

Bounds on Axions From Obscured Magnetars

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Axion-like particles (ALPs)

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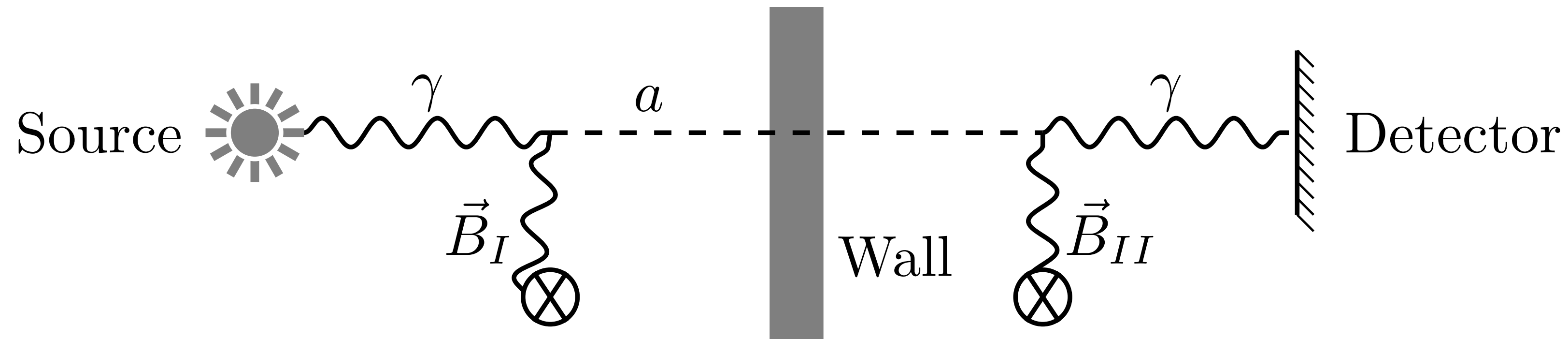


Recap...

- The **Light Shining through the Wall (LSW)** technique of looking for ALPs

$$\mathcal{L}_{\text{ALP}} = \frac{1}{2} \partial^\mu a \partial_\mu a - \frac{1}{2} m_a^2 a^2 - \frac{1}{4} g_{a\gamma} a F_{\mu\nu} \tilde{F}^{\mu\nu}$$

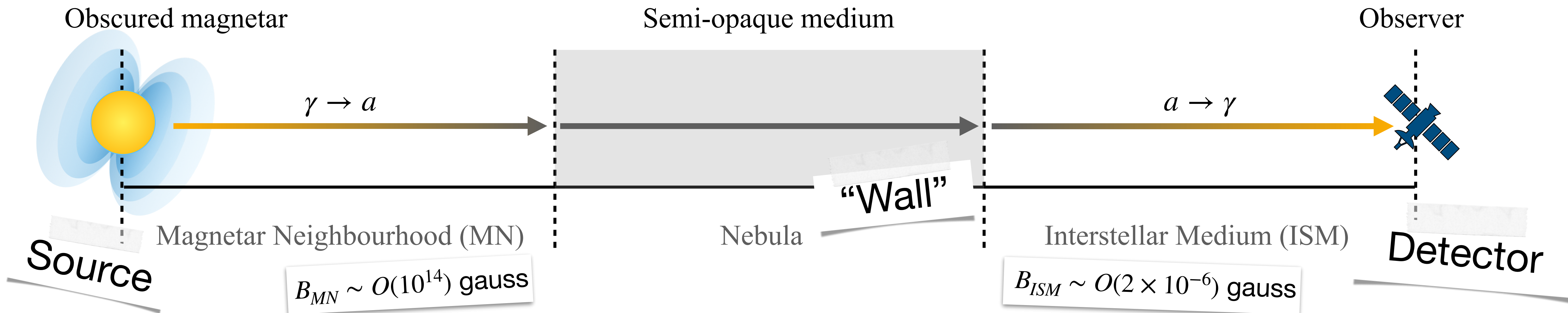
$$\mathcal{L}_{\text{ALP}} \supset g_{a\gamma} \vec{E} \cdot \vec{B} a$$



- **Lab-based** experiments: OSQAR, CROWS, ALPS, ALPS - II (upcoming...)

Idea

- Applying the **LSW technique in astrophysics** by finding a suitable “laboratory”.
- **Obscured Magnetars** are an excellent candidate.



