

# Sterile Neutrino Searches at Colliders

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Sterile neutrinos can be an answer to one of the big open questions in BSM physics:

**What is the origin of the observed neutrinos masses?**

Topic of my talk:

**EW/TeV scale sterile neutrinos  
and their phenomenology**

# Sterile neutrinos – the missing piece of the Standard Model?

There are no right-chiral neutrino states ( $\nu_{Ri}$ ) in the Standard Model

→  $\nu_{Ri}$  would be completely neutral under all SM symmetries (neutral leptons  
↔ RH neutrinos  
↔ sterile neutrinos)

Three Generations of Matter (Fermions) spin 1/2

	I	II	III		
mass →	2.4 MeV	1.27 GeV	173.2 GeV	0	0
charge →	2/3	2/3	2/3	0	0
name →	<b>u</b> up	<b>c</b> charm	<b>t</b> top	<b>g</b> gluon	<b>γ</b> photon
	Left Right	Left Right	Left Right		
<b>Quarks</b>	4.8 MeV -1/3 <b>d</b> down	104 MeV -1/3 <b>s</b> strange	4.2 GeV -1/3 <b>b</b> bottom		
	Left Right	Left Right	Left Right		
	<b>ν<sub>e</sub></b> electron neutrino	<b>ν<sub>μ</sub></b> muon neutrino	<b>ν<sub>τ</sub></b> tau neutrino		
<b>Leptons</b>	0.511 MeV -1 <b>e</b> electron	105.7 MeV -1 <b>μ</b> muon	1.777 GeV -1 <b>τ</b> tau	91.2 GeV 0 <b>Z</b> <sup>0</sup> weak force	126 GeV 0 <b>H</b> Higgs boson
	Left Right	Left Right	Left Right		spin 0
				80.4 GeV ±1 <b>W</b> <sup>±</sup> weak force	
				<b>Bosons (Forces) spin 1</b>	

Adding  $\nu_{Ri}$  leads to the following extra terms in the Lagrangian density:

$$\mathcal{L} = \mathcal{L}_{\text{SM}} - \frac{1}{2} \overline{\nu_R^I} M_{IJ}^N \nu_R^{cJ} - (Y_N)_{I\alpha} \overline{\nu_R^I} \tilde{\phi}^\dagger L^\alpha + \text{H.c.}$$

M: sterile  $\nu$  mass matrix

$Y_N$ : neutrino Yukawa matrix (Dirac mass terms)

# Light neutrino masses via the “seesaw mechanism”

Mass matrix of the (three) light neutrinos

Mass matrix of the (2+n) sterile (= right-handed) neutrinos (masses of Majorana-type)

$$(m_\nu)_{\alpha\beta} = -\frac{v_{EW}^2}{2} \left( Y_\nu^T \cdot M^{-1} \cdot Y_\nu \right)_{\alpha\beta}$$

Valid for  $v_{EW} Y_\nu \ll M_R$

„Seesaw Formula“

From neutrino oscillation experiments and mass searches:

$$\begin{aligned} |m_3^2 - m_1^2| &\approx 2.4 \cdot 10^{-3} \text{ eV}^2 \\ m_2^2 - m_1^2 &\approx 7.5 \cdot 10^{-5} \text{ eV}^2 \\ \text{all three } m_i &\text{ below } \sim 0.2 \text{ eV} \end{aligned}$$

+ measurements of the leptonic mixing angles (from neutrino osc. experiments)

Neutrino Yukawa matrix

P. Minkowski ('77), Mohapatra, Senjanovic, Yanagida, Gell-Mann, Ramond, Slansky, Schechter, Valle, ...

Note: At least two sterile neutrinos are required  
→ generate masses for two of the light neutrinos  
(necessary for realizing the two observed mass splittings)

What do the measured light neutrino parameters tell us about the neutrino parameters  $M$  and  $Y_\nu$ ?

# What do we know about the neutrino parameters?

Getting started:  $1 \nu_R, 1 \nu_L$

$$\Rightarrow m_\nu = \frac{1}{2} \frac{v_{EW}^2 |y_\nu|^2}{M_R}$$

→ Knowledge of  $m_\nu$  implies relation between  $y_\nu$  and  $M_R$

“Naive” seesaw relation:  $y_\nu^2 < O(10^{-13}) (M / 100 \text{ GeV})$

# What do we know about the sterile neutrino parameters?

Example 1:  $2 \nu_R, 2 \nu_L$

Example of a small perturbation

$$Y_\nu = \begin{pmatrix} \sigma(y_\nu) & 0 \\ 0 & \sigma(y_\nu) \end{pmatrix}, \quad M = \begin{pmatrix} M_R & 0 \\ 0 & M_R + \epsilon \end{pmatrix}$$
$$\Rightarrow m_{\nu_i} = \frac{v_{EW}^2 \sigma(y_\nu^2)}{M_R} (1 + \epsilon \delta_{i2})$$

→ Also in this example: Knowledge of  $m_{\nu_i}$  implies relation between  $y_{\nu_i}$  and  $M_R$

# What do we know about the sterile neutrino parameters?

Example 2:  $2 \nu_R, 2 \nu_L$

Similar: “inverse” seesaw, “linear” seesaw

See e.g.: D. Wyler, L. Wolfenstein ('83), R. N. Mohapatra, J. W. F. Valle ('86), M. Shaposhnikov ('07), J. Kersten, A. Y. Smirnov ('07), M. B. Gavela, T. Hambye, D. Hernandez, P. Hernandez ('09), M. Malinsky, J. C. Romao, J. W. F. Valle ('05), ...

$$Y_\nu = \begin{pmatrix} \sigma(y_\nu) & 0 \\ \sigma(y_\nu) & 0 \end{pmatrix}, \quad M = \begin{pmatrix} 0 & M_R \\ M_R & \epsilon \end{pmatrix}$$
$$\Rightarrow m_\nu = 0 + \epsilon \frac{v_{EW}^2 \sigma(y_\nu^2)}{M_R^2}$$

Example:  
small  
perturbation  
in the  
“inverse  
seesaw”

→ In general: No “fixed relation” between  $y_\nu$  and  $M_R$ , larger  $y_\nu$  possible!

# What do we know about the sterile neutrino parameters?

Example 2:  $2 \nu_R, 2 \nu_L$

Similar: “inverse” seesaw, “linear” seesaw

$$Y_\nu = \begin{pmatrix} \sigma(y_\nu) & 0 \\ \sigma(y_\nu) & 0 \end{pmatrix}, \quad M = \begin{pmatrix} 0 & M_R \\ M_R & \cancel{\epsilon} \end{pmatrix}$$

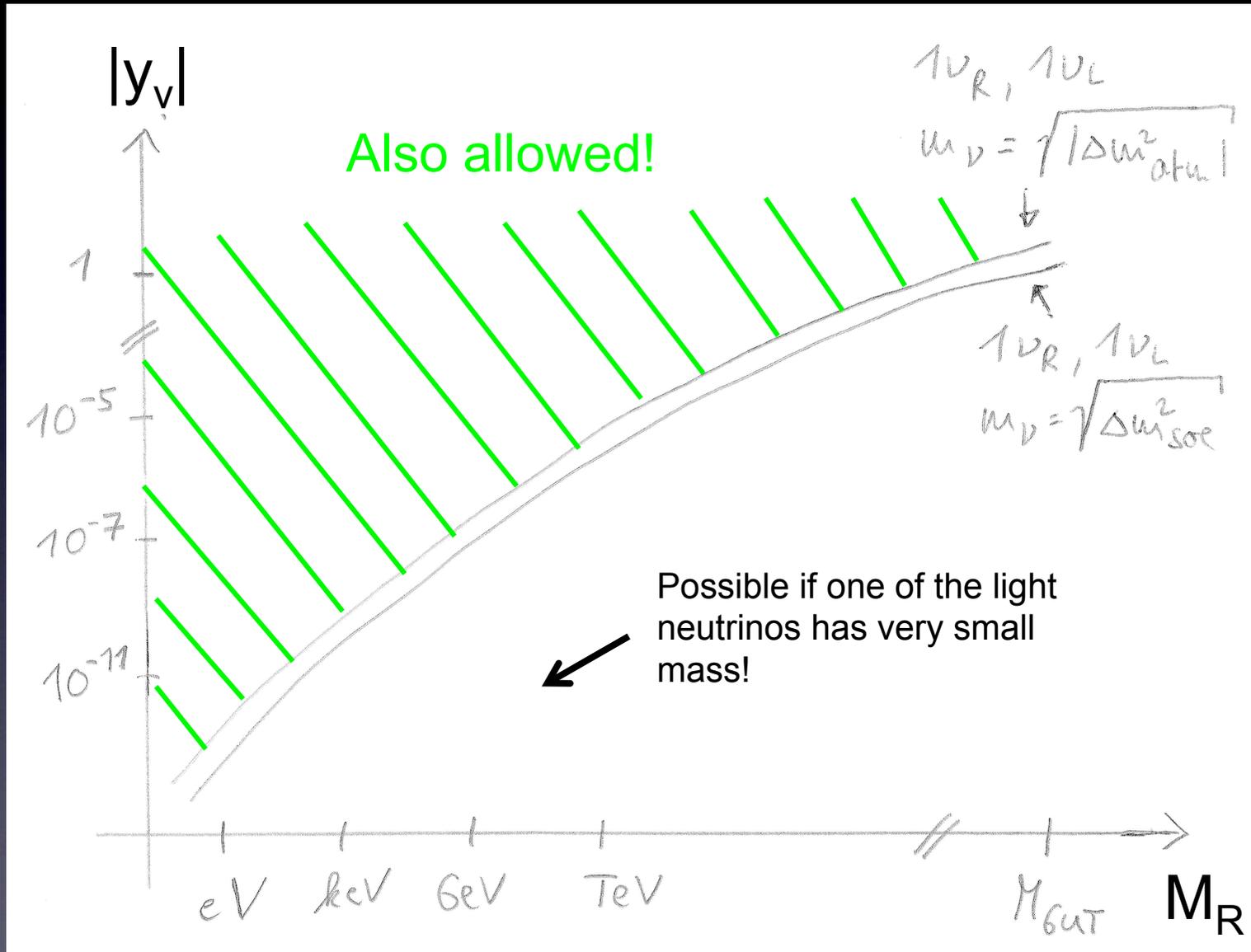
$$\Rightarrow m_\nu = 0 + \cancel{\epsilon} \frac{v_{EW}^2 \mathcal{O}(y_\nu^2)}{M_R^2}$$

Example for “protective” symmetry:

	$L_\alpha$	$\nu_{R1}$	$\nu_{R2}$
“Lepton-#”	+1	+1	-1

Note: Can be realized by symmetries, e.g. by an (approximate) “lepton number”-like symmetry

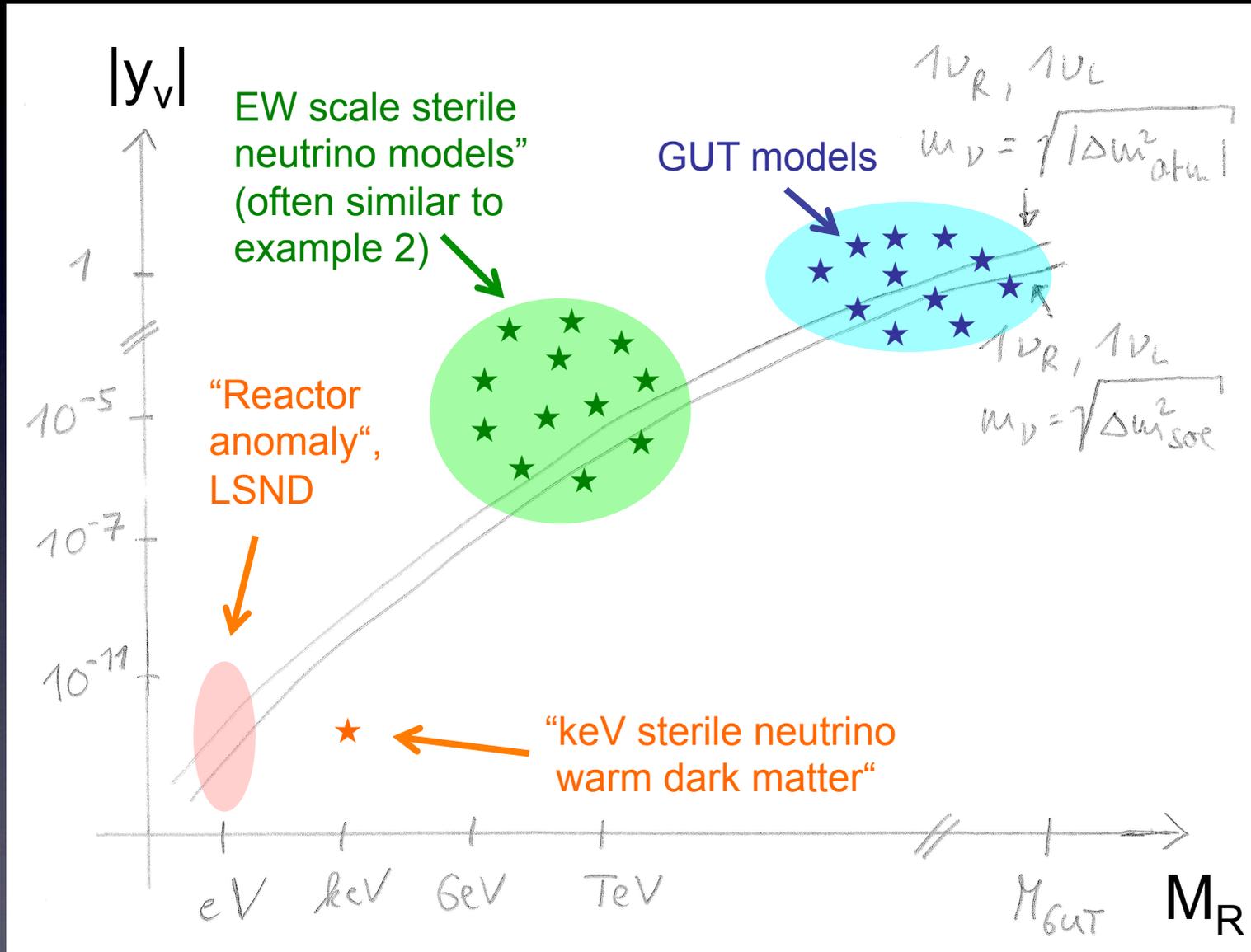
# Possible values of $M_R$ and $y_\nu$



Not considering experimental constraints

# “Landscape” of sterile neutrino models

Examples, schematic



Not considering experimental constraints

# A benchmark model for EW scale sterile $\nu$ : SPSS (Symmetry Protected Seesaw Scenario)

Consider  $2+n$  sterile neutrinos (plus the three active)  $\rightarrow$  with  $M$  and  $Y_\nu$  for two of the steriles as in example 2 due to some generic “lepton number”-like symmetry)

$$Y_\nu = \begin{pmatrix} y_{\nu e} & 0 \\ y_{\nu \mu} & 0 \dots \\ y_{\nu e} & 0 \end{pmatrix}, \quad M = \begin{pmatrix} 0 & M_R & & & \\ M_R & 0 & & & \\ \dots & \dots & \dots & \dots & \\ & & & 0 & \\ & & & & \dots \end{pmatrix}$$

+  $O(\epsilon)$   
perturbations  
to generate the  
light neutrino  
mass  
(which we can  
often neglect for  
collider studies)

Similar: “inverse” seesaw, “linear” seesaw

For details on the SPSS, see:

S.A., O. Fischer (arXiv:1502.05915)

Additional sterile neutrinos can exist, but have no effects at colliders (which can be realised easily, e.g. by giving lepton number = 0 to them).

