



# SEARCH FOR SCALAR INDUCED GRAVITATIONAL WAVES IN PTAS

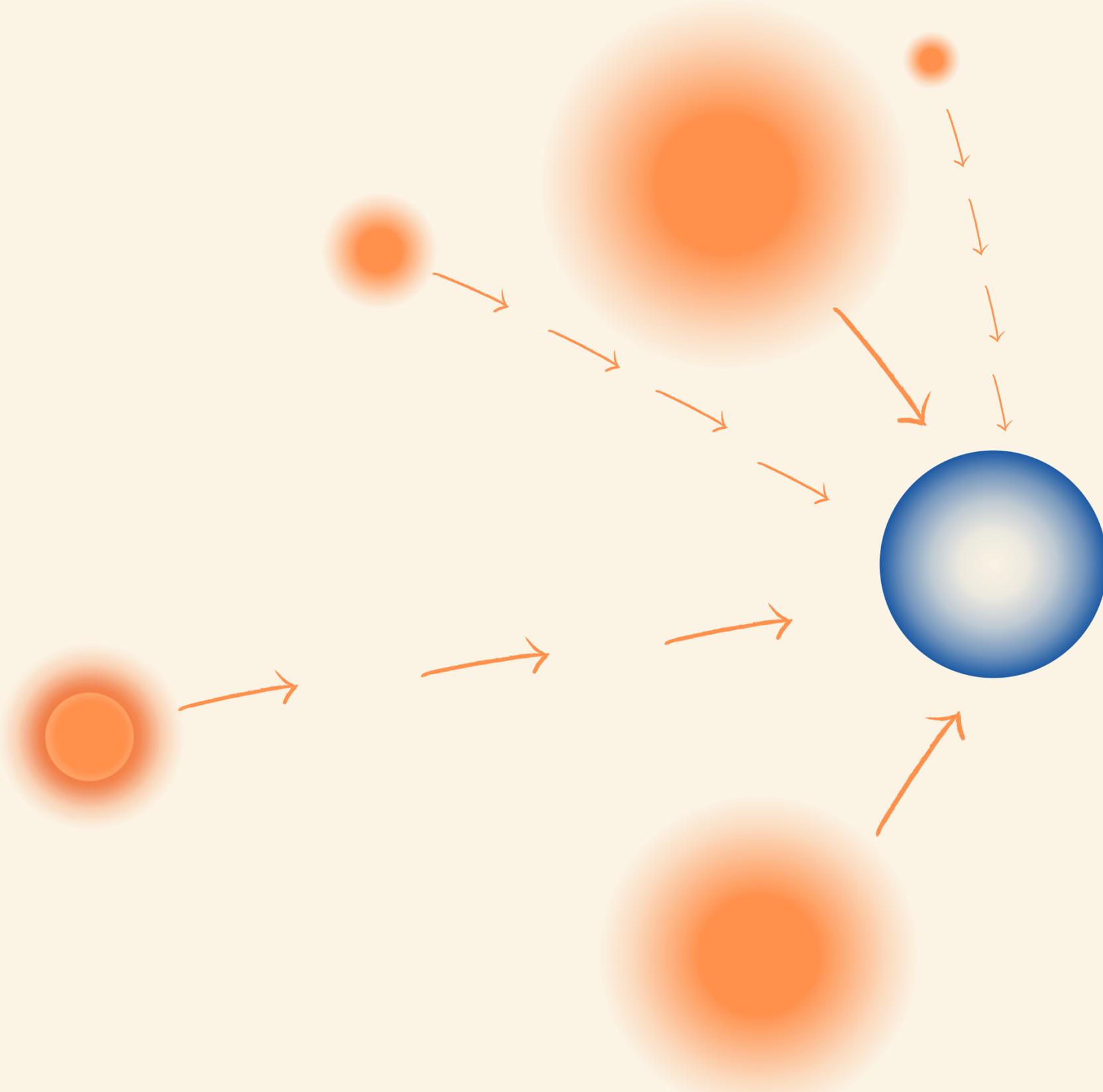
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Based on: 2302.07901