Obtaining the constraint on $g_{a\gamma}$

- The **fraction** of photons that are finally **observed** must always be **larger than** the **fraction** of photons **that may escape** through the $\gamma \rightarrow a \rightarrow \gamma$ **process**.
- Calculating $P(\gamma \rightarrow a \rightarrow \gamma)$ dependence on $g_{a\gamma}$ allows us to **constrain** the **ALP-photon coupling**.
- The “**escape probability**” is given by

$$P(\gamma \rightarrow a \rightarrow \gamma) = P_{MN}(\gamma \rightarrow a) \times P_{ISM}(a \rightarrow \gamma)$$

$$P_{sur} \gtrsim P_{MN} P_{ISM}$$

I. P_{sur} The fraction of photons that survive...

- A magnetar candidate for the **LSW technique**: PSR J1622-4950

$$P_{sur}(E, E + \delta E) = \frac{F_{obs}(E, E + \delta E)}{F_0(E, E + \delta E)}$$

- The ratio between the observed flux vs. the “expected” flux.

$$P_{sur} \approx (0.25 - 4.58) \times 10^{-4}$$

$$F_{obs}(\text{bin}) \approx (0.68 - 2.01) \times 10^{-18} \text{ erg cm}^{-2} \text{ s}^{-1}$$

$$F_0(\text{bin}) = (0.44 - 2.72) \times 10^{-14} \text{ erg cm}^{-2} \text{ s}^{-1}$$

$$(0.71 - 0.98) \text{ keV}$$

$F_{obs}(\text{total})$ (erg cm ⁻² s ⁻¹)	$F_0(\text{total})$ (erg cm ⁻² s ⁻¹)	kT (keV)	N_H (10 ²² cm ⁻²)
$3.0^{+0.8}_{-0.6} \times 10^{-14}$	$11^{+9}_{-4} \times 10^{-14}$	0.5 ± 0.1	$5.4^{+1.6}_{-1.4}$

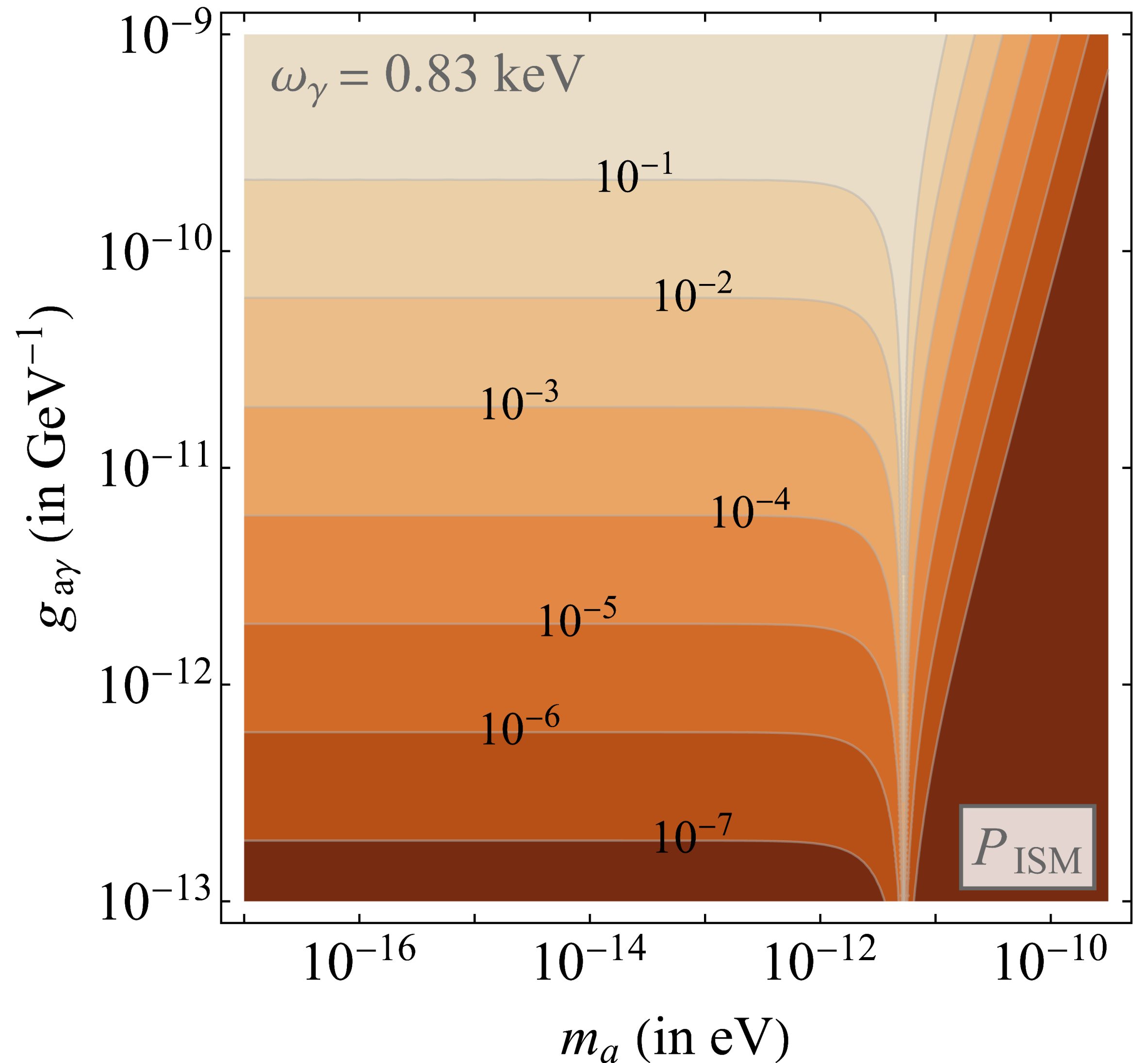
Anderson et al., MULTI-WAVELENGTH OBSERVATIONS OF THE RADIO MAGNETAR PSR J1622-4950 AND DISCOVERY OF ITS POSSIBLY ASSOCIATED SUPERNOVA REMNANT