# A benchmark model SPSS (Symmetry Protected)

Consider  $2+n$  sterile neutrinos (plus the active ones) as in example 2 due to some

**Comment:** Since in the SPSS we allow for additional sterile neutrinos,  $M$  and  $y_\alpha$  ( $\alpha=e,\mu,\tau$ ) are indeed free parameters (not constrained by  $m_\nu$ ). In specific models there are correlations among the  $y_\alpha$ . Strategy of the SPSS: study how to measure the  $y_\alpha$  independently, in order to test (not a priori assume) such correlations!

$$Y_\nu = \begin{pmatrix} y_{\nu e} & 0 \\ y_{\nu \mu} & 0 \dots \\ y_{\nu \tau} & 0 \end{pmatrix}, \quad M = \begin{pmatrix} 0 & M_R & & & \\ M_R & 0 & & & \\ \dots & \dots & \dots & \dots & \dots \\ & & & 0 & \\ & & & & \dots \end{pmatrix}$$

+  $O(\epsilon)$   
perturbations  
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Additional sterile neutrinos can exist, but have no effects at colliders (which can be realised easily, e.g. by giving lepton number = 0 to them).

# What are the observable effects of EW scale heavy neutral leptons?

(This part we neglect the  $O(\varepsilon)$  effects; will be discussed later ...)

# As example: SPSS (Symmetry Protected Seesaw Scenario)

In the  
symmetry  
limit:

$$\mathcal{L}_N = - \overline{N_R}^1 M N_R^c{}^2 - y_\alpha \overline{N_R}^1 \tilde{\phi}^\dagger L^\alpha + \text{H.c.} \\ + \dots \text{ (terms from additional sterile vs)}$$

# As example: SPSS (Symmetry Protected Seesaw Scenario)

In the  
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4 Parameters:  
 $M, y_\alpha, (\alpha=e,\mu,\tau)$

# As example: SPSS (Symmetry Protected Seesaw Scenario)

In the  
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$$\mathcal{L}_N = - \overline{N_R}^1 M N_R^c{}^2 - y_\alpha \overline{N_R}^1 \tilde{\phi}^\dagger L^\alpha + \text{H.c.} \\ + \dots \text{ (terms from additional sterile vs)}$$

After EW symmetry breaking, we diagonalize the 5x5 mass matrix:

Mass eigenstates:

$$\tilde{n}_j = (\nu_1, \nu_2, \nu_3, N_4, N_5)_j^T = U_{j\alpha}^\dagger n_\alpha$$

“light” and “heavy”  
neutrinos

with:

$$n = (\nu_{eL}, \nu_{\mu L}, \nu_{\tau L}, (N_R^1)^c, (N_R^2)^c)^T$$

“active” and “sterile”  
neutrinos

This defines the 5x5 mixing matrix U.

# We consider the SPSS: Instead of the $y_\alpha$ , we use the active sterile mixing angles $\theta_\alpha$ , ( $\alpha=e,\mu,\tau$ )

In the symmetry limit:

$$\mathcal{L}_N = - \overline{N_R}^1 M N_R^c{}^2 - y_\alpha \overline{N_R}^1 \tilde{\phi}^\dagger L^\alpha + \text{H.c.} \\ + \dots \text{ (terms from additional sterile vs)}$$

- ▶ The leptonic mixing matrix to leading order in the active-sterile mixing parameters:

$$U_{5 \times 5} = \begin{pmatrix} \mathcal{N}_{1e} & \mathcal{N}_{1\mu} & \mathcal{N}_{1\tau} & -\frac{i}{\sqrt{2}}\theta_e & \frac{1}{\sqrt{2}}\theta_e \\ \mathcal{N}_{2e} & \mathcal{N}_{2\mu} & \mathcal{N}_{2\tau} & -\frac{i}{\sqrt{2}}\theta_\mu & \frac{1}{\sqrt{2}}\theta_\mu \\ \mathcal{N}_{3e} & \mathcal{N}_{3\mu} & \mathcal{N}_{3\tau} & -\frac{i}{\sqrt{2}}\theta_\tau & \frac{1}{\sqrt{2}}\theta_\tau \\ 0 & 0 & 0 & \frac{i}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ -\theta_e^* & -\theta_\mu^* & -\theta_\tau^* & \frac{-i}{\sqrt{2}}(1 - \frac{1}{2}\theta^2) & \frac{1}{\sqrt{2}}(1 - \frac{1}{2}\theta^2) \end{pmatrix}$$

Parameters:  
 $M, y_\alpha$ , ( $\alpha=e,\mu,\tau$ )  
 or equivalently  
 $M, \theta_\alpha$ , ( $\alpha=e,\mu,\tau$ )

▶ Active-sterile neutrino mixing parameters:

$$\theta_\alpha = \frac{y_\alpha^*}{\sqrt{2}} \frac{v_{EW}}{M}, \quad \alpha = e, \mu, \tau$$

# Observable effects of the sterile neutrinos: $M \gg \Lambda_{EW}$

(Effective) mixing matrix of light neutrinos is a submatrix of a larger unitary mixing matrix (mixing with additional heavy particles)

Main effect for  $M \gg \Lambda_{EW}$ :  
“Leptonic non-unitarity”

Langacker, London ('88); S.A., Biggio, Fernandez-Martinez, Gavela, Lopez-Pavon ('06), ...  
Gives rise to NSIs at source, detector & with matter: see e.g. S.A., Baumann, Fernandez-Martinez (arXiv:0807.1003)  
Global constraints on  $\epsilon_{\alpha\beta}$ : S.A., Fischer (arXiv:1407.6607)

$$U = \begin{pmatrix} \mathcal{N}_{1e} & \mathcal{N}_{1\mu} & \mathcal{N}_{1\tau} & -\frac{i}{\sqrt{2}}\theta_e & \frac{1}{\sqrt{2}}\theta_e \\ \mathcal{N}_{2e} & \mathcal{N}_{2\mu} & \mathcal{N}_{2\tau} & -\frac{i}{\sqrt{2}}\theta_\mu & \frac{1}{\sqrt{2}}\theta_\mu \\ \mathcal{N}_{3e} & \mathcal{N}_{3\mu} & \mathcal{N}_{3\tau} & -\frac{i}{\sqrt{2}}\theta_\tau & \frac{1}{\sqrt{2}}\theta_\tau \\ 0 & 0 & 0 & \frac{i}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ -\theta_e^* & -\theta_\mu^* & -\theta_\tau^* & \frac{-i}{\sqrt{2}}(1 - \frac{1}{2}\theta^2) & \frac{1}{\sqrt{2}}(1 - \frac{1}{2}\theta^2) \end{pmatrix}$$

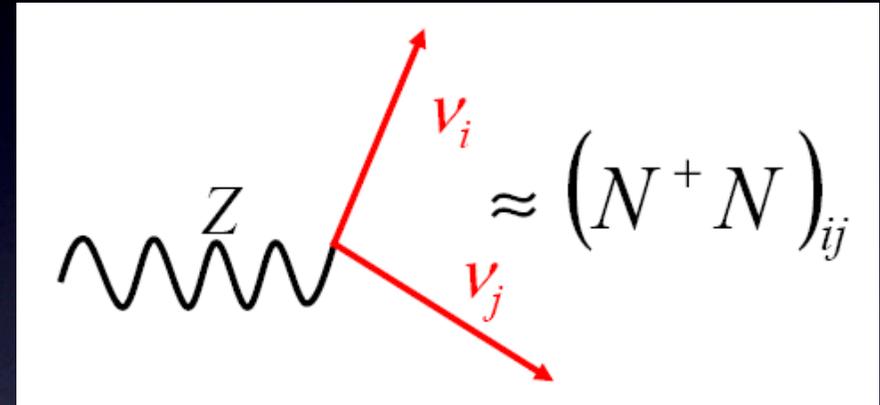
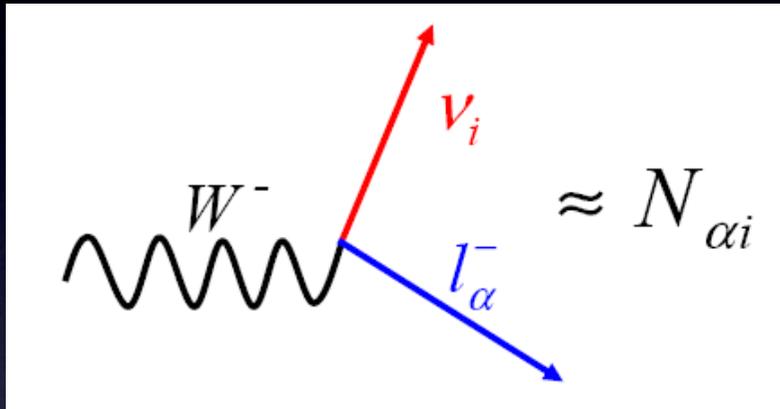
Non-unitarity parameters:

$$(NN^\dagger)_{\alpha\beta} = (1_{\alpha\beta} + \epsilon_{\alpha\beta})$$

$\Rightarrow U_{PMNS} \equiv N$  is non-unitary  $\Rightarrow$  various obs. effects!

# ***EW interactions of the light neutrinos are modified***

**In the effective theory below  $M_R$ :**



- Theory predictions for various observables which involve weak interactions get modified!

Since it changes, for example, the **determination of  $G_F$  from muon decay**, it has indirect effects on a large number of observables (e.g. on all the **Electroweak Precision Observables (EWPOs)**).

# Indirect effects of sterile neutrinos: electroweak precision observables modified

Prediction in MUV	Prediction in the SM	Experiment
$[R_\ell]_{\text{SM}} (1 - 0.15(\varepsilon_{ee} + \varepsilon_{\mu\mu}))$	20.744(11)	20.767(25)
$[R_b]_{\text{SM}} (1 + 0.03(\varepsilon_{ee} + \varepsilon_{\mu\mu}))$	0.21577(4)	0.21629(66)
$[R_c]_{\text{SM}} (1 - 0.06(\varepsilon_{ee} + \varepsilon_{\mu\mu}))$	0.17226(6)	0.1721(30)
$[\sigma_{had}^0]_{\text{SM}} (1 - 0.25(\varepsilon_{ee} + \varepsilon_{\mu\mu}) - 0.27\varepsilon_{\tau\tau})$	41.470(15) nb	41.541(37) nb
$[R_{inv}]_{\text{SM}} (1 + 0.75(\varepsilon_{ee} + \varepsilon_{\mu\mu}) + 0.67\varepsilon_{\tau\tau})$	5.9721(10)	5.942(16)
$[M_W]_{\text{SM}} (1 - 0.11(\varepsilon_{ee} + \varepsilon_{\mu\mu}))$	80.359(11) GeV	80.385(15) GeV
$[\Gamma_{\text{lept}}]_{\text{SM}} (1 - 0.59(\varepsilon_{ee} + \varepsilon_{\mu\mu}))$	83.966(12) MeV	83.984(86) MeV
$[(s_{W,\text{eff}}^{\ell,\text{lep}})^2]_{\text{SM}} (1 + 0.71(\varepsilon_{ee} + \varepsilon_{\mu\mu}))$	0.23150(1)	0.23113(21)
$[(s_{W,\text{eff}}^{\ell,\text{had}})^2]_{\text{SM}} (1 + 0.71(\varepsilon_{ee} + \varepsilon_{\mu\mu}))$	0.23150(1)	0.23222(27)

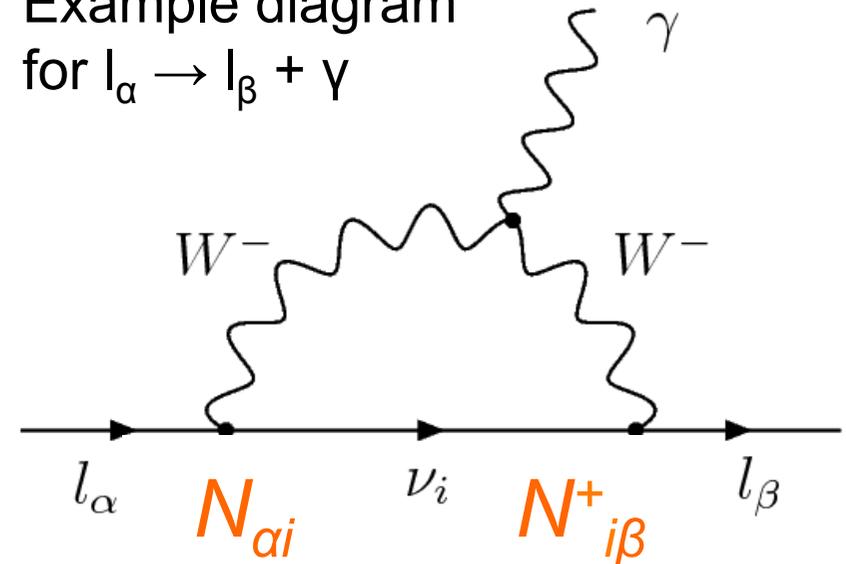
taken from: S.A., O. Fischer (arXiv:1407.6607)

Sensitivity via  $G_F$ !