# MOTIVATION



# PULSAR TIMING ARRAYS

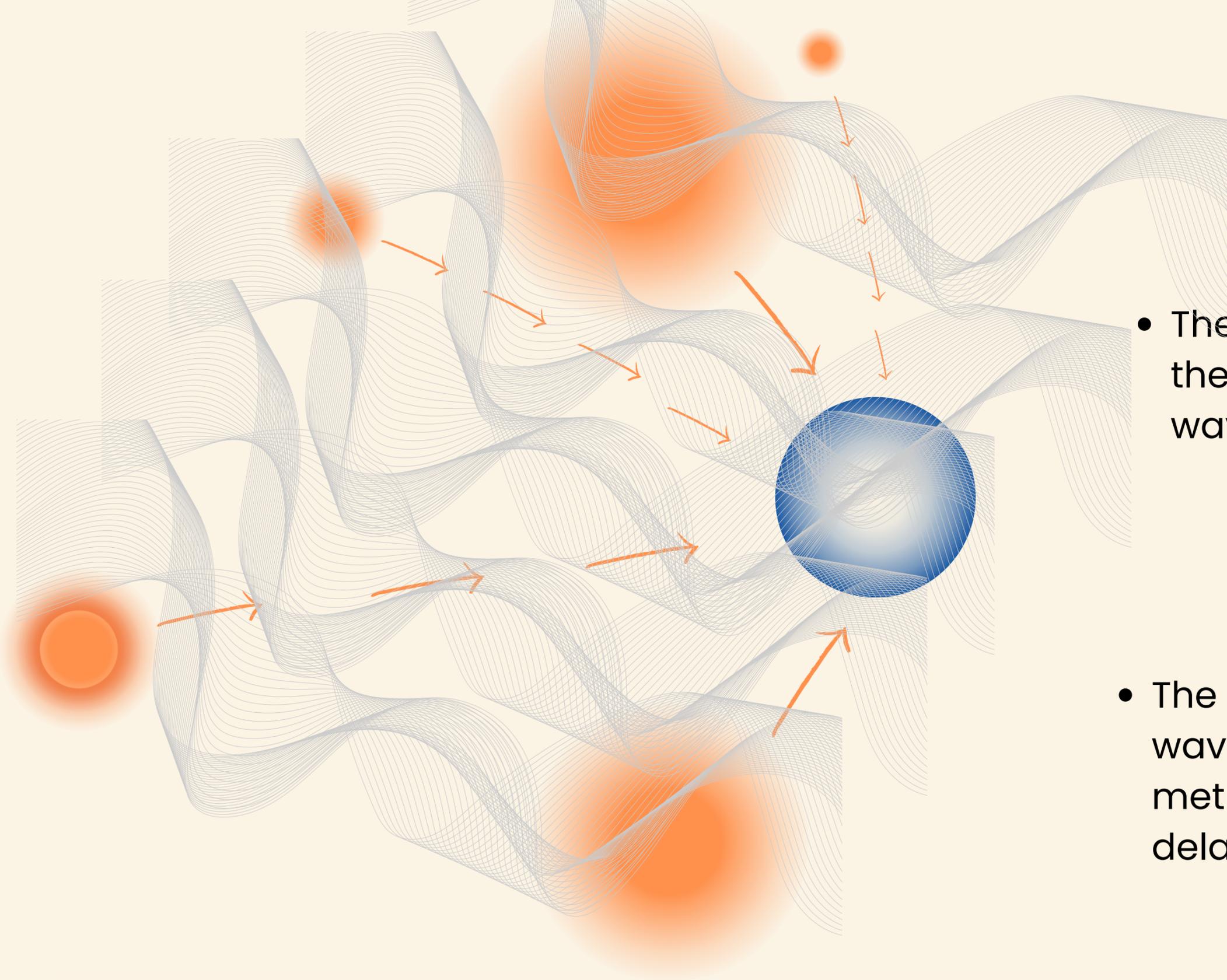


- Pulsar Timing Arrays record the time of arrival of the light pulses emitted by pulsars
- These pulses are extremely stable in time
- However, many external effects can alter the expected period of the pulsars



***This is what PTAs are looking for***

# PULSAR TIMING ARRAYS



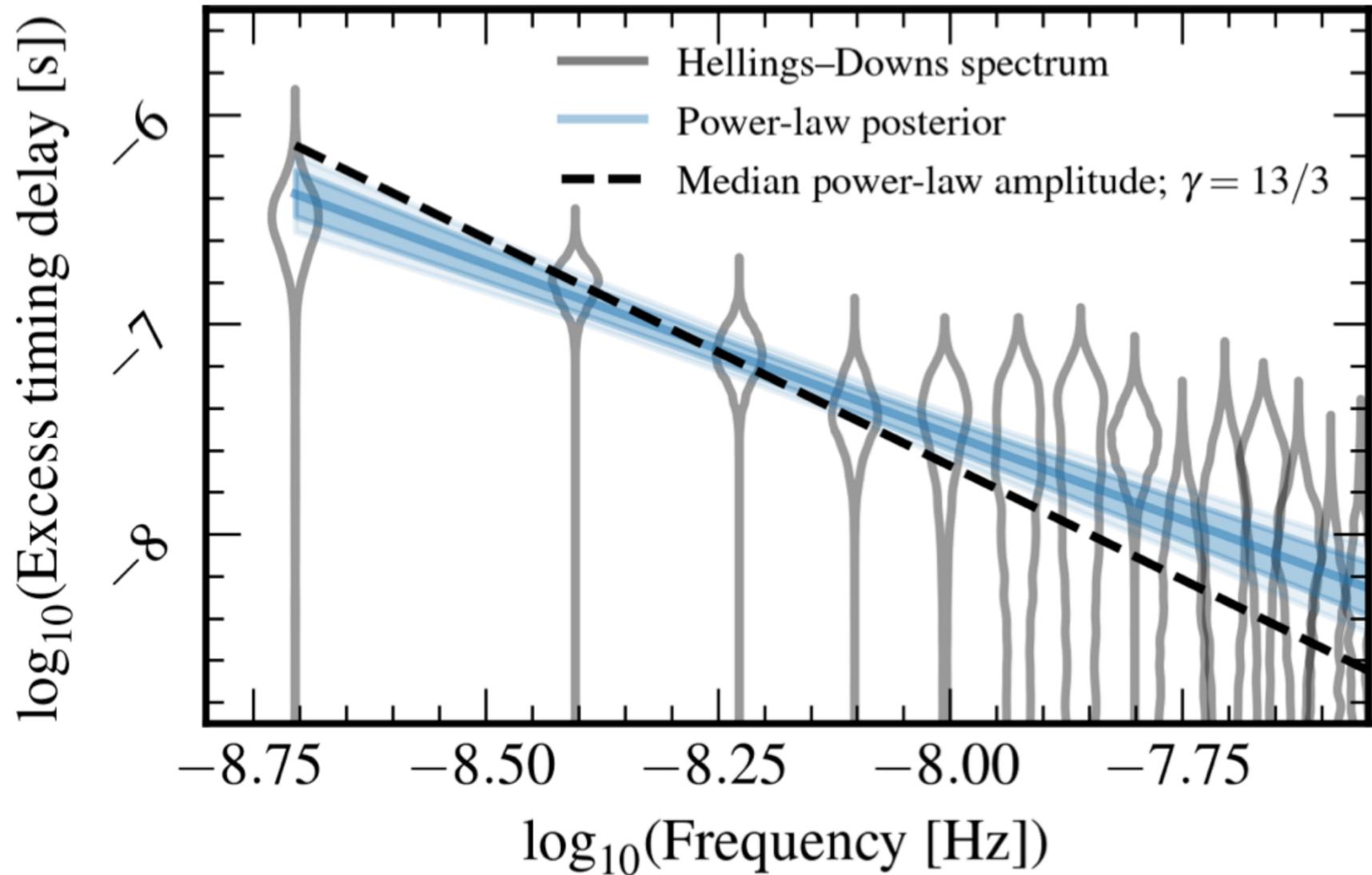
- They can be used to detect the presence of gravitational waves

