

\* talk based on: *Electroweak Phase Transition in a Dark Sector with CP Violation*

by LB, Margarete Mühlleitner and Jonas Müller [2204.13425]

# Electroweak Phase Transition in a Dark Sector with CP Violation

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# Motivation

- Electroweak baryogenesis (EWBG) can generate observed *baryon asymmetry of the universe* (BAU) ( $\eta \simeq 6.1 \times 10^{-10}$  [Planck, 2018]) if [A. D. Sakharov, 1967], [D. Morrissey, M. Ramsey-Musolf, 2012]

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→ *creation* of BAU: EW sphaleron transitions (triggered by LH fermion access) [F. R. Klinkhammer, N.S. Manton, 1984]
  - sufficiently strong departure from thermal equilibrium,  $\xi_c \equiv \frac{v_c}{T_c} \gtrsim 1$  (*conservation* of BAU inside bubble) [M. Quiros, 1994] ⇒ **SFOEWPT** (*strong first-order electroweak phase transition*)

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  - viable *stable* particle **DM** candidate
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Now .. Can we generate an SFOEWPT within ‘CP in the Dark’?

Can the ‘hidden’ CP violation be translated to the visible sector?

- N2HDM-like extended scalar sector, *one* discrete  $\mathbb{Z}_2$  symmetry

$$\Phi_1 \rightarrow +\Phi_1, \quad \Phi_2 \rightarrow -\Phi_2, \quad \Phi_S \rightarrow -\Phi_S$$

- $SU(2)_L \times U(1)_Y$  and  $\mathbb{Z}_2$ -invariant tree-level potential:

$$\begin{aligned} V^{(0)} = & m_{11}^2 |\Phi_1|^2 + m_{22}^2 |\Phi_2|^2 + \frac{m_S^2}{2} \Phi_S^2 + (\textcolor{red}{A} \Phi_1^\dagger \Phi_2 \Phi_S + h.c.) + \frac{\lambda_1}{2} |\Phi_1|^4 + \frac{\lambda_2}{2} |\Phi_2|^4 \\ & + \lambda_3 |\Phi_1|^2 |\Phi_2|^2 + \lambda_4 |\Phi_1^\dagger \Phi_2|^2 + \frac{\lambda_5}{2} \left[ (\Phi_1^\dagger \Phi_2)^2 + h.c. \right] + \frac{\lambda_6}{4} \Phi_S^4 + \frac{\lambda_7}{2} |\Phi_1|^2 \Phi_S^2 + \frac{\lambda_8}{2} |\Phi_2|^2 \Phi_S^2 \end{aligned}$$

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- general vacuum structure @  $T \neq 0$ :

$\curvearrowleft$  charge-breaking VEV,  $\omega_{CB} = 0$

$$\Phi_1 = \frac{1}{\sqrt{2}} \begin{pmatrix} \rho_1 + i\eta_1 \\ \zeta_1 + \omega_1 + i\Psi_1 \end{pmatrix}, \quad \Phi_2 = \frac{1}{\sqrt{2}} \begin{pmatrix} \rho_2 + \omega_{CB} + i\eta_2 \\ \zeta_2 + \omega_2 + i(\Psi_2 + \omega_{CP}) \end{pmatrix}, \quad \Phi_S = \zeta_S + \omega_S$$

$\curvearrowleft$  CP-violating VEV

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- general vacuum structure @  $T = 0$ :

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\*  $\Phi_1$  (*SM-like particles* with **+1**):  $G^\pm, G^0, h$

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⇒ **explicit CPV:** introduced through  $\text{Im}(A) \neq 0$

→ CPV after SSB, but vacuum is CP-symmetric ⇒ CPV is *explicit*

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⇒ **'CP in the Dark'** - CPV + DM + SFOEWPT (?)

# Minimizing the One-Loop Corrected Effective Potential @ $T \neq 0$

- true vacuum state @ finite temperature (FT) including radiative corrections = global minimum of the **effective potential @ FT**
- general one-loop effective potential @ FT splits into temperature-dependent and independent part [L. Dolan, R. Jackiw, 1974]

$$V^{(1)}(\omega, T) = \underbrace{V^{(0)}(\omega)}_{\text{tree-level}} + \underbrace{V^{\text{CW}}(\omega)}_{\substack{T\text{-indep.} \\ \text{Coleman-Weinberg} \\ \text{potential} \\ \text{renormalized in } \overline{MS}\text{-scheme}}} + \underbrace{V^T(\omega, T)}_{\substack{T\text{-dep.} \\ \text{UV finite} \\ \text{IR finite after resummation} \\ m^2 \rightarrow m^2 + \Pi^{(1)}(0)}} + \underbrace{V^{\text{CT}}(\omega)}_{\substack{\leftarrow \text{optional finite shift} \\ \text{finite shift of} \\ \text{scalar masses} \\ \text{and mixing angles}}}$$

[P. Basler et al., 2017]

[S. Coleman, E. Weinberg, 1973]      [M. Carrington, 1992],  
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- $V^{\text{CT}}$  absorbs NLO scalar mass and angle shift [P. Basler et al., 2017]

$$0 = \partial_{\phi_i} (V^{\text{CW}} + V^{\text{CT}}|_{\vec{\omega}=\vec{\omega}_{\text{tree}}})$$

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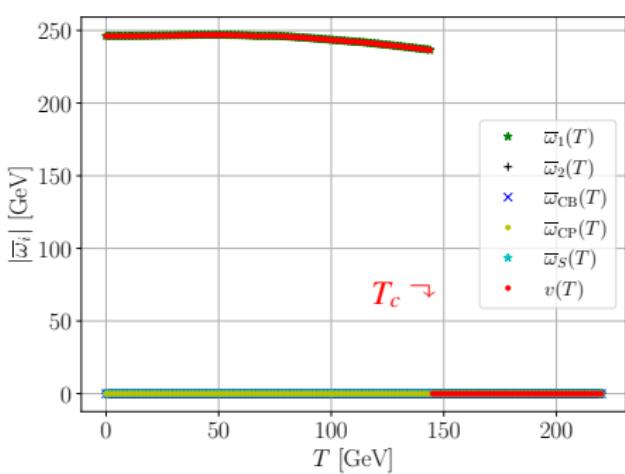
**BSMPT** [P. Basler, M. Mühlleitner, J. Müller, 2018/20] <https://github.com/phbasler/BSMPT>