# Constraints from cLFV

- Bounds on LFV  $\mu$  and  $\tau$  decays  $l_i \rightarrow l_j \gamma$  (and on  $\mu \rightarrow 3e$  and  $\mu \rightarrow e$  conversion in nuclei) lead to constraints on the  $|\epsilon_{\alpha\beta}|$ :

Example diagram for  $l_\alpha \rightarrow l_\beta + \gamma$



$$\frac{\Gamma(l_\alpha \rightarrow l_\beta \gamma)}{\Gamma(l_\alpha \rightarrow \nu_\alpha l_\beta \bar{\nu}_\beta)} = \frac{3\alpha}{32\pi} \frac{|\sum_k N_{\alpha k} N_{k\beta}^\dagger F(x_k)|^2}{(NN^\dagger)_{\alpha\alpha} (NN^\dagger)_{\beta\beta}}$$

irrelevant for unitary mixing matrix, but can lead to sizable Br's for non-unitary N!

$$F(x) \equiv \frac{10 - 43x + 78x^2 - 49x^3 + 4x^4 + 18x^3 \ln x}{3(x-1)^4}$$

where:

$$x_k \equiv m_k^2 / M_W^2$$

$m_k$ : light neutrinos' masses

# Relation to the parameters of the SPSS benchmark model

	$y_{\nu\alpha}$	$\theta_\alpha$	$\epsilon_{\alpha\beta}$
$y_{\nu\alpha} =$	–	$\frac{\sqrt{2M}}{v_{EW}} \theta_\alpha^*$	$-\frac{\sqrt{2M}}{v_{EW}} \epsilon_{\beta\alpha} / \sqrt{-\epsilon_{\beta\beta}}$
$\theta_\alpha =$	$\frac{v_{EW}}{\sqrt{2M}} y_{\nu\alpha}^*$	–	$-\epsilon_{\beta\alpha} / \sqrt{-\epsilon_{\beta\beta}}$
$\epsilon_{\alpha\beta} =$	$-\frac{v_{EW}^2 y_{\nu\alpha}^* y_{\nu\beta}}{2M^2}$	$-\theta_\alpha^* \theta_\beta$	–

Non-unitarity  
parameters

Active-sterile  
neutrino mixing

# Observable effects of the sterile neutrinos: $M \cong \Lambda_{EW}$

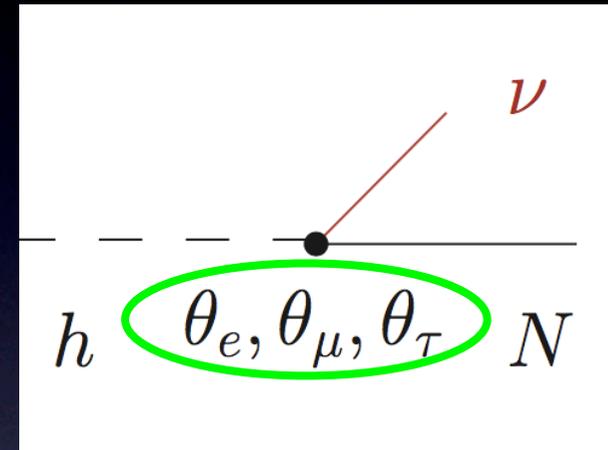
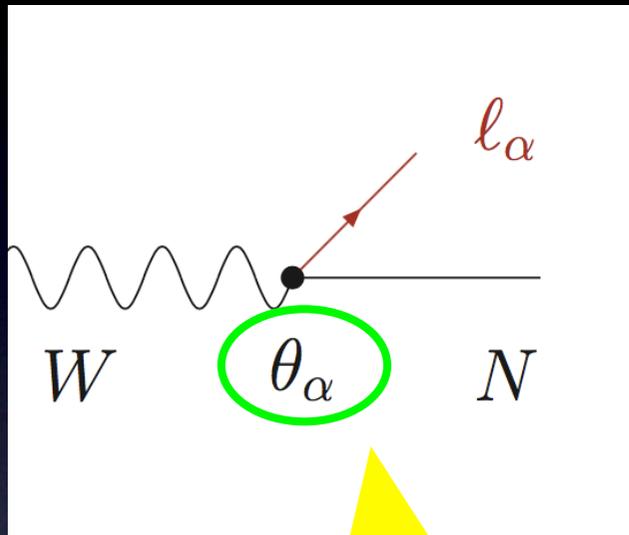
In addition for  $M \cong \Lambda_{EW}$ : Effects  
from on-shell heavy neutrinos

Sterile neutrinos mix with the  
active ones  $\rightarrow$  the heavy neutrinos  
(= mass eigenstates) participate in  
weak interactions!

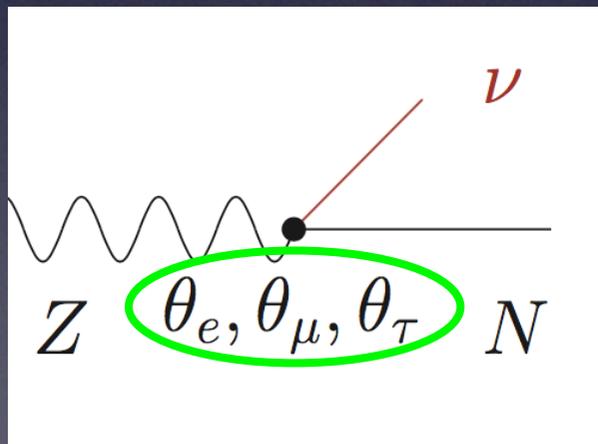
$$U = \begin{pmatrix} \mathcal{N}_{1e} & \mathcal{N}_{1\mu} & \mathcal{N}_{1\tau} & -\frac{i}{\sqrt{2}}\theta_e & \frac{1}{\sqrt{2}}\theta_e \\ \mathcal{N}_{2e} & \mathcal{N}_{2\mu} & \mathcal{N}_{2\tau} & -\frac{i}{\sqrt{2}}\theta_\mu & \frac{1}{\sqrt{2}}\theta_\mu \\ \mathcal{N}_{3e} & \mathcal{N}_{3\mu} & \mathcal{N}_{3\tau} & -\frac{i}{\sqrt{2}}\theta_\tau & \frac{1}{\sqrt{2}}\theta_\tau \\ 0 & 0 & 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ -\theta_e^* & -\theta_\mu^* & -\theta_\tau^* & \frac{-i}{\sqrt{2}}(1 - \frac{1}{2}\theta^2) & \frac{1}{\sqrt{2}}(1 - \frac{1}{2}\theta^2) \end{pmatrix}$$

$\Rightarrow$  heavy neutrinos can get produced  
also in weak interaction processes!

# Heavy neutrino interactions

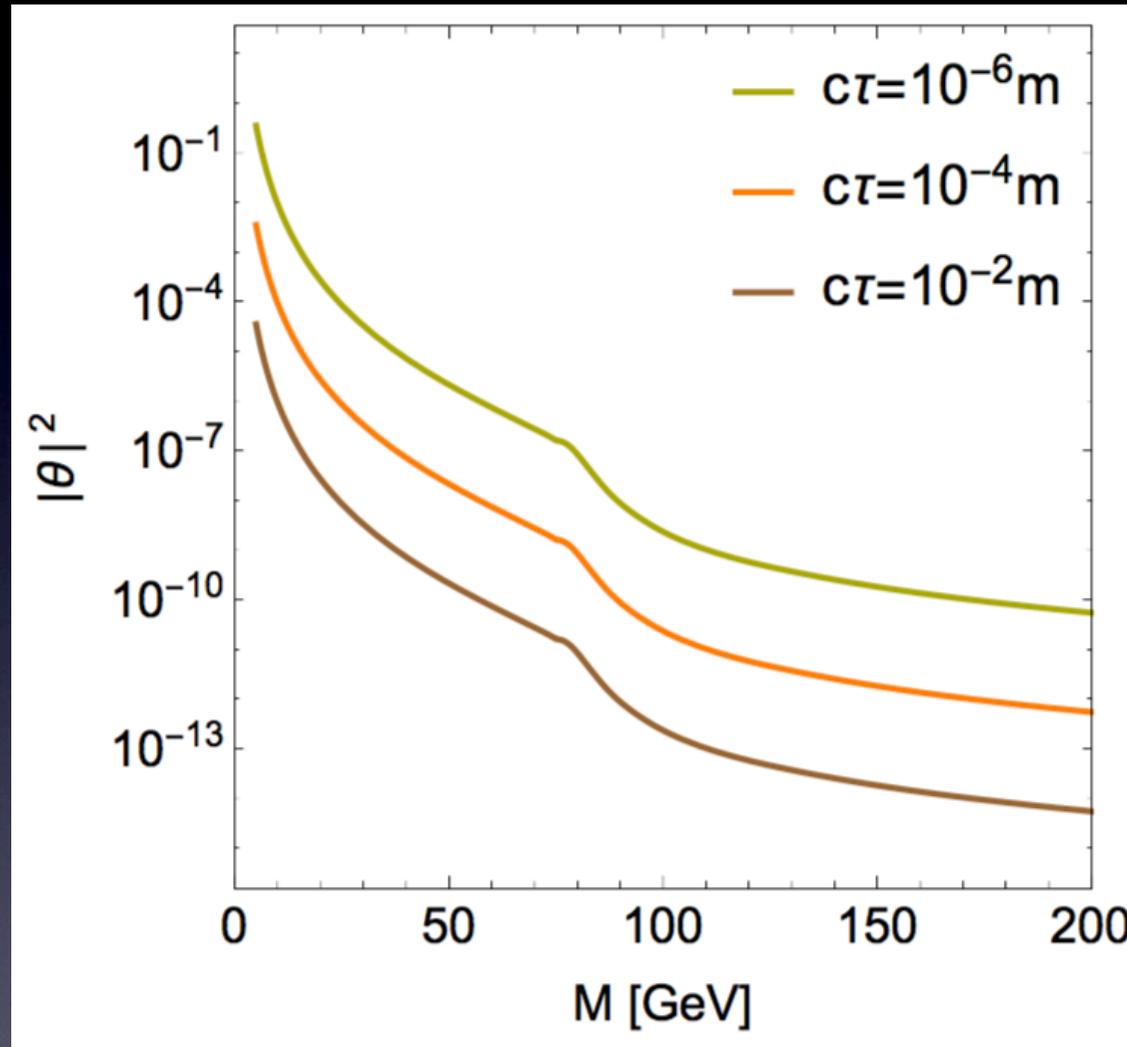


When  $W$  bosons are involved, there is a possible sensitivity to the flavour-dependent  $\theta_\alpha$



... vertices for production and for decay ...