*Gravitational Wave Background*

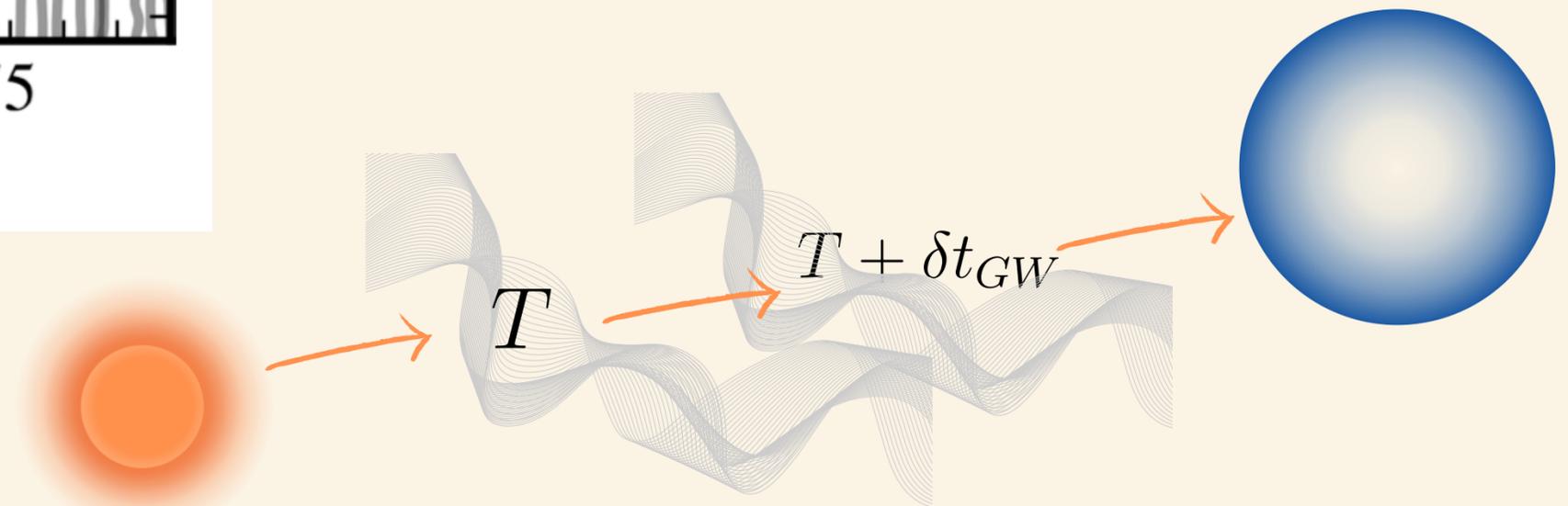
- The presence of a gravitational wave background disturb the metric and induce correlated time delays

# POTENTIAL GW SIGNAL IN PTA

[2306.16213]



*Potential signal from a nHz frequency GW background observed in all PTAs*

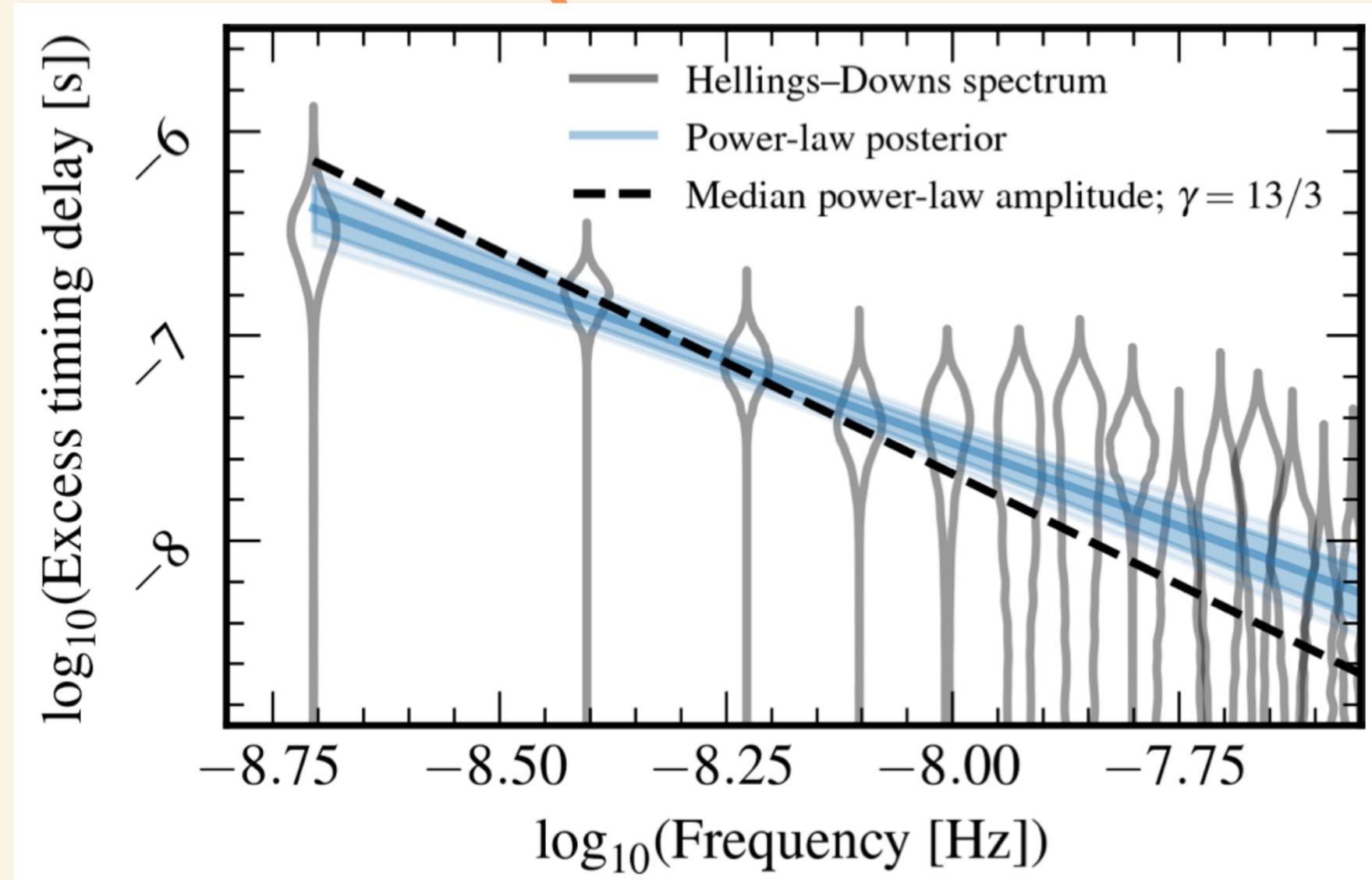


# ORIGIN OF THE SIGNAL

## Astrophysical source:

- Super massive black holes

[2306.16213]



