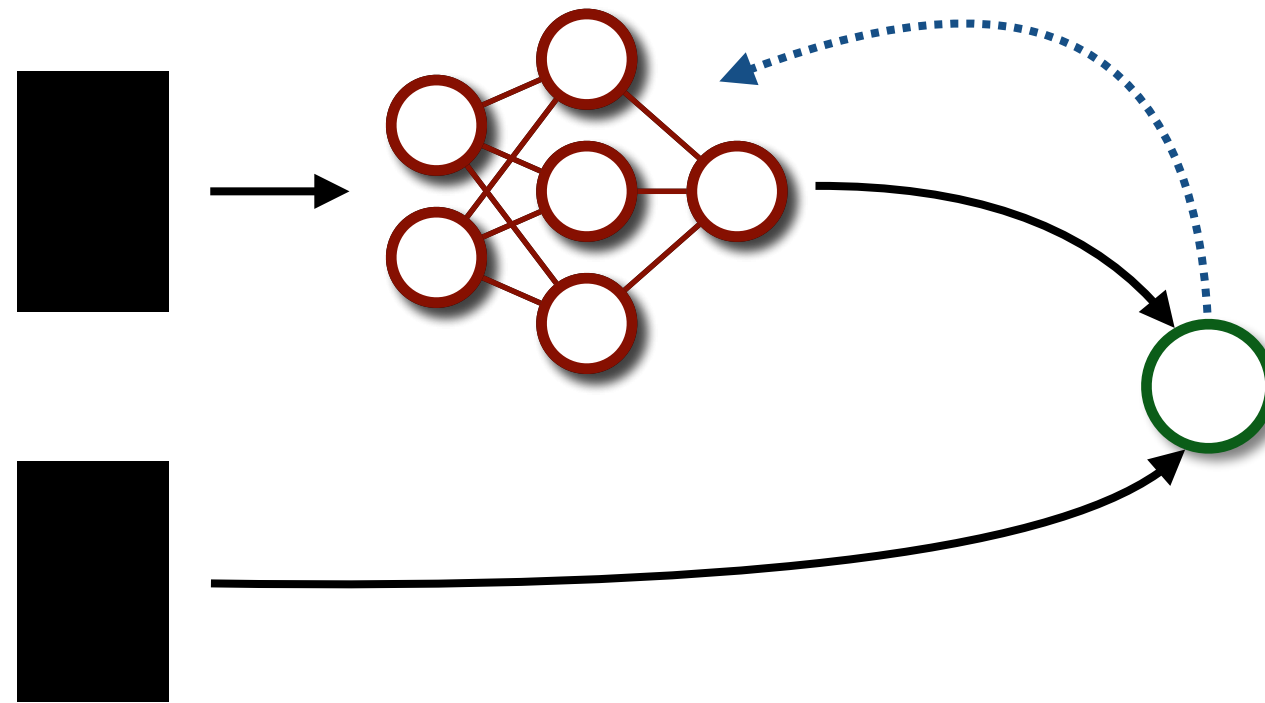




Neural Network Building Blocks (1/3)

Docent: Dennis Noll (RWTH)
Tutor: Boyang Yu (LMU)

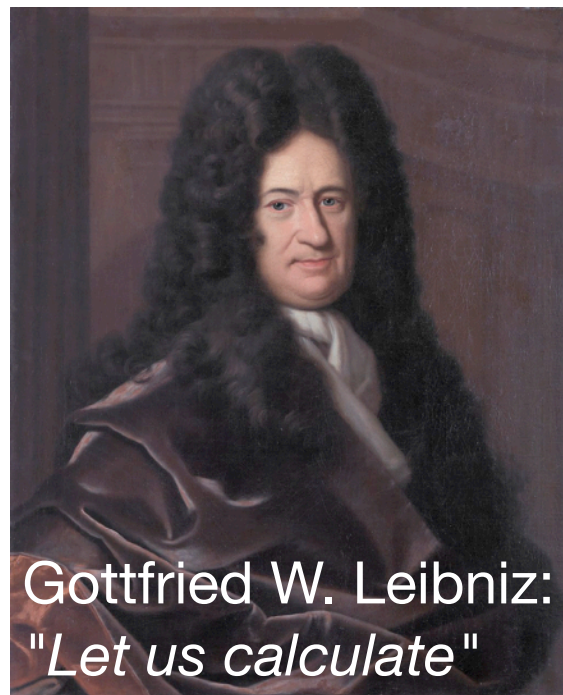
Deep Learning School "Basic Concepts"

08.08.22



RWTHAACHEN
UNIVERSITY

Artificial Intelligence: The ability of a machine to perform tasks commonly associated with intelligent beings



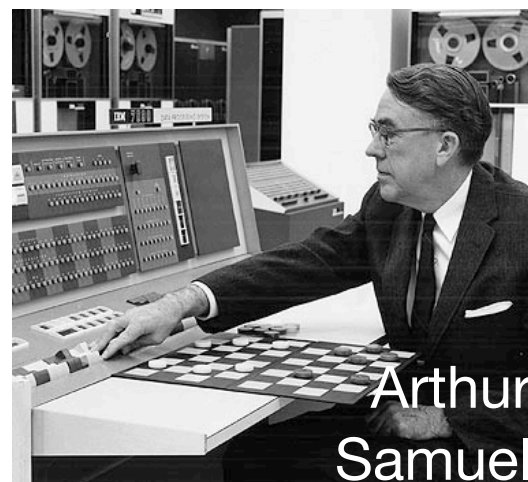
Gottfried W. Leibniz:
"Let us calculate"



Alan Turing



Dartmouth Workshop



Arthur
Samuel



Deep Blue



Adoption in industry

1700
Reasoning

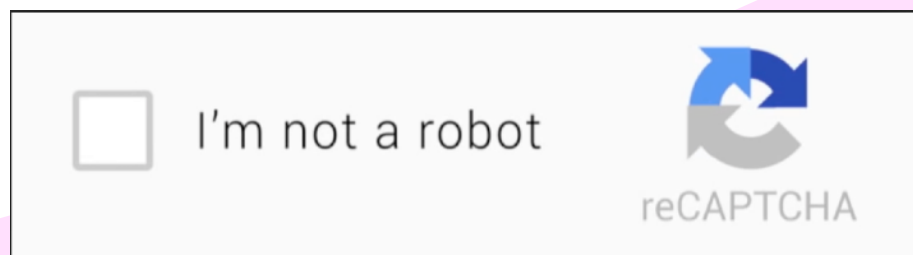
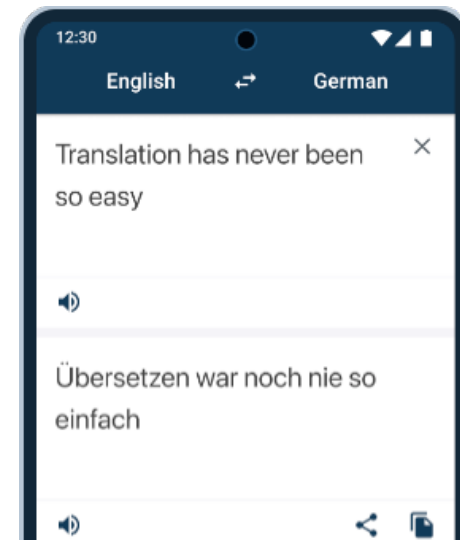
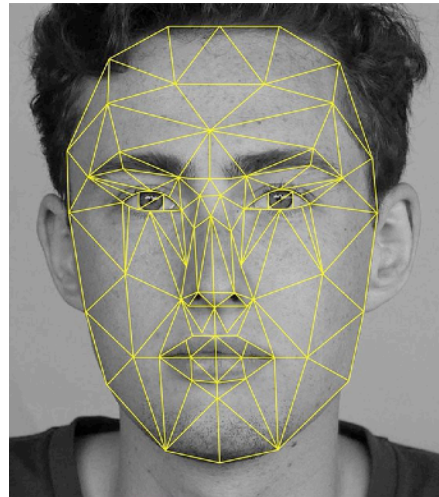
1940
Computing

1950
Artificial Intelligence

1974

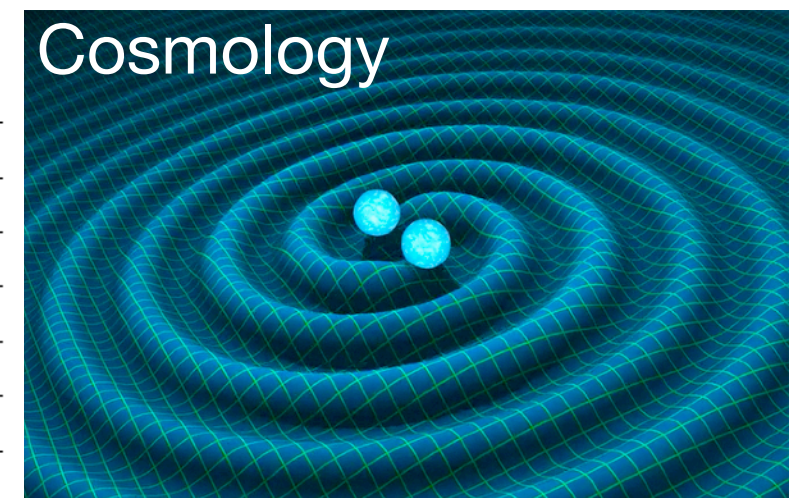
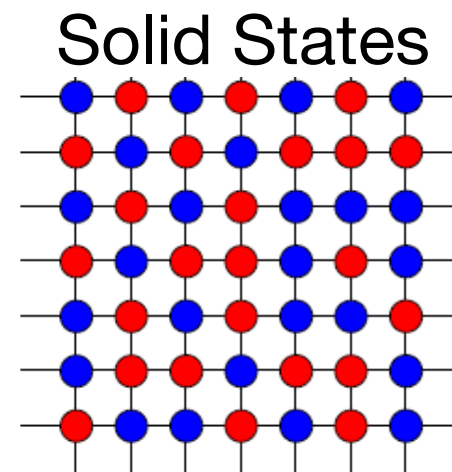
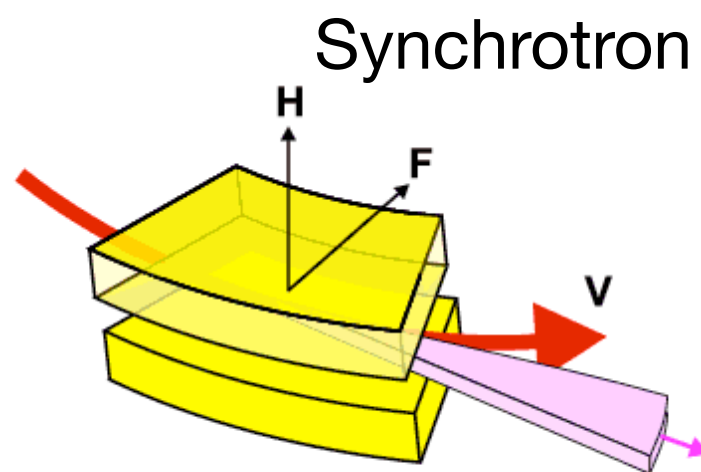
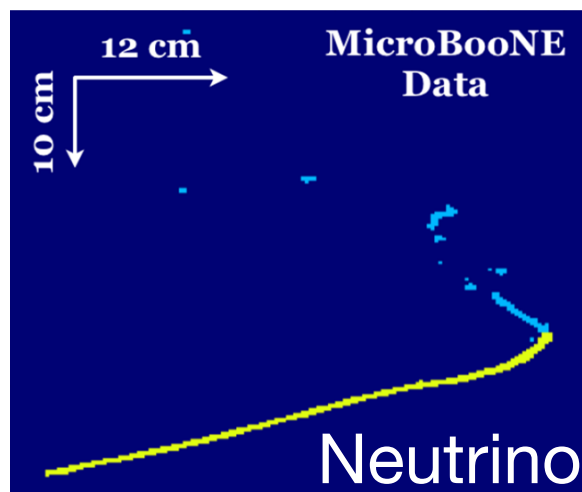
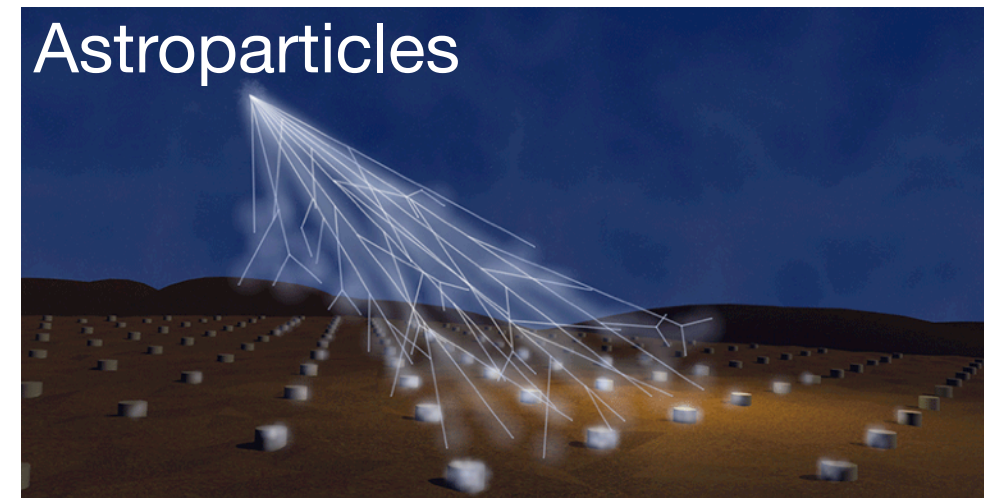
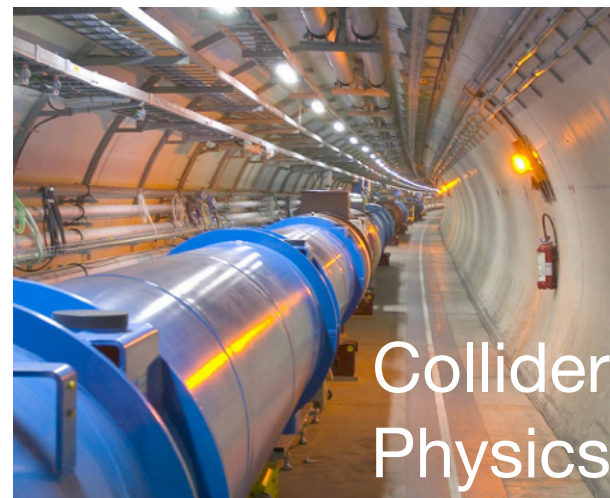
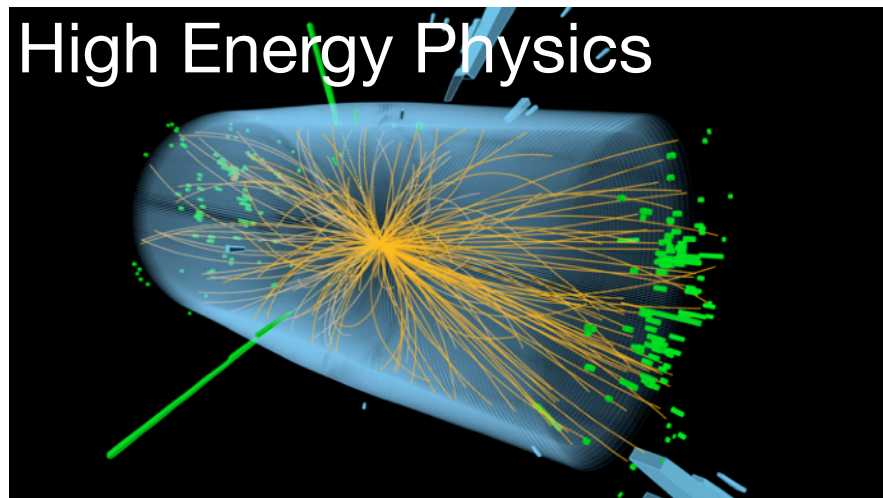
1987