# Lifetime and decay length of heavy neutrinos: For $M < m_W$ , they can be long-lived!



Note: Decay length in the laboratory frame is:

$$c\tau \sqrt{\gamma^2 - 1}$$

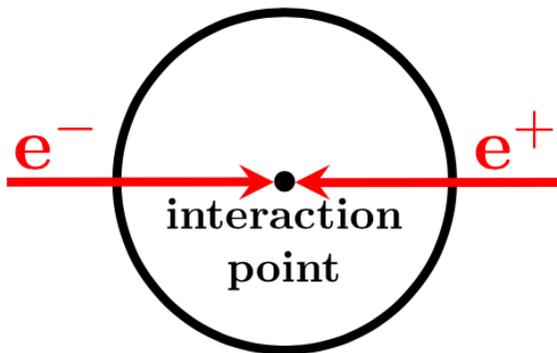
cf. S. A., E. Cazzato, O. Fischer  
(arXiv:1709.03797)

# Very sensitive searches possible for $M < m_W$ via “displaced vertices”

E.g. at an  $e^+e^-$  collider:

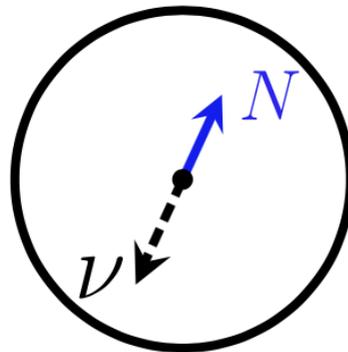
$t = 0$

electron-positron  
collision



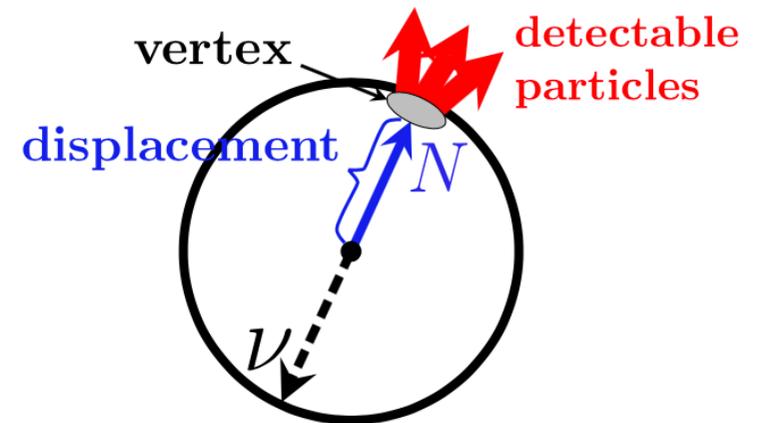
$0 < t < \text{lifetime of } N$

production of  $N$   
and propagation

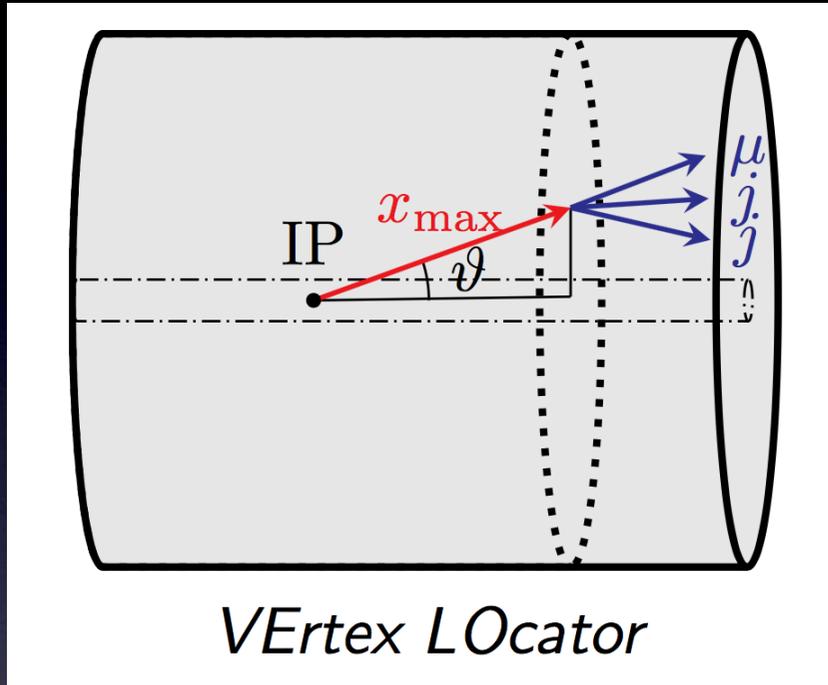


$\text{lifetime of } N < t$

decay of  $N$  into  
detectable particles



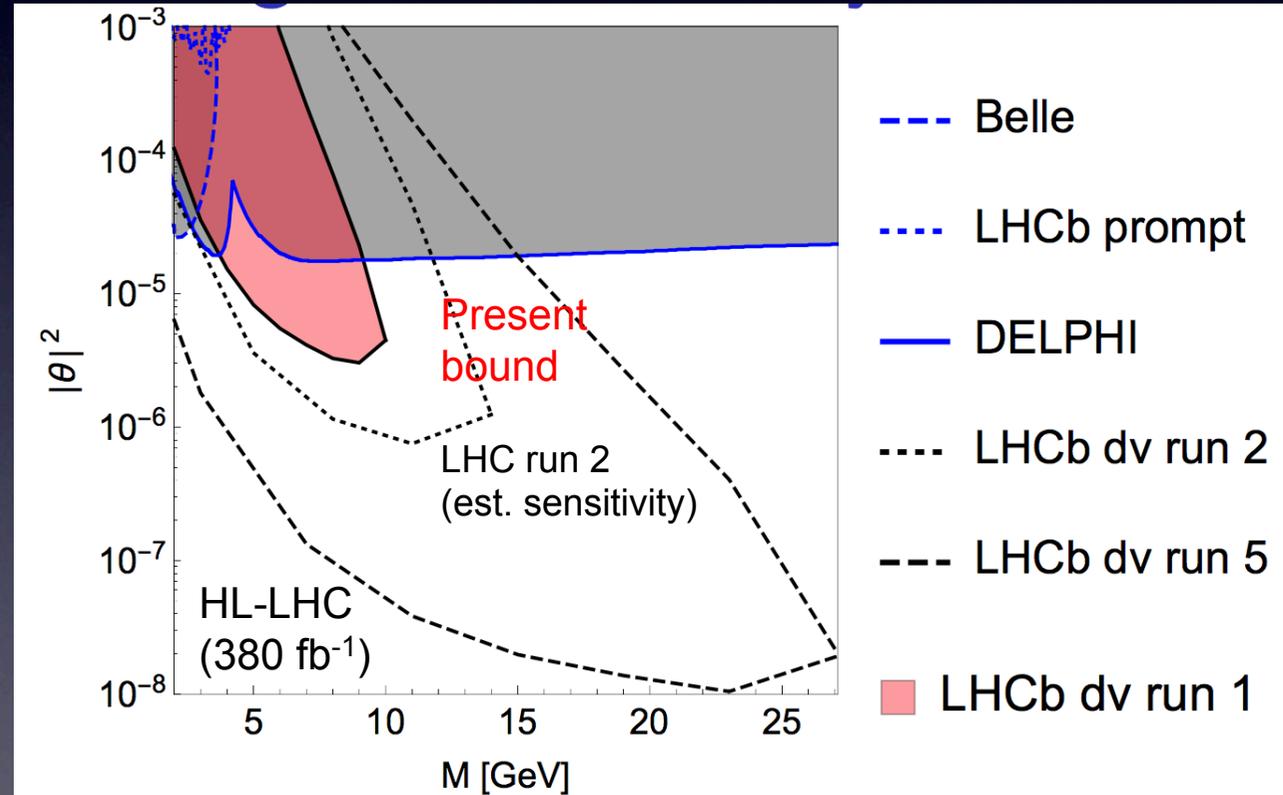
# Present bounds (& estim. future sensitivities) from displaced vertex searches at LHCb



LHCb analysis exists for LHC run 1 data:

LHCb Collaboration, Eur. Phys. J. C 77 (2017) no.4, 224 arXiv:1612.00945

The results can be translated into bounds on  $|\theta|^2$   
(here for  $\theta_e = \theta_\tau = 0$ ):

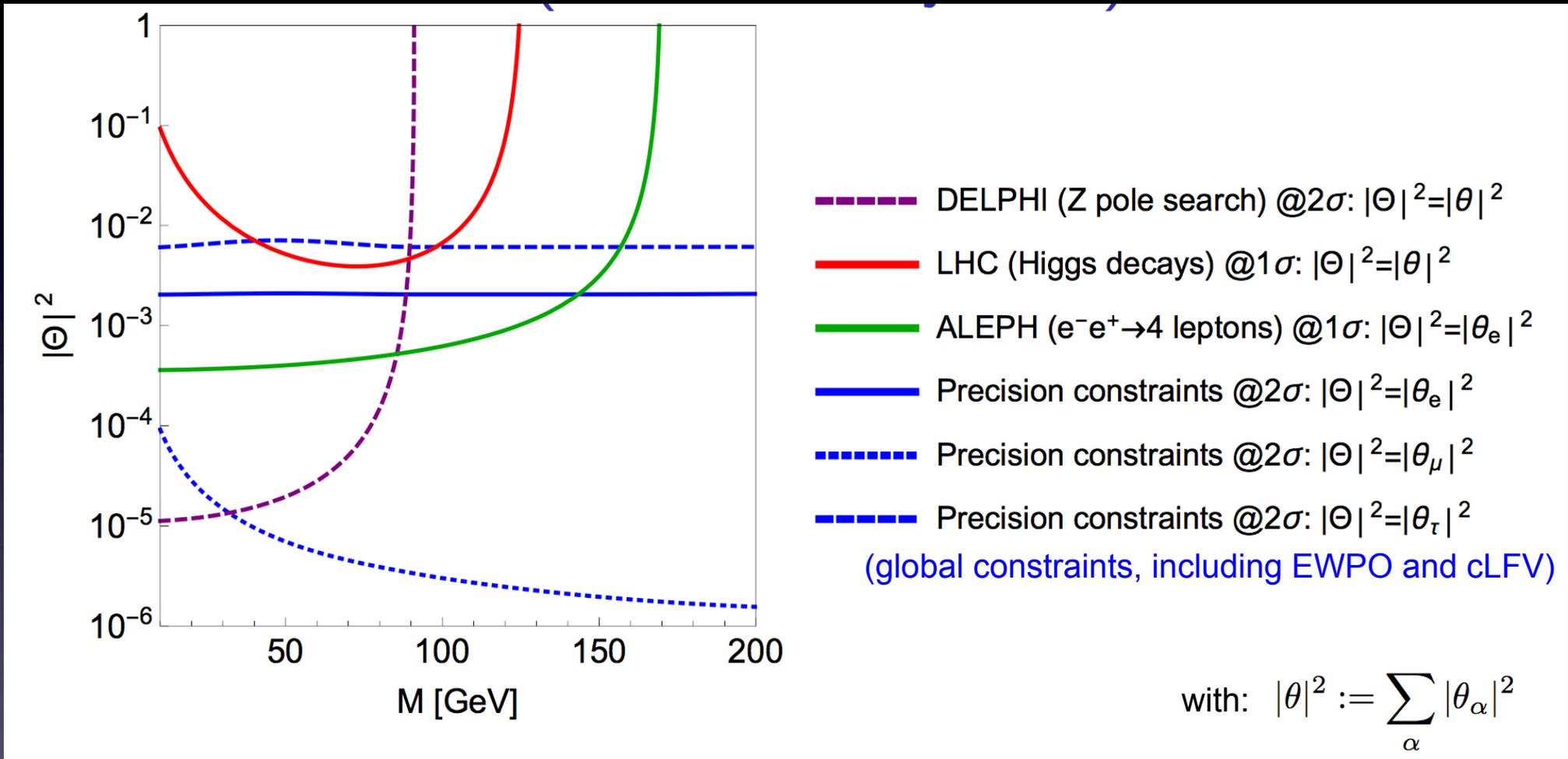


Remark: Forecasts for the sensitivities at Atlas and CMS for the HL-LHC phase are comparable, cf.:

E. Izaguirre, B. Shuve (2015)

S. A., E. Cazzato, O. Fischer; arXiv:1706.05990

# Present constraints on sterile neutrino parameters (conv. searches, $M > 10$ GeV)



Constraints from present data ( $M > 10$  GeV): [S.A., O. Fischer \(arXiv:1502.05915\)](#)

For a similar study, see also: [E. Fernandez-Martinez, J. Hernandez-Garcia, J. Lopez-Pavon \(arXiv:1605.08774\)](#)

Constraints for smaller  $M$ , see e.g.: [M. Drewes, B. Garbrecht \(arXiv:1502.00477\)](#)

# What are the prospects for discovering such heavy neutrinos at future experiments?

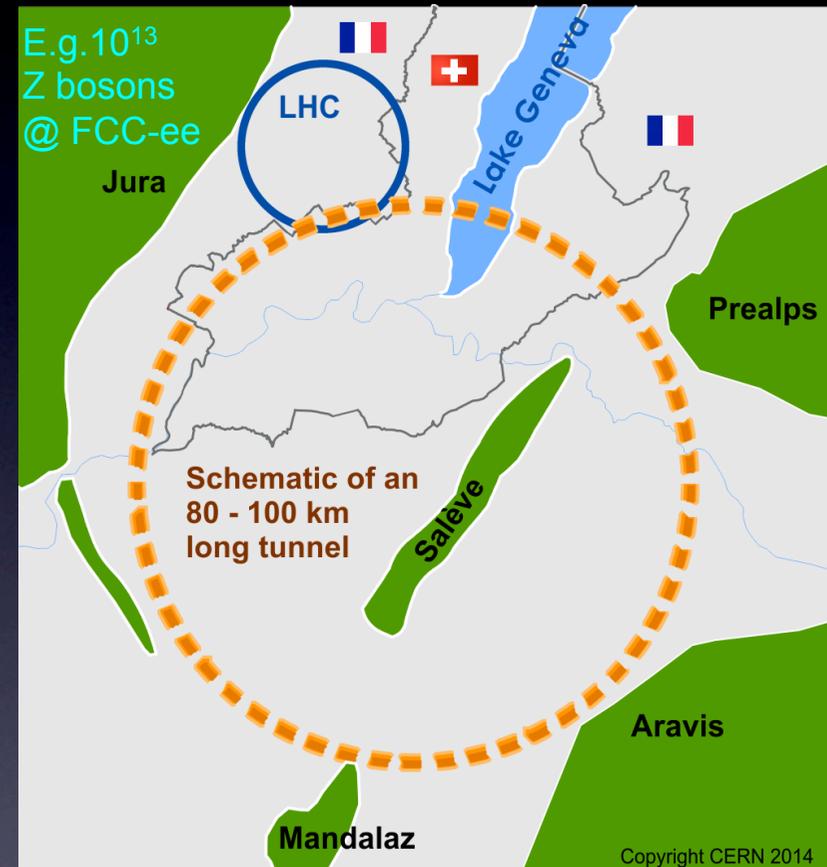
Note: I will consider the SPSS as a benchmark and restrict myself to  $M > 10$  GeV

