

Bimodal radio variability in OVRO-40m-monitored blazars

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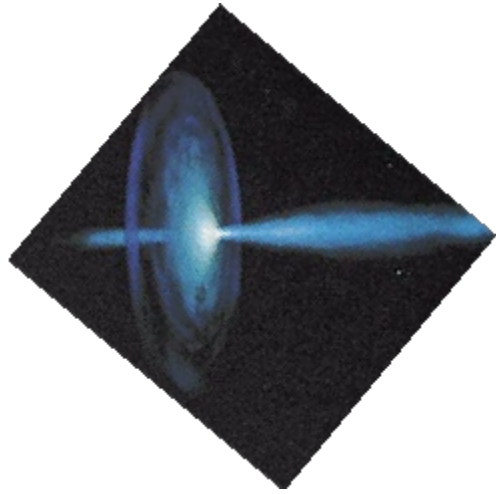


HAP-Monitoring of the non-thermal Universe
December 2016

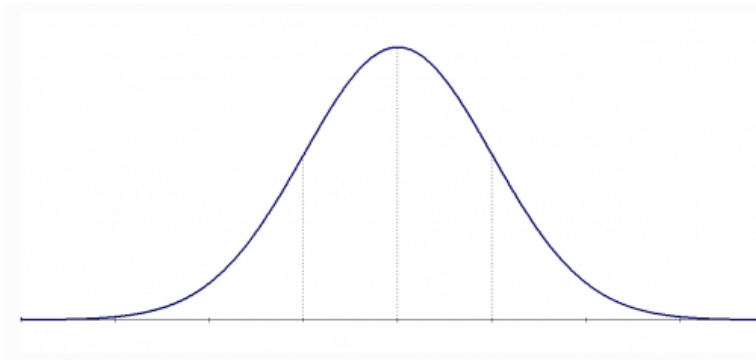
OVRO monitored blazars...

- 
- Monitoring blazars **since 2008** in support of Fermi gamma-ray space telescope:
 - At **15 GHz**
 - 1158 sources from the Candidate Gamma-Ray Blazar Survey (CGRaBS, a complete sample)
 - additional gamma-ray loud sources resulting in sample of **>1800** sources
 - cadence of twice per week

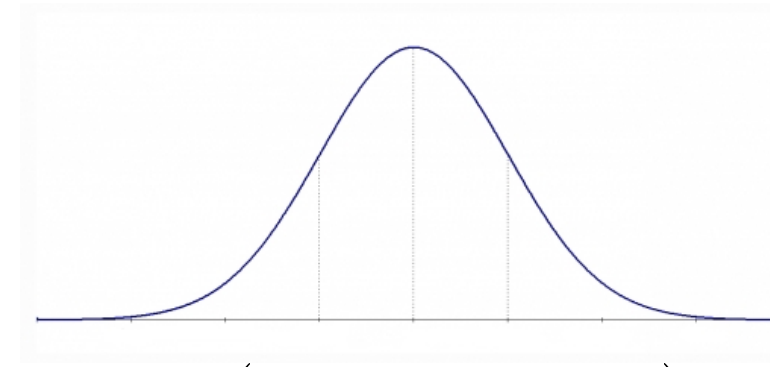
First maximum likelihood approach...



S_{true}



$P(S_{true}|S_o, \sigma_o)$

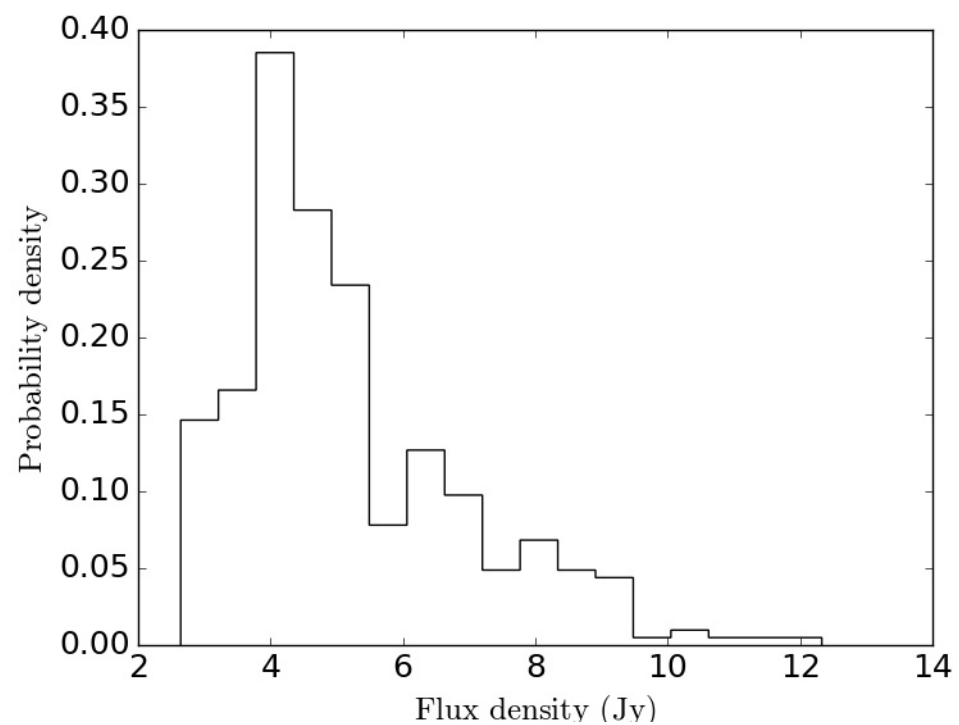
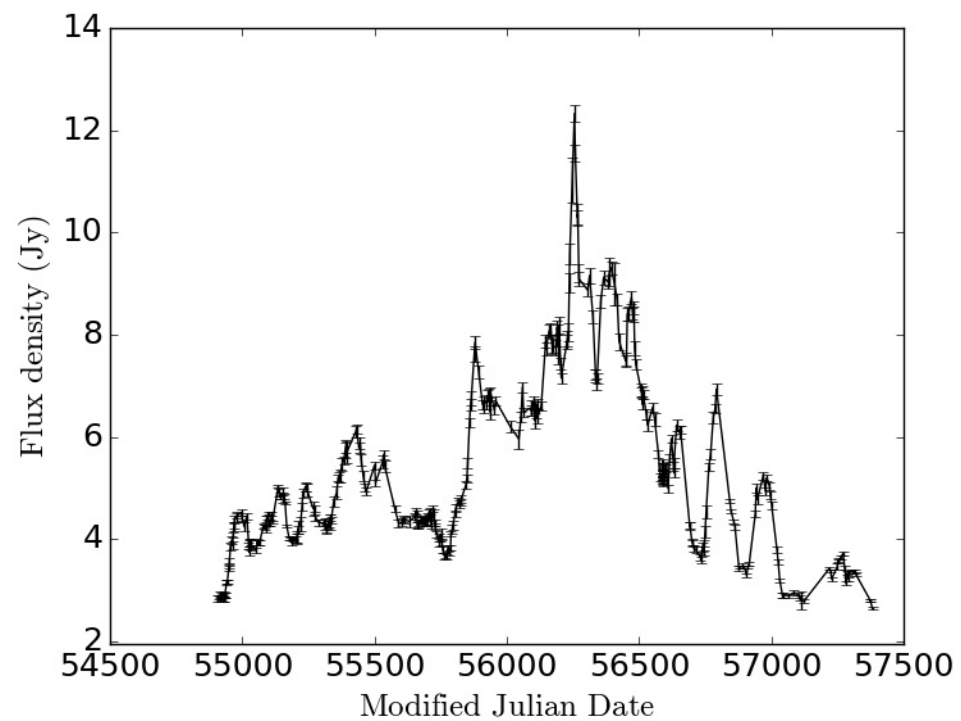