- global minimization of the one-loop corrected effective potential @  $T \in \{0, 300\}$  GeV in non-zero FT VEV space  $\vec{\omega} \rightarrow$  get  $(\bar{\omega}_1, \bar{\omega}_2, \bar{\omega}_{\text{CB}}, \bar{\omega}_{\text{CP}}, \bar{\omega}_S)$  @  $T$

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- temperature-dependent EW VEV  $v(T)$ :

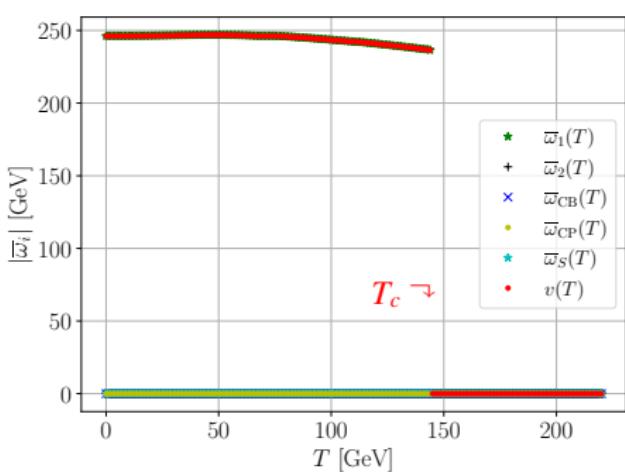
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- critical temperature  $T_c$ :  
 $V^{(1)}(\bar{\omega} = 0, T_c) \equiv V^{(1)}(\bar{\omega}_c \neq 0, T_c)$   
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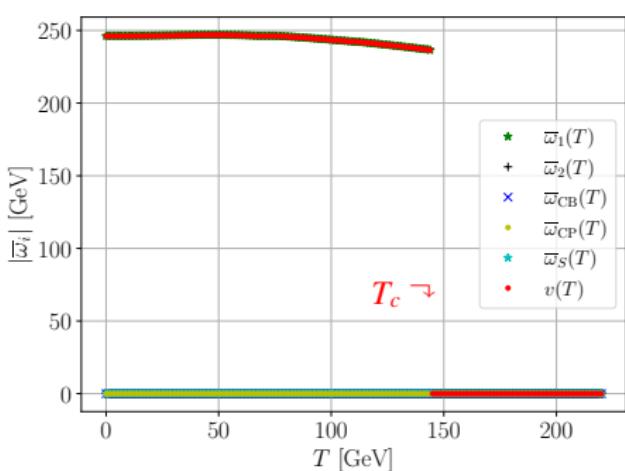
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- viable parameter points
  - pass constraints imposed by: **ScannerS** [R. Coimbra et al., 2013] [M. Mühlleitner et al., 2020]  
**BSMPT** [P. Basler, M. Mühlleitner, J. Müller, 2018/20]
  - $\text{BR}(h \rightarrow \text{inv.}) < 0.11$  [M. Aaboud et al., 2019]
  - $\mu_{h \rightarrow \gamma\gamma} = 1.12 \pm 0.09$  [A. Sirunyan et al., 2021]

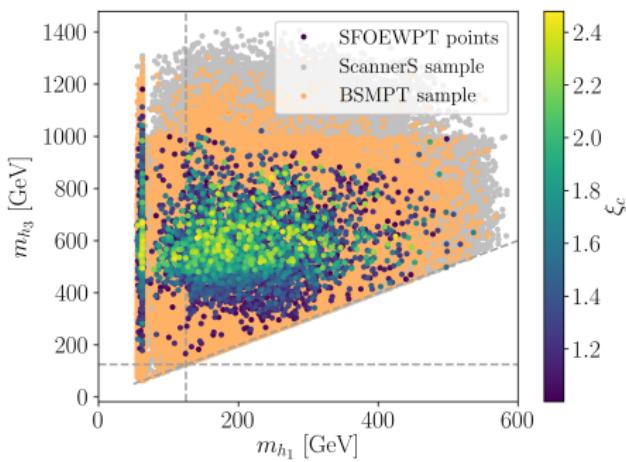
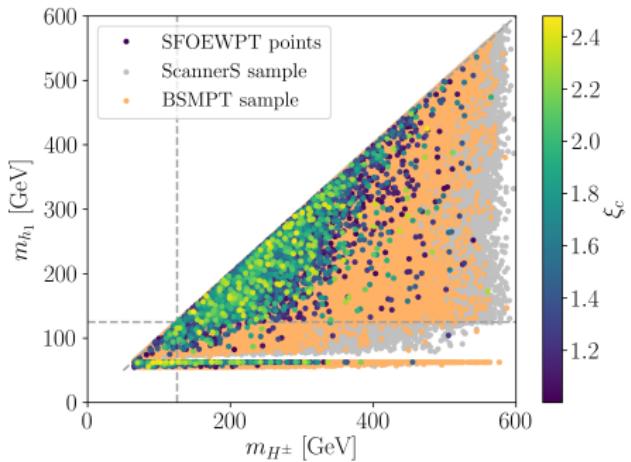
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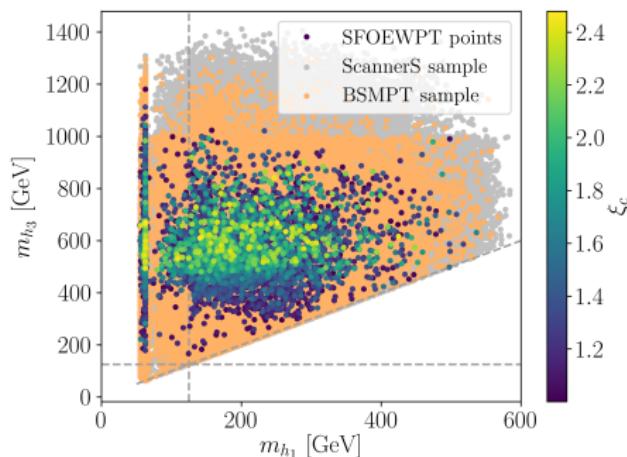
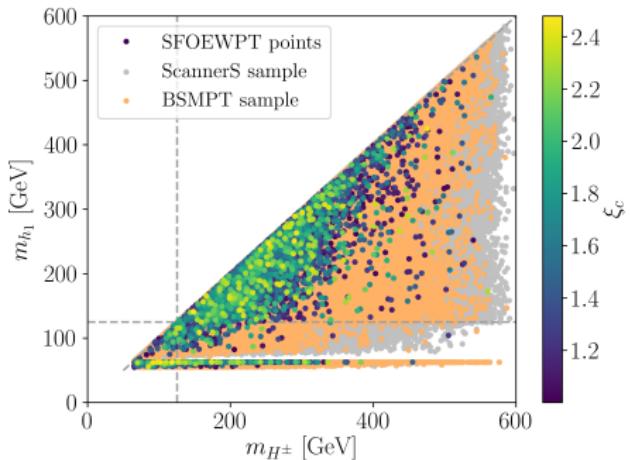
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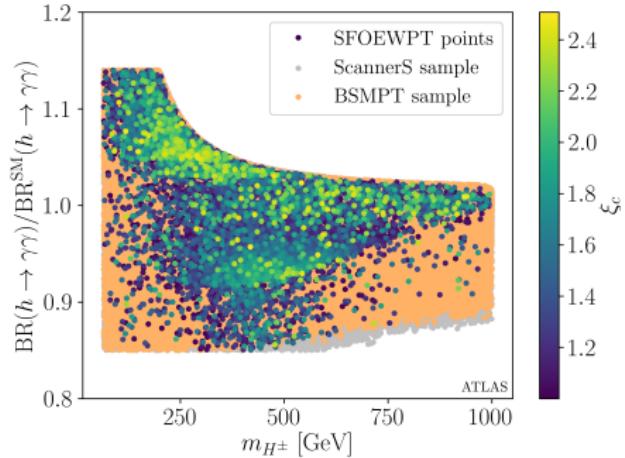
⇒ find SFOEWPT (and NLO-stable) points distributed all over allowed<sup>(\*)</sup> parameter space