# Ambitious plans for future colliders ...

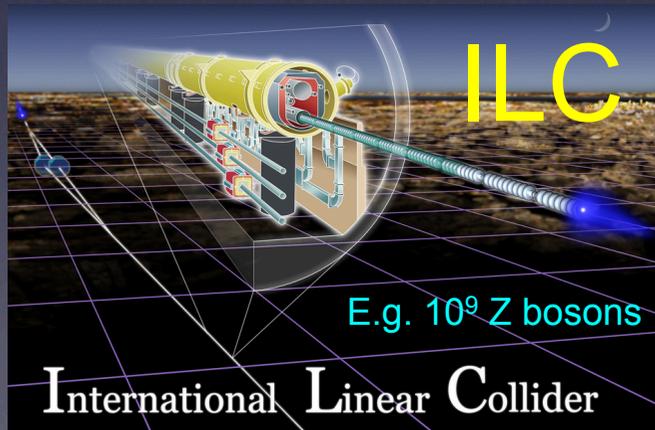
## FCC (-ee, -hh, -eh)



plans for circular collider in China



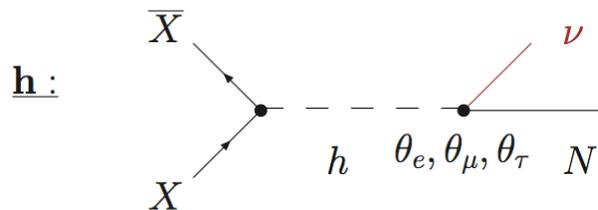
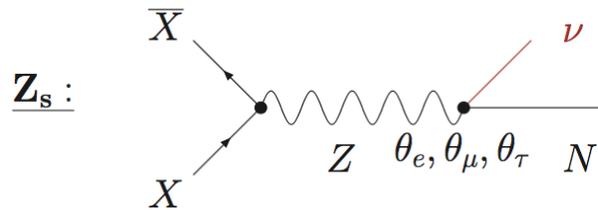
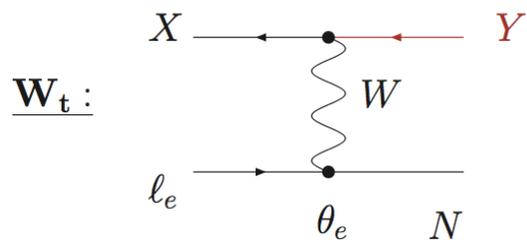
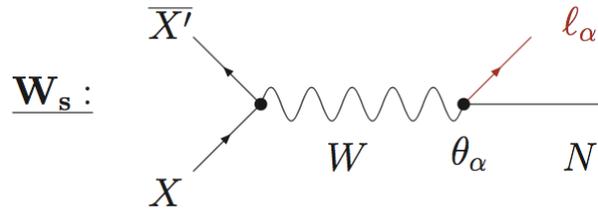
FCC and CEPC may be operated with  $e^+e^-$  (in first stage)  $\rightarrow$  Z,W,h factory



# Systematic assessment of signatures of sterile neutrinos at colliders

S.A., E. Cazzato, O. Fischer (arXiv:1612.02728),  
See also many other works by many authors ...

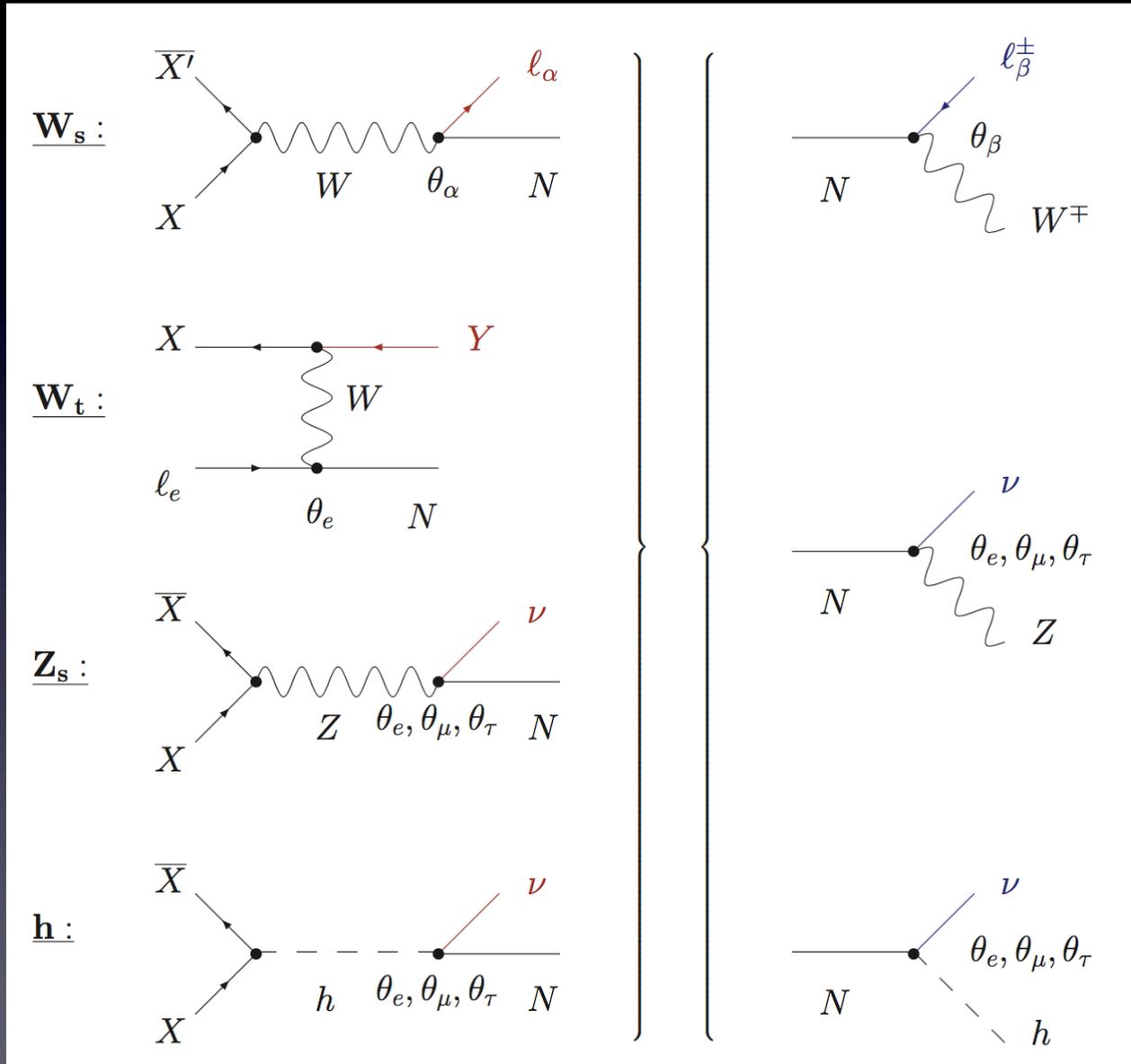
Different collider types feature  
different production channels ...



	$e^-e^+$	$pp$	$e^-p$
$\underline{W_s}$	×	✓ + LNV/LFV	×
$\underline{W_t}$	✓	×	✓ + LNV/LFV
$\underline{Z_s}$	✓	✓	×
$\underline{h}$	(✓)	(✓)	(✓)

# Systematic assessment of signatures of sterile neutrinos at colliders

(at LO)

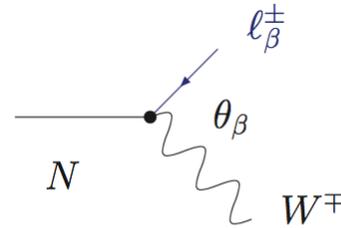
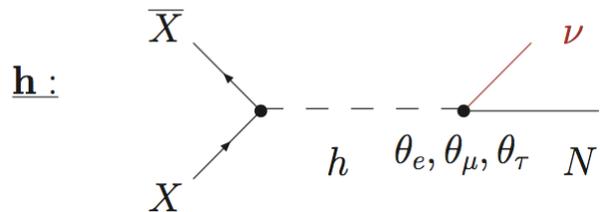
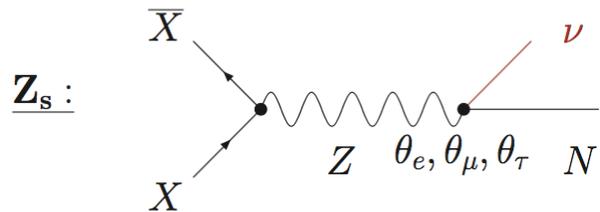
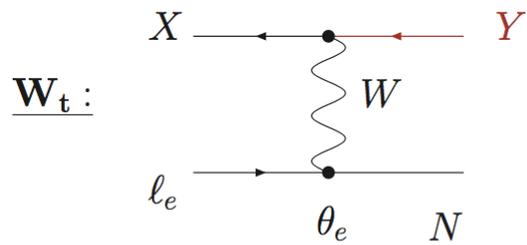
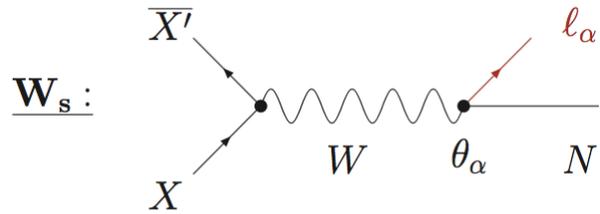


... and, including the different decay channels, sensitivity to different combinations of active-sterile mixing parameters:

		Decay channel	
		$W$	$Z(h)$
Production channel	$\underline{W}_s$	$\frac{ \theta_\alpha \theta_\beta ^2}{ \theta ^2}$	$ \theta_\alpha ^2$
	$\underline{W}_t$	$\frac{ \theta_e \theta_\beta ^2}{ \theta ^2}$	$ \theta_e ^2$
	$\underline{Z}_s(h)$	$ \theta_\beta ^2$	$ \theta ^2$

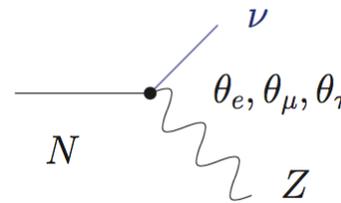
# Systematic assessment of signatures of sterile neutrinos at colliders

(at LO)

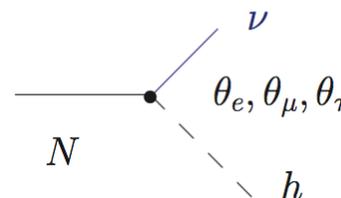


- pp :  $l_{\alpha\beta}^{\pm}jj, l_{\alpha\beta}^{\pm}l_{\gamma}^{\mp}\nu$
- $e^-e^+, e^-p$  :  $Yl_{\beta}^{\pm}jj, Yl_{\beta}^{\pm}l_{\gamma}^{\mp}\nu$
- $e^-e^+, pp$  :  $\nu l_{\beta}^{\pm}jj, \nu l_{\beta}^{\pm}l_{\gamma}^{\mp}\nu$

S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

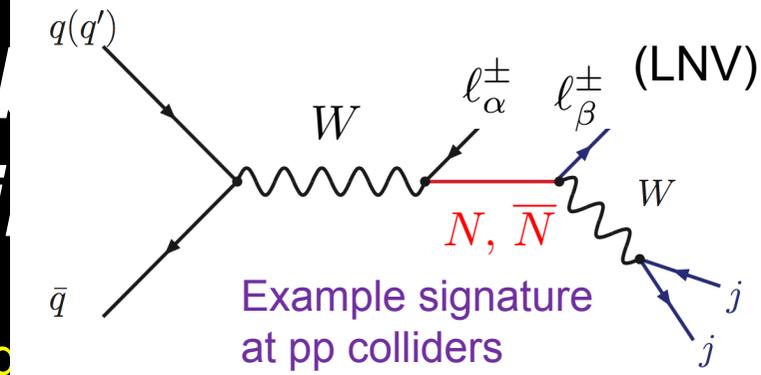


- pp :  $l_{\alpha}\nu jj, l_{\alpha}\nu l_{\beta}^{\pm}l_{\beta}^{\mp}, l_{\alpha}\nu\nu\nu$
- $e^-e^+, e^-p$  :  $Y\nu jj, Y\nu l_{\beta}^{\pm}l_{\beta}^{\mp}, Y\nu\nu\nu$
- $e^-e^+, pp$  :  $\nu\nu jj, \nu\nu l_{\beta}^{\pm}l_{\beta}^{\mp}, \nu\nu\nu\nu$



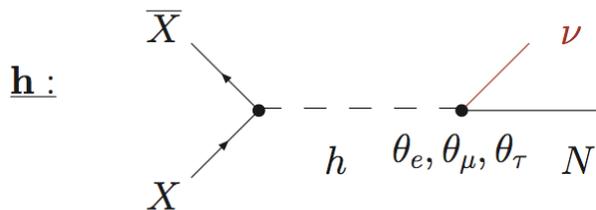
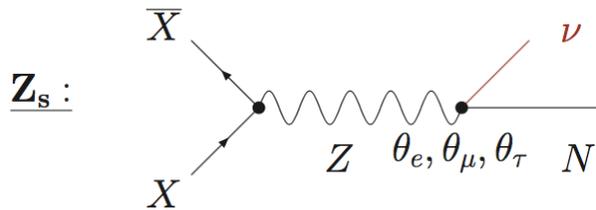
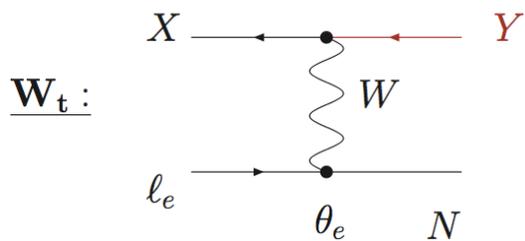
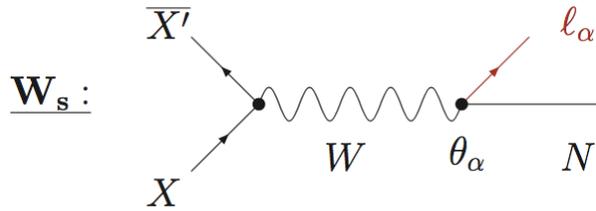
- pp :  $l_{\alpha}\nu jj, l_{\alpha}\nu l_{\beta}^{\pm}l_{\beta}^{\mp}, l_{\alpha}\nu VV$
- $e^-e^+, e^-p$  :  $Y\nu jj, Y\nu l_{\beta}^{\pm}l_{\beta}^{\mp}, Y\nu VV$
- $e^-e^+, pp$  :  $\nu\nu jj, \nu\nu l_{\beta}^{\pm}l_{\beta}^{\mp}, \nu\nu VV$

# Signatures for lepton number violation from sterile neutrinos



Different collision systems and different production channels:

	$e^-e^+$	$p\bar{p}$	$e^-p$
$\mathbf{W}_s$	×	✓ + LNV / LFV	×
$\mathbf{W}_t$	✓	×	✓ + LNV / LFV
$\mathbf{Z}_s$	✓	✓	×
$\mathbf{h}$	(✓)	(✓)	(✓)



Lepton-number violating (LNV) signatures possible (with no SM background at parton level) but expected to be suppressed by the (approximate) protective “lepton number”-like symmetry!