II. P_{ISM} Conversion probability in ISM

- The conversion probability in the ISM will be averaged out.
- We take:

$$n_{ISM} \approx 2 \times 10^{-2} \text{ cm}^{-3}$$

$$B_{ISM} \approx 2 \times 10^{-6} \text{ gauss}$$



III. P_{MN} Conversion near the magnetar

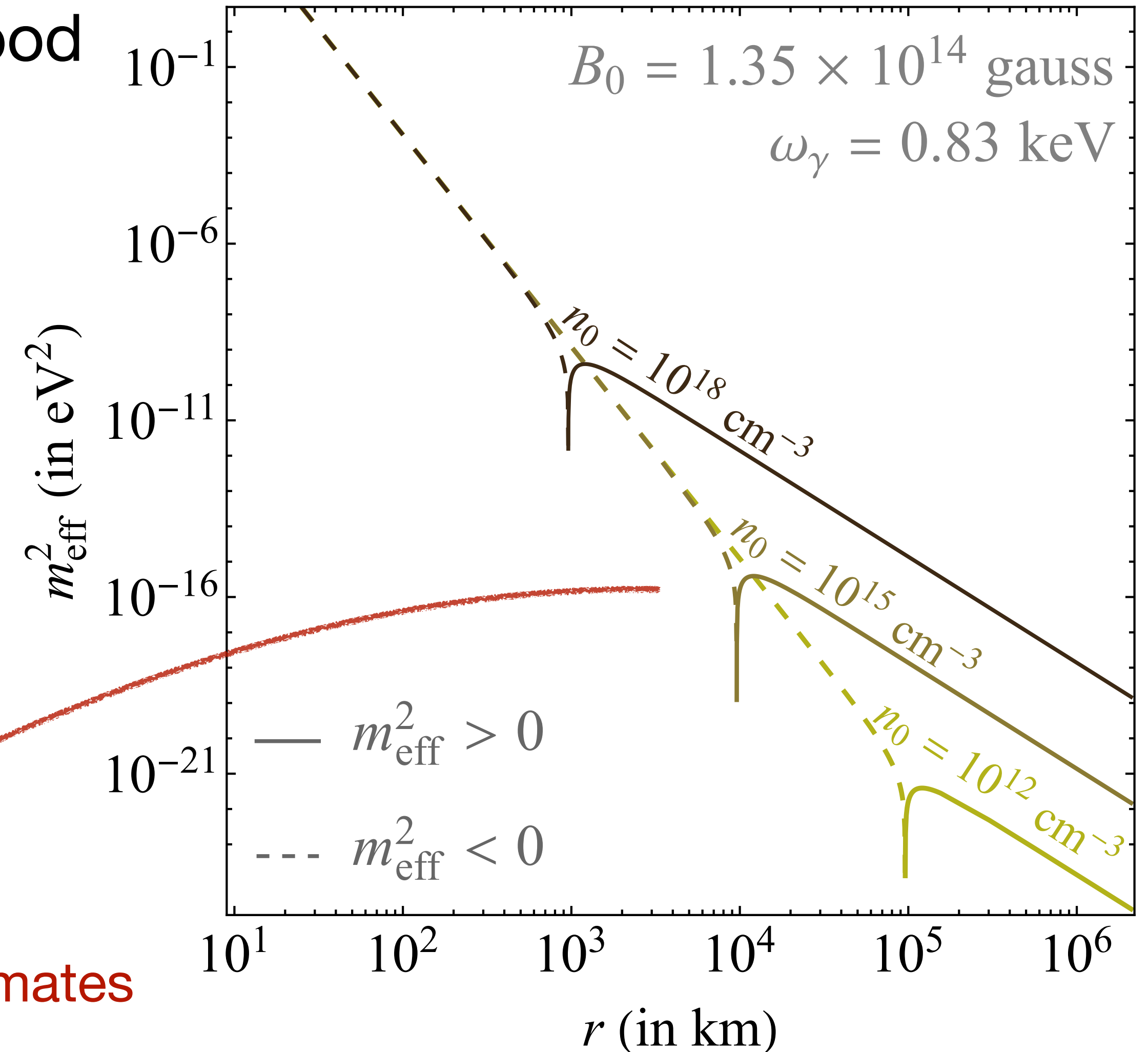
- **Resonance in the Magnetar Neighbourhood**