(\*) : by Higgs constraints, DM constraints, theoretical constraints.

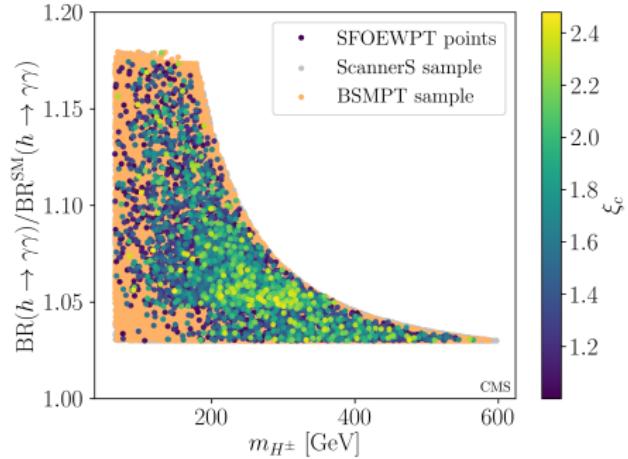
- neither requirement of NLO-VEV stability nor SFOEWPT further constrains the parameter space
- restricted  $m_{H^\pm}$ -range due to  $\mu_{\gamma\gamma}$  cut (see Slide 8)

# Results: BR( $h \rightarrow \gamma\gamma$ )

$$\mu_{\gamma\gamma}^{\text{ATLAS}} = 0.99^{+0.15}_{-0.14} \text{ [M. Aaboud et al., 2018]}$$

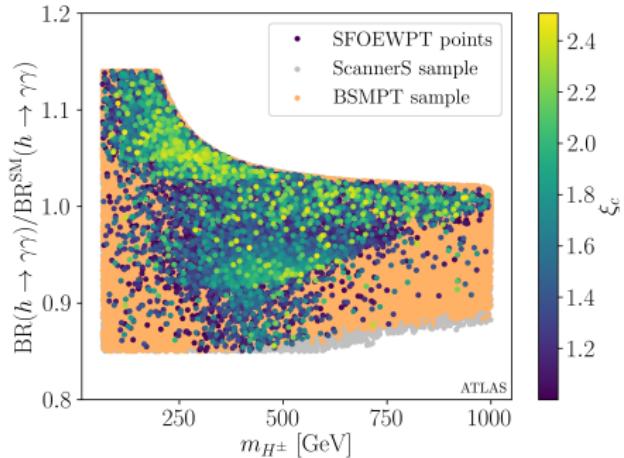


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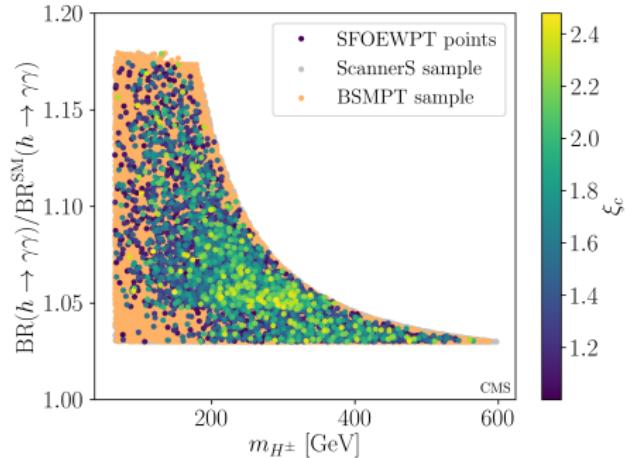