Artificial Intelligence: The ability of a machine to perform tasks commonly associated with intelligent beings



- Many AI applications in physics, and rising!
- Three main drivers:
 - Complex problems
 - Large amounts of data
 - Sufficient computing resources

[11-16]



And many more!

- Since >5 years working in data analysis @ CMS Experiment (LHC)
- Physics:
 - Higgs Boson Pair Production
- Deep Learning:
 - Supervised & Reinforcement Learning
 - Production-ready Deep Learning
- Computing:
 - Fast O(TB) Data Processing
 - Pipeline Computing



Contact:   

Data:



Answers:

Rock

Paper

Scissors

Data:

1001010110001
1010110101101
0110101011101
1010101101011
0101101011110
1001010110001
1010110101101
0110101011101
1010101101011
0101101011110

0101101010111
0110101011000
1101011010111
0101101011010
1101011110100
0101101010111
0110101011000
1101011010111
0101101011010
1101011110100

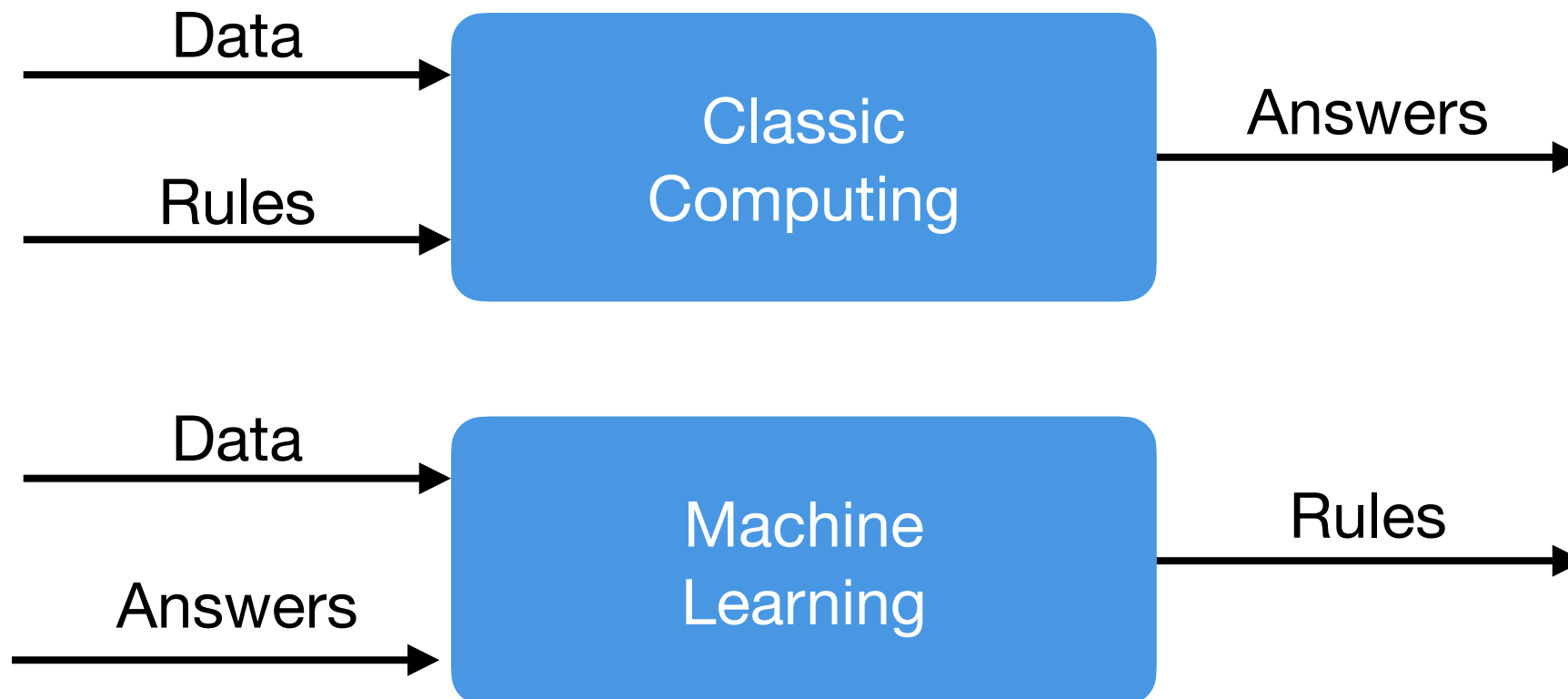
0110101001010
1100010110110
1110110101011
0101101011010
1111010101101
0110101001010
1100010110110
1110110101011
0101101011010
1111010101101

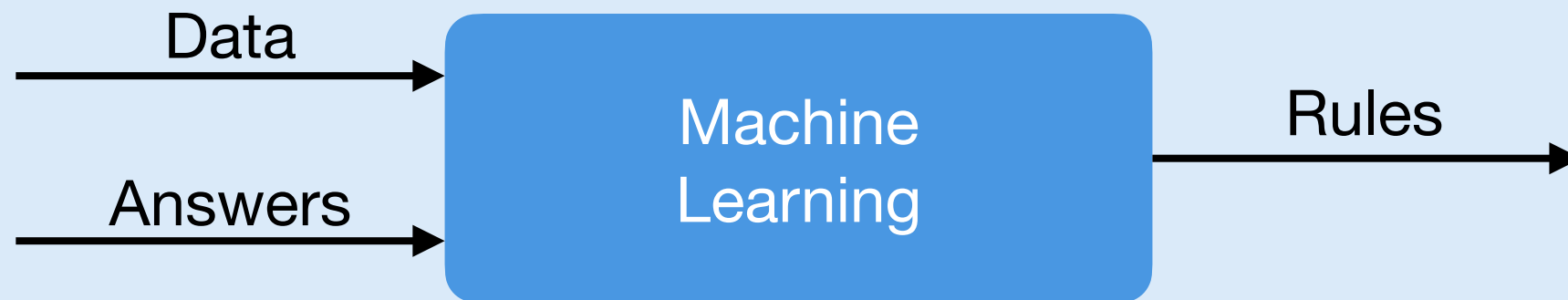
Answers:

Rock

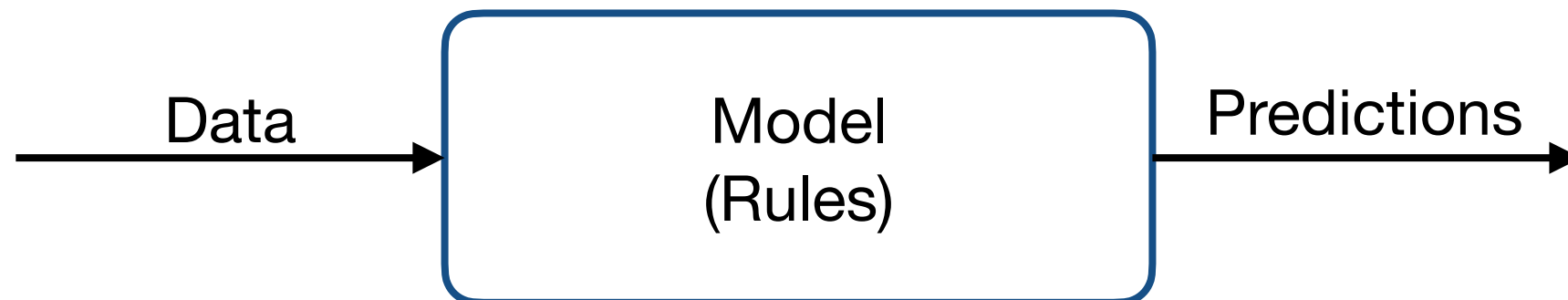
Paper

Scissors

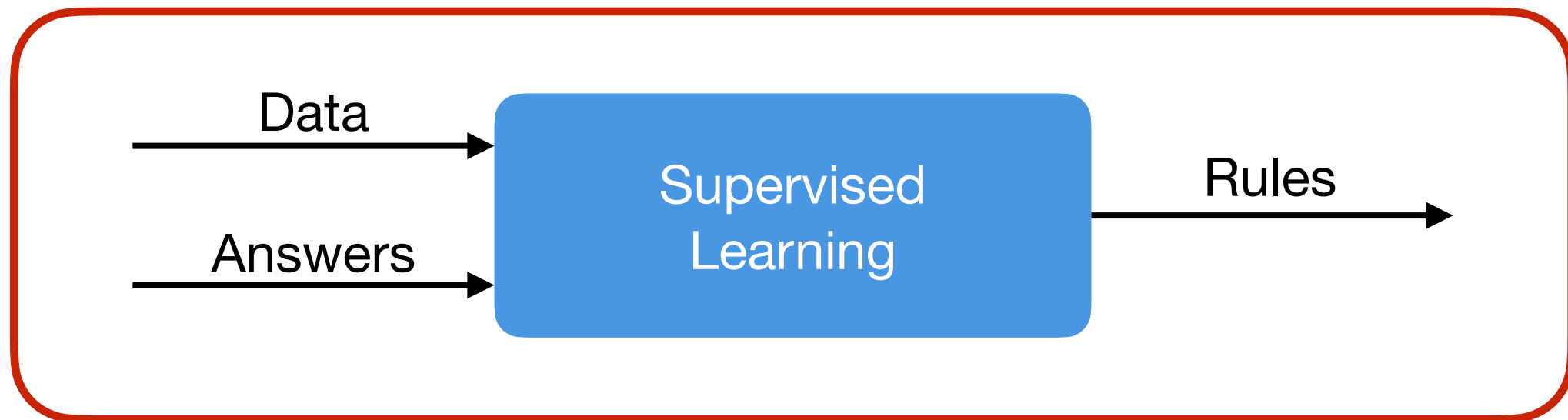




Training Phase

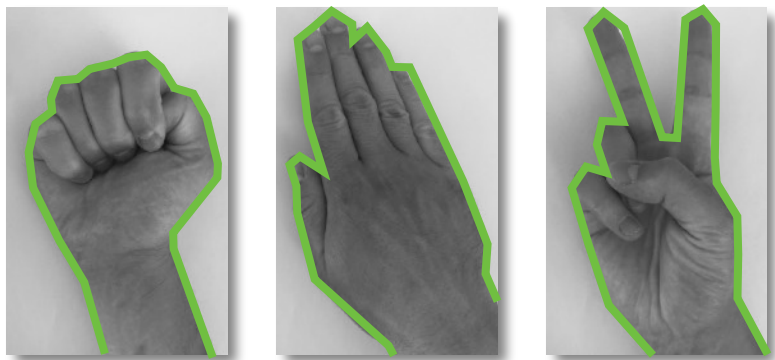


Inference Phase



Classic Machine Learning

- Hand-engineered features
 - time consuming
 - not stable
 - not scalable



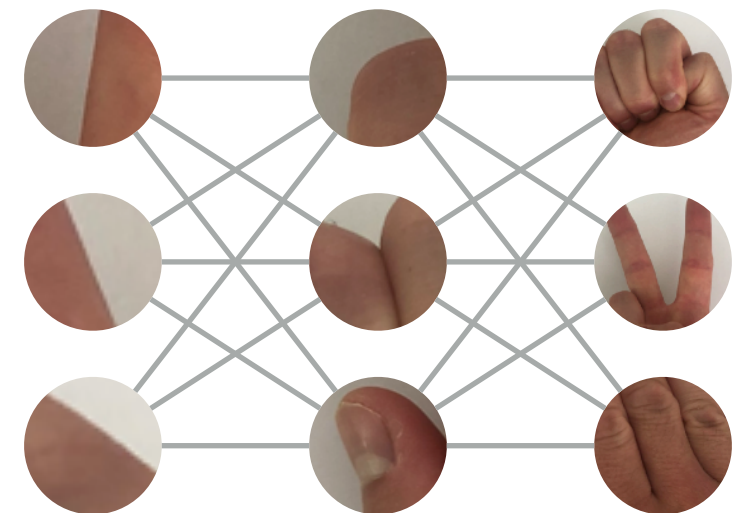
Machine

Deep Learning

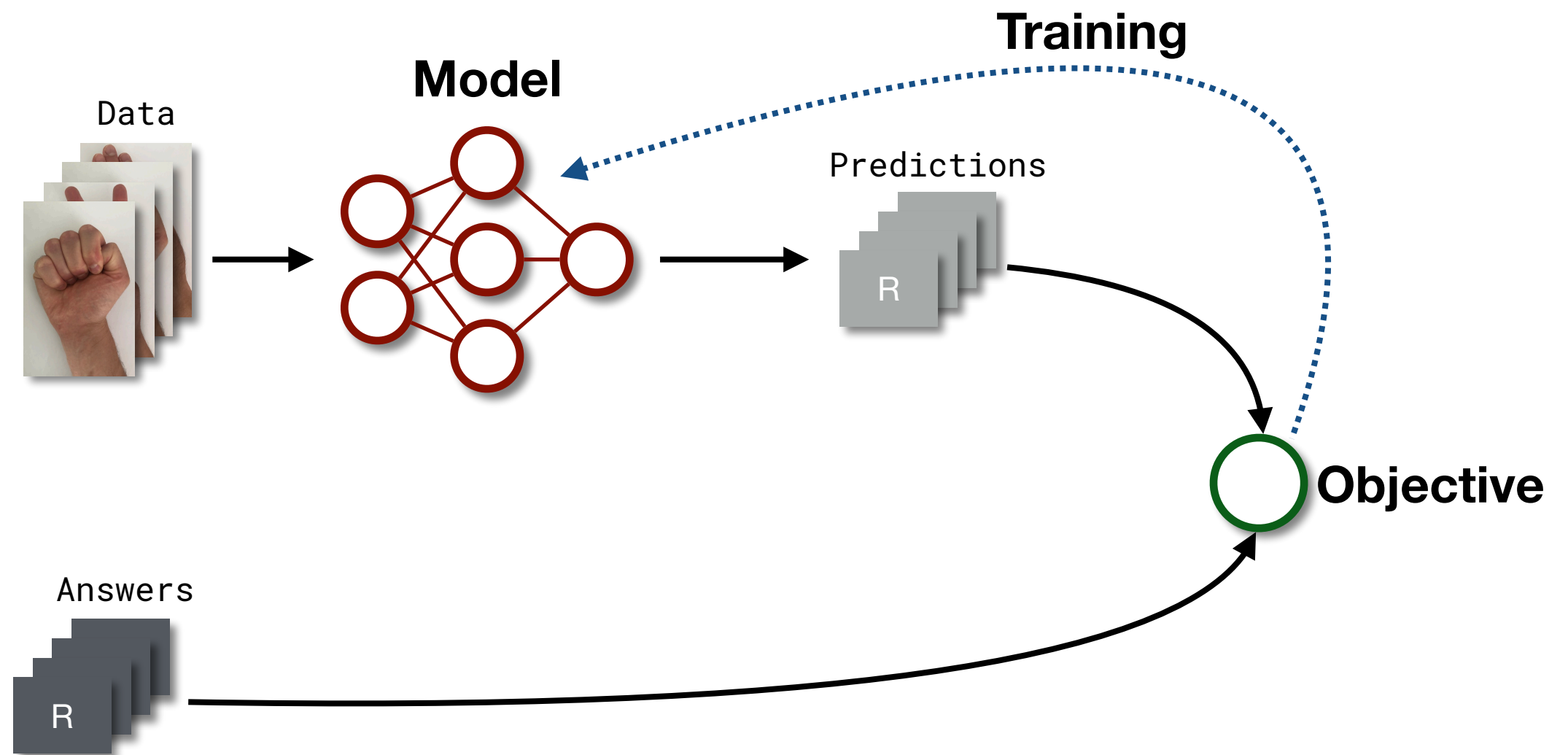
- Machine extracts features
 - fast
 - stable
 - well scalable



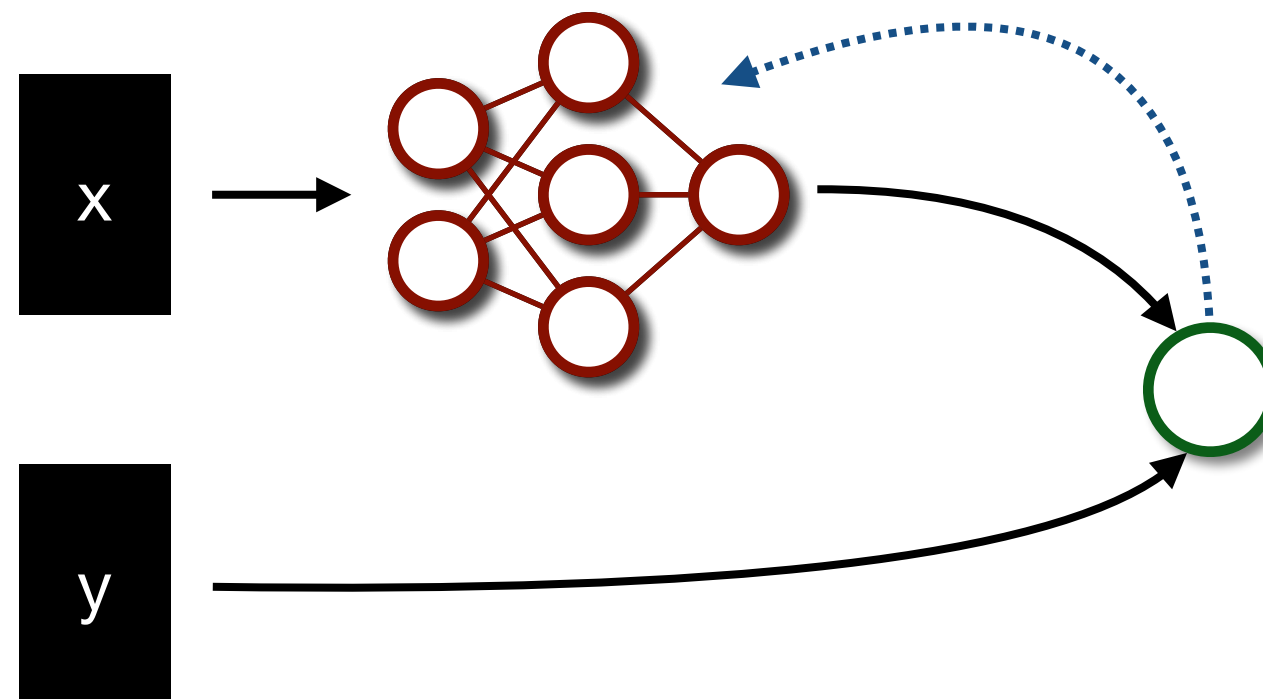
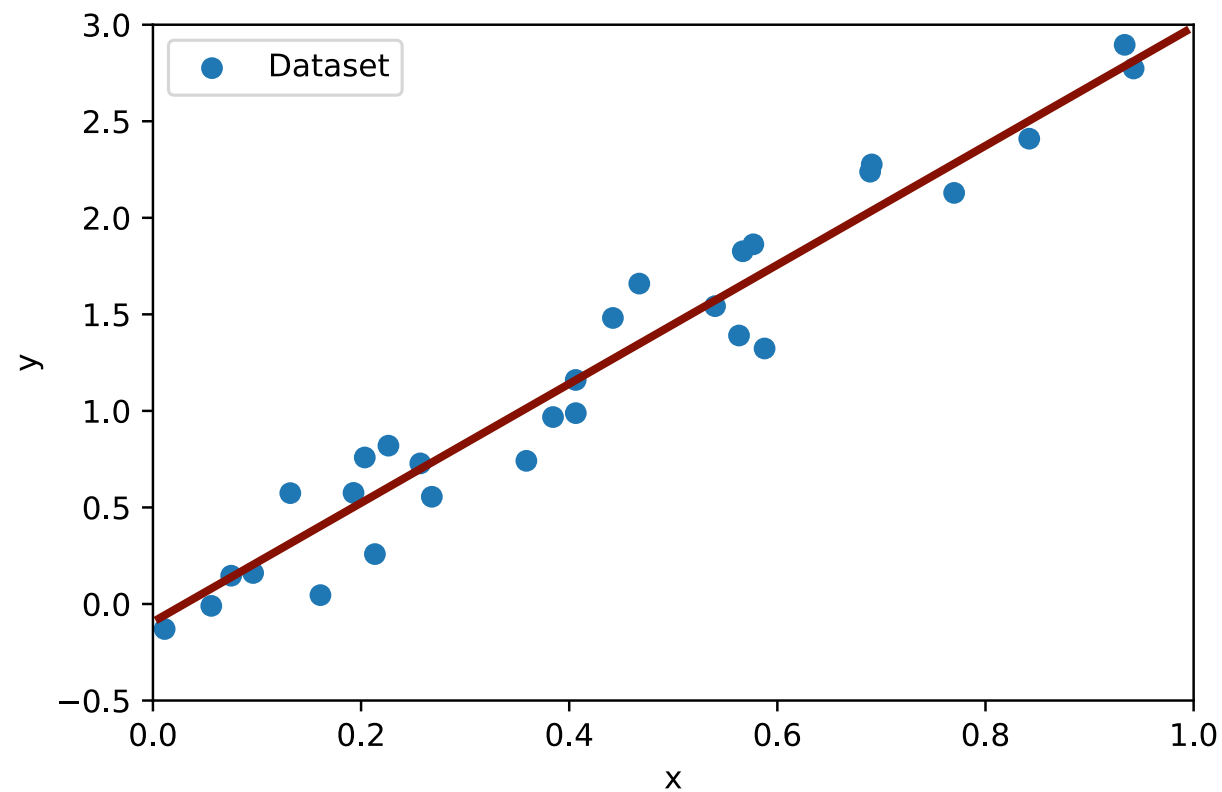
Machine



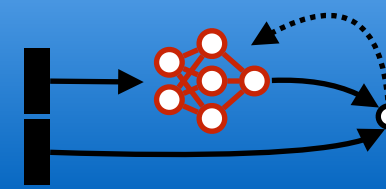
simple → abstract



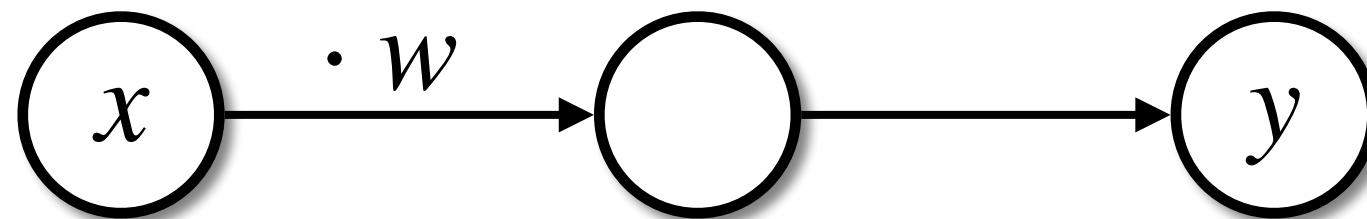
- Find **rules** which connect Data $\rightarrow$ Answers ($x \rightarrow y$)



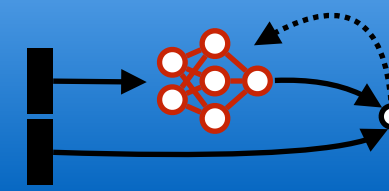
17 The Perceptron (1 Input, 1 Output)



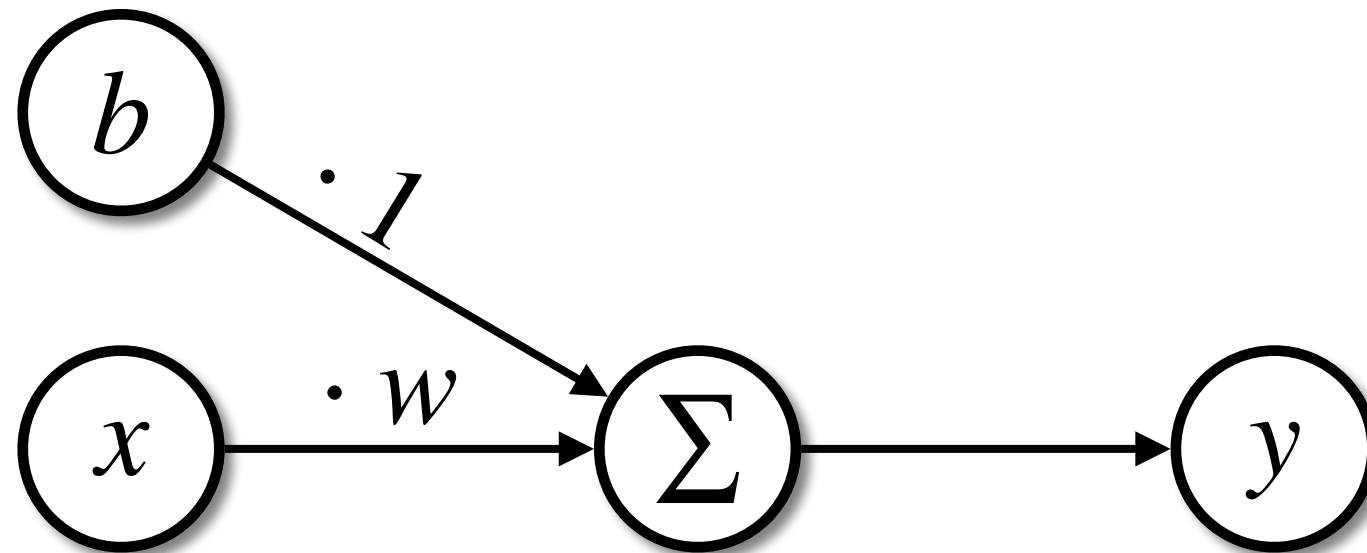
- Approximate Linear Function $f : \mathbb{R}^1 \rightarrow \mathbb{R}^1$
- Parametrizable (1 parameter):
 - Weight: w
- Functional form: $y = w \cdot x$