$$m_{eff}^2 = \frac{4 \pi \alpha n_e}{m_e} - \frac{88 \alpha^2 \omega_\gamma^2}{135 m_e^4} \frac{B^2}{2}$$

$$n_e \approx n_0 \left(\frac{r}{r_0} \right)^{-3} \quad B \approx B_0 \left(\frac{r}{r_0} \right)^{-3}$$

- Resonance at $m_{eff}^2 = m_a^2$
- Fluctuations may lead to multiple **pairs of resonances.**

Large uncertainties in charge density estimates



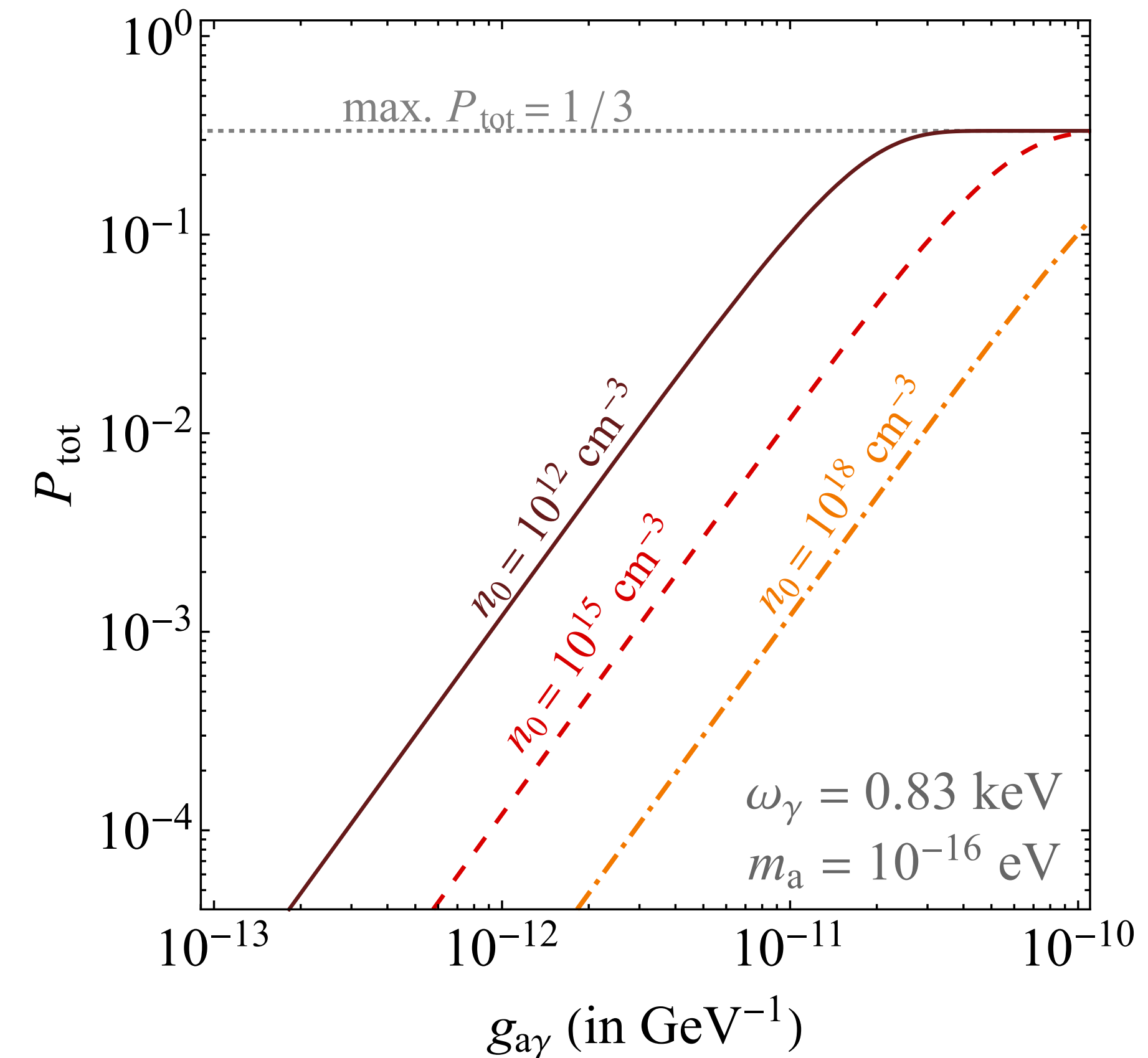
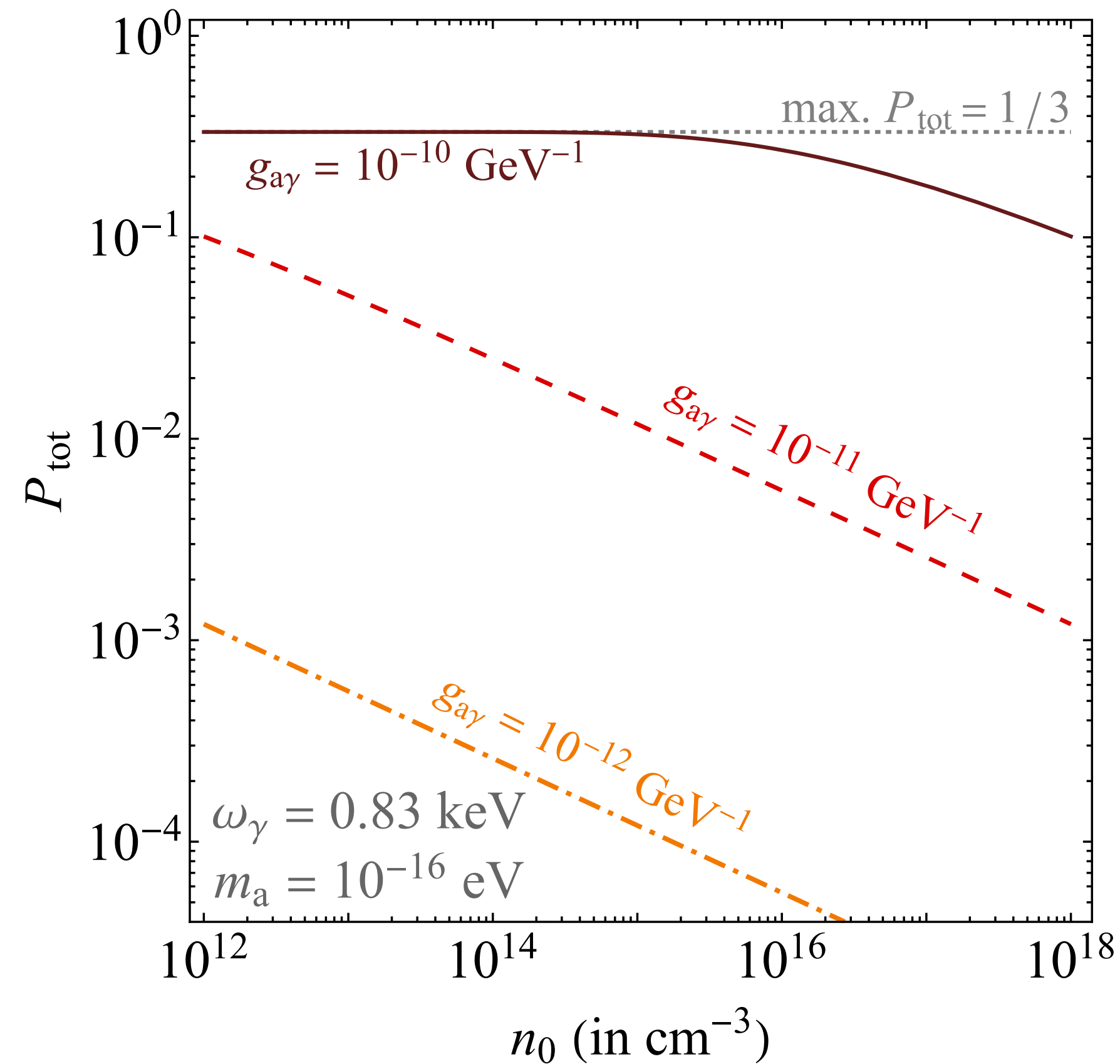
III. P_{MN} Conversion near the magnetar...