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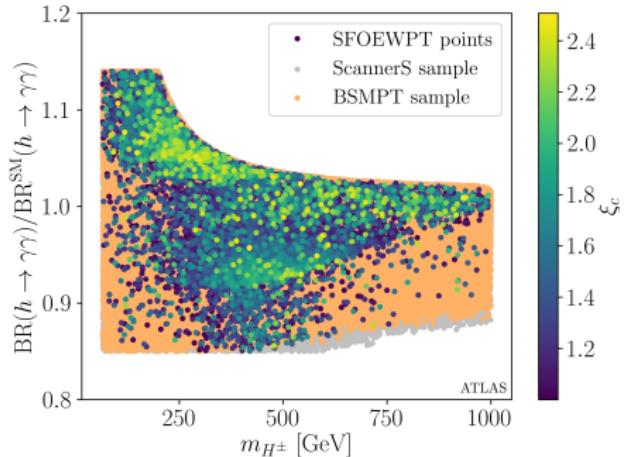
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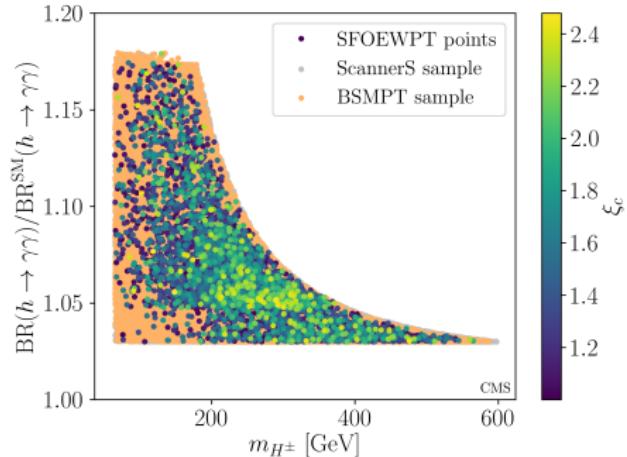
- tree-level couplings of  $h$  identical to those of SM Higgs boson
- only* presence of dark particles can change  $\text{BR}(h \rightarrow \gamma\gamma)$

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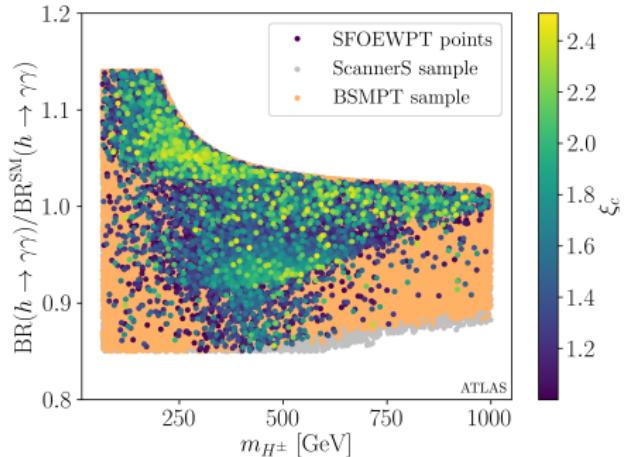
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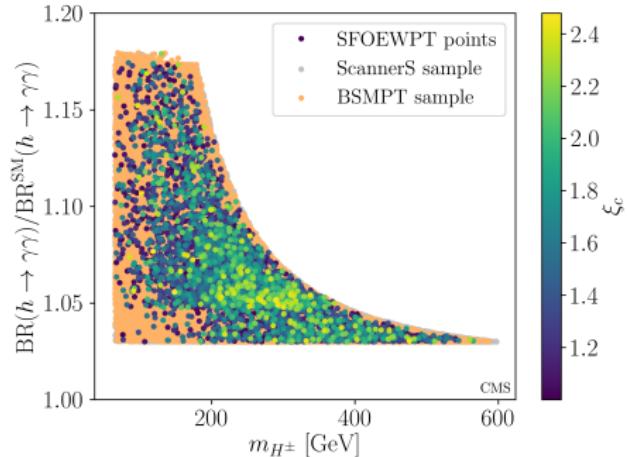
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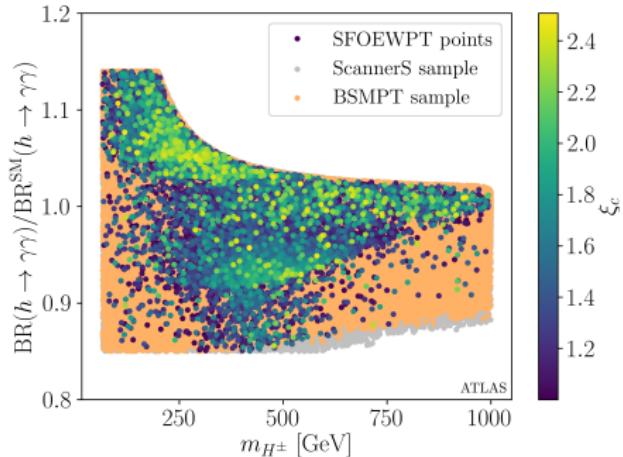
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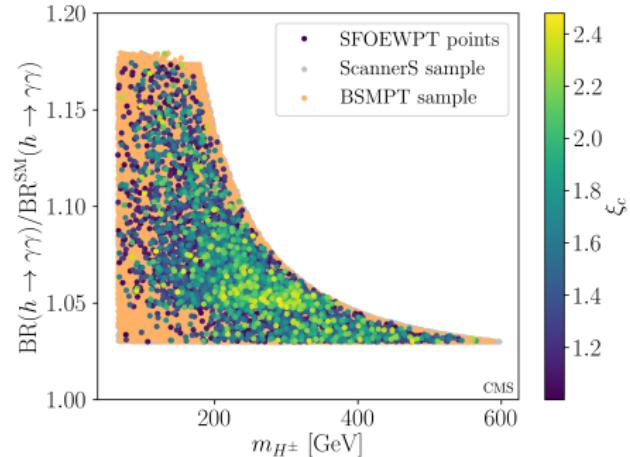
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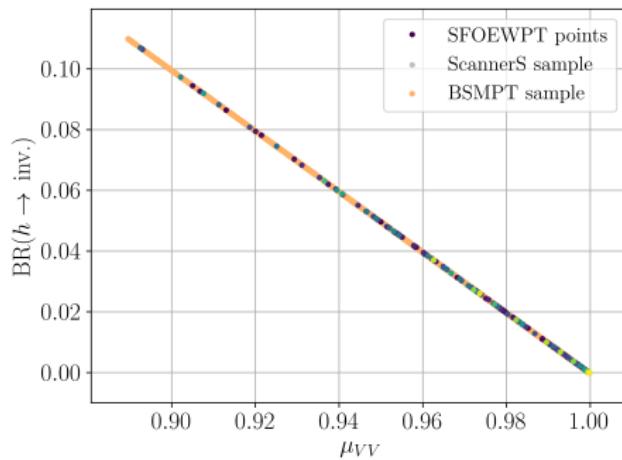
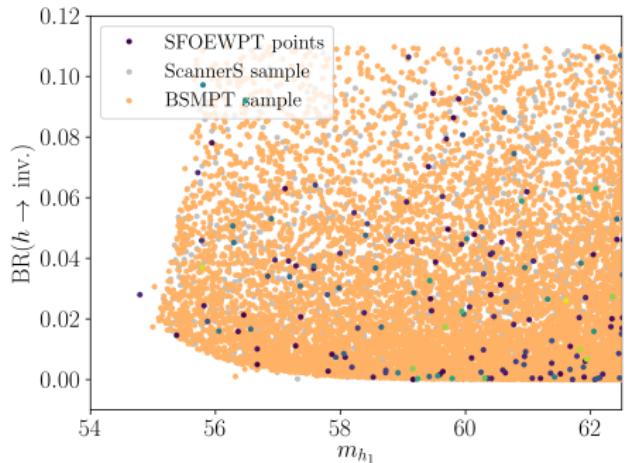