$P(S_{obs}, \sigma_{obs}|S_{true})$

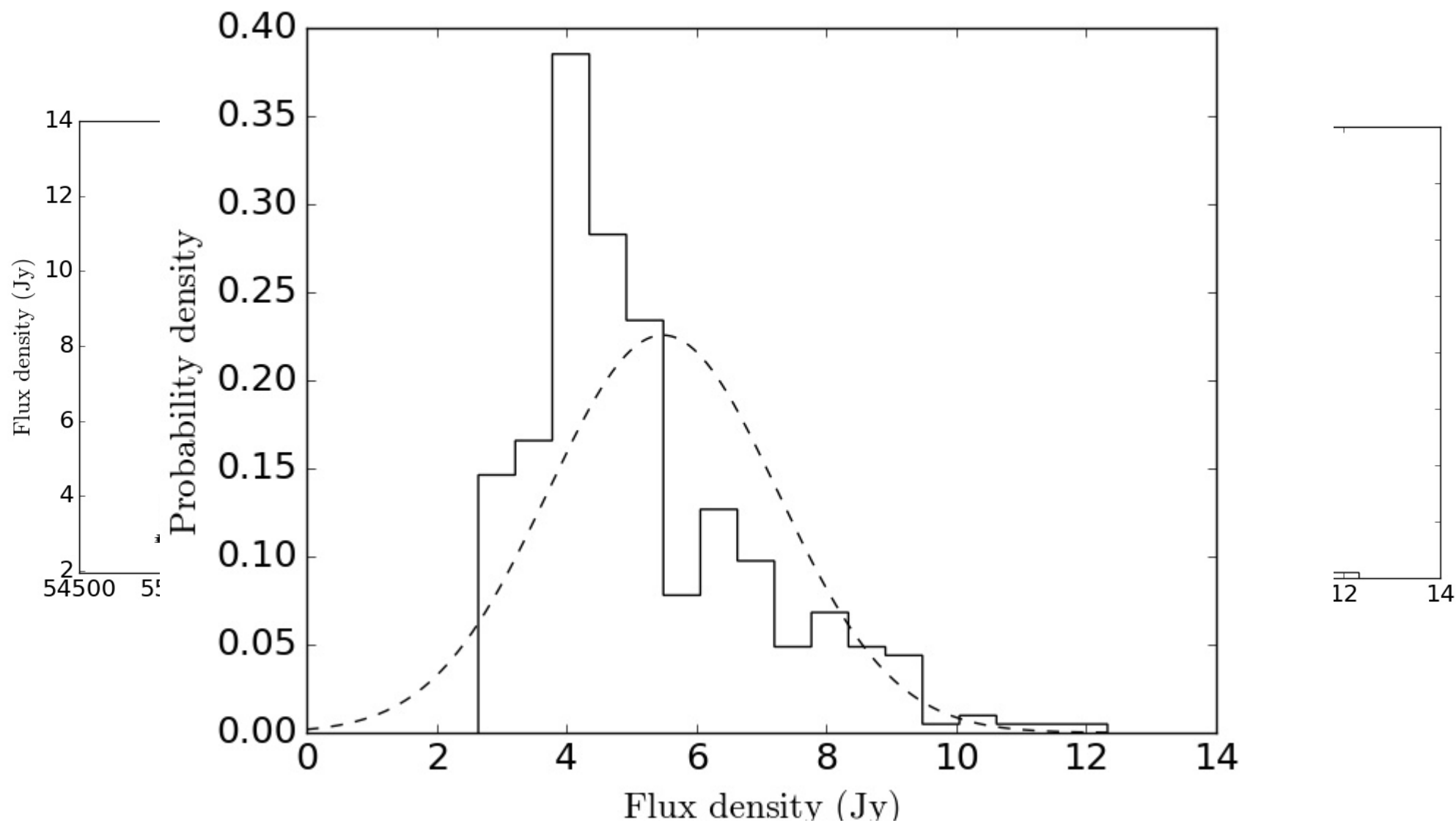
$$l_{obs} = \frac{1}{\sqrt{2\pi(\sigma_{obs}^2 + \sigma_o^2)}} \exp\left[\frac{-(S_{obs} - S_o)^2}{2(\sigma_{obs}^2 + \sigma_o^2)}\right]$$

(Richards et al. 2011)

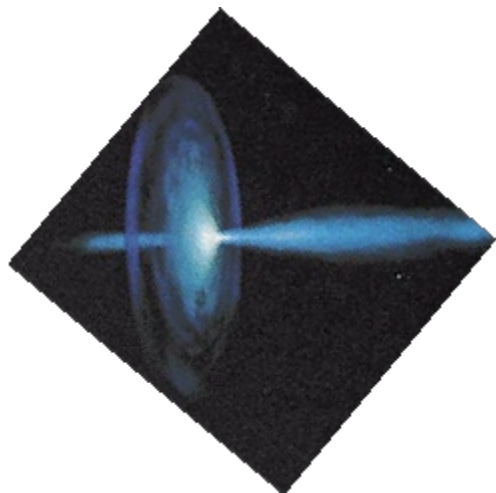
15 GHz BL Lacertae



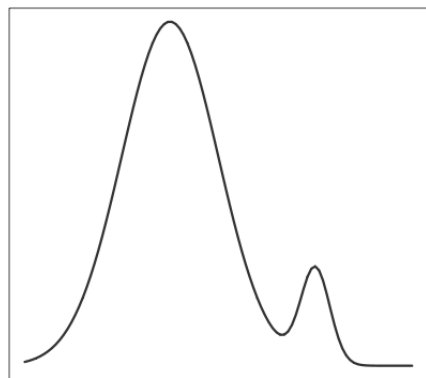
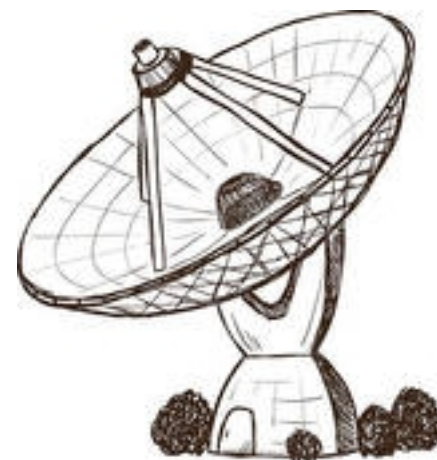
15 GHz BL Lacertae



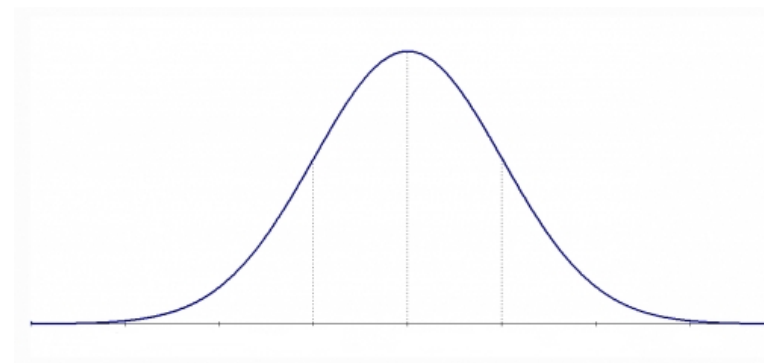
Bimodal model...