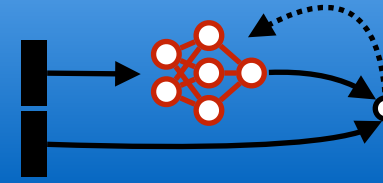


18 The Perceptron (1 Input, 1 Output)

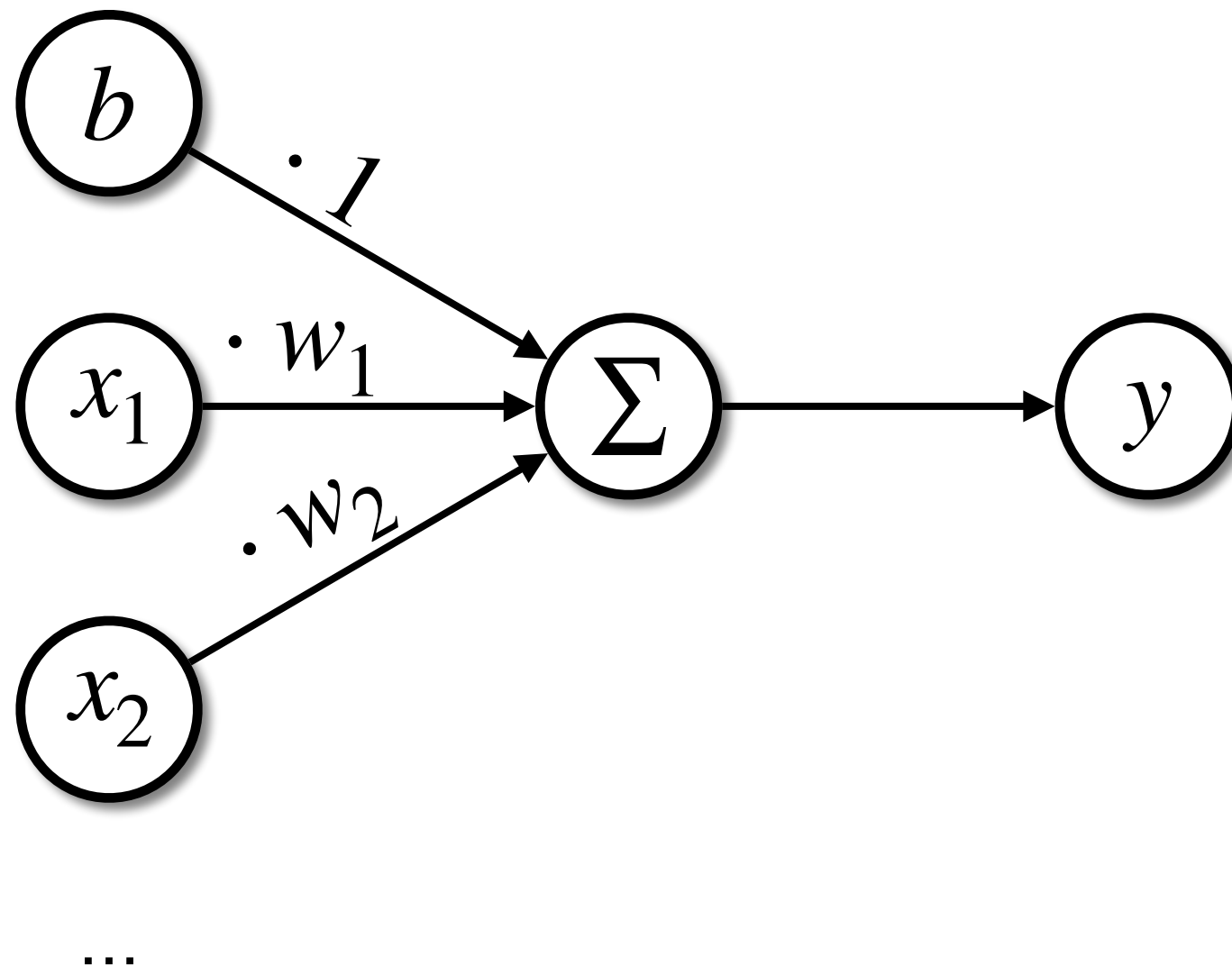


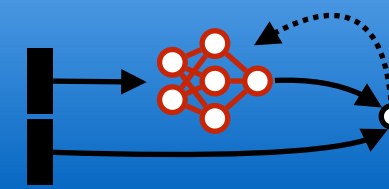
- Approximate Linear Function $f: \mathbb{R}^1 \rightarrow \mathbb{R}^1$
- Parametrizable (2 parameters):
 - Weight: w
 - Bias: b
- Functional form: $y = w \cdot x + b$



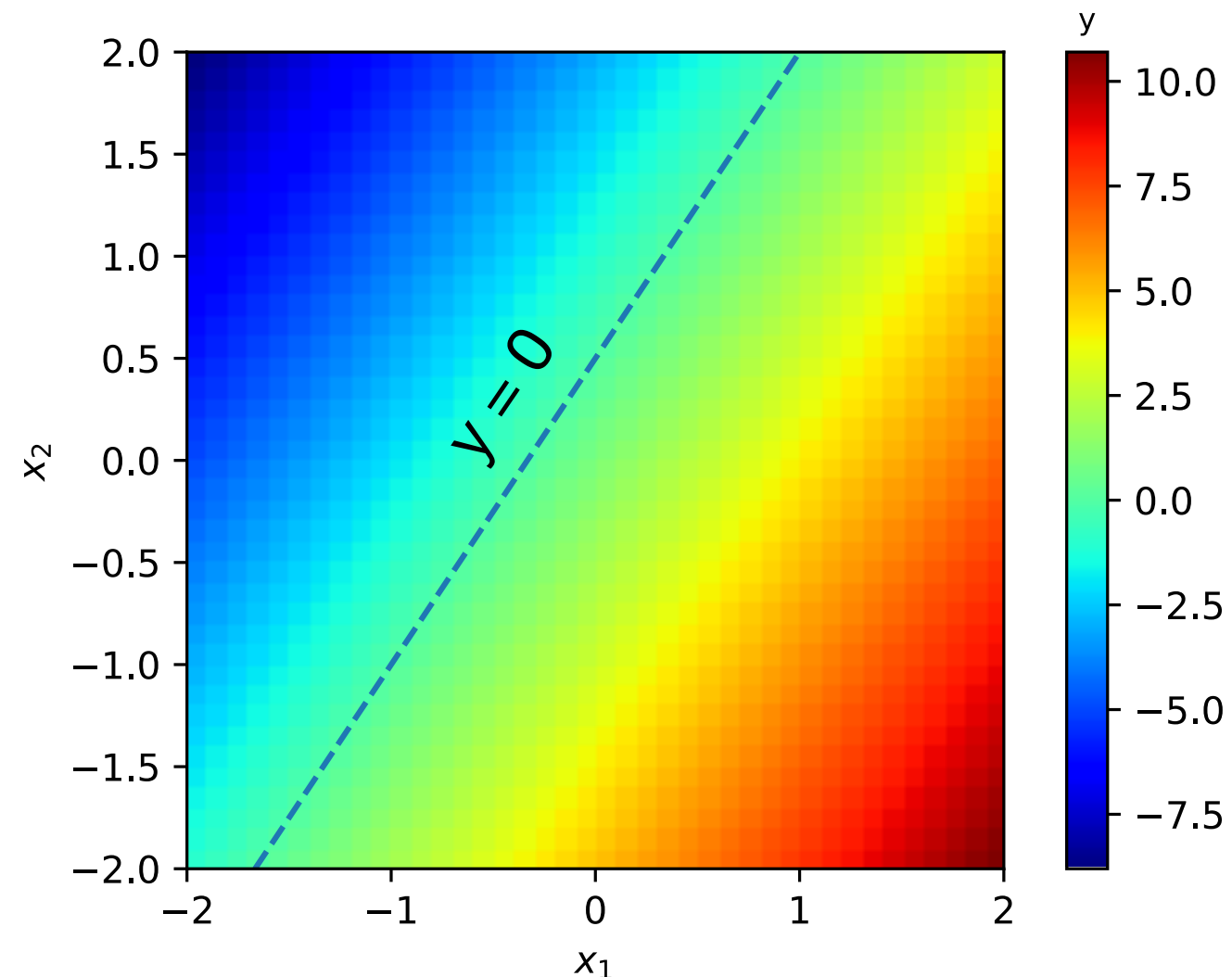
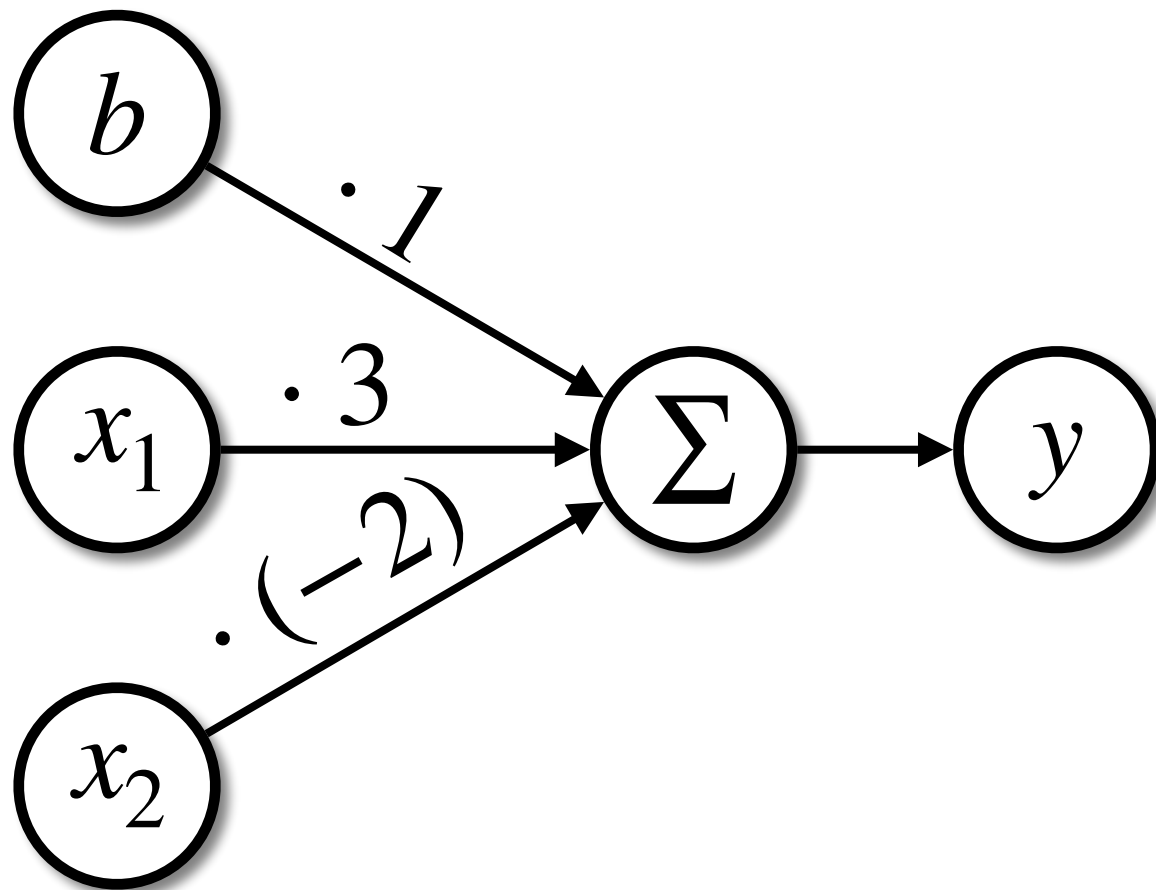


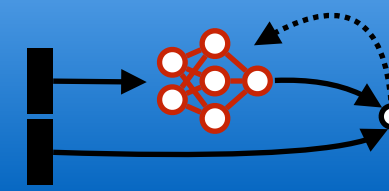
- Approximate Linear Function $f : \mathbb{R}^N \rightarrow \mathbb{R}^1$
- Parametrizable (N+1 parameters):
 - Weights: $w_1, w_2, \dots, w_N$
 - Bias: b
- Functional form: $y = \sum_i w_i \cdot x_i + b$





- Approximate Linear Function $f: \mathbb{R}^2 \rightarrow \mathbb{R}^1$
- Parametrizable:
 - Weights: $w_1 = 3, w_2 = -2$
 - Bias: $b = 1$
- Functional form: $y = 3x_1 - 2x_2 + 1$