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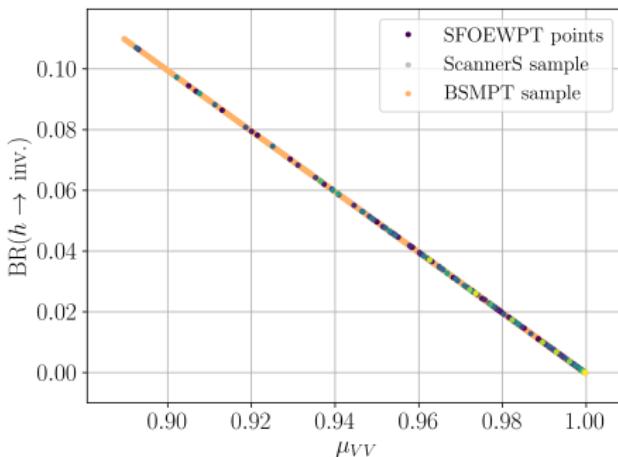
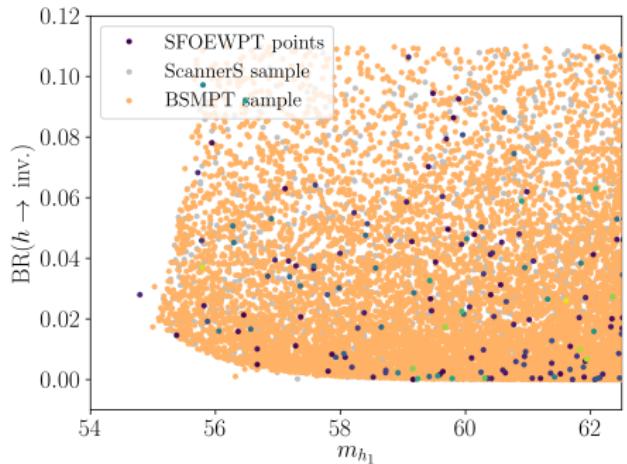


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- upper bound in CMS-plot: BFB and unitarity bounds - restrict maximal  $\lambda_3$
- ⇒ future increased precision on  $\mu_{\gamma\gamma}$  can cut the parameter space on  $m_{H^\pm}$  substantially