## Cosmological sources:

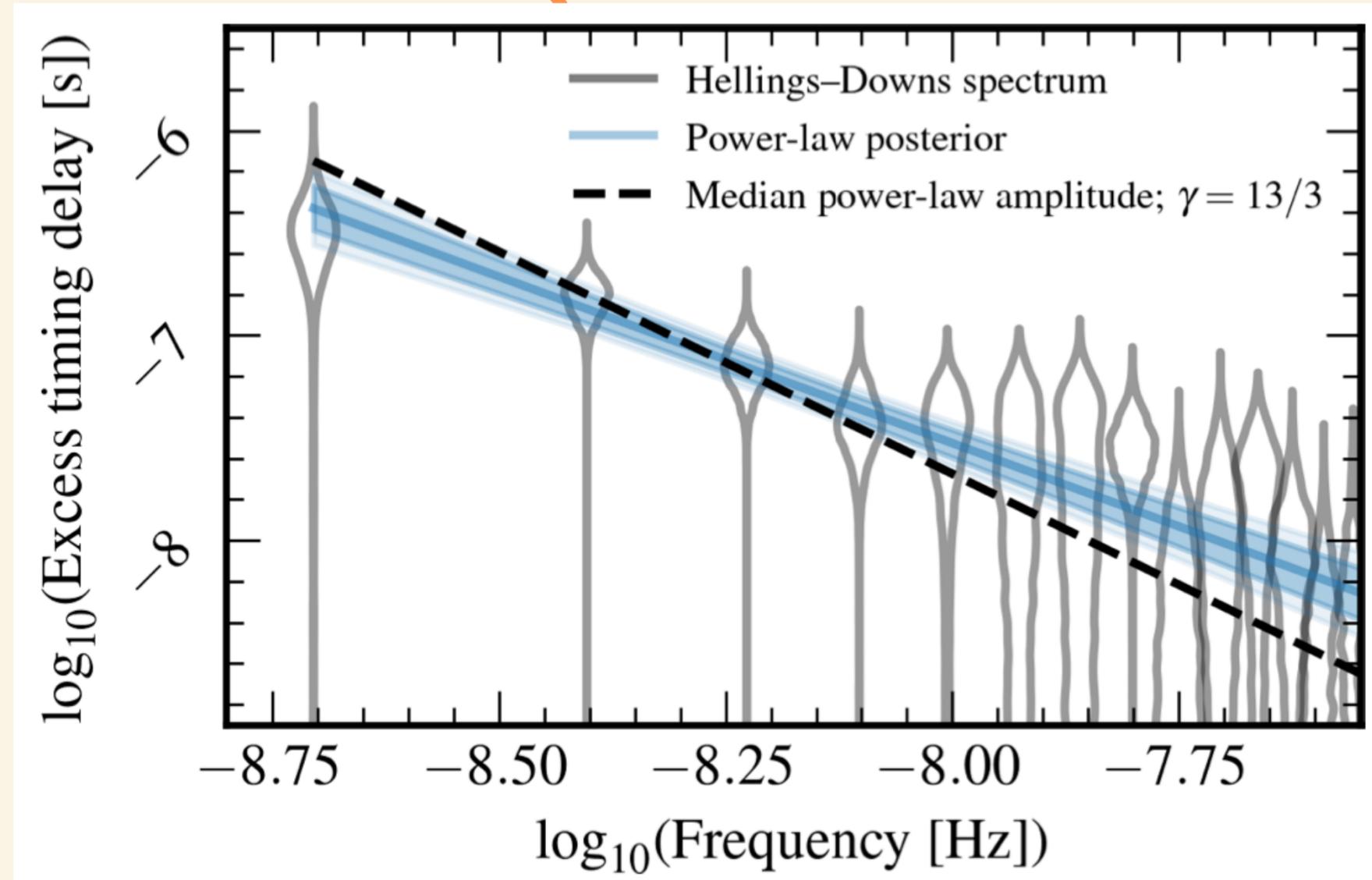
- Phase transition
- Inflation
- cosmic strings
- Scalar induced GWs

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## Cosmological sources:

- Phase transition
- Inflation
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- Scalar induced GWs

***Could they explain the signal??***

# WHAT ARE THE SIGWS?



# SCALAR INDUCED GWS

- Primordial metric perturbations are decomposed into scalar and tensor perturbations

$$ds^2 = a^2(\eta) \left[ -(1 + 2\Psi)d\eta^2 + ((1 + 2\Phi)\delta_{ij} + h_{ij})dx^i dx^j \right]$$

**Scalar  
perturbations**

**Negligible at  
linear order**



No GWs produced at linear order  
in perturbation theory/for small  
perturbations

# SCALAR INDUCED GWS

- Primordial metric perturbations are decomposed into scalar and tensor perturbations

$$ds^2 = a^2(\eta) \left[ -(1 + 2\Psi)d\eta^2 + ((1 + 2\Phi)\delta_{ij} + h_{ij}) dx^i dx^j \right]$$

**Sourced by the scalar perturbations at non-linear order**

**Negligible at linear order**

**→** Gravitational waves produced if large primordial perturbations!

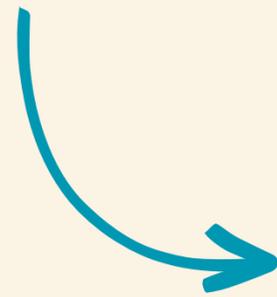
# CAN THE SIGWS EXPLAIN THE PTA SIGNAL ?



# SCALAR INDUCED GWS

- CMB constrains the amplitude of the scalar perturbations at large scales

$$P_\zeta \approx \mathcal{O}(10^{-9}) \text{ at scales } k \approx \mathcal{O}(1\text{Mpc}^{-1}) \quad [1807.06211]$$