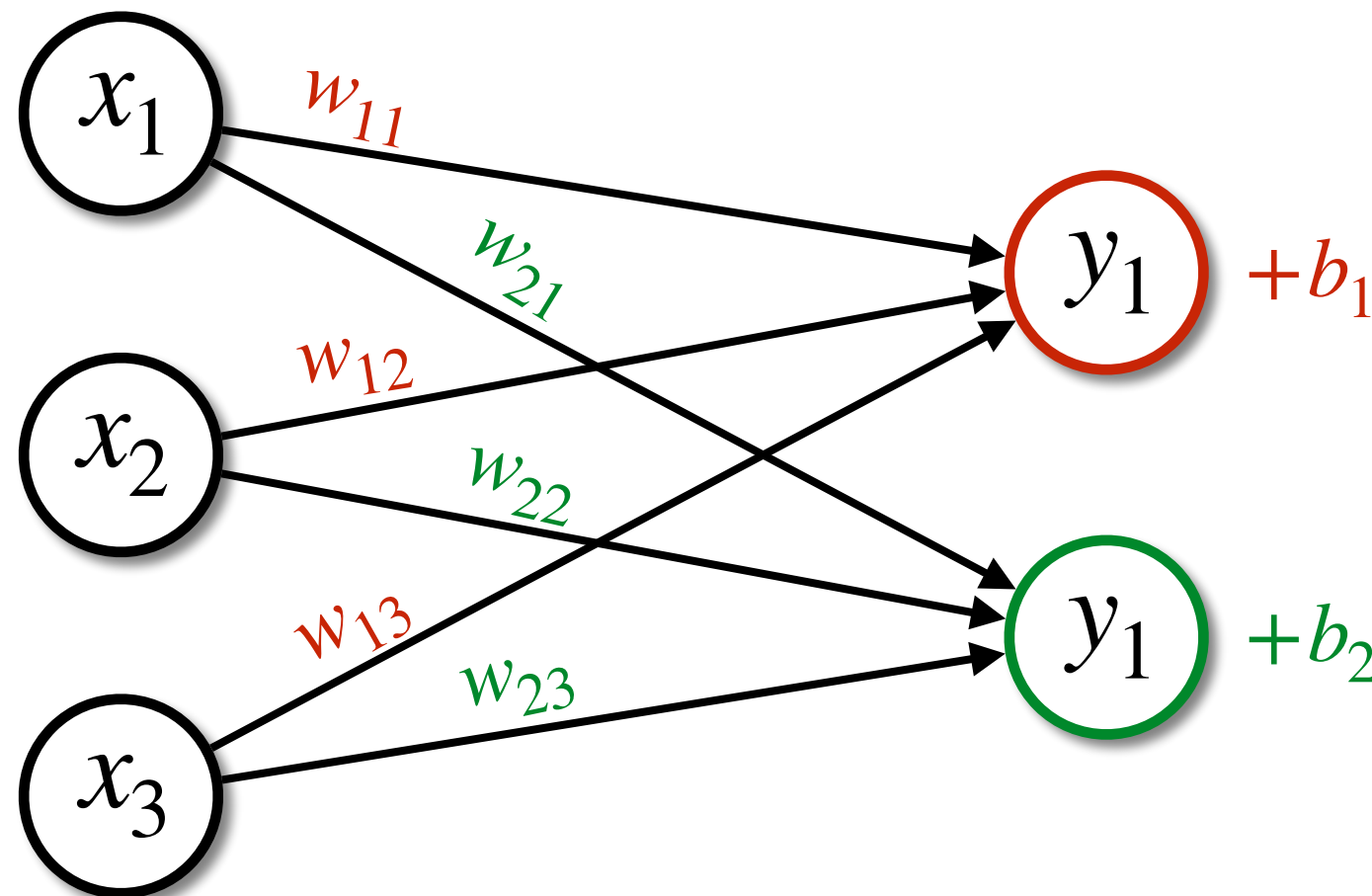


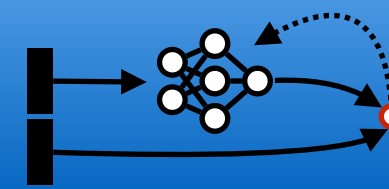
- Approximate Linear Function $f: \mathbb{R}^N \rightarrow \mathbb{R}^M$
- Multilayer perceptron with N inputs and M outputs
- Parametrizable (N·M+M parameters):

- Weights: $w_{11}, w_{12}, \dots, w_{MN}$

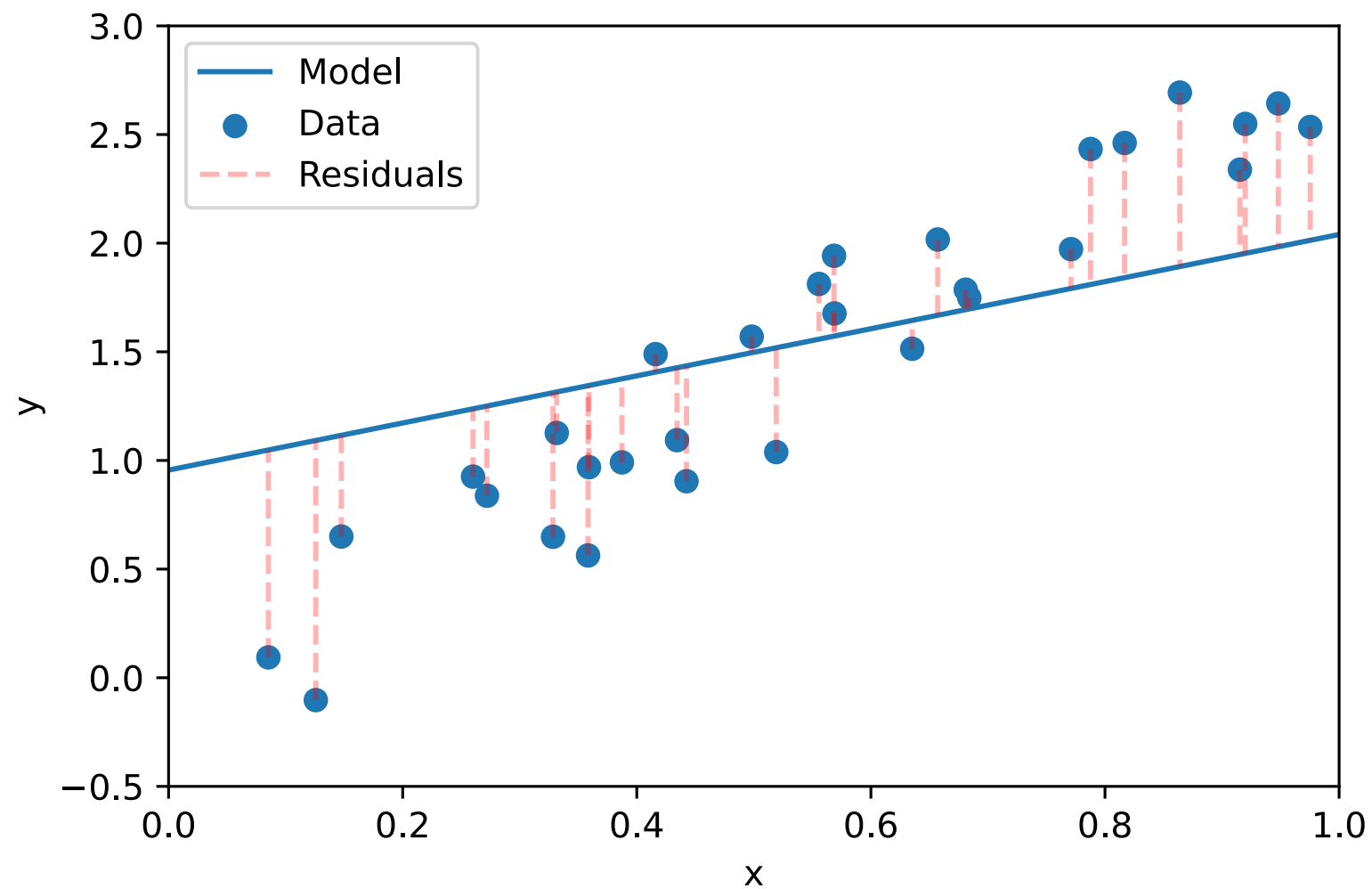
- Biases: $b_1, b_2, \dots, b_M$

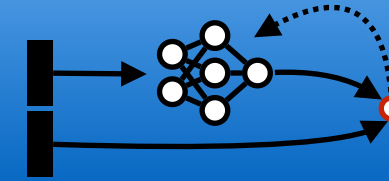
- Functional form:
$$\begin{pmatrix} y_1 \\ y_2 \end{pmatrix} = \begin{pmatrix} W_{11} & W_{12} & W_{13} \\ W_{21} & W_{22} & W_{23} \end{pmatrix} \times \begin{pmatrix} x_1 \\ x_2 \\ x_3 \end{pmatrix} + \begin{pmatrix} b_1 \\ b_2 \end{pmatrix}$$



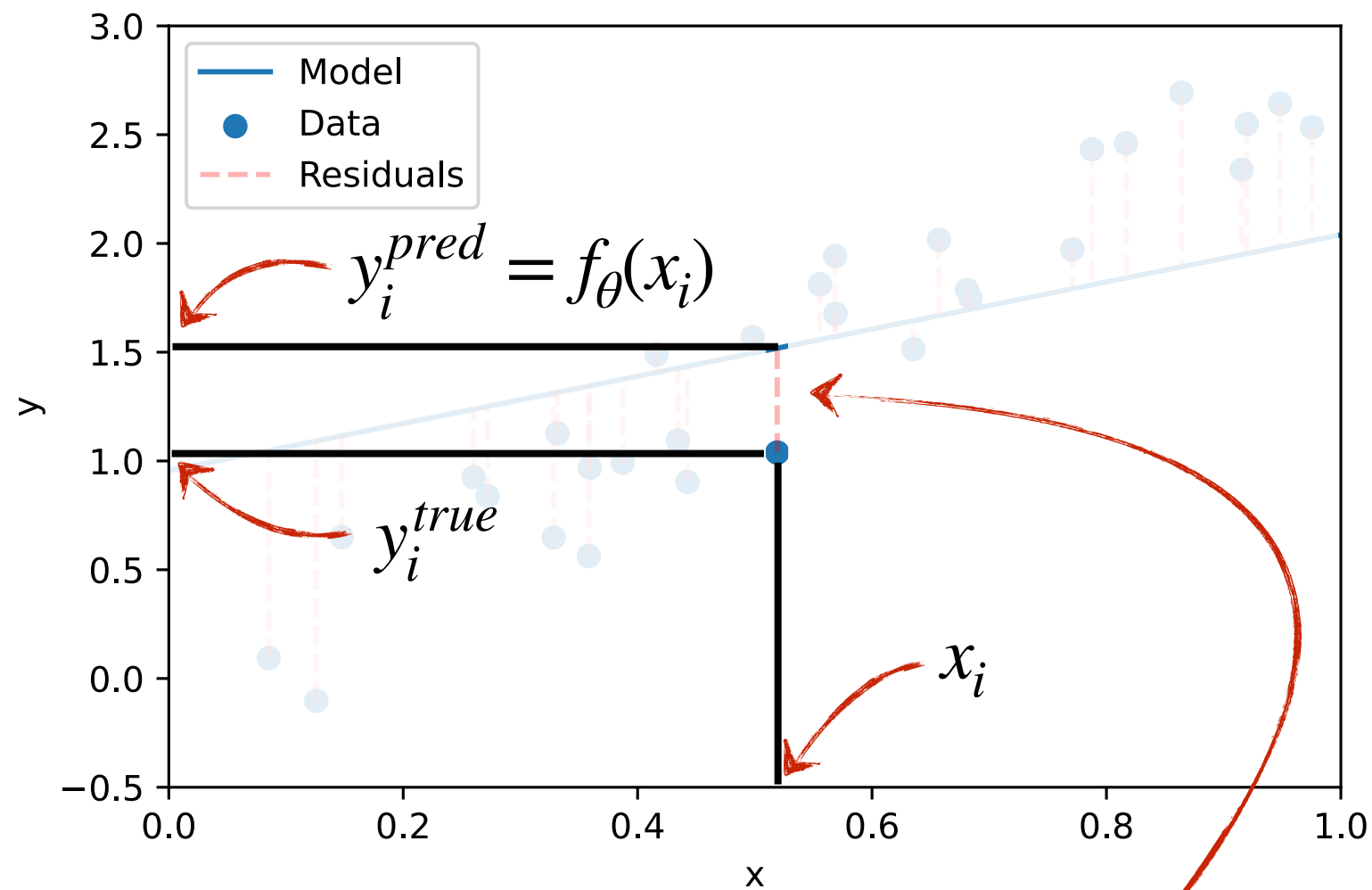


- How good is the prediction of the model?