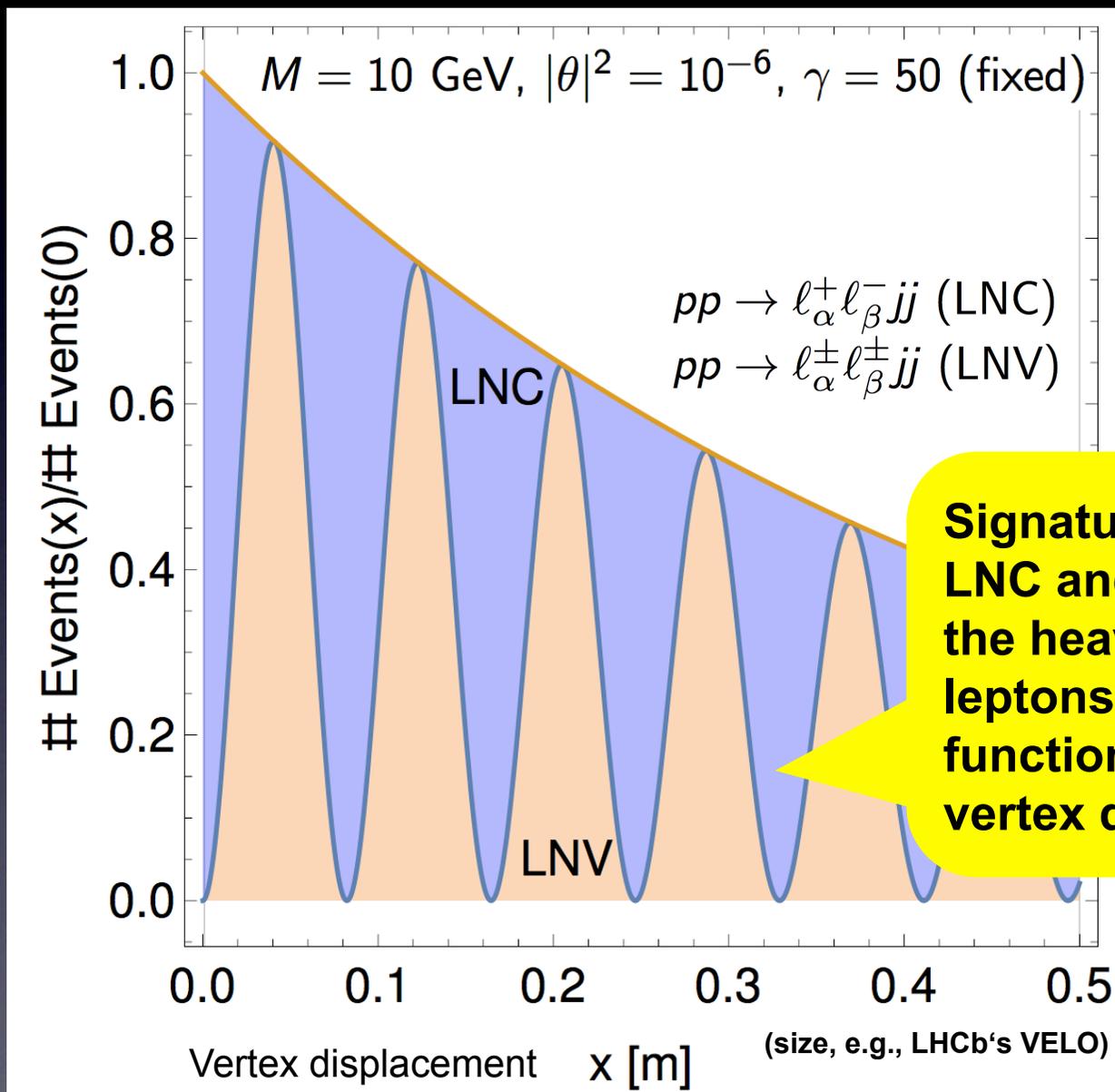
However: LNV can get induced by heavy neutrino-antineutrino oscillations!

# Recent result: Heavy neutrino-antineutrino oscillations could be resolvable

**Example:**  
**Linear seesaw**  
**(inverse mass ordering)**

(Now adding the symmetry breaking terms and using the prediction for  $\Delta M$  in the minimal linear seesaw model (= only 2 RH Nus) for inverse neutrino mass ordering)

Integrated effect discussed in:  
 J. Gluza and T. Jelinski (2015),  
 G. Anamati, M. Hirsch and E. Nardi (2016),  
 S.A., Cazzato, Fischer (2017),  
 A. Das, P. S. B. Dev and B. R. N. Mohapatra (2017)

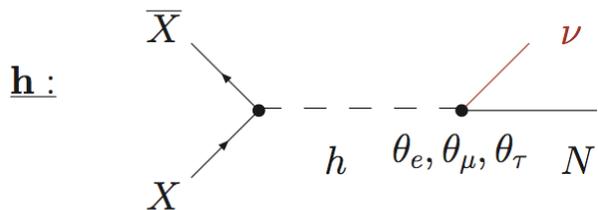
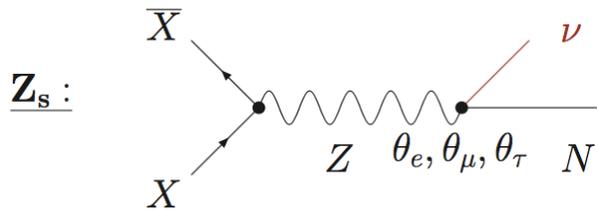
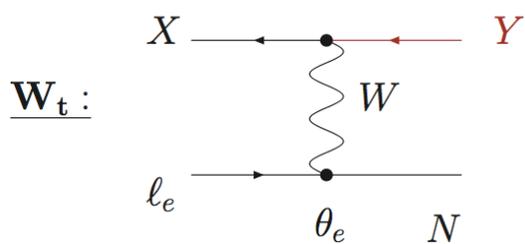
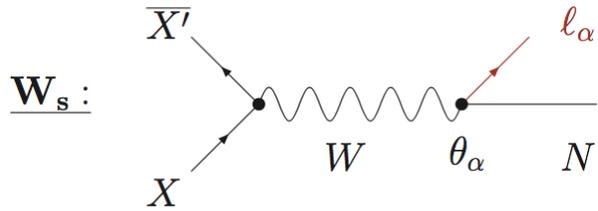


S. A., E. Cazzato,  
 O. Fischer  
 (arXiv:1709.03797)

**Signature: The ratio of LNC and LNV decays of the heavy neutral leptons oscillates as a function of lifetime (or vertex displacement)**

# Signatures with lepton flavour violation

(at LO)



Different collider types feature different production channels:

	$e^-e^+$	$pp$	$e^-p$
$\mathbf{W_s}$	×	✓ + LNV/LFV	×
$\mathbf{W_t}$	✓	×	✓ + LNV/LFV
$\mathbf{Z_s}$	✓	✓	×
$\mathbf{h}$	(✓)	(✓)	(✓)

**Lepton flavour violating LFV (and lepton number conserving LNC) signatures possible (with no SM background at parton level\*).**  
**Promising for future searches!**

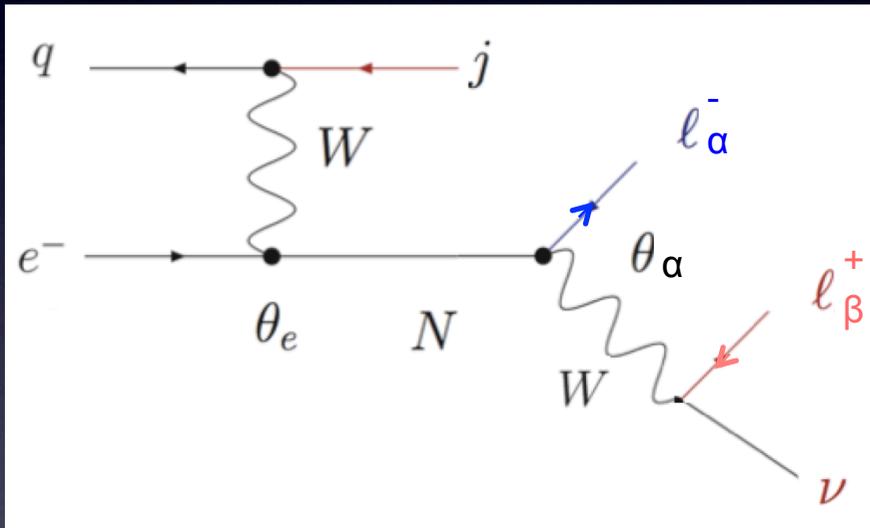
\*) Note: Relevant SM background from final states with additional light neutrinos!

# Signatures with lepton flavour violation

(at LO)

Example: Final state at ep colliders (LHeC, FCC-eh): “jet-dilepton”

$j l_{\alpha}^{-} l_{\beta}^{+} \nu$  with e.g.  $\alpha = \tau^{-}$  and  $\beta = \mu^{+}$



Or e.g.: “lepton-trijet” at ep colliders (LHeC, FCC-eh)  $l_{\alpha}^{-} jjj$  with e.g.  $\alpha = \tau^{-}$  or  $\mu^{-}$

Or e.g.: “dilepton-dijet” at pp colliders (LHC, FCC-hh)  $l_{\alpha}^{-} l_{\beta}^{+} jj$  with e.g.  $\alpha \neq \beta$

FCC-hh sensitivity: cf. ArXiv:1805.11400

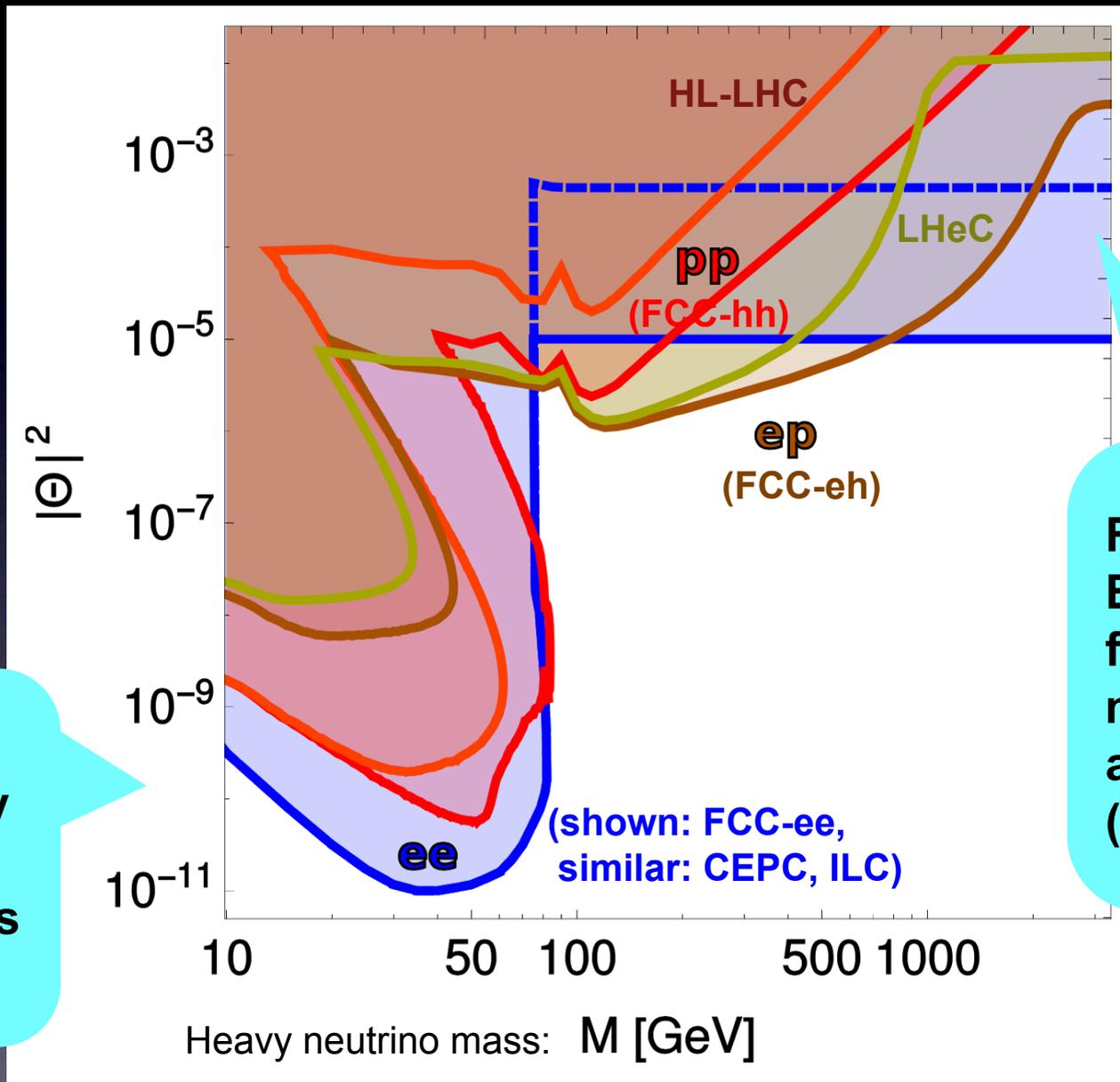
Different collider types feature different production channels:

	$e^{-}e^{+}$	$pp$	$e^{-}p$
$W_s$	×	✓ + LNV/LFV	×
$W_t$	✓	×	✓ + LNV/LFV
$Z_s$	✓	✓	×
$h$	(✓)	(✓)	(✓)

**Lepton flavour violating LFV (and lepton number conserving LNC) signatures possible (with no SM background at parton level\*).  
Promising for future searches!**

\*) Note: Relevant SM background from final states with additional light neutrinos!