***Almost no constraints on the perturbation amplitude at small scales !***

***Too small to induce any detectable GWs...***

# SCALAR INDUCED GWS

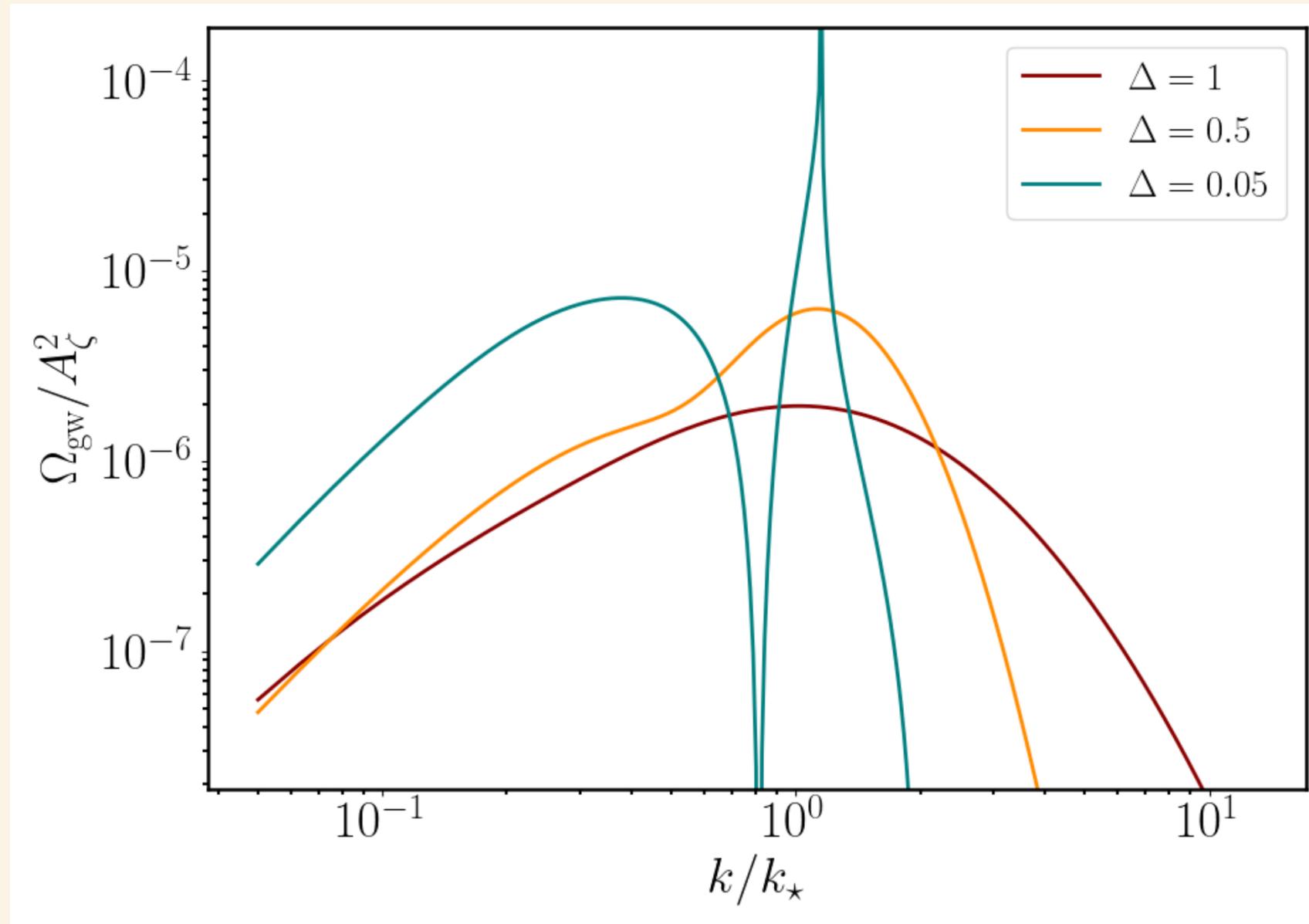
- CMB constrains the amplitude of the scalar perturbations at large scales

$P_\zeta \approx \mathcal{O}(10^{-9})$  at scales  $k \approx \mathcal{O}(1\text{Mpc}^{-1})$



- **Parametrize the power spectrum at small scales with a log-normal shape**

$$P_\zeta(k) = \frac{A_\zeta}{\sqrt{2\pi}\Delta} \text{Exp} \left( -\frac{\log^2(k/k_*)}{2\Delta^2} \right)$$



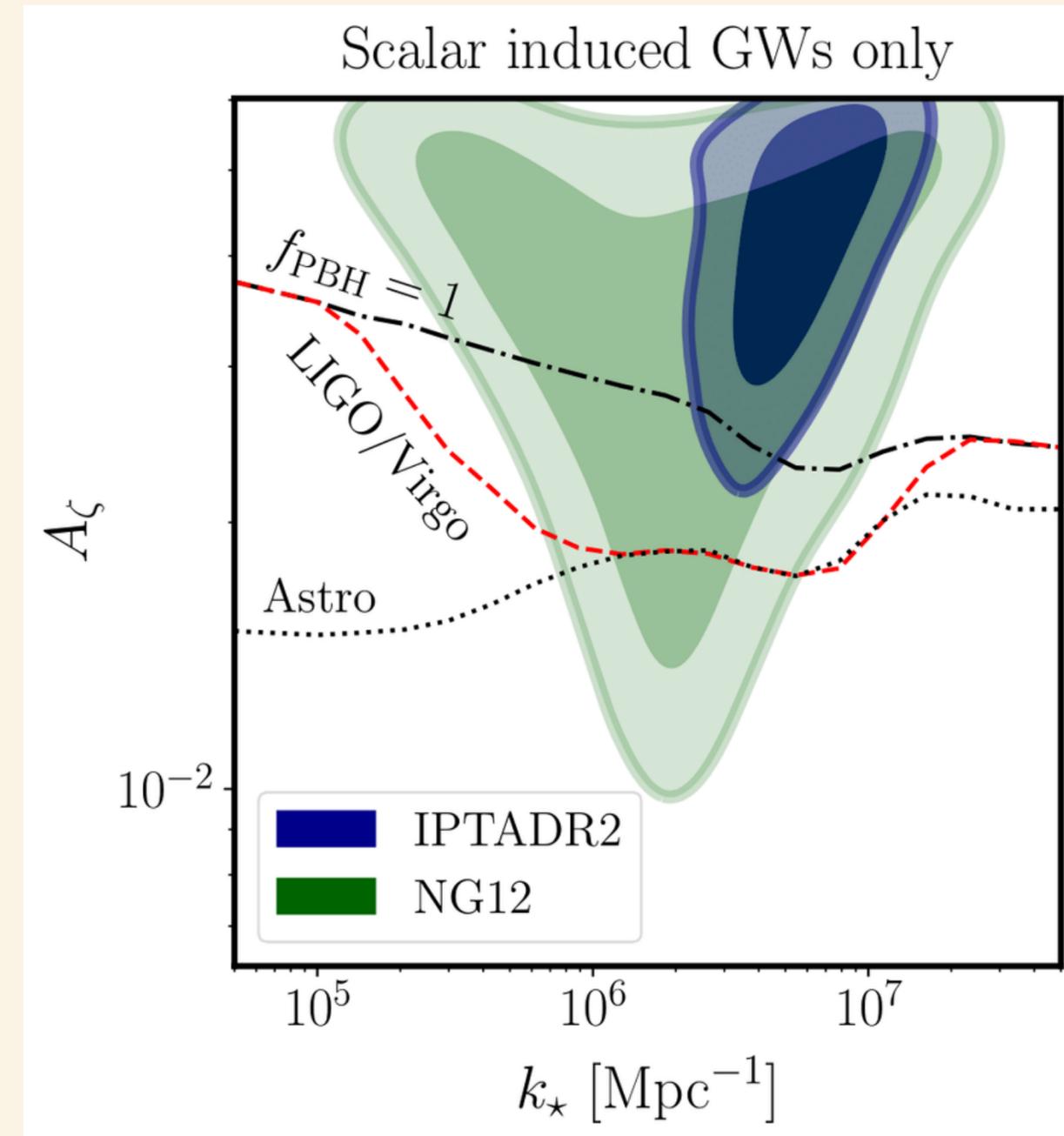
- Parametrize the power spectrum at small scales with a log-normal function