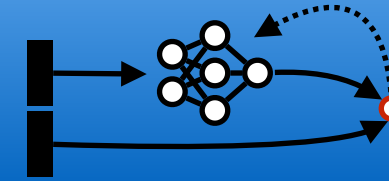




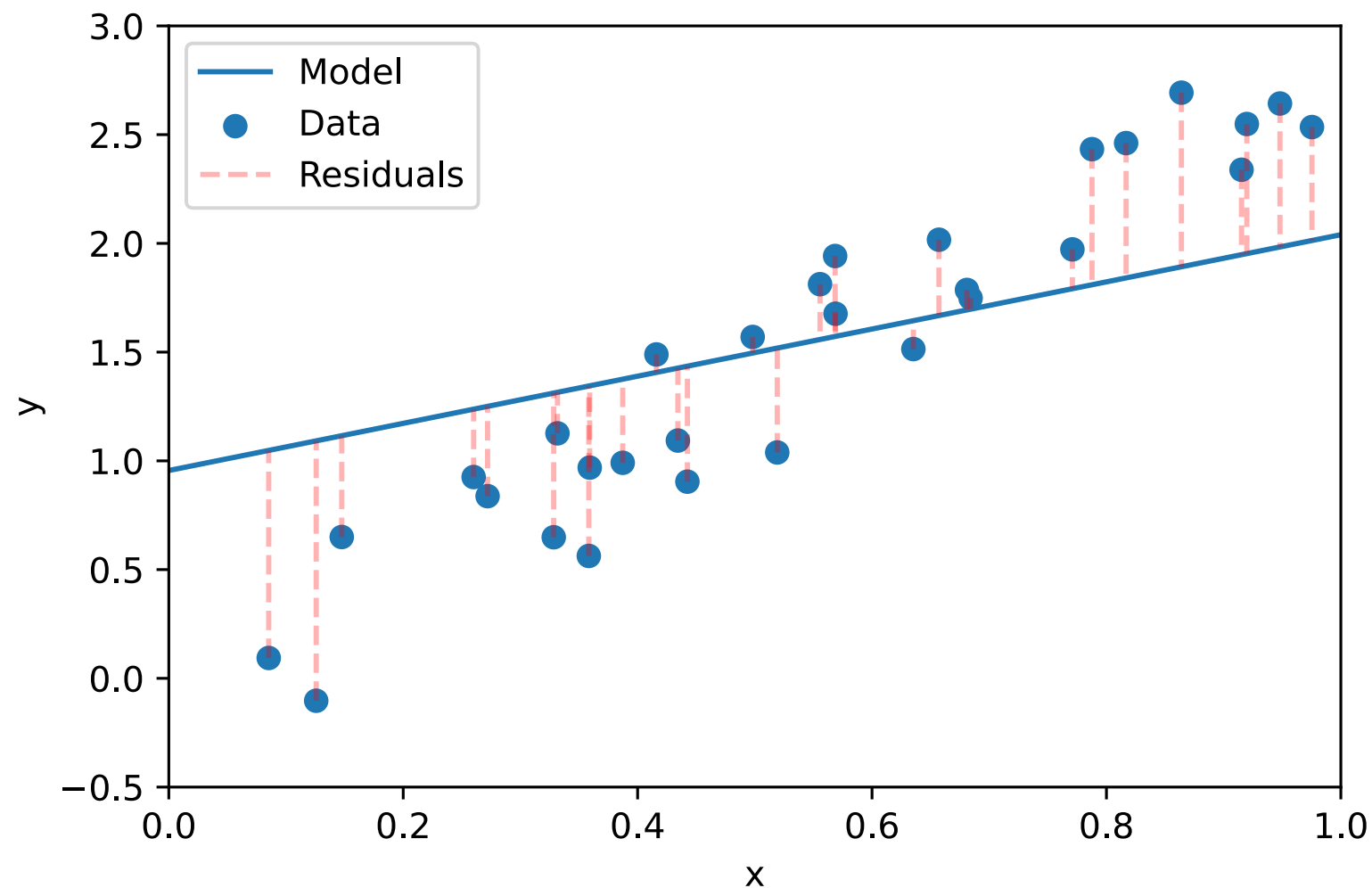
- How good is the prediction of the model?



$$\mathcal{L} = (y_i^{true} - y_i^{pred})^2$$



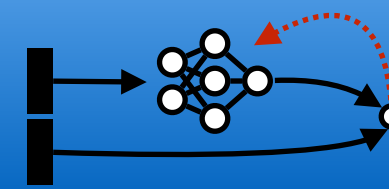
- How good is the prediction of the model?



$$\mathcal{L} = \sum_i (y_i^{true} - y_i^{pred})^2$$

Small $\mathcal{L}$ = good modelling

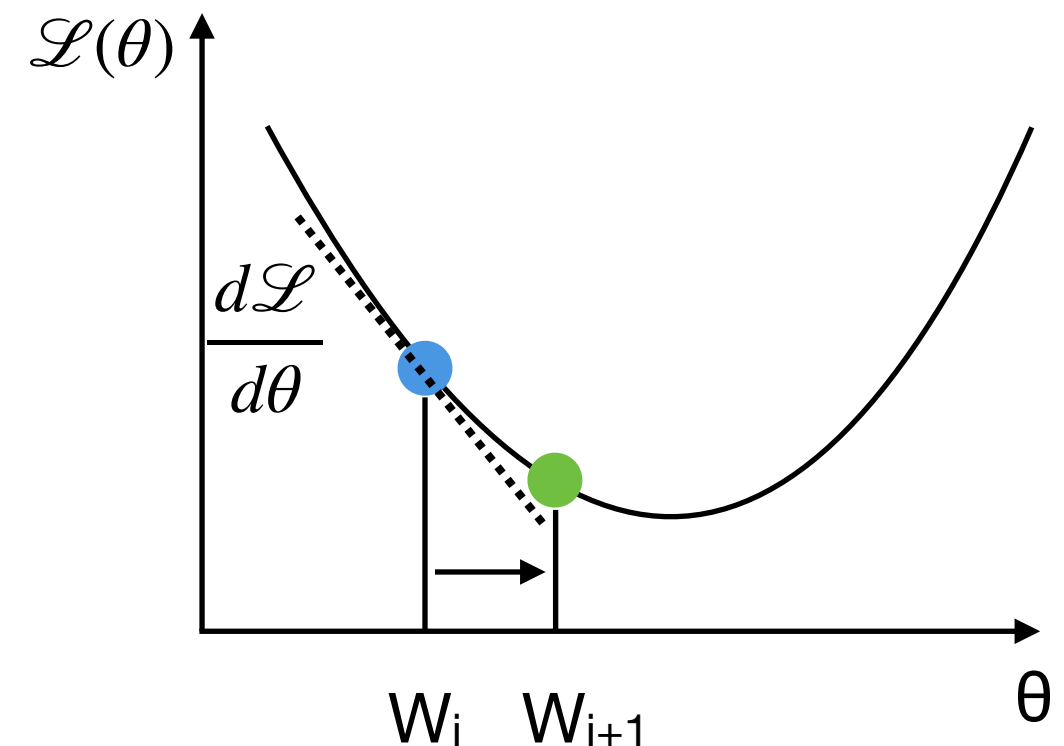
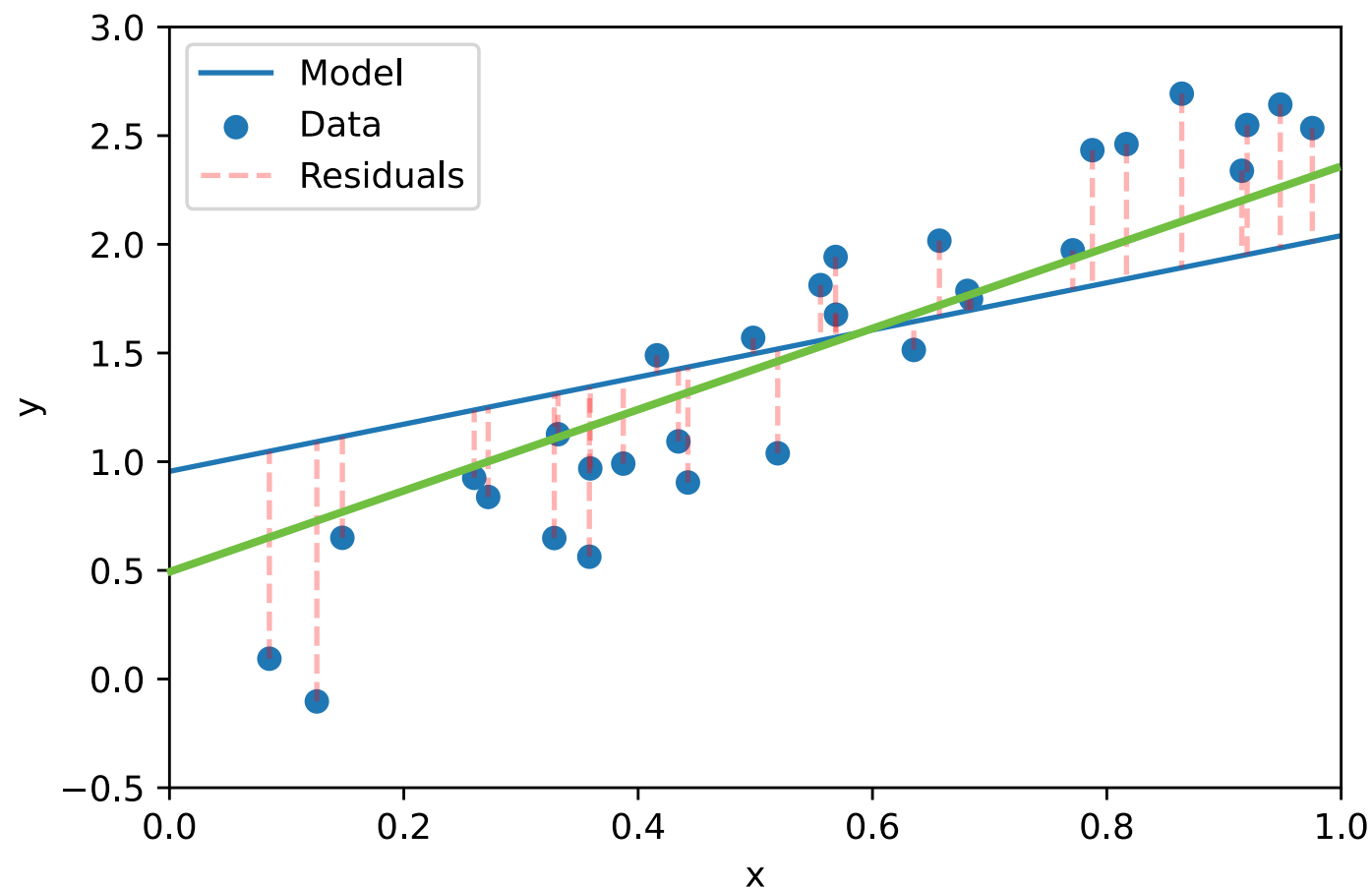
Large $\mathcal{L}$ = bad modelling

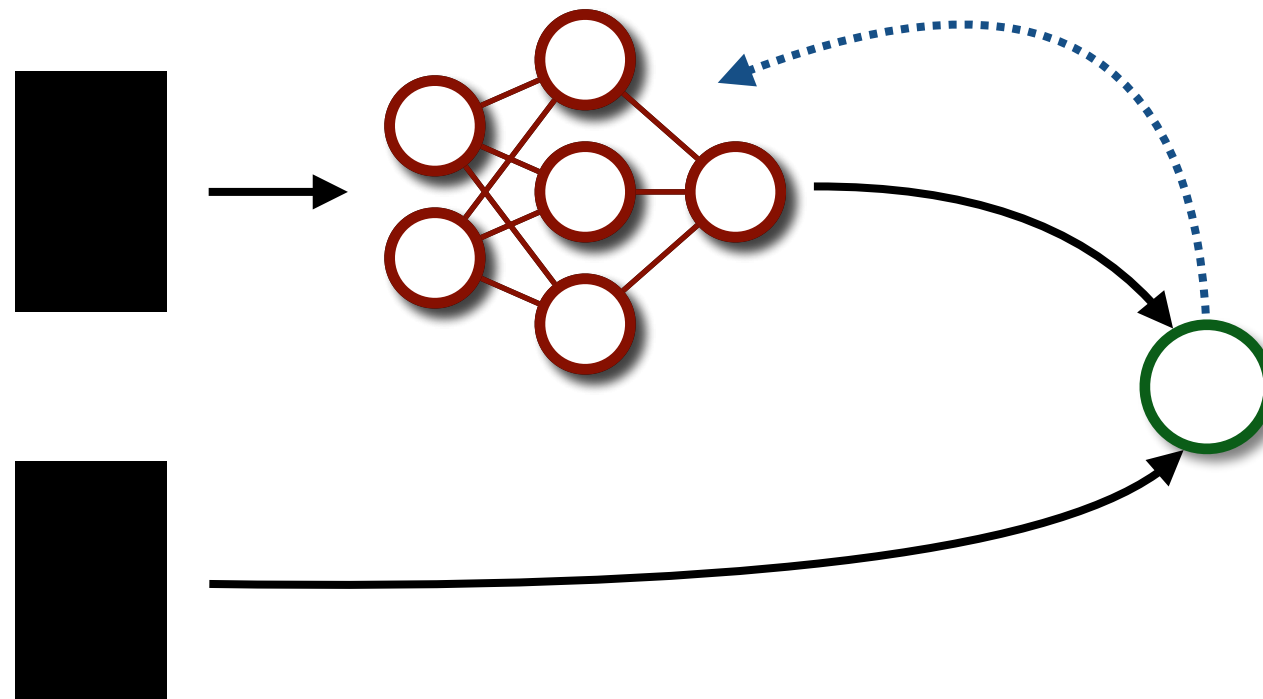


- Minimize objective function $\mathcal{L}(\theta)$
- Update model (θ) in opposite direction of gradient iteratively

$$\theta \rightarrow \theta - \alpha \frac{d\mathcal{L}}{d\theta}$$

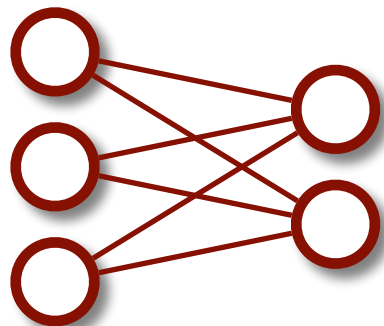
Step size (learning rate) $\nearrow$ α $\nwarrow$ Gradient





Model

- Linear Perceptron
 $y = w \cdot x + b$
Parameter $\theta = (w, b)$



Objective

- Fit between training data and prediction
- Regression (mse):
 $\mathcal{L} = (y_{true} - y_{pred})^2$

Training

- Find parameters which minimize loss ($\mathcal{L}$)
- Gradient descent
$$\theta \rightarrow \theta - \alpha \frac{d\mathcal{L}}{d\theta}$$

- **High-level, interpreted** (no compilation), **multi-purpose** programming language
- Many applications:
 - Software development
 - Web development
 - Scientific computing
 - Machine learning
- Designed for readability
- Code structured in lines, scopes defined by indentation



```
def state_count(count):  
    print(f"Count is {count}")
```

```
for i in range(2):  
    state_count(i)
```

```
Count is 0
```

```
Count is 1
```


- The package for **scientific computing with Python**
- Implements:
 - Arrays
 - Matrices
 - Linear algebra
 - ...
- Central element: ndarray (50x faster than Python List)
- Most low level operations implemented in C/C++ code



