

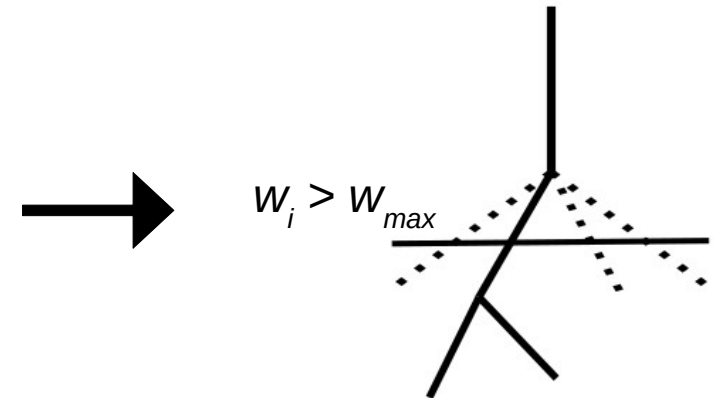
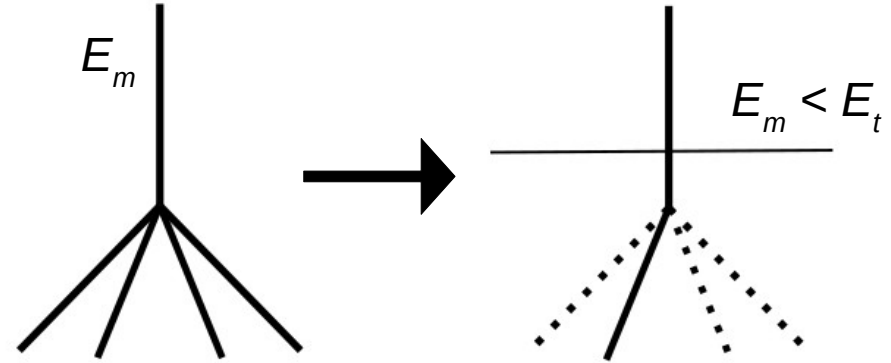
Implementation of Thinning

- 2 parameters influence thinning:

$$\varepsilon = \frac{E_t}{E_0}$$

w_{max}

- 5 different thinning-modes
- differ in the method of thinning and the interpretation of w_{max}



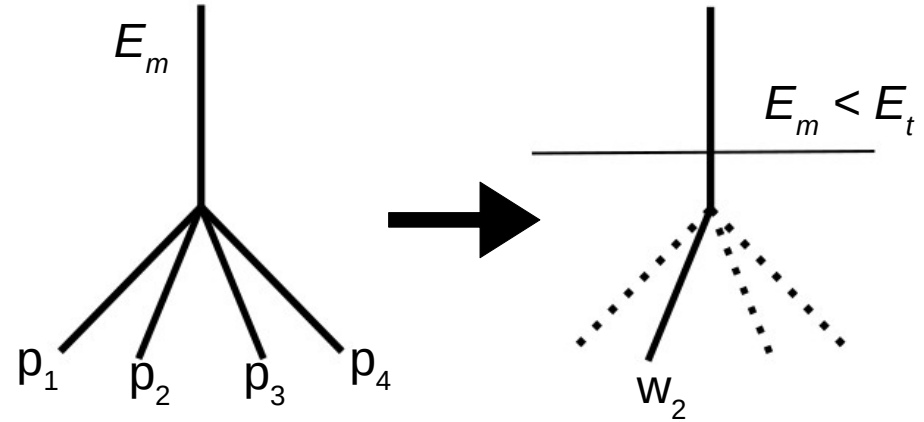
Thinning methods

- energy based methods:

$$p_i = \frac{E_i}{E_m}$$

- weights get attached to remaining particles:

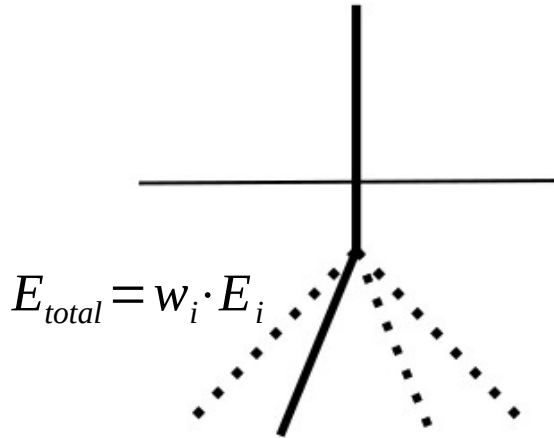
$$w_i = \frac{w_m}{p_i}$$



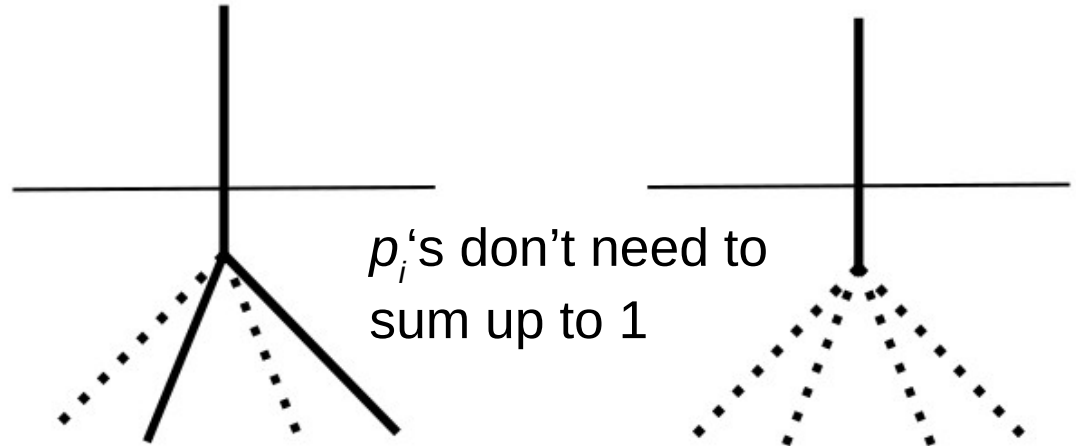
Thinning methods

- total number of particles: $\langle N \rangle = \sum_i p_i \cdot w_i = \sum_i 1 = N_{total}$
- total energy: $\langle E \rangle = \sum_i p_i \cdot w_i \cdot E_i = \sum_i E_i = E_{total}$