## Results: $\text{BR}(h \rightarrow \text{inv.})$

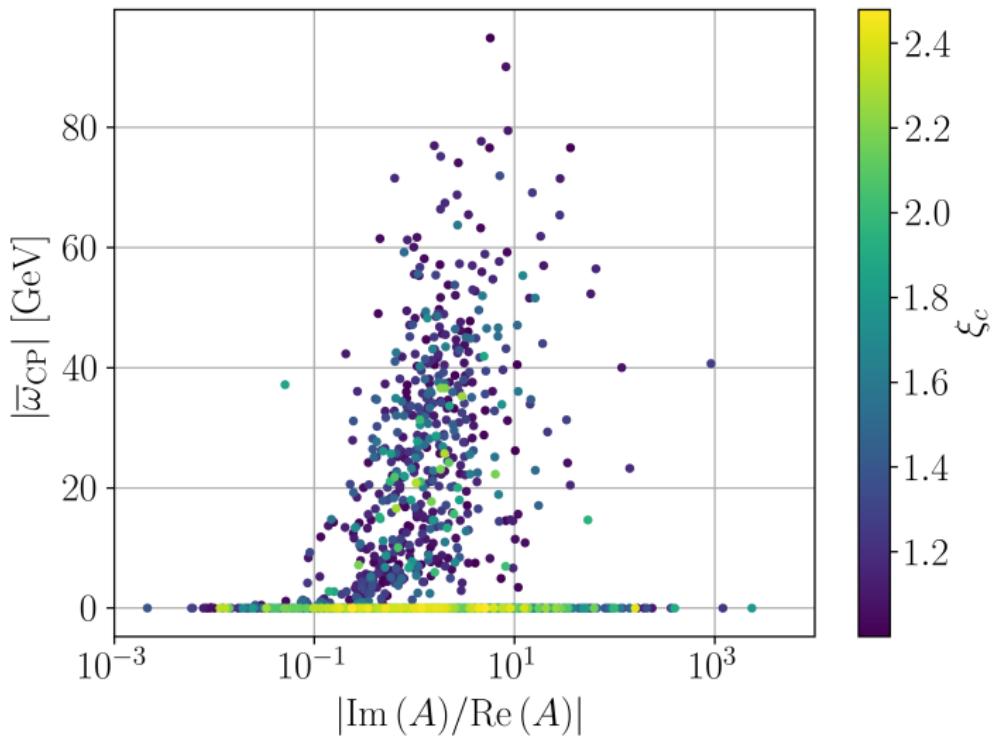


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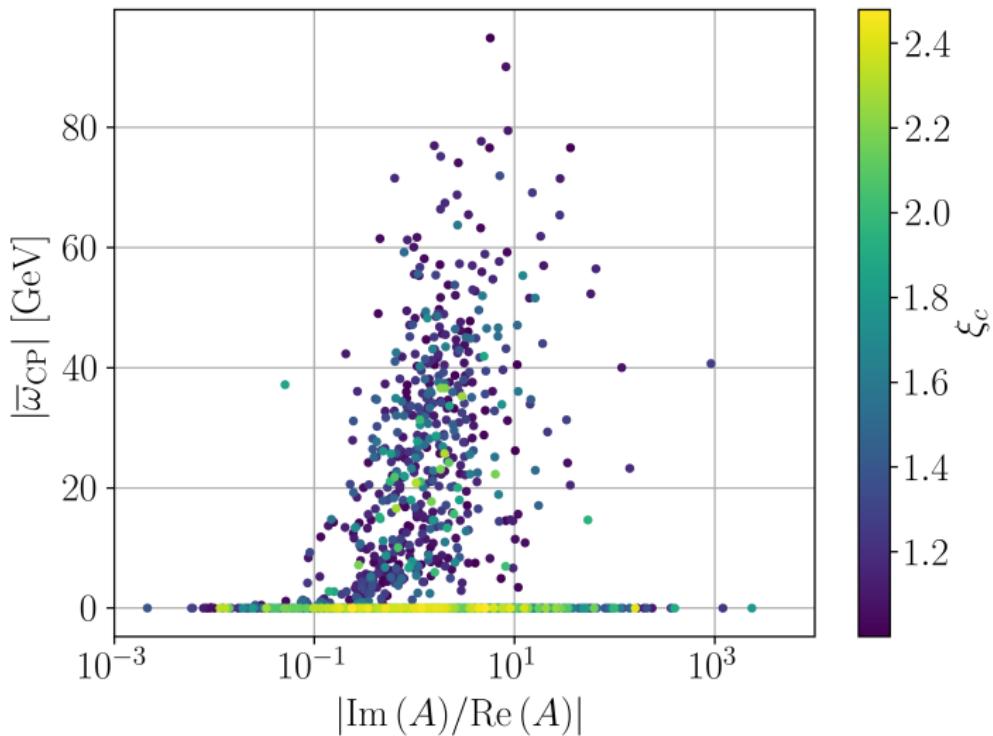


- SFOEWPT points scattered across allowed ScannerS parameter space
- $\text{BR}(h \rightarrow \text{inv.})$  strongly correlated with  $\mu_{VV}$  ( $V = Z, W$ ) (gauge boson signal strength), agree with results for *fully dark phase* of N2HDM [I. Engeln et al., 2020]
  - for  $\mu_{VV} \rightarrow 1$ , SM-like Higgs BR converges to SM value (invisible decay not allowed)
  - ⇒ future precise measurements of  $\text{BR}(h \rightarrow \text{inv.})$  and  $\mu_{VV}$  can constrain parameter space, however *no* further insights into strength of the EWPT

## Results: Spontaneous CPV at Finite Temperature



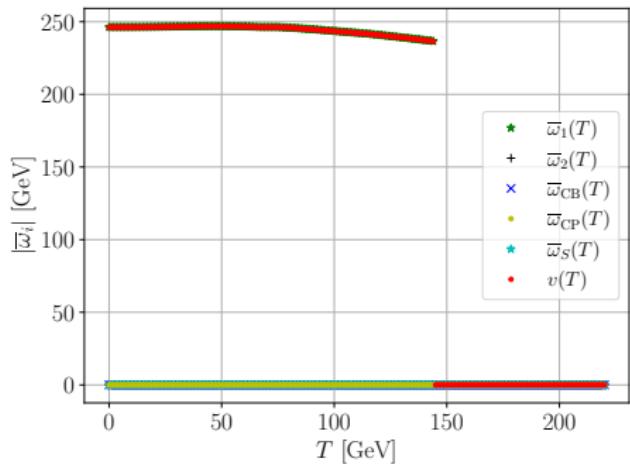
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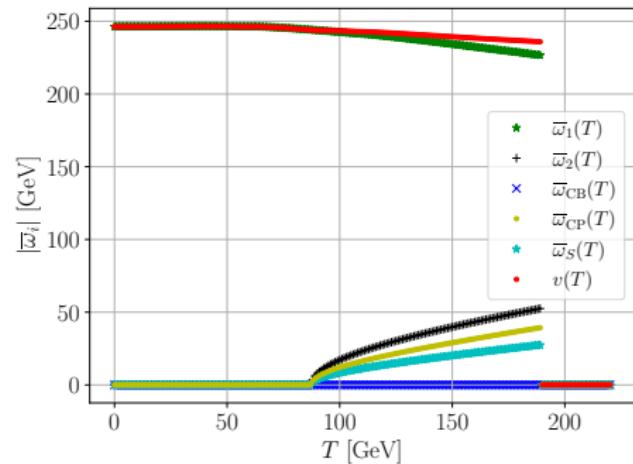
- @ FT:  $|\bar{\omega}_{\text{CP}}| \neq 0$  possible for SFOEWPT points  $\Leftrightarrow$  @  $T = 0$  GeV:  $\bar{\omega}_{\text{CP}}|_{T=0 \text{ GeV}} = 0$   
→ CPV only possible explicitly ( $\text{Im}(A) \neq 0$ )
- no clear correlation - but:  $|\bar{\omega}_{\text{CP}}| > 0$  only for  $\text{Im}(A) \neq 0$

# Results: Spontaneous CPV at Finite Temperature

- two different VEV patterns in detail:



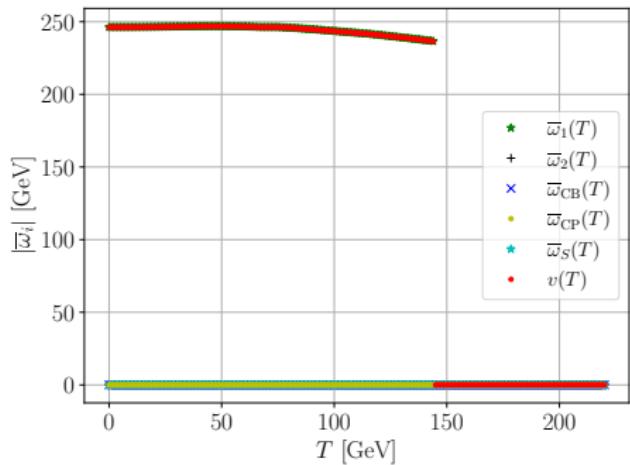
↓  
only  $\omega_1$  develops non-zero values