# Comparison: Estimated sensitivities at future ee, pp and ep colliders

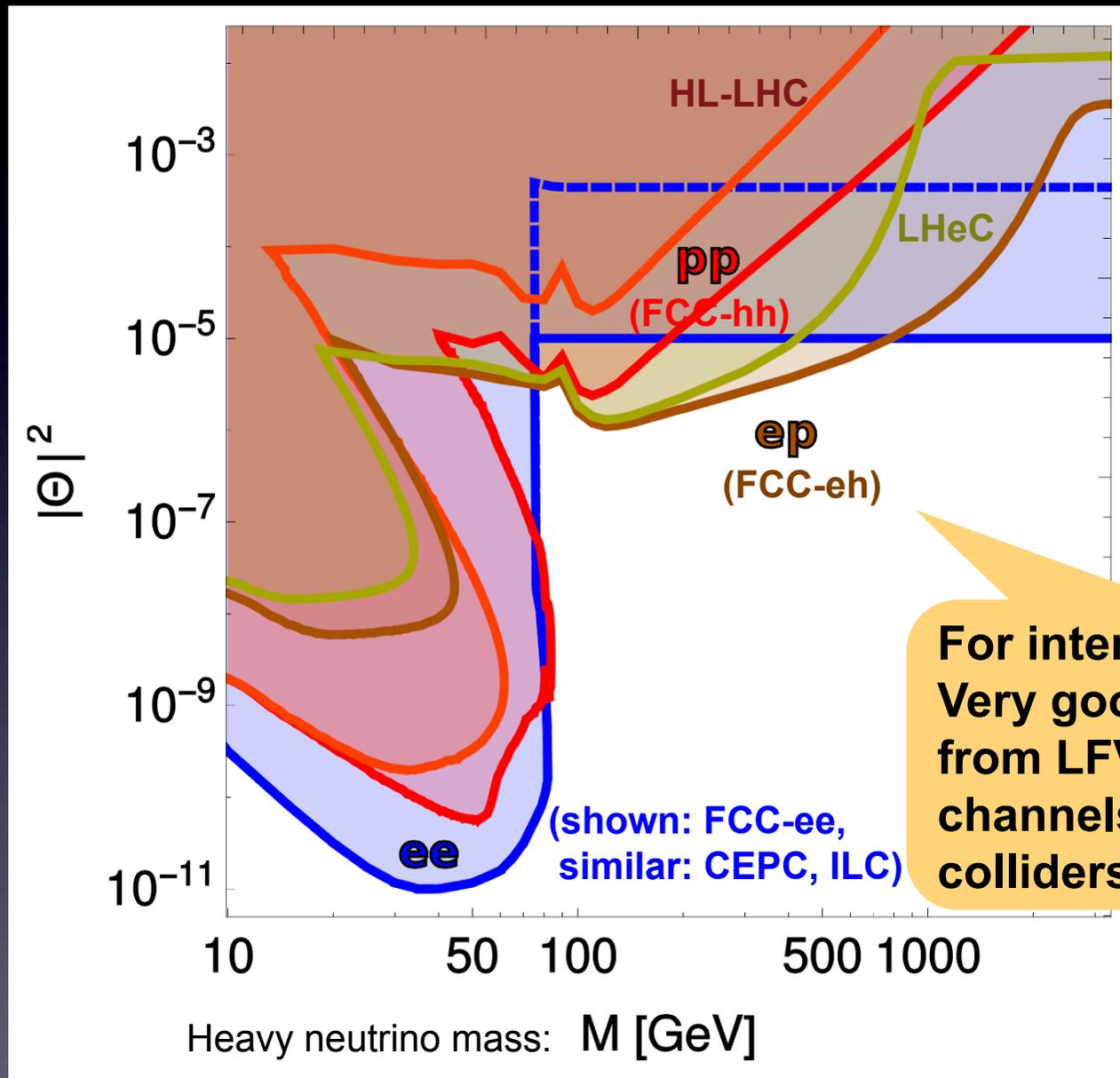


For  $M < m_W$ :  
Best sensitivity  
from displaced  
vertex searches  
at FCC-ee

For  $M \gg O(\text{TeV})$ :  
Best sensitivity  
from EWPO  
measurements  
at FCC-ee  
(also: cLFV)

Plot from: S.A.,  
E. Cazzato, O. Fischer  
(arXiv:1612.02728)

# Comparison: Estimated sensitivities at future ee, pp and ep colliders



Plot from: S.A.,  
E. Cazzato, O. Fischer  
(arXiv:1612.02728)

# Summary

- Sterile neutrinos (= “heavy neutral leptons”) are well motivated SM extensions to explain the masses of the light neutrinos.
- With protective “lepton number”-like symmetry, “large  $y_\nu$ ” and EW scale  $M_R$  are possible (& technically natural).
- Using a benchmark scenario (SPSS: Symmetry Protected Seesaw Scenario) we discussed various promising signatures ...
  - Displaced vertex searches: very powerful (for  $M_R < M_W$ ).
  - LNV suppressed for prompt decays (for LHC searches with  $M_R > M_W$ , LNV is unobservable due to “lepton number”-like symmetry suppression).
  - *But: For  $M_R < M_W$ , heavy neutrino-antineutrino oscillations can lead to resolvable oscillating LNV signatures as function of lifetime/displacement.*
  - LFV (but LNC) signatures (especially with taus) and indirect (non-unitarity) signatures could be very powerful at future colliders.
- Fascinating possibilities for probing sterile neutrinos at future colliders!

**Thanks for  
your attention!**

# Extra Slides

# Possible sensitivities of future cLFV searches

# Sensitivites of future cLFV searches

► Estimated sensitivities of planned experiments at 90% C.L.:

Process	MUV Prediction	Exp. reach	Sensitivity
$Br_{\tau e}$	$4.3 \times 10^{-4}  \varepsilon_{\tau e} ^2$	$10^{-9}$	$ \varepsilon_{\tau e}  \geq 1.5 \times 10^{-3}$
$Br_{\tau \mu}$	$4.1 \times 10^{-4}  \varepsilon_{\tau \mu} ^2$	$10^{-9}$	$ \varepsilon_{\tau \mu}  \geq 1.6 \times 10^{-3}$
$Br_{\mu eee}$	$1.8 \times 10^{-5}  \varepsilon_{\mu e} ^2$	$10^{-16}$	$ \varepsilon_{\mu e}  \geq 2.4 \times 10^{-6}$
$R_{\mu e}^{Ti}$	$1.5 \times 10^{-5}  \varepsilon_{\mu e} ^2$	$2 \times 10^{-18}$	$ \varepsilon_{\mu e}  \geq 3.6 \times 10^{-7}$

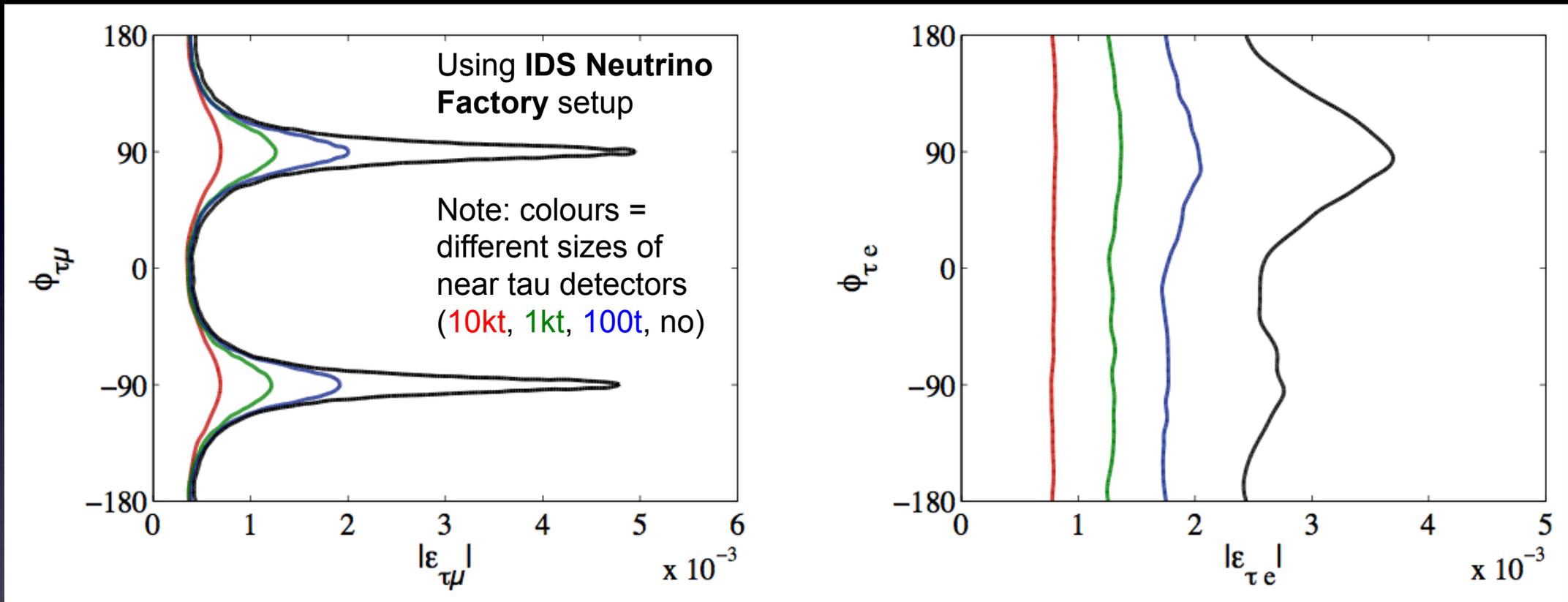
taken from: S.A., O. Fischer (arXiv:1407.6607)

→ Sensitivity to the products  $|\theta_{\mu}^* \theta_e|$ ,  $|\theta_{\tau}^* \theta_{\mu}|$ ,  $|\theta_{\tau}^* \theta_e|$ , due to the relation

$$\varepsilon_{\alpha\beta} = \left[ -\frac{v_{EW}^2 y_{\nu\alpha}^* y_{\nu\beta}}{2M^2} \quad -\theta_{\alpha}^* \theta_{\beta} \right]$$

# Possible sensitivities of future neutrino oscillation experiments

# Possible sensitivity of future neutrino oscillation experiments $\rightarrow$ phases of $\theta_\alpha$



S.A., M. Blennow, E. Fernandez-Martinez, J. Lopez-Pavon (arXiv:0903.3986)

- From the interplay of (tau-sensitive) near and far detectors at, e.g., a neutrino factory, **neutrino oscillations could provide information** on the phase of the non-unitarity parameters  $\epsilon_{\tau\mu}$  and  $\epsilon_{\tau e}$  (i.e. on the **phases of  $-\theta_\tau^* \theta_\mu$  and  $-\theta_\tau^* \theta_e$** )

# Predictions of specific classes of low scale seesaw models: Examples

# A benchmark model for SPSS (Symmetry Protection)

Note: Since in the SPSS we allow for additional sterile neutrinos,  $M$  and  $y_\alpha$  ( $\alpha=e,\mu,\tau$ ) are indeed free parameters (not constrained by  $m_\nu$ ). In specific models there are correlations among the  $y_\alpha$ . Strategy of the SPSS: study how to measure the  $y_\alpha$  independently, in order to test (not a priori assume) such correlations!