S_{true}



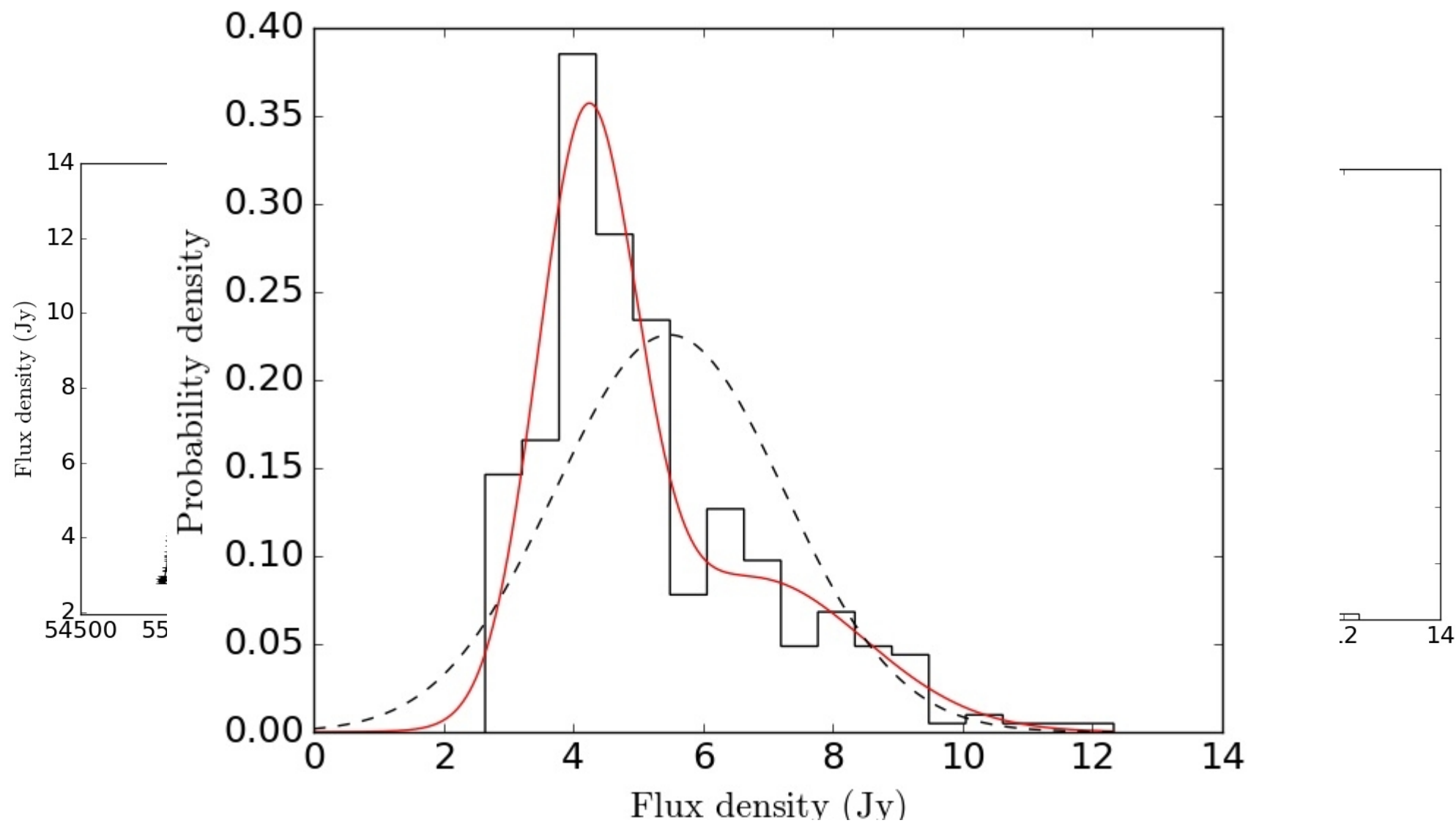
$$P(S_{true} | f_t, S_{off}, \sigma_{off}, S_{on}, \sigma_{on})$$



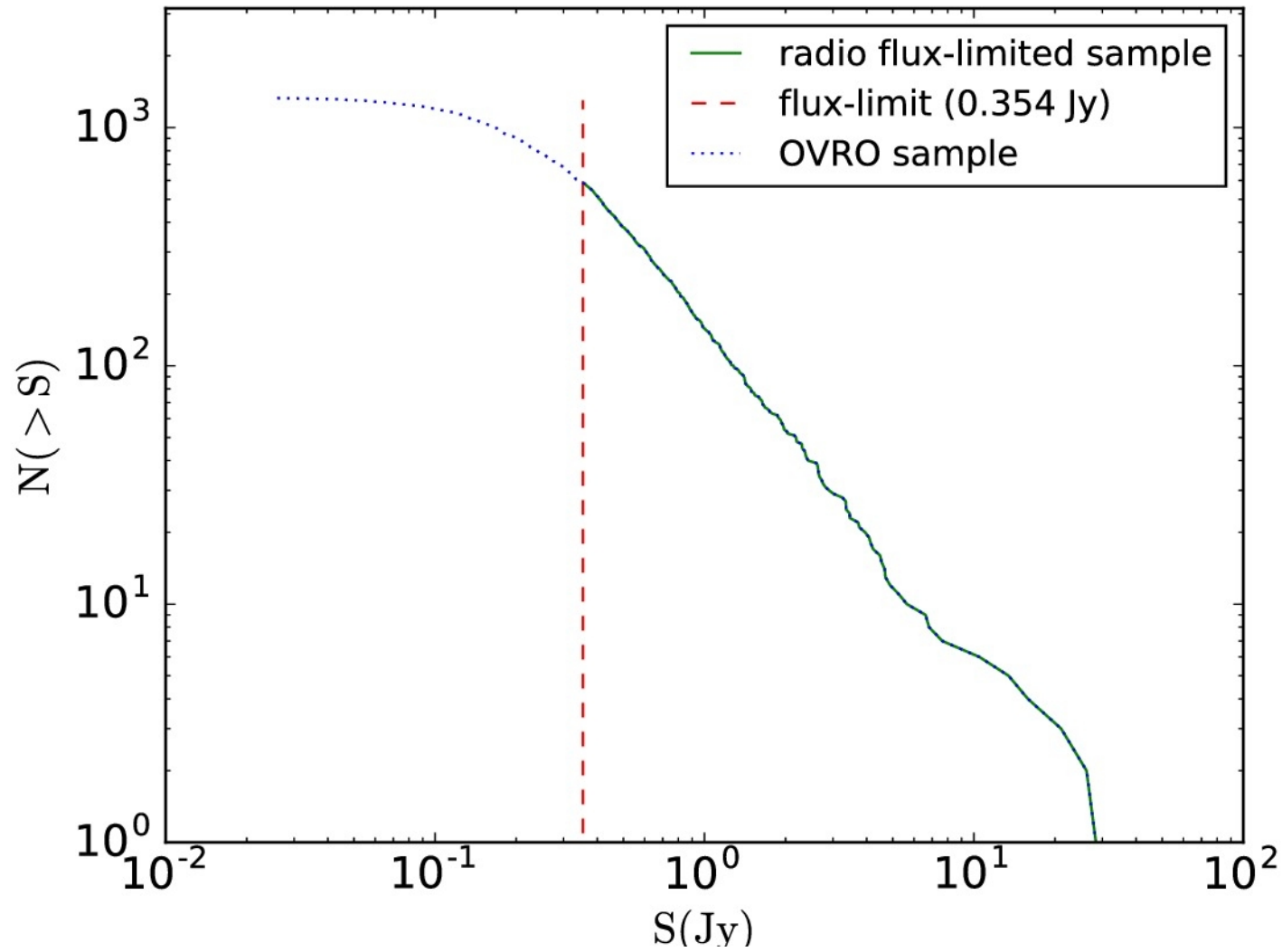
$$P(S_{obs}, \sigma_{obs} | S_{true})$$

$$l_{obs} = \frac{(1-f_t)}{\sqrt{2\pi(\sigma_{obs}^2 + \sigma_{off}^2)}} \exp\left[\frac{-(S_{obs} - S_{off})^2}{2(\sigma_{obs}^2 + \sigma_{off}^2)}\right] + \frac{f_t}{\sqrt{2\pi(\sigma_{obs}^2 + \sigma_{on}^2)}} \exp\left[\frac{-(S_{obs} - S_{on})^2}{2(\sigma_{obs}^2 + \sigma_{on}^2)}\right]$$

15 GHz BL Lacertae



Sample...