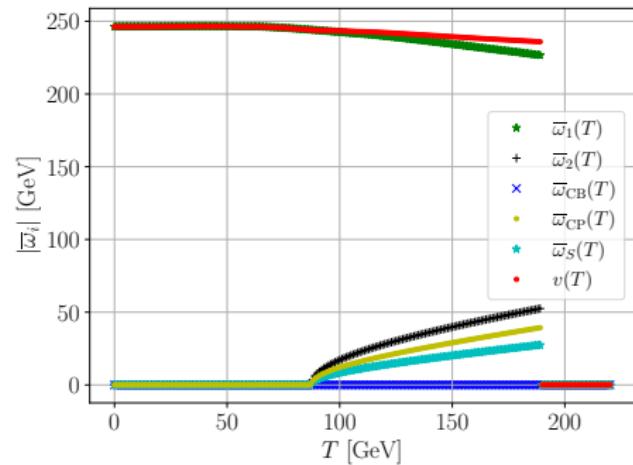
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**spontaneous CPV!**

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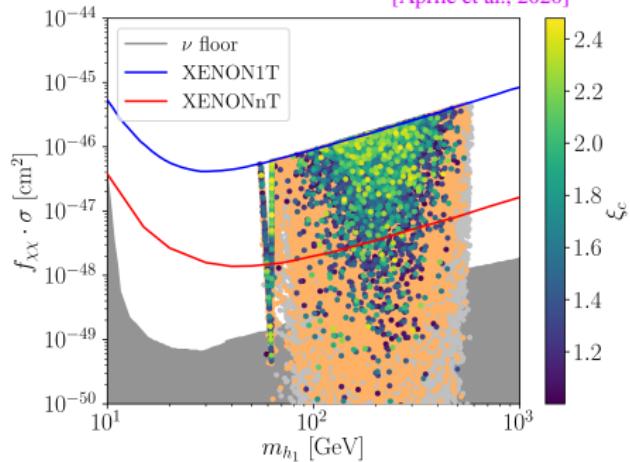
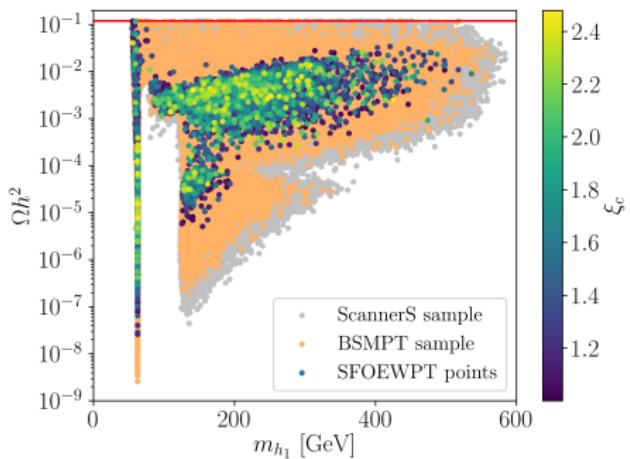
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**spontaneous CPV!**

- @ FT:  $\mathbb{Z}_2$  symmetry is broken → dark charge no longer conserved → dark sector **mixes** with SM-like particles
- ⇒ additional non-standard CPV transferred to the SM-like couplings to fermions @ FT!

# Results: DM Observables

$$\Omega_{\text{obs}} h^2 = 0.1200 \pm 0.0012$$

[Aghanim et al., 2018]

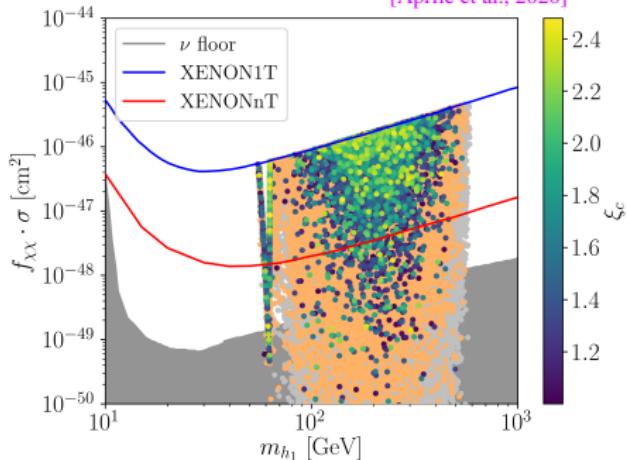
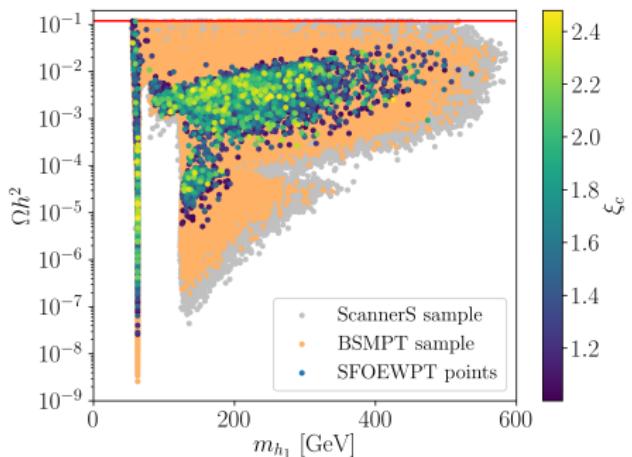


$$f_{\chi\chi} \cdot \sigma_{\text{SI, DM-nucl.}} \equiv \frac{\Omega_{\text{prod}} h^2}{\Omega_{\text{obs}} h^2} \cdot \sigma_{\text{SI, DM-nucl.}}$$

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Viable SFOEWPT parameter points

- ⇒ compatible with *relic density* ( $< \Omega h^2$ )
- ⇒ above neutrino floor
- ⇒ testable at future *direct detection* experiments

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# Conclusion

- dynamical generation of the baryon asymmetry of the universe (BAU) possible if *Sakharov conditions* fulfilled
  - *electroweak baryogenesis*: fulfill Sakharov conditions with
    - BSM models
    - non-standard **CP-violation (CPV)**
    - *strong first-order electroweak phase transition (SFOEWPT)*
  - ‘CP in the Dark’: special N2HDM + one discrete  $\mathbb{Z}_2$  symmetry
    - dark sector with DM candidate  $h_1$
    - explicit **CPV** in the dark sector at zero temperature
- ⇒ **BSMPT**: global minimization of the one-loop corrected effective potential at finite temperature
- **viable SFOEWPT** parameter points for ‘CP in the Dark’
  - within reach of future direct detection experiments⇒ show **spontaneous CPV at finite temperature!**
- **Open question:** Can these points successfully generate the BAU?