$$P_{\zeta}(k) = \frac{A_{\zeta}}{\sqrt{2\pi}\Delta} \text{Exp} \left( -\frac{\log^2(k/k_*)}{2\Delta^2} \right)$$

- Use IPTA and NANOGrav data to find what parameter space fits the signal

$$A_{\zeta} \sim 10^{-2}$$

$$k_{*} \sim 10^6 \text{ Mpc}^{-1}$$



# PRIMORDIAL BLACK HOLES FROM CURVATURE PERTURBATIONS

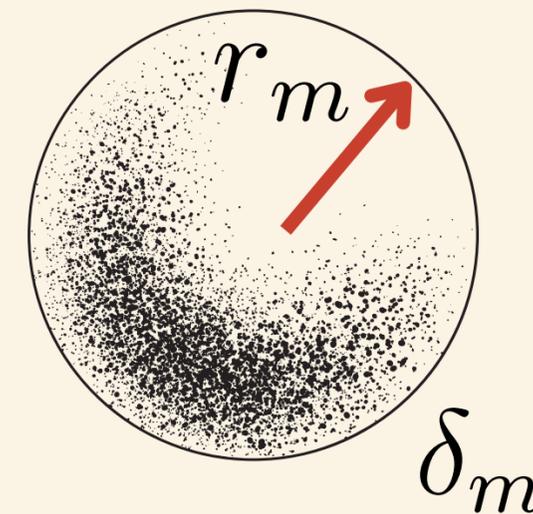


# PBH FORMATION FROM LARGE CURVATURE FLUCTUATIONS

- Let's consider a perturbation  $\delta_m$  with a given scale  $r_m$

For big enough perturbation

$$M = \kappa M_H(r_m) \left( \delta_m - \frac{3}{8} \delta_m^2 - \delta_c \right)^\gamma$$



- What is the population of PBH today?

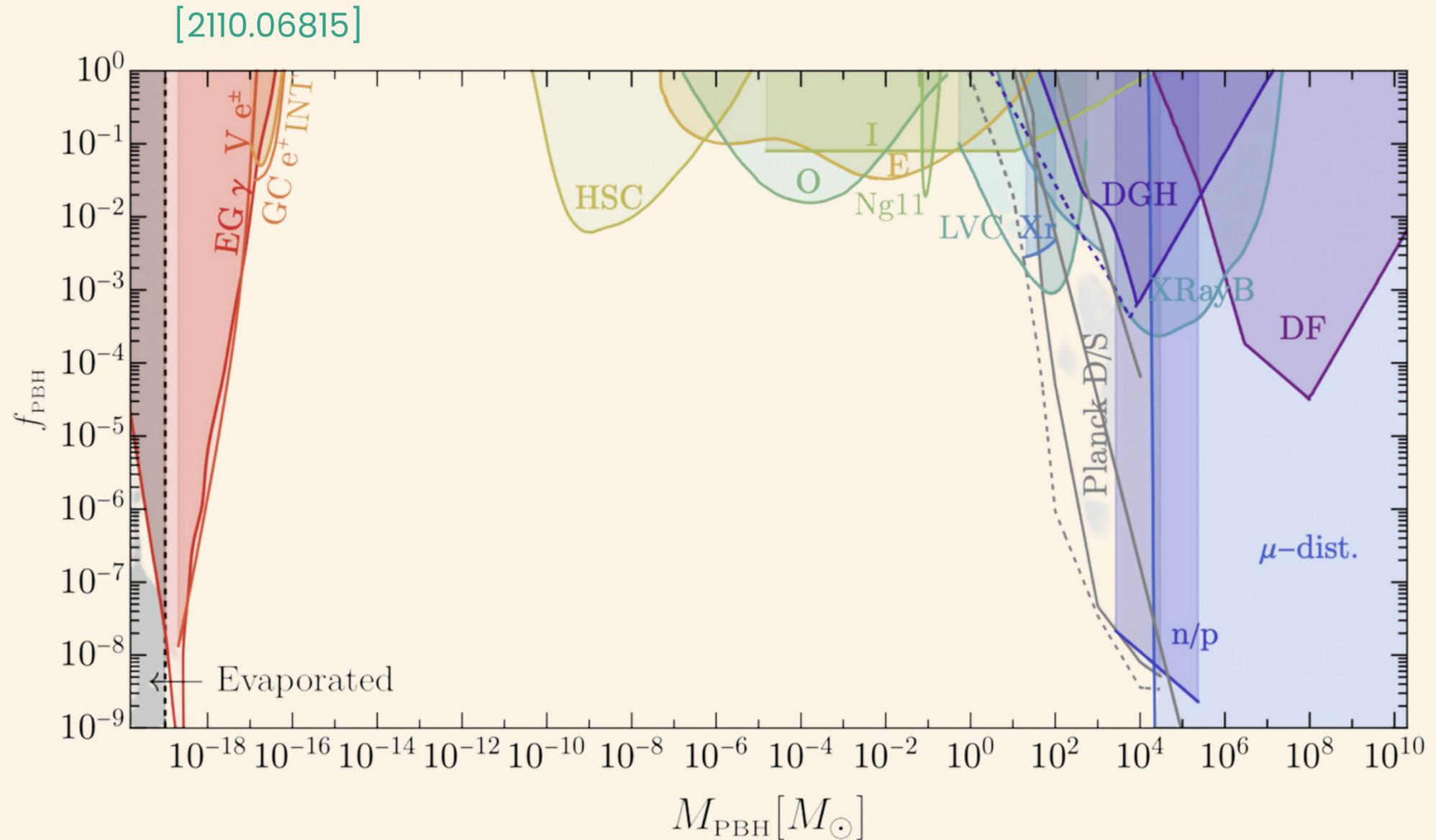
Depends on the curvature power spectrum

# PBH FORMATION FROM LARGE CURVATURE FLUCTUATIONS

$$f_{\text{PBH}} = F_f(P_\zeta)$$

$$\langle M_{\text{PBH}} \rangle = F_M(P_\zeta)$$

- One could translate them into constraints on the amplitude  $A_\zeta$
- How do those upper limits show up in our bayesian search?