435 FSRQs

81 BL Lacs

68 Radio Galaxies or
unidentified sources

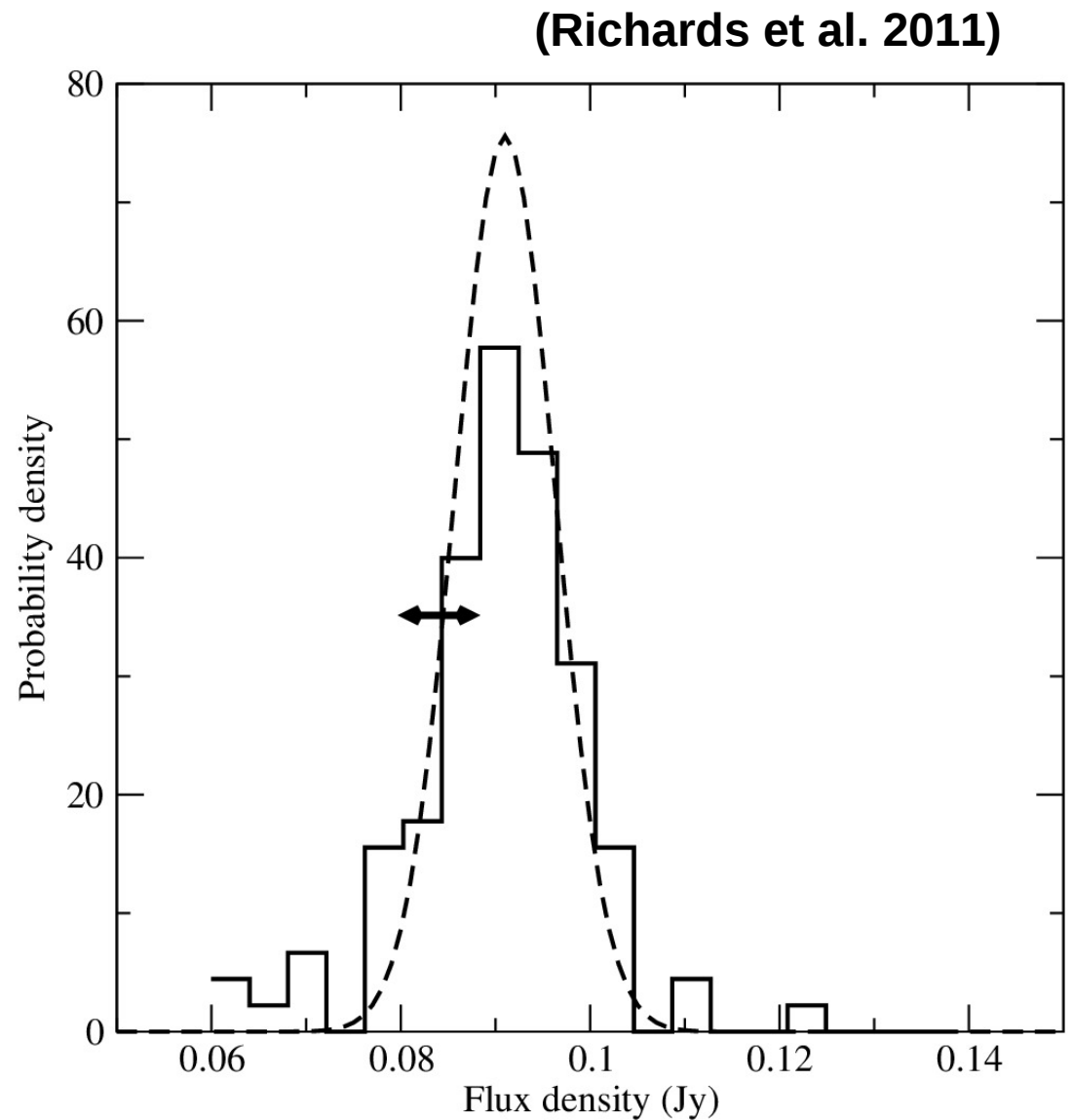
Total: 584 sources

of which: 293 γ -ray loud

Sanity check...

1) Are all sources bimodal?

~**8.9%** (52) sources can be considered consistent with a single-Gaussian



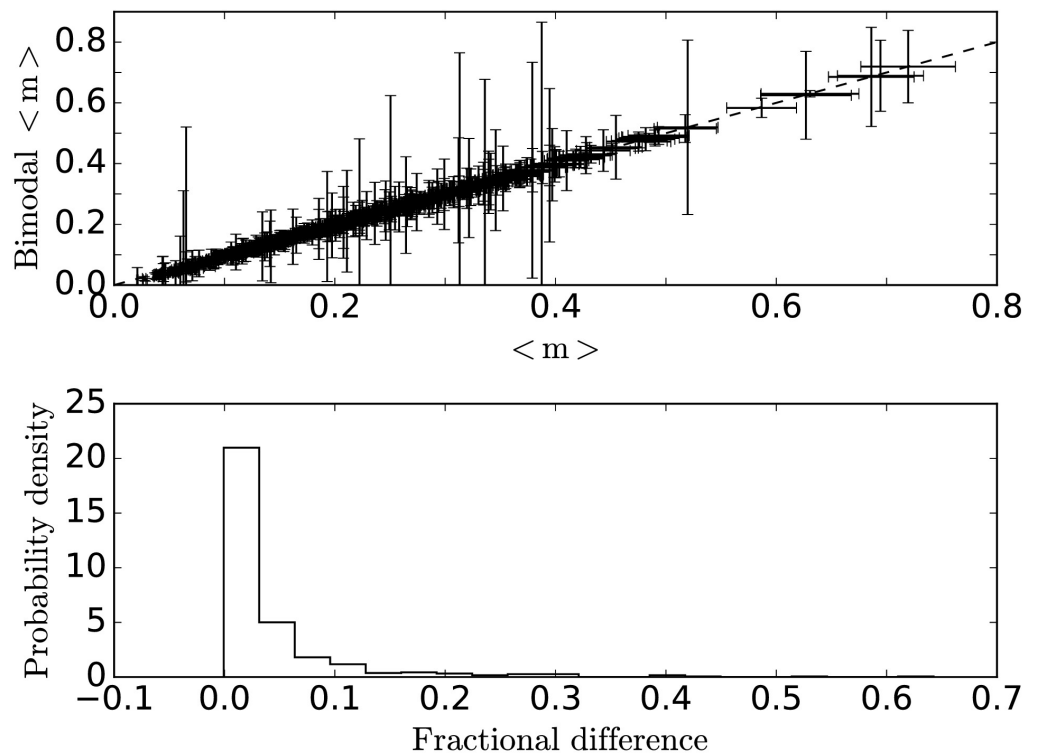
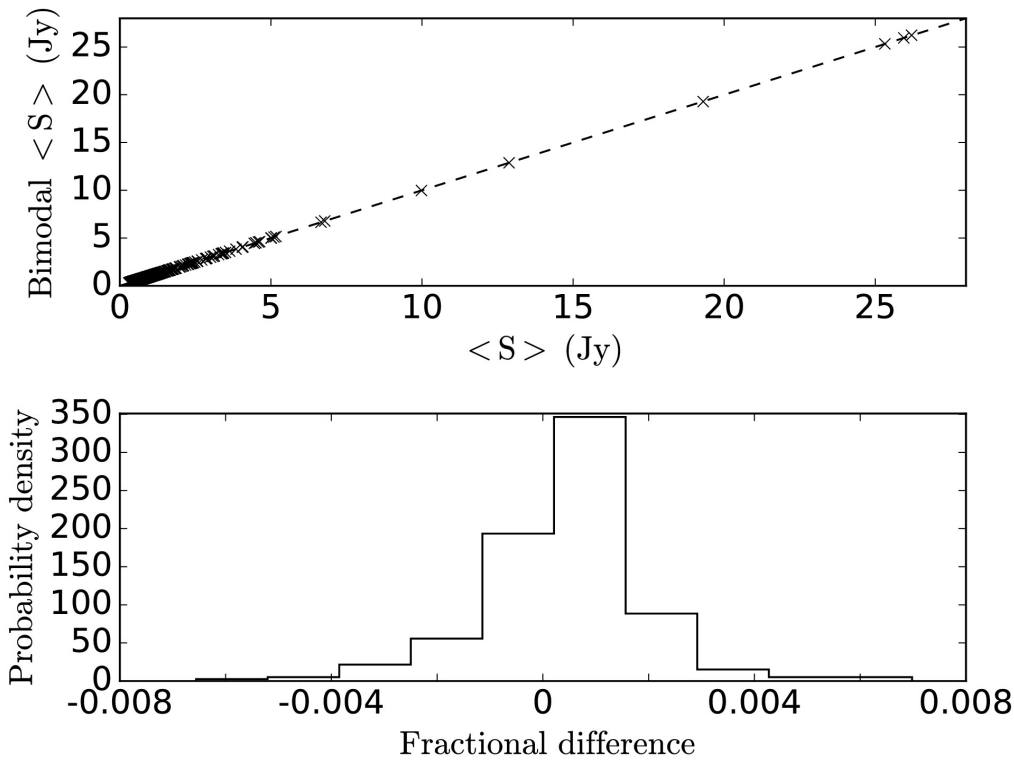
2) How does bimodal fare against and non-likelihood?