**Thanks for your attention!**

## Benchmark Points

All points have:  $\lambda_1 \simeq 0.258$ ,  $m_{11}^2 \simeq -7824 \text{ GeV}^2$

point	$m_{22}^2 [\text{GeV}^2]$	$m_S^2 [\text{GeV}^2]$	$\text{Re}(A) [\text{GeV}]$	$\text{Im}(A) [\text{GeV}]$	$\lambda_1$
no sponCPV	96 703.414	32 442.949	159.627	-325.391	3.532
sponCPV	65 258.809	36 279.847	279.502	-326.645	3.660
point	$\lambda_3$	$\lambda_4$	$\lambda_5$	$\lambda_6$	$\lambda_7$
no spon CPV	-0.796	0.787	-0.055	10.446	7.596
spon CPV	-0.821	0.220	-0.371	4.715	7.760
					4.683
					14.781

point	$m_{H^\pm}$	$m_{h_1}$	$m_{h_2}$	$m_{h_3}$	$T_c$	$v_c$
no spon CPV	269.386	241.718	308.943	549.265	144.21	236.53
spon CPV	200.940	62.680	218.700	560.206	189.77	235.85
point	$\xi_c$	$\overline{\omega}_{\text{CB}}$	$\overline{\omega}_1$	$\overline{\omega}_2$	$\overline{\omega}_{\text{CP}}$	$\overline{\omega}_S$
no spon CPV	1.64	$-8.977 \times 10^{-7}$	236.53	$9.093 \times 10^{-7}$	$-3.793 \times 10^{-7}$	$4.604 \times 10^{-7}$
spon CPV	1.24	$-2.212 \times 10^{-5}$	226.46	52.72	39.52	-27.58

# Baryon Asymmetry of the Universe (BAU)

initial: *Big Bang* (**symmetric** universe)  $\Leftrightarrow$  today: **BAU** (**asymmetric** universe)

$$\eta \equiv \frac{n_b - \bar{n}_b}{n_\gamma} \simeq \frac{n_b}{n_\gamma} \simeq 6.1 \times 10^{-10} \quad [\text{Planck, 2018}]$$

How can we generate a non-zero *baryon asymmetry of the universe*?

[Sakharov, 1967]: dynamical generation of a BAU with an initially symmetric state possible if

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condition

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existence of  $B$  violating processes  $\Rightarrow$  sphaleron-mediated @  $T > T_{EW} = 100 \text{ GeV}$   
[N. Manton, 1983], [F. Klinkhammer, N. Manton, 1984]

$\mathcal{C}$  and  $\mathcal{CP}$  violation (CPV)  $\Rightarrow$  Cabibbo-Kobayashi-Maskawa mechanism (?)  
[N. Cabibbo, 1963], [M. Kobayashi, T. Maskawa, 1973]

**departure from thermal equilibrium**  $\Rightarrow$  electroweak phase transition (EWPT)  
[D. Kirznits, 1972], [L. Dolan, R. Jackiw, 1974]

# Electroweak Baryogenesis (EWBG)

[D. Morrissey, M. Ramsey-Musolf, 2012]

- EWBG takes place around  $T \sim T_{\text{EW}}$
- EWPT happens and bubbles with non-zero vacuum expectation value (VEV) are created and expand
- necessary departure from thermal equilibrium achieved through **strong first-order** EWPT (SFOEWPT)

→ ‘*first-order*’: discontinuity in VEV  $v$  at  $T_c$ :

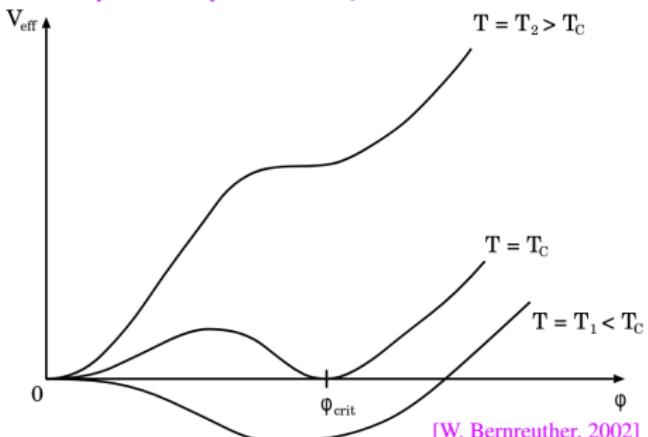
$$V(v = 0, T_c) \neq V(v \neq 0, T_c)$$

- How do we see this in the potential?  
→ global minimum jumps from symmetric to broken minimum @  $T_c$
- ‘**strong**’: *conservation* of BAU through sufficient suppression of the sphaleron rate inside the bubbles

$$\Gamma_{\cancel{B}+L}^{\text{sph}} \propto \exp -\frac{E_{\text{sph}}(T)}{T} \quad \Rightarrow \quad \xi_c \equiv \frac{v_c}{T_c} \gtrsim 1 \quad \begin{array}{l} \text{baryon-wash-out condition*} \\ [\text{M. Quiros, 1994}] \end{array}$$

⇒ EWPT in SM only *smooth cross-over* [K. Kajantie et al., 1996]

⇒ need BSM models that enable an **SFOEWPT\* + non-standard CPV**



[W. Bernreuther, 2002]