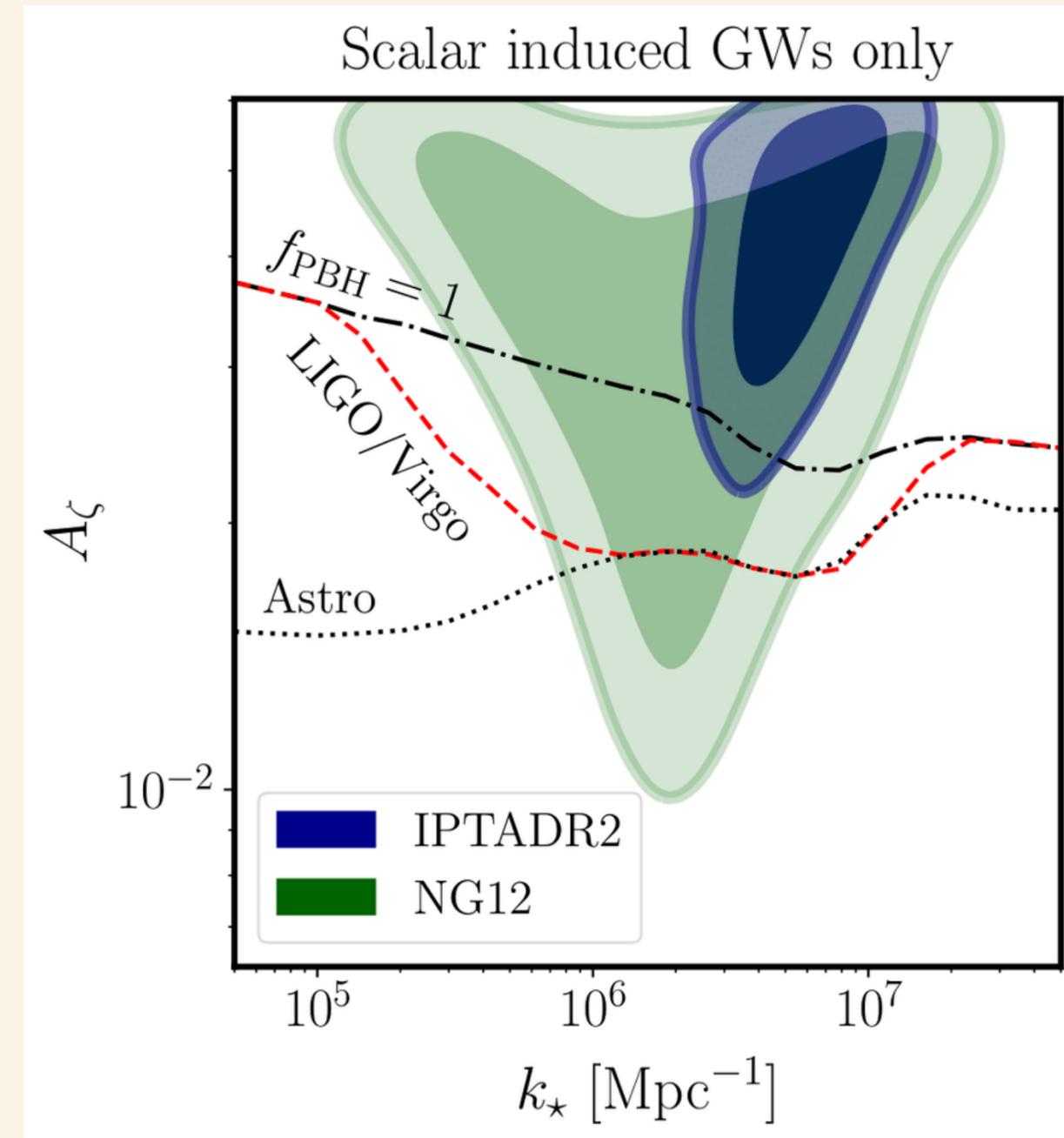
$$A_\zeta \sim 10^{-2}$$

That large amplitudes of fluctuations also produce primordial black holes...

