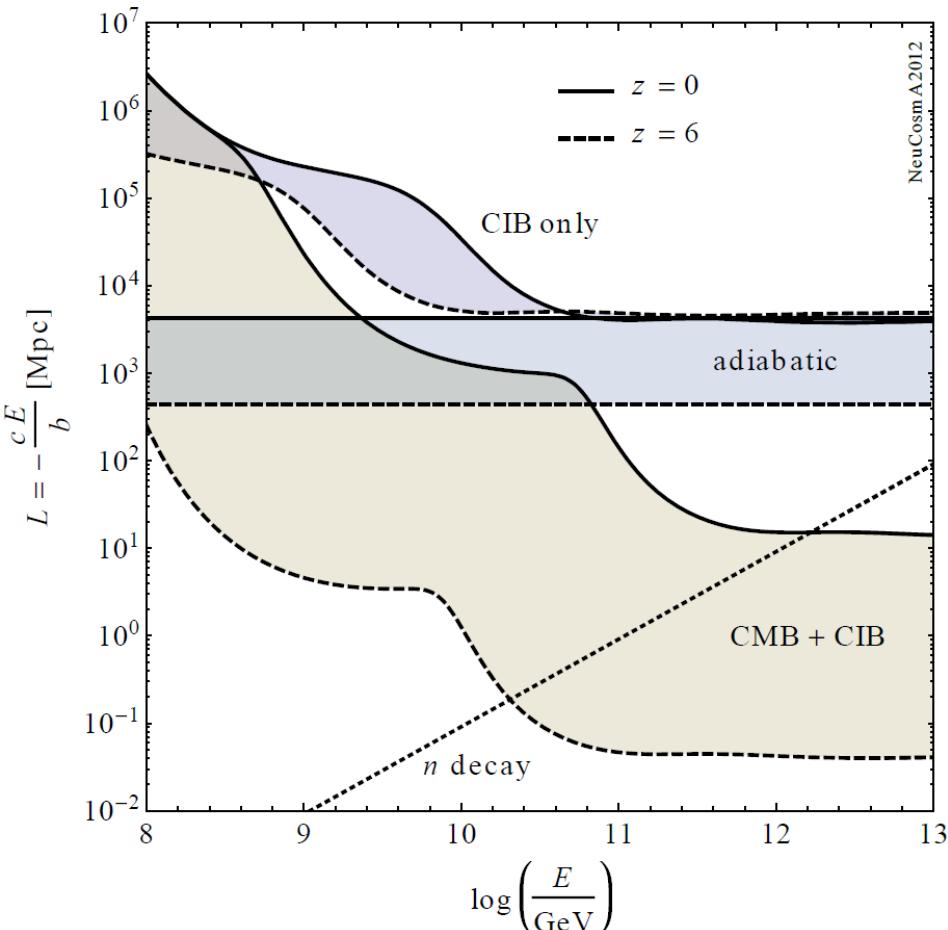
Only local injection $z < 1$



Fitting the Auger spectrum



Energy loss length



P. Baerwald, M. Bustamante, and W. Winter, Astropart. Phys. **62**, 66 (2015)