- We use conservative estimates for $P_{MN} \equiv P_{tot}$

$$P_{tot} \approx \frac{1}{3} \left(1 - e^{-\frac{3\pi}{4} \Gamma_{tot}} \right)$$

$$\Gamma_{tot} = \frac{2g_{a\gamma}^2 \omega}{m_a^2} \sum_i^{n_r} B_{T,i}^2 \mathcal{R}_i$$

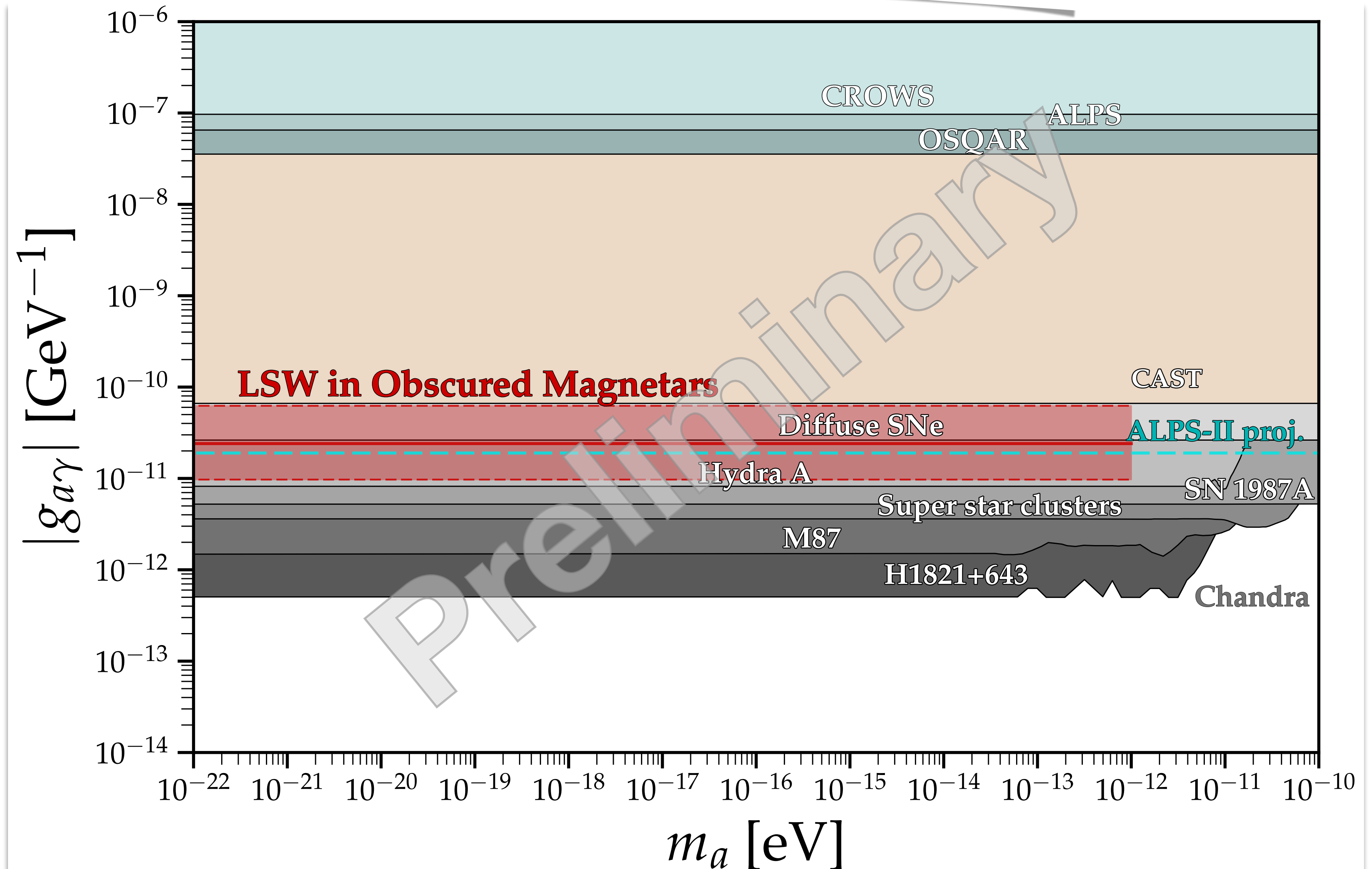
$$\mathcal{R}_i \equiv \left| \frac{d \ln m_{eff}^2}{dl} \right|_{l=l_i}^{-1}$$