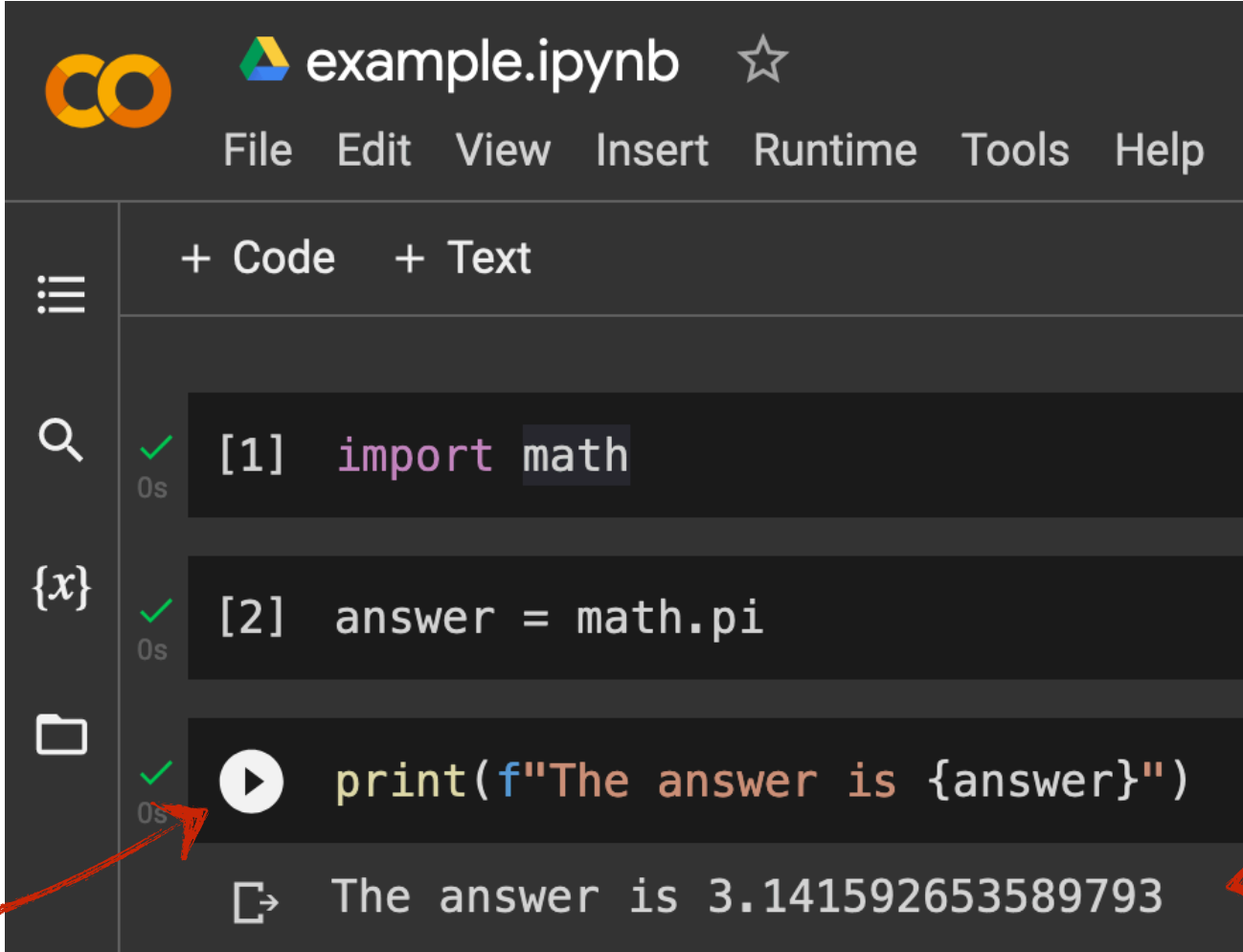
```
import numpy as np

a = np.array([1, 2, 3])
a = a**2 + 1

print(a)

[ 2  5 10]
```

- Exercises in Jupyter Notebooks
- Execute Python code in cells
- Computations performed by Kernel:
 - Runs on server, gets tasks by notebook
 - Stateful (variables, ...)
- We will use the google colab servers



The screenshot shows a Google Colab notebook titled "example.ipynb". The interface includes a menu bar (File, Edit, View, Insert, Runtime, Tools, Help) and a toolbar with "+ Code" and "+ Text" buttons. The notebook contains three code cells, each with a green checkmark and a "0s" execution time indicator. The first cell contains `[1] import math`. The second cell contains `[2] answer = math.pi`. The third cell contains `print(f"The answer is {answer}")` and shows the output `The answer is 3.141592653589793`. Handwritten red arrows point to the first two cells with the label "Code cells". A red arrow points to the play button icon in the third cell with the label "Execute". Another red arrow points to the output text in the third cell with the label "Output".

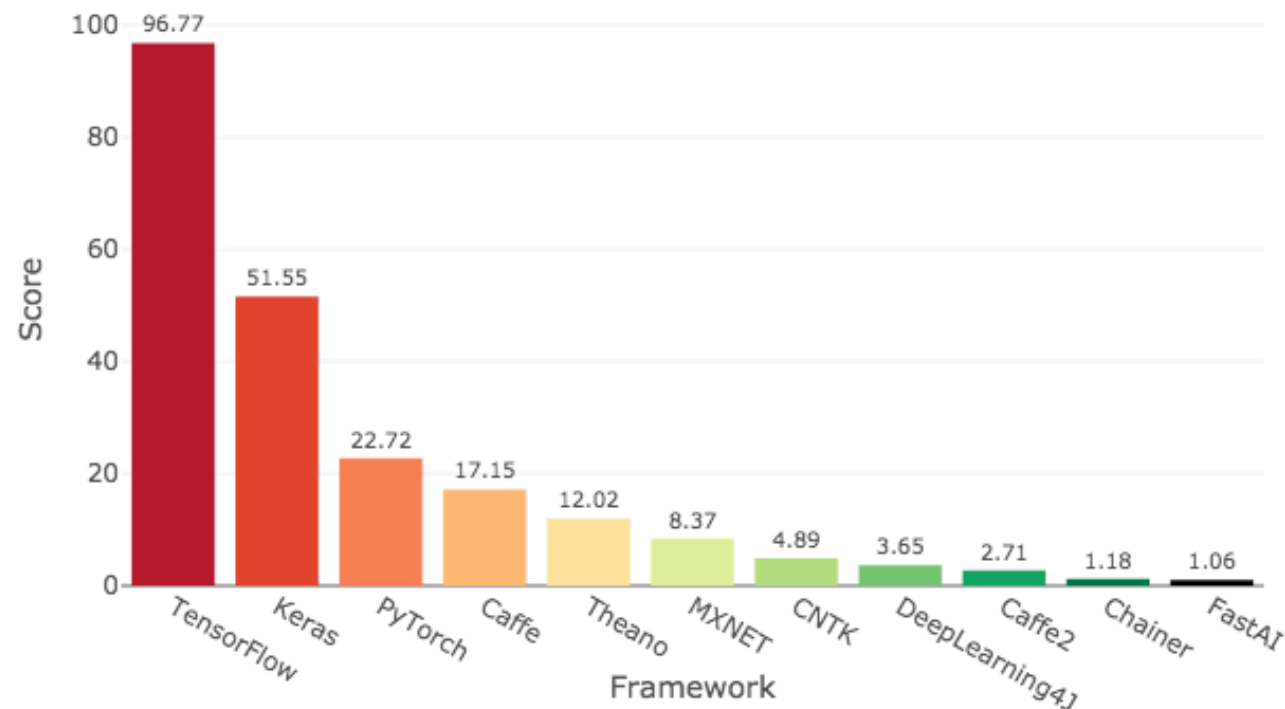
Code cells

Execute

Output

- Various deep learning libraries available
- Many are open source
- Field dominated by industrial players

Deep Learning Framework Power Scores 2018



TensorFlow

- Developed by Google
- De-facto standard

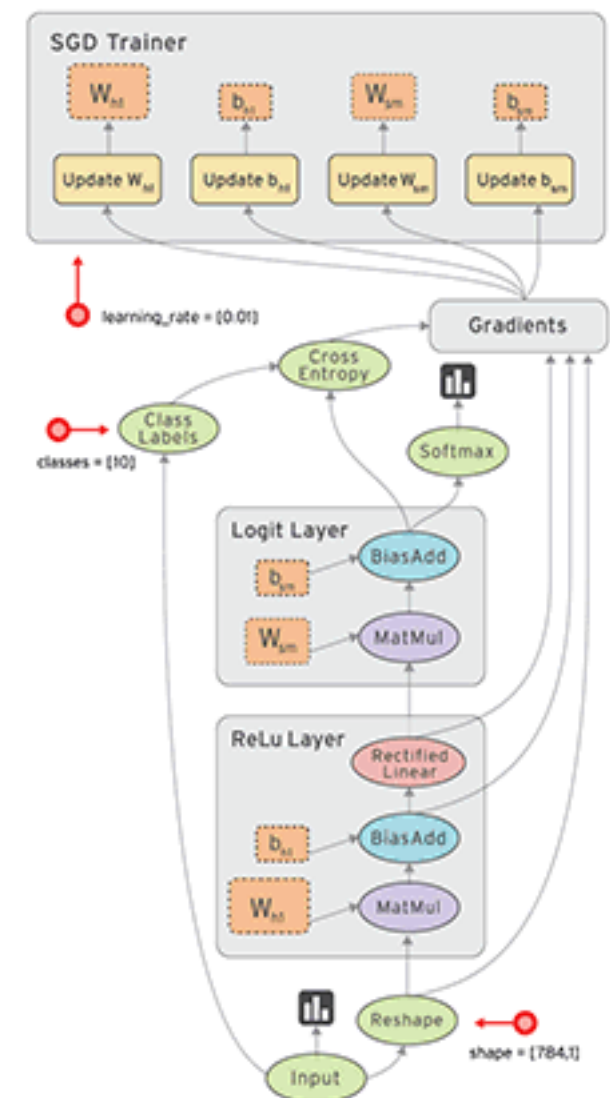


PyTorch

- Developed by Meta
- Pythonic feeling



- TensorFlow: Open source Software library for numerical computations using dataflow graphs
 - Purpose:
 - Load & preprocess data
 - Build, train & reuse models
 - Deploy models
 - Central concepts:
 - Nodes: mathematical operations
 - Edges: tensors connecting nodes
 - Keras integration for easy model building



```
[1]: import tensorflow as tf
```

```
[2]: model = tf.keras.models.Sequential([  
    tf.keras.layers.Dense(1, input_shape=(1,)),  
])
```

```
[3]: model.layers
```

```
[3]: [<tensorflow.python.keras.layers.core.Dense at 0x7fb91c4f3b80>]
```

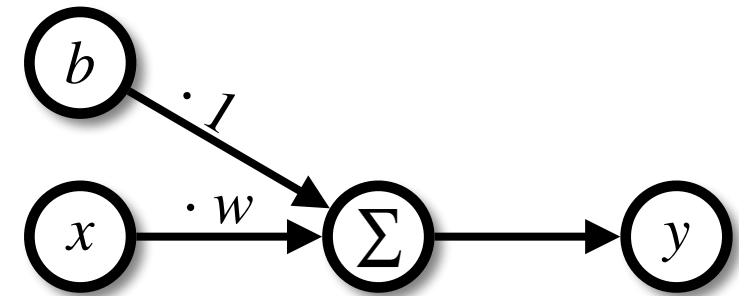
```
[4]: for layer in model.layers:  
    for weight in layer.weights:  
        print(weight.name, weight.numpy())
```

```
dense/kernel:0 [[0.1140337]]  
dense/bias:0 [0.]
```

```
[5]: model.predict([[1]])
```

```
[5]: array([[0.1140337]], dtype=float32)
```

Create model:



Check weights:

$$w = 0.1140337$$
$$b = 0$$

Make prediction:

$$y = 0.1140337$$


```
[6]: x = [[1], [2], [3], [4]]  
     y = [[2], [4], [6], [8]]
```

Define Training data

```
[7]: model.compile(  
     loss="mse"  
     optimizer=tf.keras.optimizers.SGD(),  
     )
```

Define loss
Define optimizer

```
[8]: model.fit(x, y, epochs=300, verbose=0)
```

Perform training

```
[8]: <tensorflow.python.keras.callbacks.History at 0x7fb91c523d30>
```

```
[9]: for layer in model.layers:  
     for weight in layer.weights:  
         print(weight.name, weight.numpy())
```