- The PBH abundance is a function of the parameters  $(A_\zeta, k_*, \Delta)$



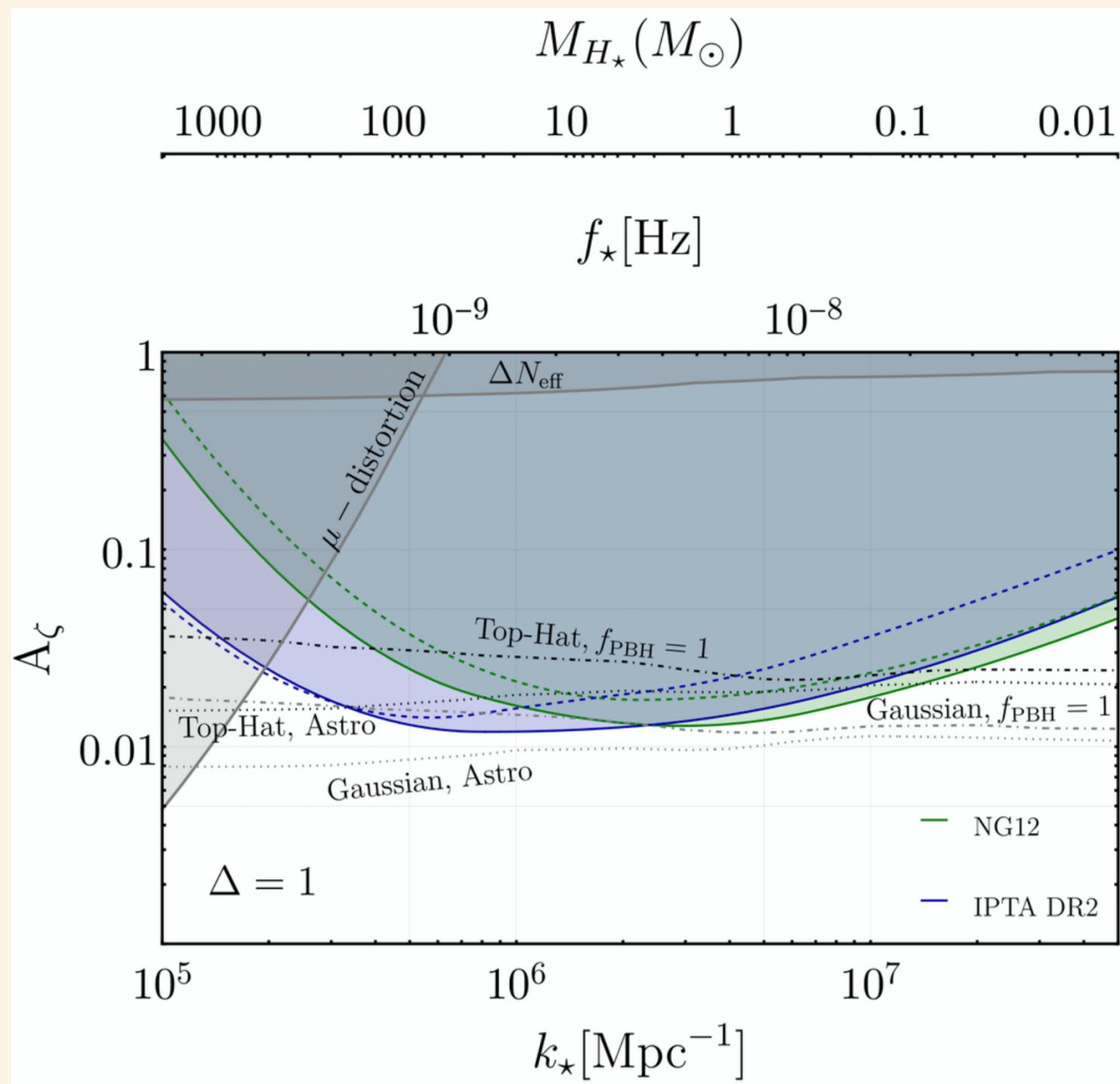
**The parameter space that can explain the signal is in conflict with PBH overproduction constraints**



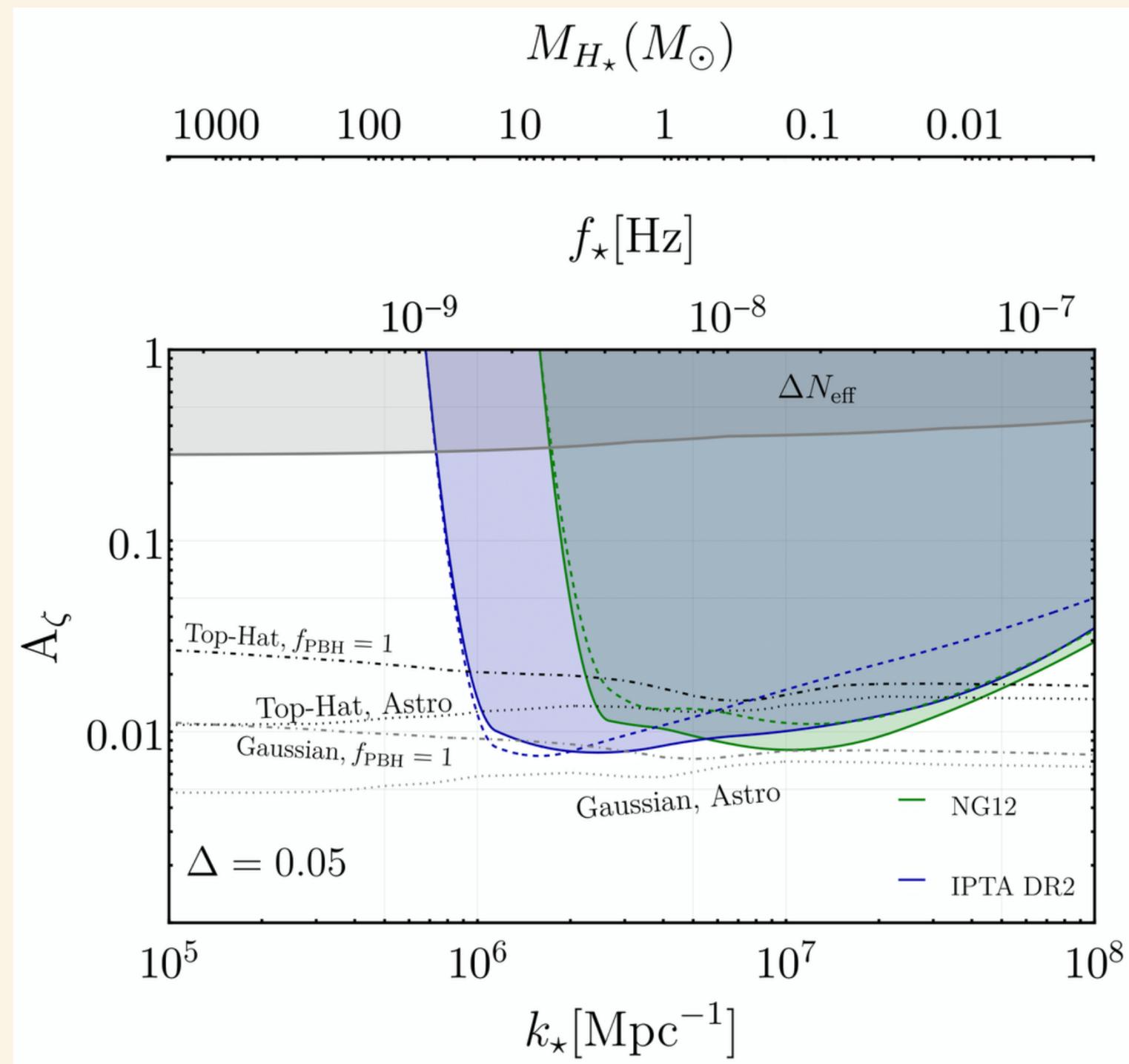
# UPPER LIMITS ON THE CURVATURE POWER SPECTRUM



$$\Delta = 1$$



$$\Delta = 0.05$$



- Large amplitudes of the curvature power spectrum produce GW able to explain the signal observed in PTA
- Such large amplitudes would produce primordial black holes as well
- We have shown that the parameter space able to explain the signal would potentially produce too many PBHs compared to observational data
- The SMBH model is favored to explain to signal and we therefore derived upper limits on the amplitude of the curvature spectrum

# THANK YOU!