Hillas



Statistical

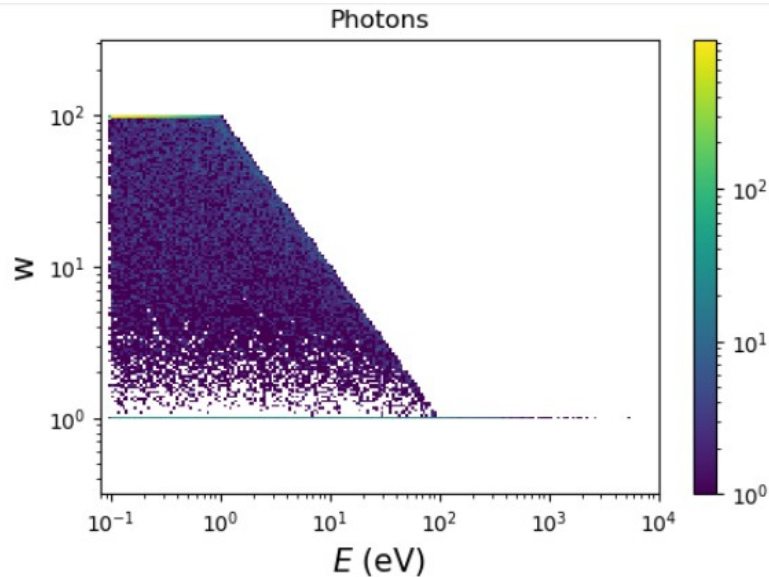
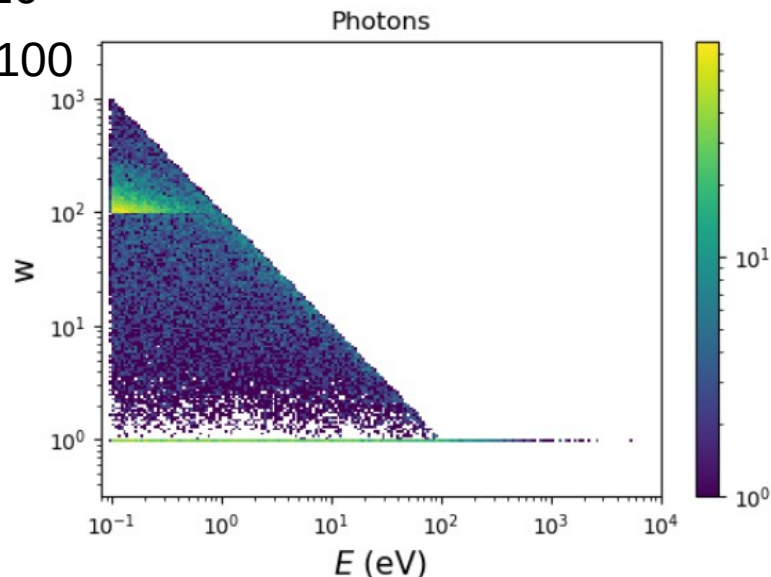


Interpretation of w_{max}

- soft border: thinning stops after $w_i > w_{max}$
- hard border: p_i is set to $p_{min} = \frac{w_m}{w_{max}}$ and w_i is set to w_{max}