$$\langle S \rangle = (1 - f_t) S_{off} + f_t S_{on}$$

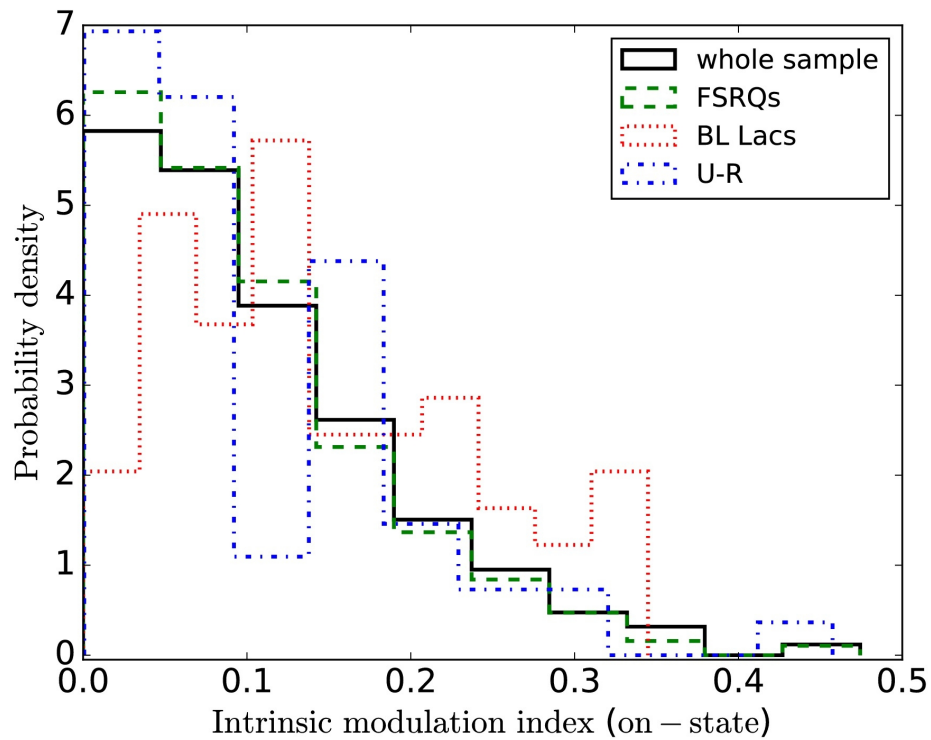
$$\langle m \rangle = \sqrt{\langle Var \rangle} / \langle S \rangle$$

$$\langle Var \rangle = (1 - f_t) (\sigma_{off}^2 + S_{off}^2) + f_t (\sigma_{on}^2 + S_{on}^2) - \langle S \rangle^2$$

Bimodal vs Not-likelihood

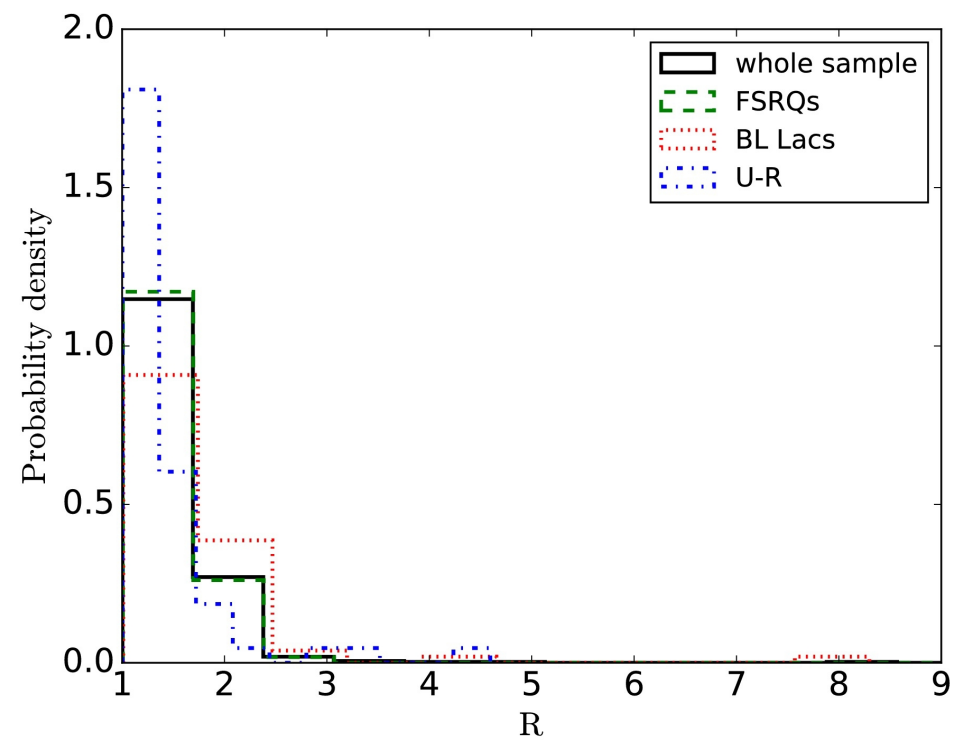


Results...



Exponential distribution with mean:

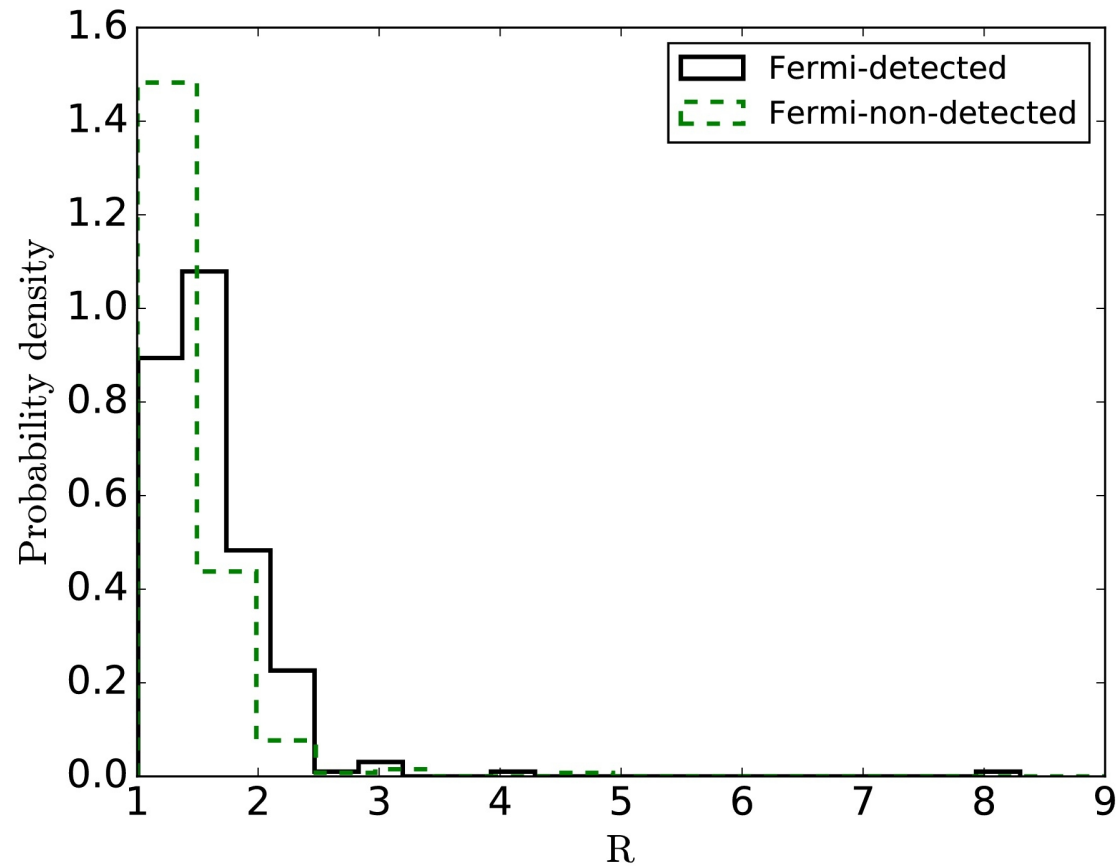
$$\langle m_{on} \rangle = 0.089 \pm 0.004$$