Check weights

```
dense/kernel:0 [[1.9204563]]  
dense/bias:0 [0.23386857]
```

$w = 1.9204563$
 $b = 0.23386857$

```
[10]: model.predict([[1]])
```

Make prediction

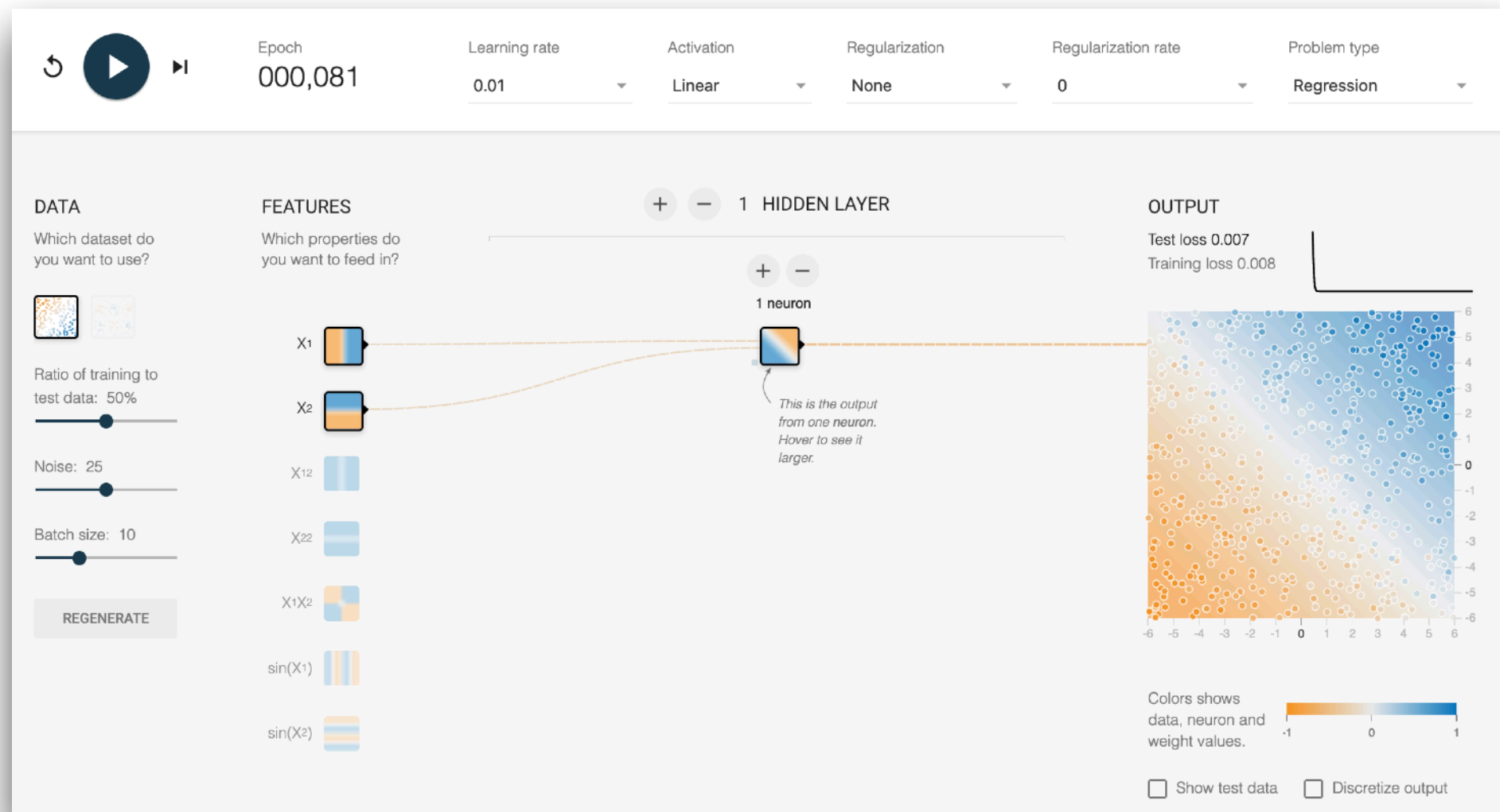
```
[10]: array([[2.1543248]], dtype=float32)
```

$y = 2.1543248$

- To get you started with the basic tools, we have prepared basic tutorials on Python, TensorFlow and PyTorch. Visit the notebooks and work through the sections.
 - Python Tutorial:
 - Access [here](#)
 - Includes: Variables, Data-Types, Arithmetics, Comparison Operators, Control Flow, Functions, Classes and NumPy.
 - TensorFlow Tutorial:
 - Access [here](#)
 - Includes: Tensors, Variables, Fundamental Mathematical Operations
 - PyTorch Tutorial:
 - Access [here](#)
 - Includes: Tensors, Fundamental Mathematical Operations

37 Exercise 1.1 - Linear Regression (Playground)

- Try the [Linear Regression example](https://playground.tensorflow.org) at playground.tensorflow.org
 1. How many parameters does the model have?
 2. Train the model and state the final loss ("Training Loss").
 3. What happens for different inputs (X^1 & X^2 , only X^1 , only X^2)?
 4. What happens for different learning rates (0.0001, 0.001, 0.01, 0.1, 1, 10)?



- **Notes/Solutions:**

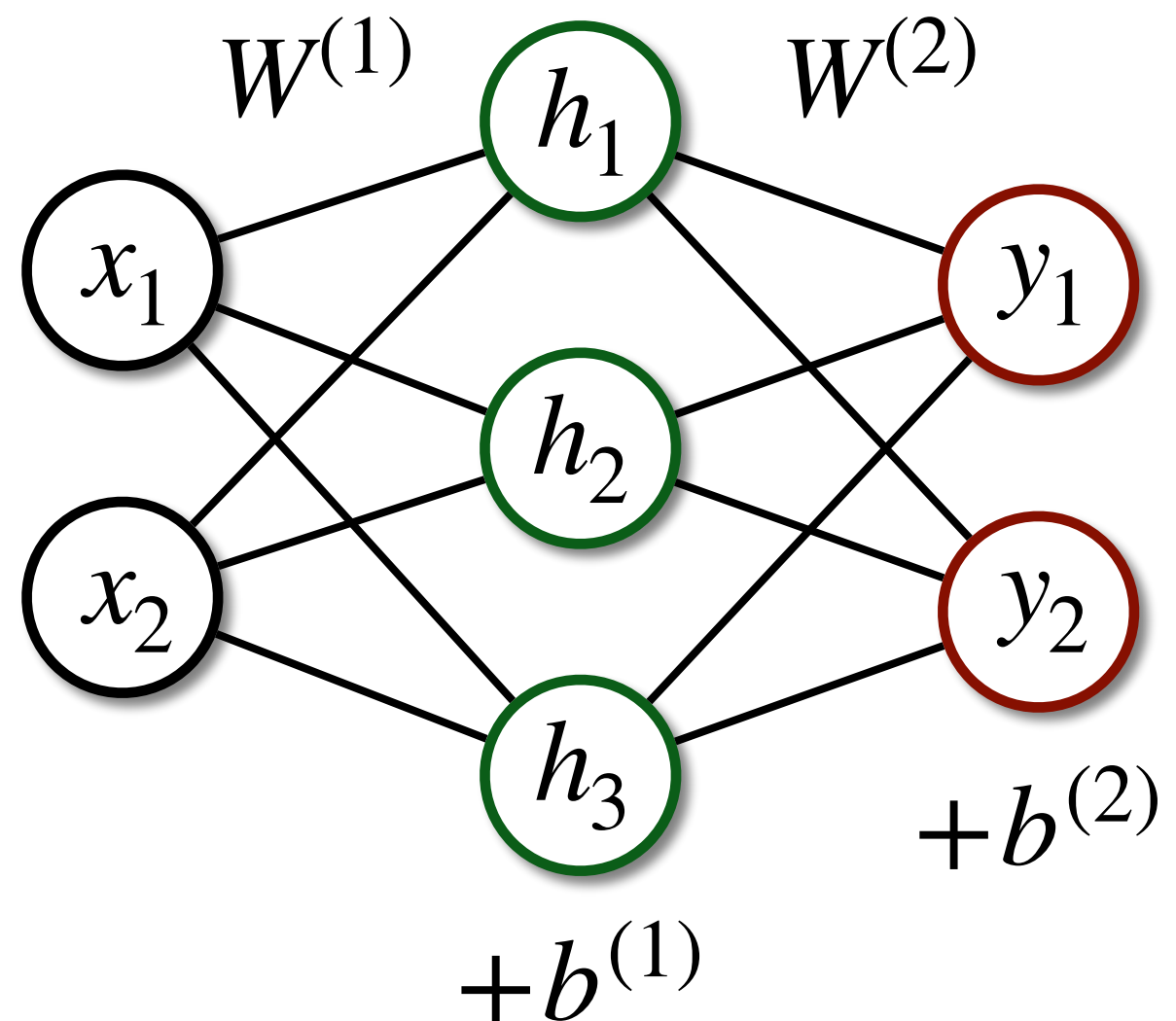
- In this task we will use TensorFlow to perform a linear regression. We will first look at a one-dimensional case. Then we will raise the number of dimensions and learn how the used neural network performs in high dimensional spaces.
 - Open [this notebook](#)
 - Inspect the data
 - Build a model containing one node
 - Plot the predictions of your model
 - Compile the model (loss="mse", optimizer="sgd").
 - Train your model for 20 epochs. After each 2 epochs of training plot the predictions of your model. What do you observe?
 - Inspect the weights of your model. What do you observe?
 - What happens if the measured data (y) is uncertain (uncertainty > 0)? Explain your observation!
 - Vary the number of input dimensions to n=1/2/10. How do you need to change the model? Describe your observation.

- **Notes/Solutions:**

- Using pen and paper, show that a chain of multiple linear layers, can always be represented as a single linear layer.
- **Hints:**
 - Revisit the matrix formulation of a linear layer.
 - You may start your proof with a chain of two linear layers.

$$h = W^1 x + b^1$$

$$y = ?$$



- **Notes/Solutions:**

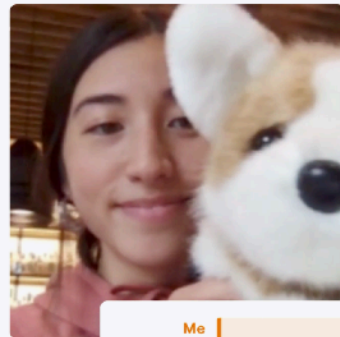
Teach the machine!

Teachable Machine

Train a computer to recognize your own images, sounds, & poses.

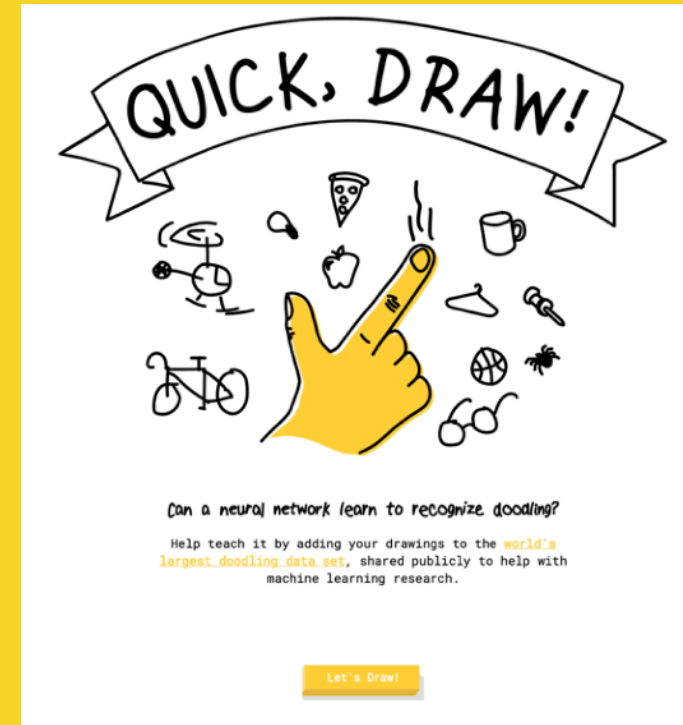
A fast, easy way to create machine learning models for your sites, apps, and more – no expertise or coding required.

Get Started

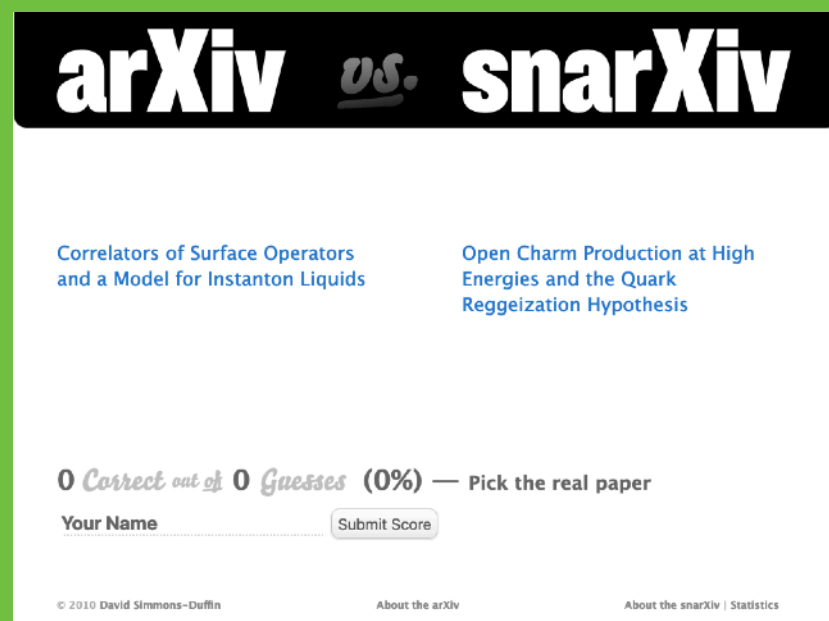


Me | 100%
Me + Dog <3 | 94%

Play with the machine!



Play against the machine!



Do not get fooled by the machine!



1. **Deep Learning in Physics Research Lecture**, Martin Erdmann, Jonas Glombitza, Uwe Klemradt, Dennis Noll, RWTH Aachen University
2. **Dartmouth Workshop**: Photo by Margaret Minsky
3. **Garri Kasparow gegen Deep Blue** am 7. Mai 1997 in New York (Stand Honda/Getty Images)
4. **Cole Murray Medium**: [Link](#) (accessed 04.08.22)
5. **Amazon Echo**: Amazon [Link](#) (accessed 04.08.22)
6. **DeepL Translator**: DeepL [Link](#) (accessed 04.08.22)
7. **All Systems Go**: Nature, Volume 529 Issue 7587, 28 January 2016, [Link](#) (accessed 04.08.22)
8. **Training a robotik task with Reinforcement Learning**: Siemens, [Link](#) (accessed 04.08.22)
9. **Self-Driving Car**: Google
10. **Concious AI**: Shutterstock Willyam Bradberry
11. **CMS event displays of Higgs to two photon candidate**: The CMS Collaboration, [Link](#) (accessed 04.08.22)
12. **Large Hadron Collider**: CERN
13. **Pierre Auger Observatory**, ASPERA/G.Toma/A.Saftoiu
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