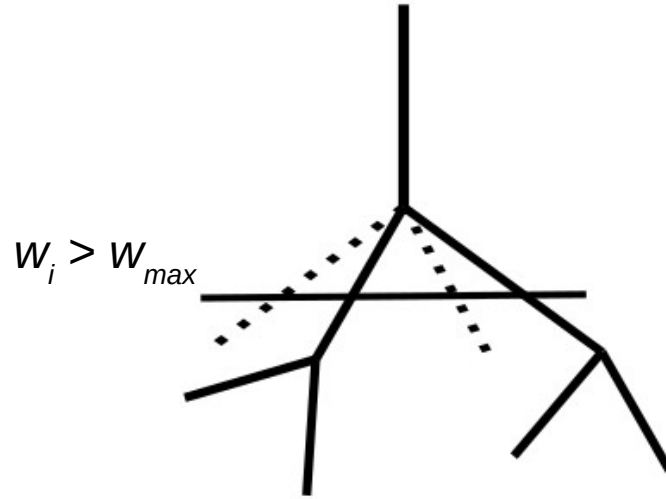
$$\varepsilon = 10^{-5}$$

$$w_{max} = 100$$



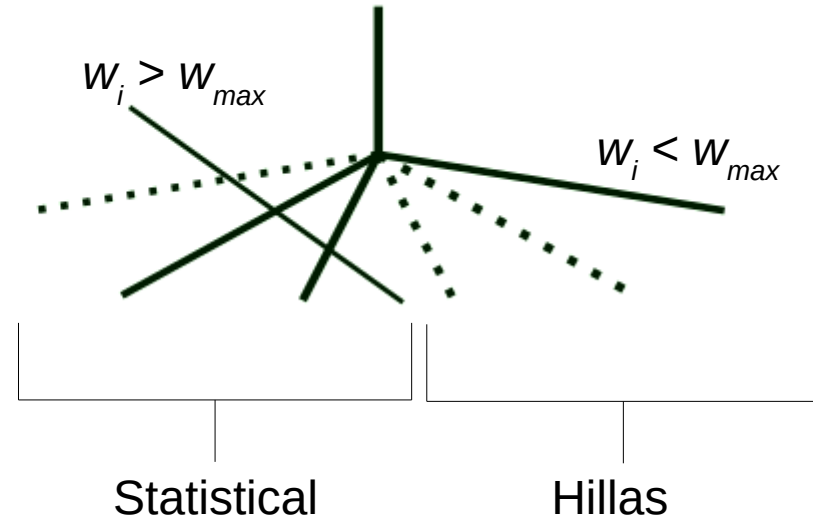
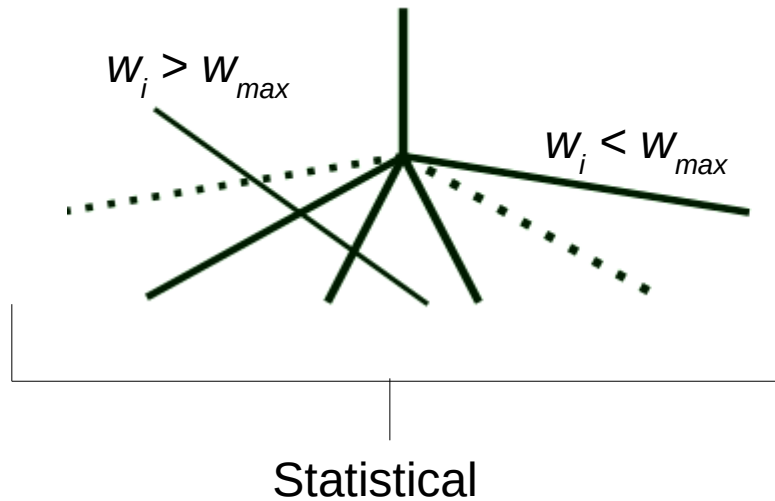
Hard border with Hillas-thinning

- change of p_i 's $\longrightarrow \sum_i p_i \neq 1$
- solution: at the border statistical thinning is used



Hard border with Hillas-thinning

- 2 ways of implementing:



5 thinning-modes

Hillas with soft
border

(SoftO)

Hillas with
statist. hard
border

(HardO_S)

Hillas with
mixed hard
border

(HardO_SO)