Exponential distribution with mean:

$$\langle R = S_{on} / S_{off} \rangle = 1.485 \pm 0.006$$

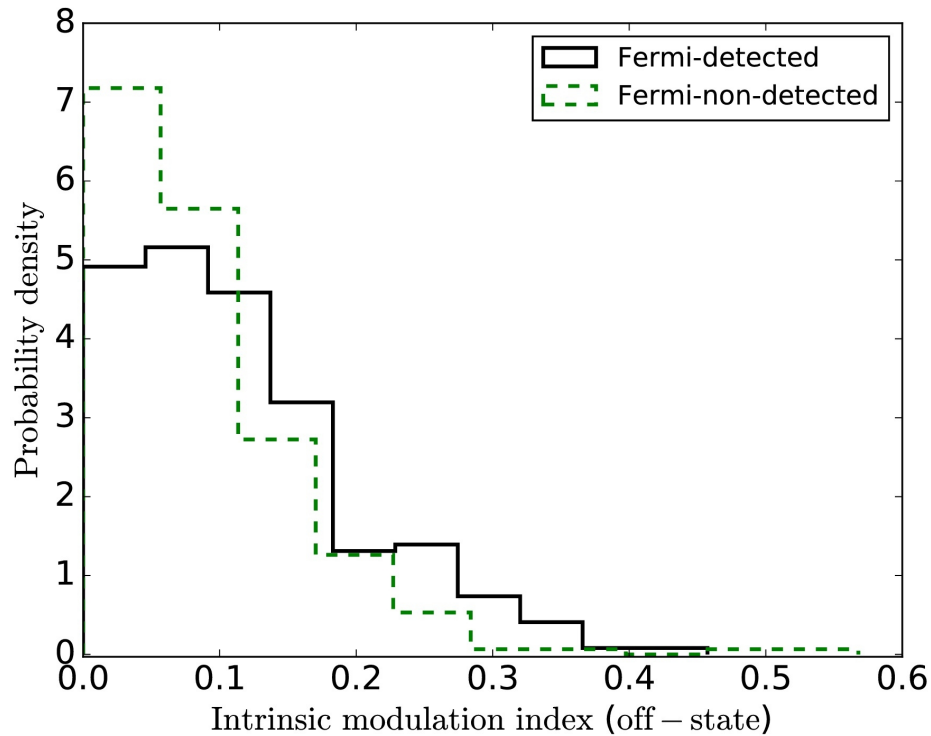
Gamma-ray loud vs Gamma-ray quiet



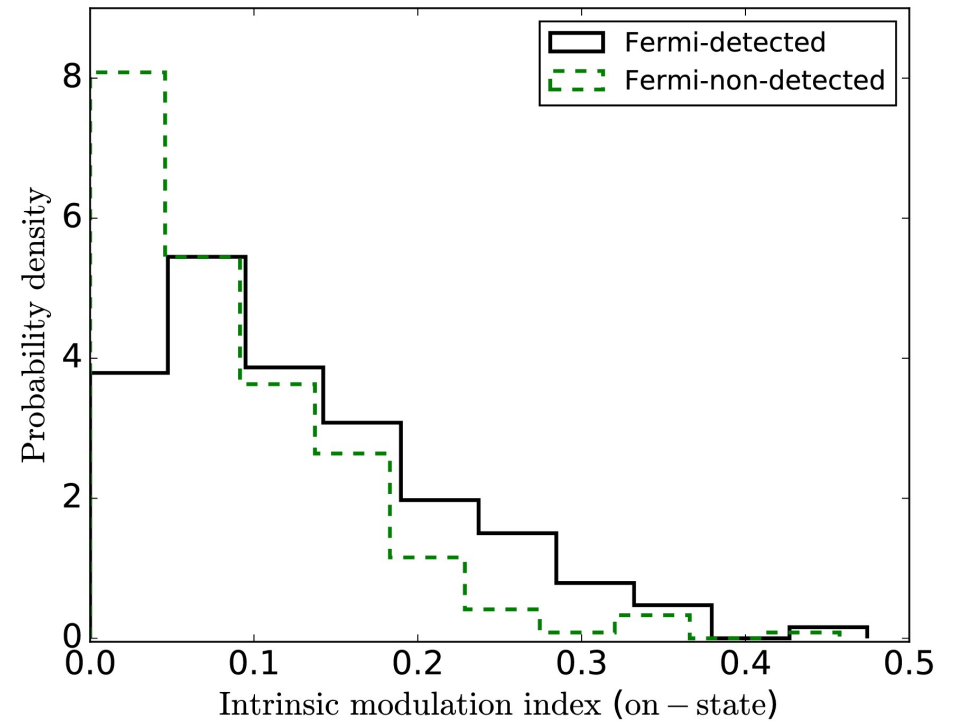
Kolmogorov-Smirnov : $10^{-8}\%$

Wilcoxon rank sum: $10^{-10}\%$

Gamma-ray loud vs Gamma-ray quiet



Kolmogorov-Smirnov : **0.26%**
Wilcoxon rank sum: **0.009%**



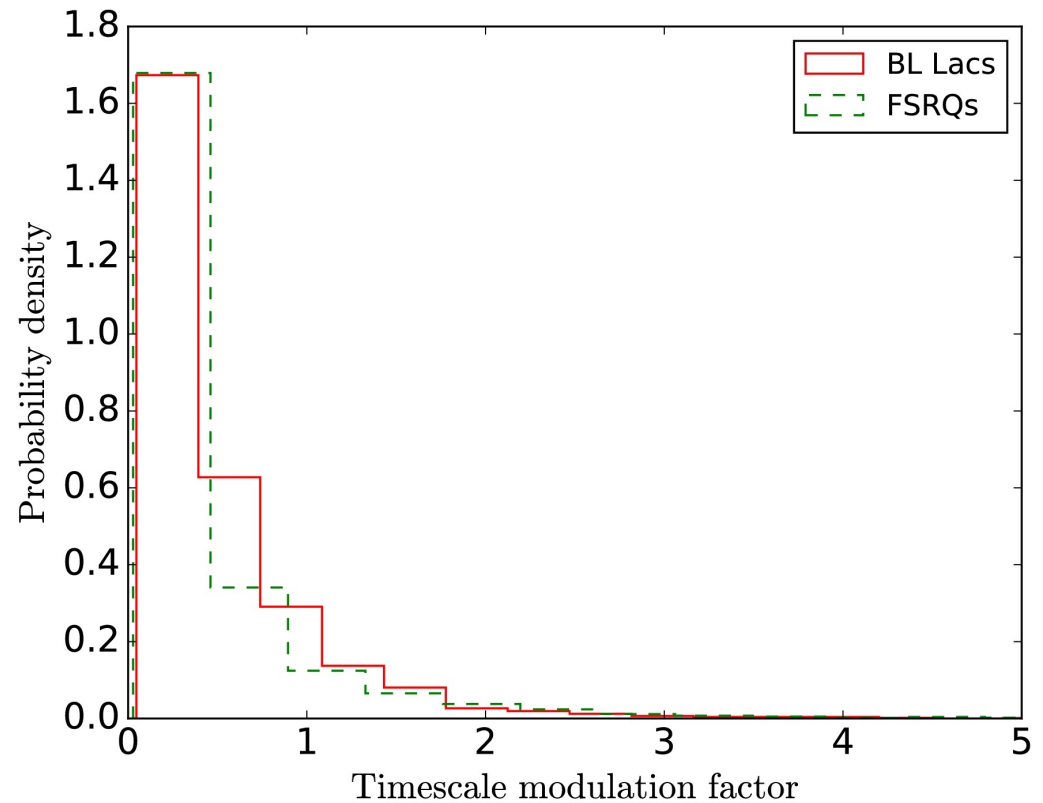
Kolmogorov-Smirnov : **0.001%**
Wilcoxon rank sum: **$10^{-7}\%$**