Results

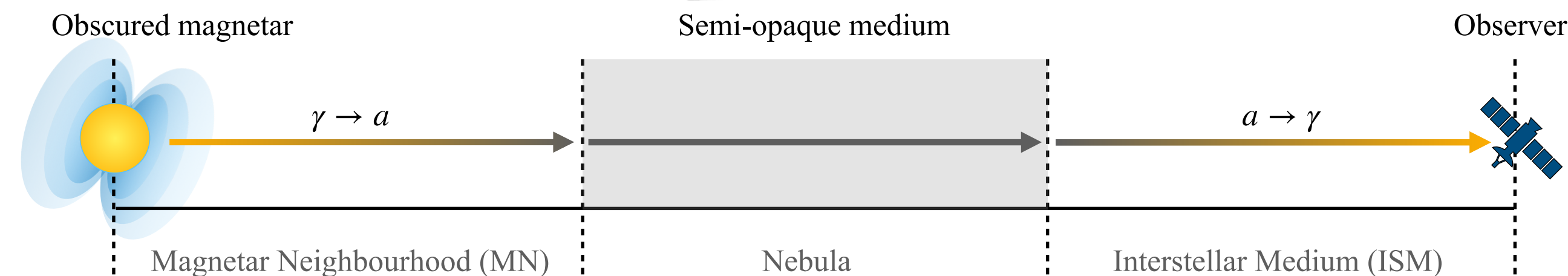
- Complementary to existing astrophysical bounds.
- Better than all current lab-based LSW bounds.
- Competitive even with ALPS-II projections for $m_a \lesssim 10^{-12}$ eV.

$$g_{a\gamma} \lesssim (10^{-11} - 10^{-10}) \text{ GeV}^{-1}$$



Take home message

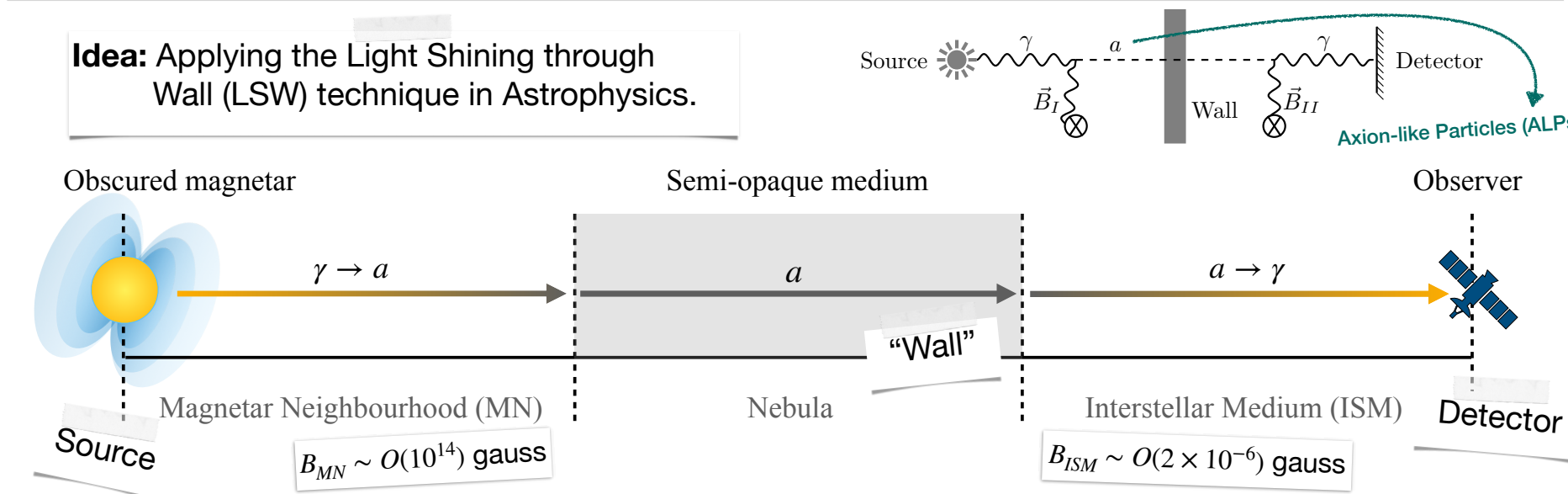
- The idea: LSW + astrophysical systems
- The candidate: obscured magnetars
- The result: $g_{a\gamma} \lesssim (10^{-11} - 10^{-10}) \text{ GeV}^{-1}$ for low mass ALPs ($m_a \lesssim 10^{-12} \text{ eV}$).



arXiv: 2310.#####
(In preparation)

More Questions? Find my poster!