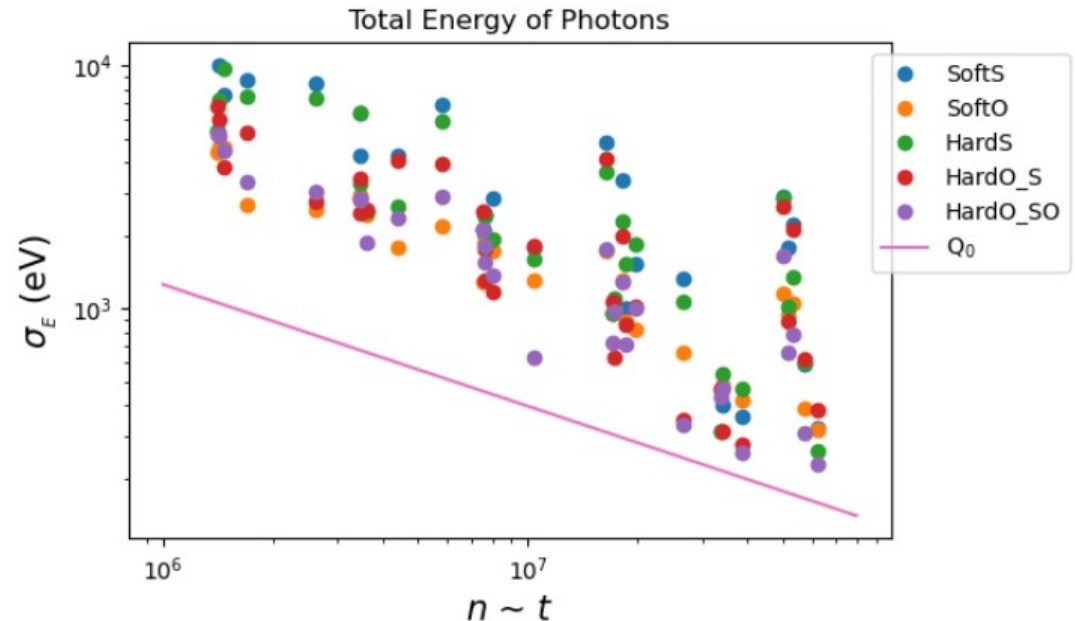
$$Q \propto \frac{1}{\sigma \sqrt{t}}$$

Statistical with
soft border

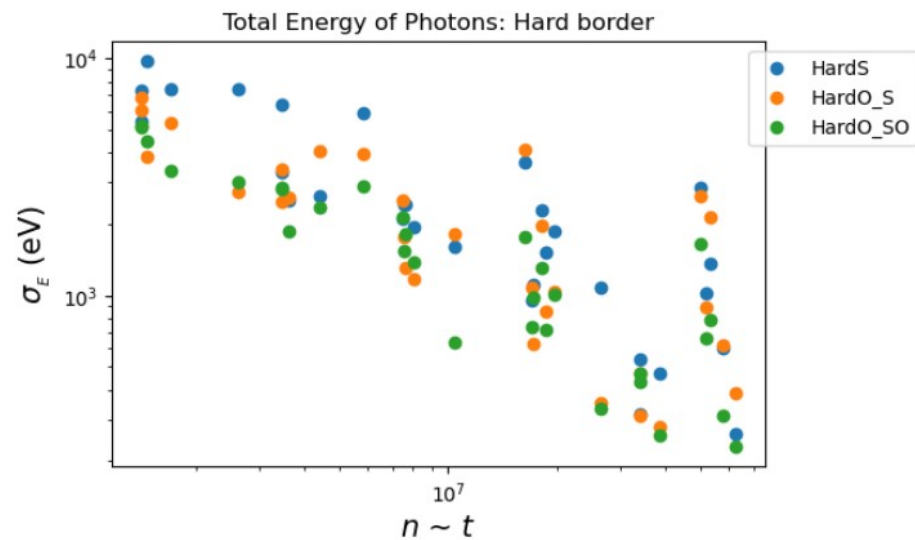
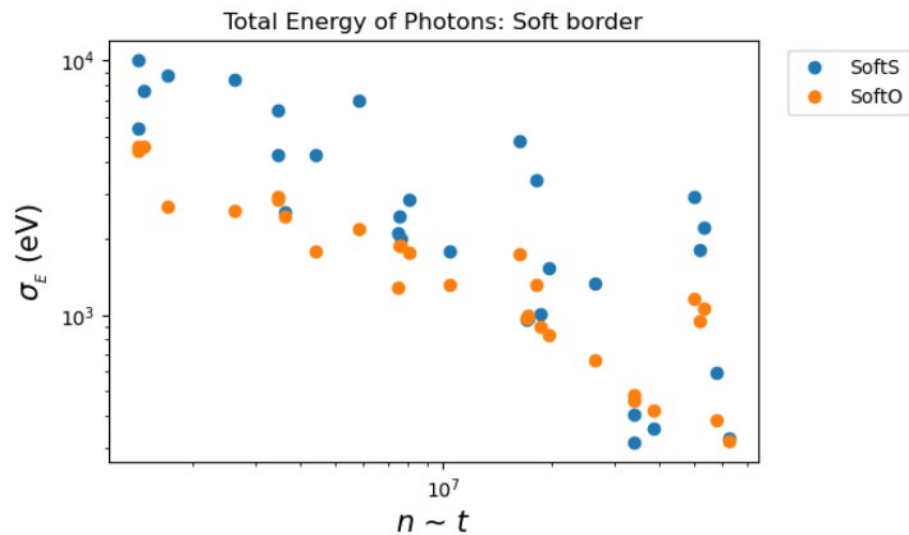
(SoftS)