Intrinsic distribution of timescales

The timescale modulation factor (m) follows an exponential distribution!

(Liodakis & Pavlidou 2015a; Liodakis, Pavlidou & Angelakis 2016a)

$$m_t = \frac{\Delta t'}{\Delta t} = \frac{1+z}{\delta}$$



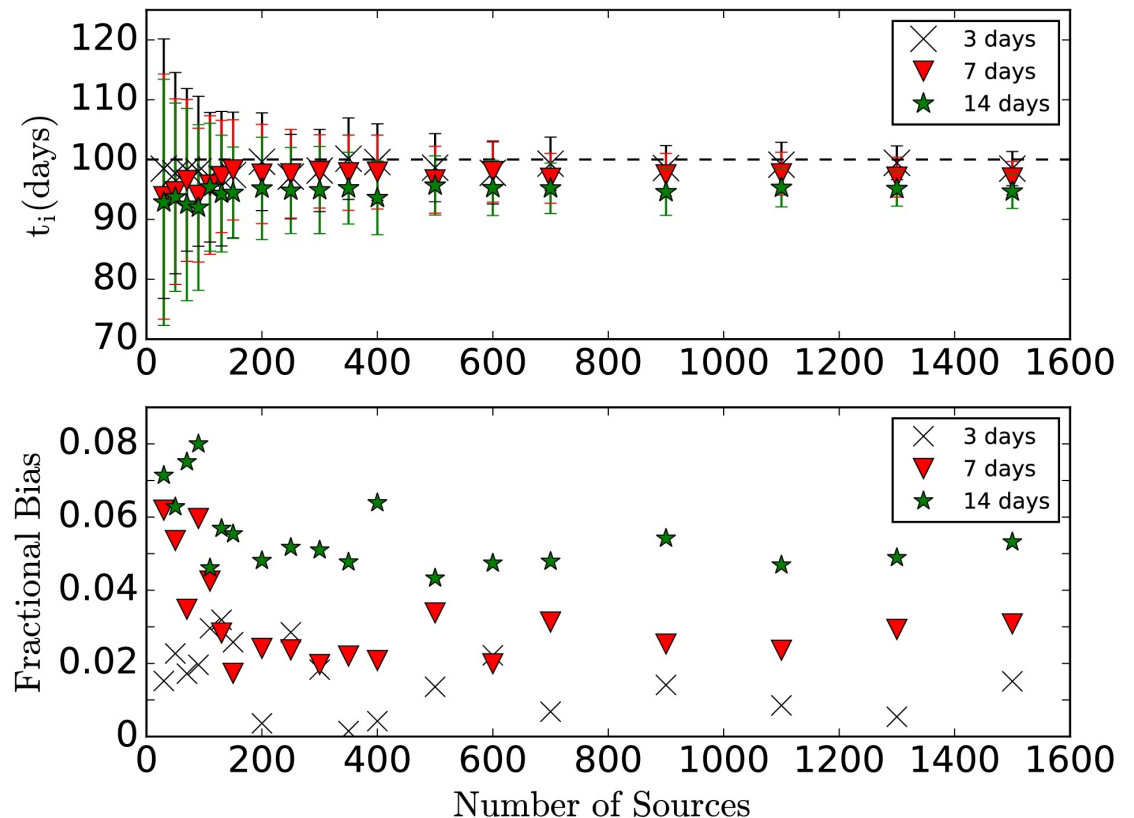
Intrinsic distribution of timescales

Intrinsic probability density function

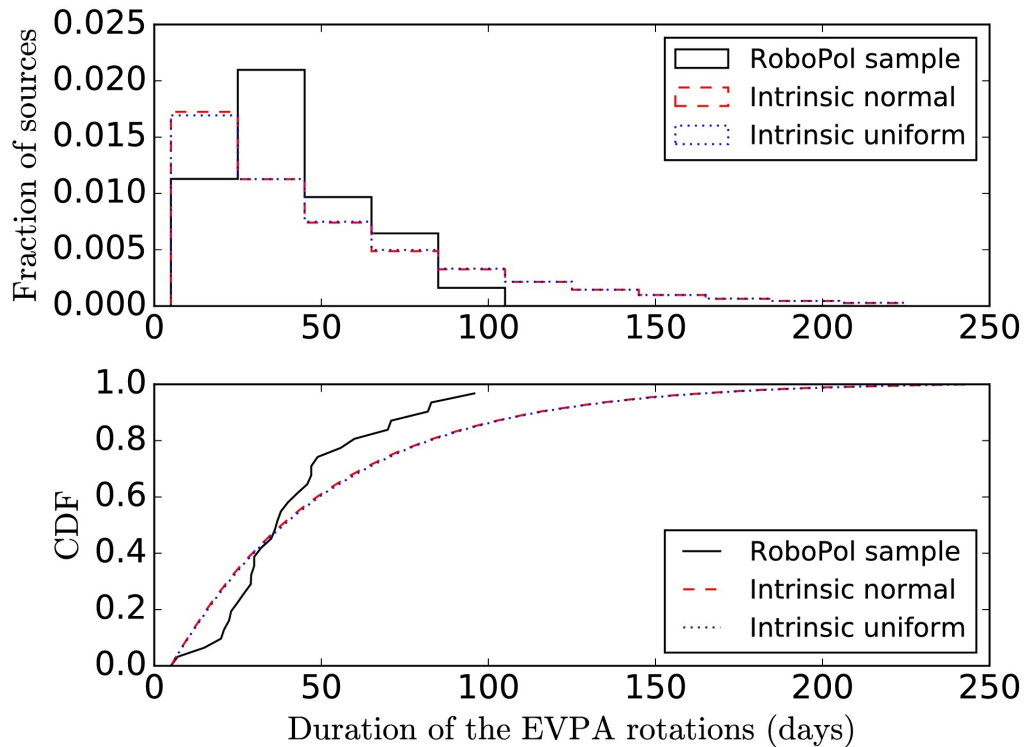
Observed probability density function

$$P(t_o) = \int_{m_{t,min}}^{m_{t,max}} P(t_i) P(m_t) \frac{1}{m_t} dm_t$$

Exponential distribution

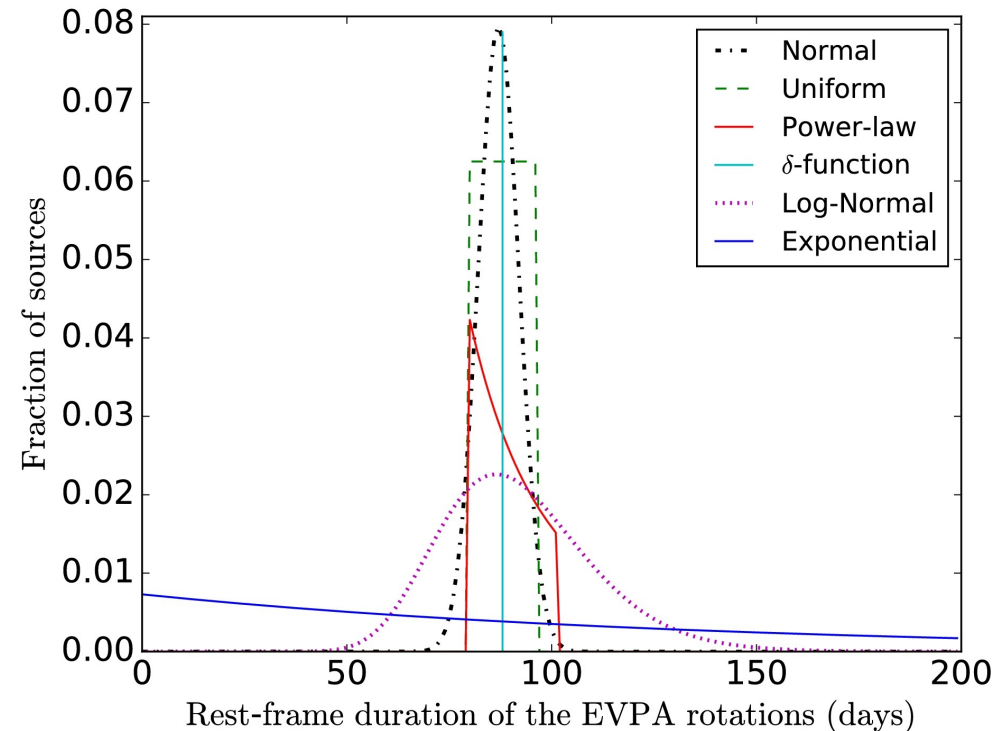


Application to EVPA rotations observed by RoboPol!



K-S test – Normal: **31.5%**

K-S test – Uniform: **31%**



Normal : $\mu = 87 \text{ days}$, $\sigma = 5 \text{ days}$

Uniform : $t_{\min} = 80 \text{ days}$, $t_{\max} = 96 \text{ days}$

Summary & Conclusions...

We have created a 5-d maximum likelihood formalism to capture the bimodal behavior of OVRO monitored blazars