Idea: Applying the Light Shining through Wall (LSW) technique in Astrophysics.



The fraction of photons that survive passing through the nebula must always be larger than the fraction that may escape via the $\gamma \rightarrow a \rightarrow \gamma$ process.

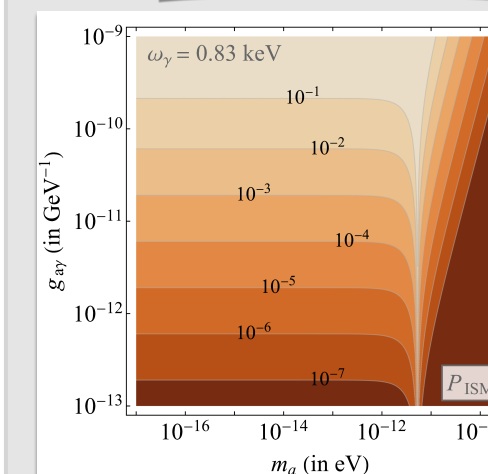
$$P_{sur} \gtrsim P_{MN} P_{ISM}$$

I. P_{sur} PSR J1622-4950

Estimates of intrinsic luminosity + XMM-Newton observation at X-ray energies:

$$P_{sur} \approx (0.25 - 4.58) \times 10^{-4}$$

II. P_{ISM} Averaged out oscillation probability in ISM



III. P_{MN} Resonance in the Magnetar Neighbourhood

$$m_{eff}^2 = \frac{4\pi\alpha n_e}{m_e} - \frac{88\alpha^2\omega_\gamma^2 B^2}{135m_e^4 2}$$

- Resonance at $m_{eff}^2 = m_a^2$
- Fluctuations may lead to multiple pairs of resonances.
- We use conservative estimates for $P_{MN} \equiv P_{tot}$

$$P_{tot} \approx \frac{1}{3} \left(1 - e^{-\frac{3}{4}\Gamma_{tot}} \right)$$

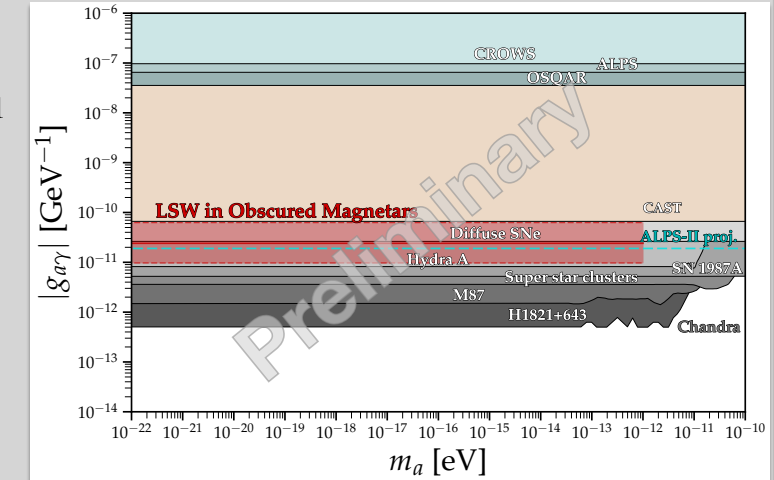
$$\Gamma_{tot} = \frac{2g_{a\gamma}^2\omega}{m_a^2} \sum_i n_i B_{T,i}^2 \mathcal{R}_i$$

$$\mathcal{R}_i \equiv \left| \frac{d \ln m_{eff}^2}{dl} \right|_{l=l_i}^{-1}$$

Large uncertainties in charge density estimates

Results

- $g_{a\gamma} \lesssim (10^{-11} - 10^{-10}) \text{ GeV}^{-1}$
- Complementary to existing astrophysical bounds.
- Better than all lab-based LSW bounds. Competitive with ALPS-II for $m_a \lesssim 10^{-12} \text{ eV}$.



Take Home Message: Obscured Magnetars are an excellent candidates for employing the LSW method. As a proof of concept, we use the data from PSR J1622-4950 to constrain $g_{a\gamma} \lesssim (10^{-11} - 10^{-10}) \text{ GeV}^{-1}$.

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