Statistical with
hard border

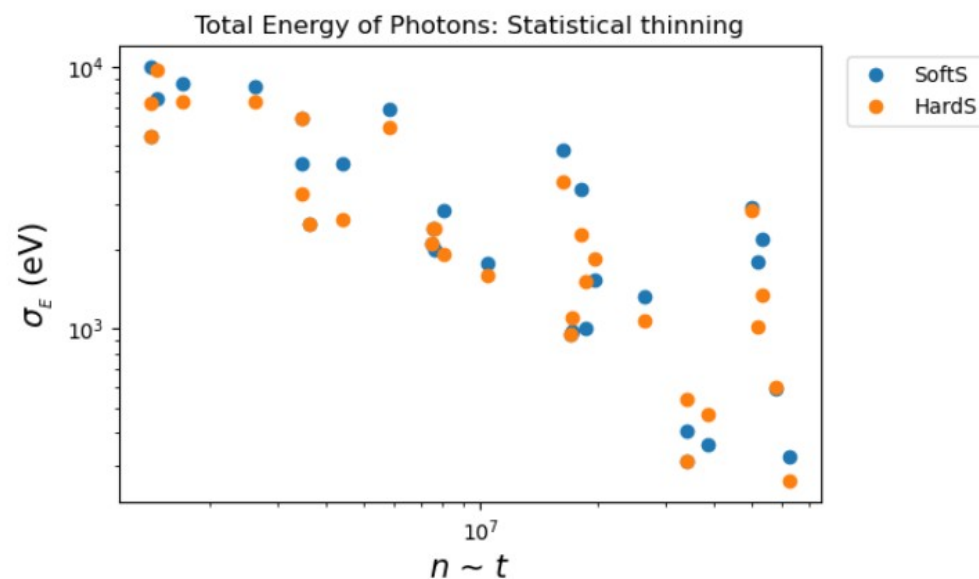
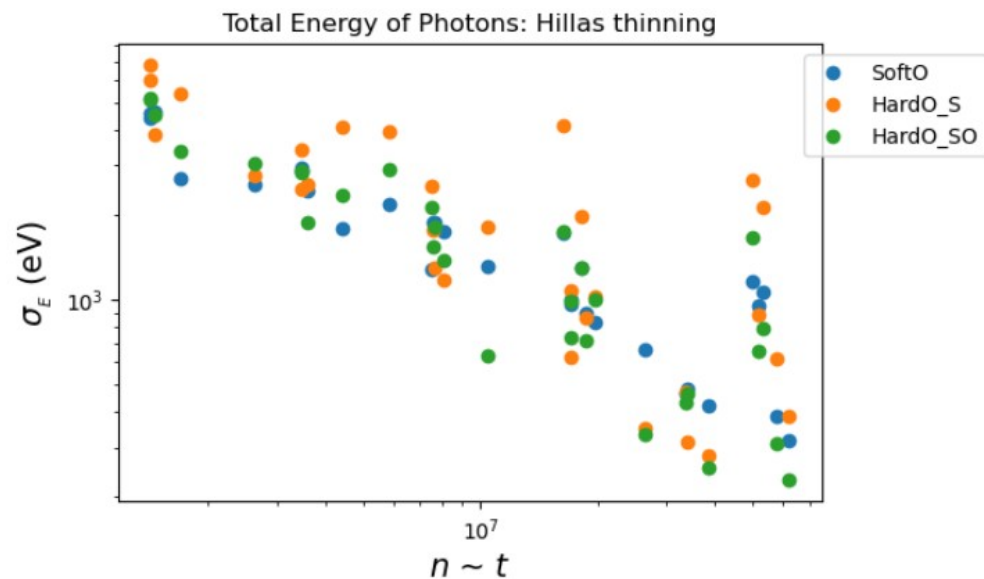
(HardS)



Hillas vs. Statistical



Hard vs. Soft



Conclusion

- Hillas thinning has higher quality than statistical thinning
- for a hard border it is better to choose mixed thinning method
- soft border is faster
- (mixed) hard border has lower fluctuations