The flaring ratio and off-state and on-state modulation indices follow **exponential distributions**.

BL Lacs are **more variable in their on-state** with larger outbursts than the FSRQs

Blazars are **more variable** with larger outbursts than the U-Rs **in either state**.

Gamma-ray loud sources are **systematically more variable with larger outbursts** than the Gamma-ray quiet sources.

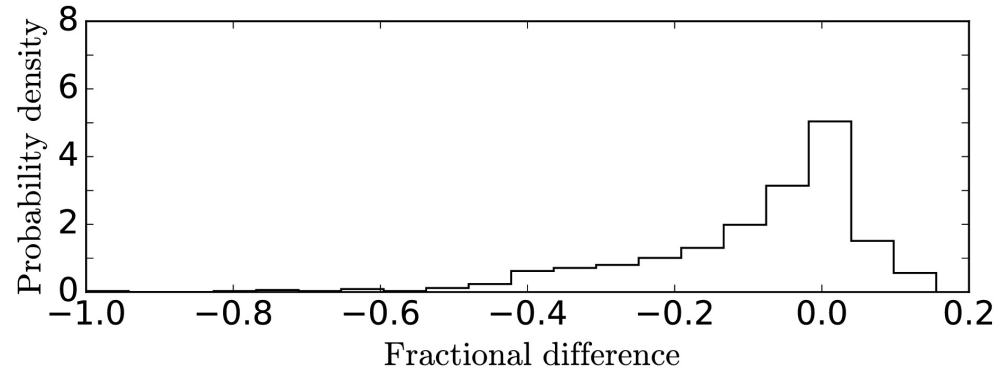
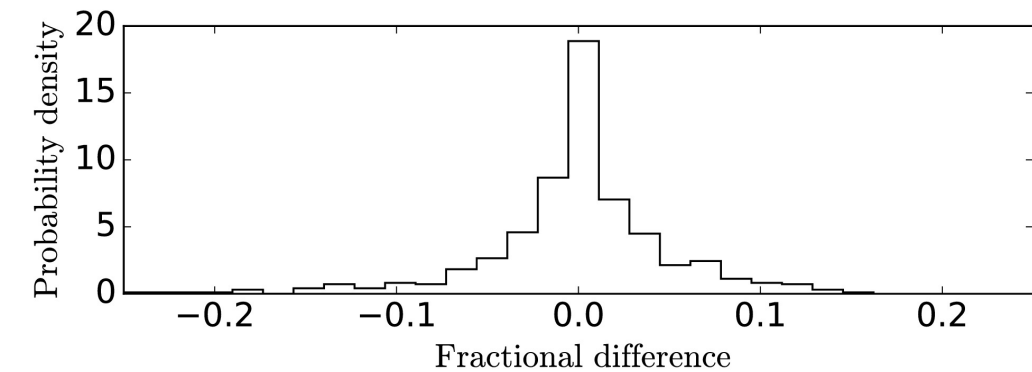
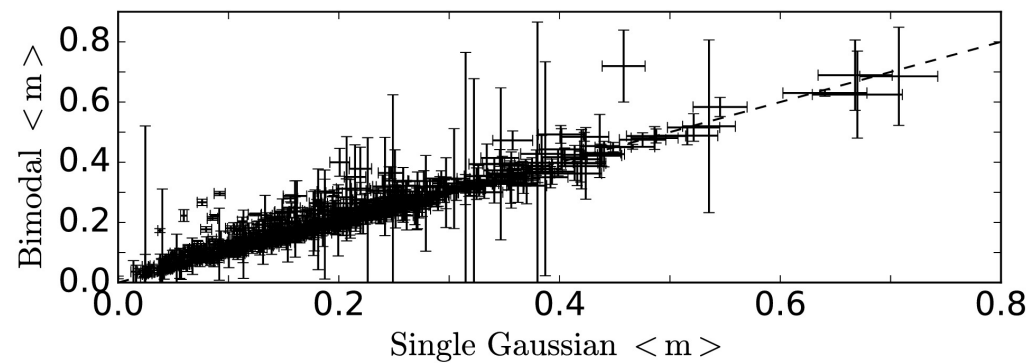
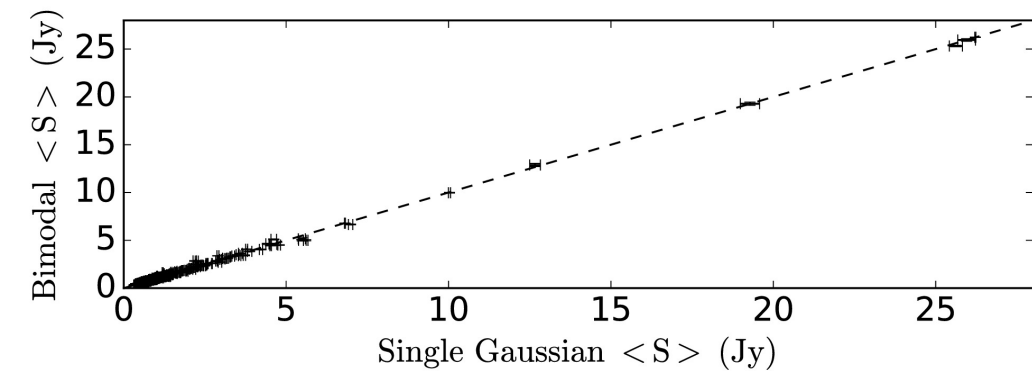
We have created a novel mathematical formalism to **uncover the intrinsic distribution of timescales** in blazars

The fractional bias of our method is below **8% regardless of sample size** for time intervals between observations <14 days

The intrinsic distribution of EVPA durations seen by RoboPol is **narrow** (most probable either normal or uniform)

ADDITIONAL SLIDES

Bimodal vs single-Gaussian



Bimodal vs Not-likelihood (Below flux-limit)