Consider  $2+n$  sterile neutrinos (plus the three active ones) and treat the steriles as in example 2 due to some  $\epsilon$  perturbations

$$Y_\nu = \begin{pmatrix} y_{\nu e} & 0 \\ y_{\nu \mu} & 0 \\ y_{\nu \tau} & 0 \end{pmatrix} \quad M = \begin{pmatrix} 0 & M_R & \\ M_R & 0 & \\ & & 0 \end{pmatrix}$$

+  $O(\epsilon)$  perturbations to generate the neutrino

For example: Low scale seesaw with 2 sterile neutrinos:  $y_\alpha/y_\beta$  given in terms of the PMNS parameters. E.g. for NO:

$$Y_N^T \simeq y \begin{pmatrix} e^{i\delta} s_{13} + e^{-i\alpha} s_{12} r^{1/4} \\ s_{23} \left( 1 - \frac{\sqrt{r}}{2} \right) + e^{-i\alpha} r^{1/4} c_{12} c_{23} \\ c_{23} \left( 1 - \frac{\sqrt{r}}{2} \right) - e^{-i\alpha} r^{1/4} c_{12} s_{23} \end{pmatrix}$$

we can neglect for (studies)

For details on the SPSS, see:

S.A., O. Fischer (arXiv:1502.05915)

Cf.: Gavela, Hambye, D. Hernandez, P. Hernandez ('09)

# Further predictions in specific types of low scale seesaw mechanisms: $\Delta M$ of heavy $\nu$ 's

\*) Basis:  $(\nu_L^\alpha, N_1, N_2)$

Perturbations of the mass matrix:  $M_\nu = \begin{pmatrix} 0 & m_D & \epsilon_{\text{lin}} \\ (m_D)^T & \tilde{\epsilon} & M \\ \epsilon_{\text{lin}}^T & M & \epsilon_{\text{inv}} \end{pmatrix}$

$\epsilon_{\text{lin}}$  linear seesaw

$\epsilon_{\text{inv}}$  inverse seesaw

( $\tilde{\epsilon}$  additional parameter, no contribution to light neutrino masses)

Perturbations  $O(\epsilon)$  generate the light neutrino masses and. E.g. in the case of the minimal linear seesaw model, we obtain lead to a **prediction for the heavy neutrino mass splitting  $\Delta M$  (in terms of the light neutrino mass splittings)**:

$$\Delta M^{\text{lin,NO}} = \frac{2\rho_{\text{NO}}}{1-\rho_{\text{NO}}} \sqrt{\Delta m_{21}^2} = 0.0416 \text{ eV}$$

$$\Delta M^{\text{lin,IO}} = \frac{2\rho_{\text{IO}}}{1+\rho_{\text{IO}}} \sqrt{\Delta m_{23}^2} = 0.000753 \text{ eV}$$

$$\rho_{\text{NO}} = \frac{\sqrt{r+1}-\sqrt{r}}{\sqrt{r+1}+\sqrt{r}} \text{ and } r = \frac{|\Delta m_{21}^2|}{|\Delta m_{32}^2|}$$

$$\rho_{\text{IO}} = \frac{\sqrt{r+1}-1}{\sqrt{r+1}+1} \text{ and } r = \frac{|\Delta m_{21}^2|}{|\Delta m_{13}^2|}$$

Cf.: S.A., E. Cazzato, O. Fischer (arXiv:1709.03797)

# Resolvable heavy neutrino-antineutrino oscillations at colliders

# Heavy neutrino-antineutrino oscillations at colliders

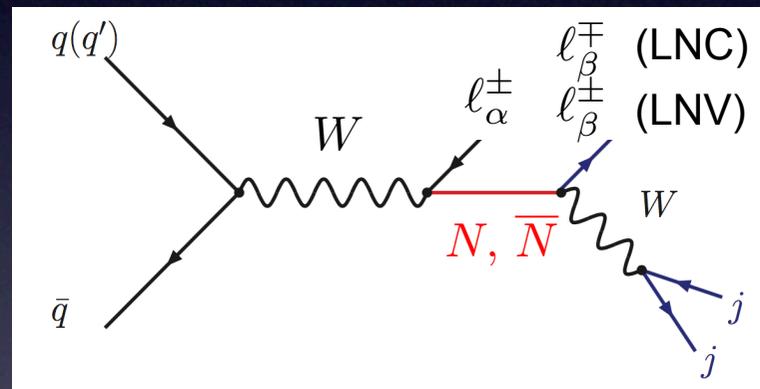
Definition: Heavy (anti)neutrino defined via production; superposition of mass eigenstates  $N_4, N_5$

antineutrino,  $W^- \rightarrow \bar{N}l^-$   
 neutrino,  $W^+ \rightarrow Nl^+$

$$\bar{N} = 1/\sqrt{2}(iN_4 + N_5)$$

$$N = 1/\sqrt{2}(-iN_4 + N_5)$$

Consider, e.g., the “dilepton-dijet” signature at pp colliders,  $pp \rightarrow l_\alpha l_\beta jj$ :



In the symmetry limit of the SPSS benchmark model, lepton number is exactly conserved  
 → only LNC processes!

$$pp \rightarrow l_\alpha^+ l_\beta^- jj \text{ (LNC) } \checkmark$$

$$pp \rightarrow l_\alpha^\pm l_\beta^\pm jj \text{ (LNV) } \times$$

# Heavy neutrino-antineutrino oscillations at colliders

However with the  $O(\varepsilon)$  perturbations included to generate the light neutrino masses:  
A mass splitting  $\Delta M$  between heavy neutrinos is generated which induces oscillations!

Probability that a produced  $N$  oscillates into  $\bar{N}$  (or vice versa) given by  $|g_-(t)|^2$ , with

$$g_-(t) \simeq -ie^{-iMt}e^{-\frac{\Gamma}{2}t} \sin\left(\frac{\Delta M}{2}t\right)$$

↖ Mass splitting  $\Delta M$  predicted e.g. in minimal low scale linear seesaw models

Such an oscillation induces LNV!

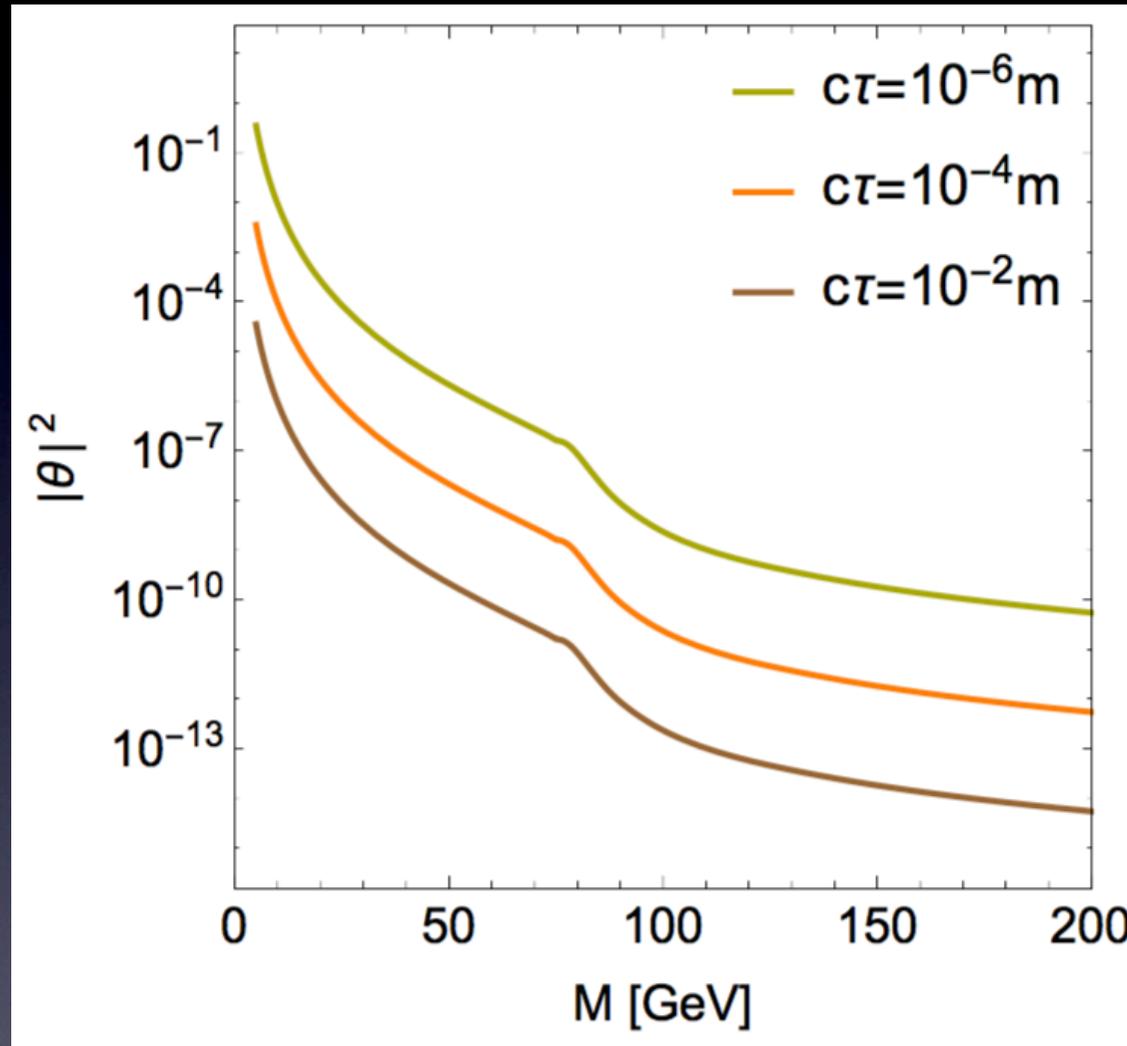
Signature: Ratio of LNV/LNC final states oscillates as function of heavy neutrino lifetime (or of vertex displacement in the laboratory system)

$$R_{\ell\ell}(t_1, t_2) = \frac{\int_{t_1}^{t_2} |g_-(t)|^2 dt}{\int_{t_1}^{t_2} |g_+(t)|^2 dt} = \frac{\#(\ell^+\ell^+) + \#(\ell^-\ell^-)}{\#(\ell^+\ell^-)}$$

J. Gluza and T. Jelinski (2015), G. Anamiati, M. Hirsch and E. Nardi (2016),  
S.A., E. Cazzato, O. Fischer (2017), A. Das, P. S. B. Dev and R. N. Mohapatra (2017)

With:  $g_+(t) \simeq e^{-iMt}e^{-\frac{\Gamma}{2}t} \cos\left(\frac{\Delta M}{2}t\right)$

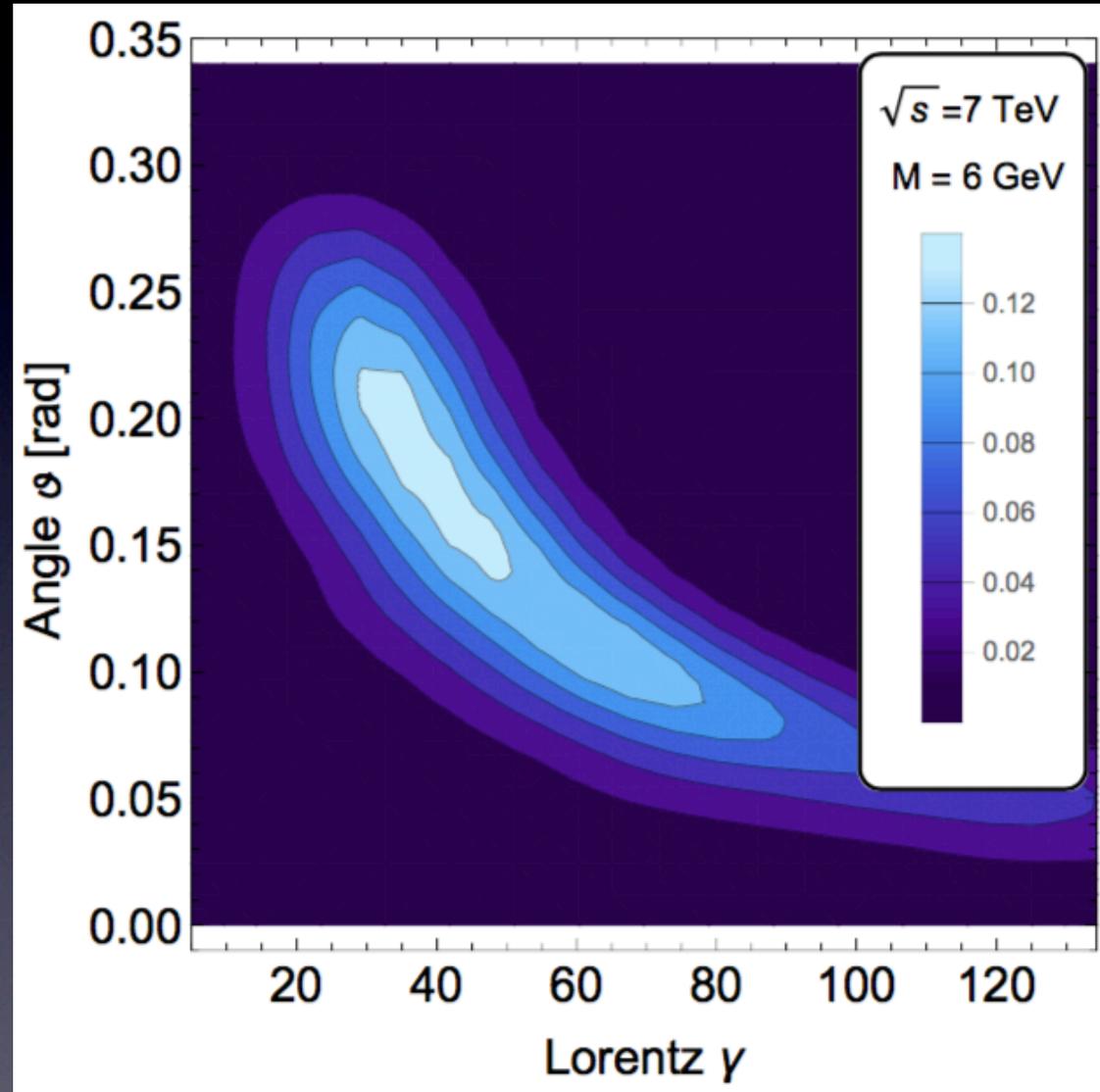
# As shown earlier: Lifetime and decay length of heavy neutrinos



cf. S. A., E. Cazzato, O. Fischer  
(arXiv:1709.03797)

Note: Decay length in the laboratory frame is:  $c\tau \sqrt{\gamma^2 - 1}$

# *A typical distribution for the $\gamma$ -factor for heavy neutrinos $N$ at LHCb*



S. A., E. Cazzato, O. Fischer; arXiv:1706.05990

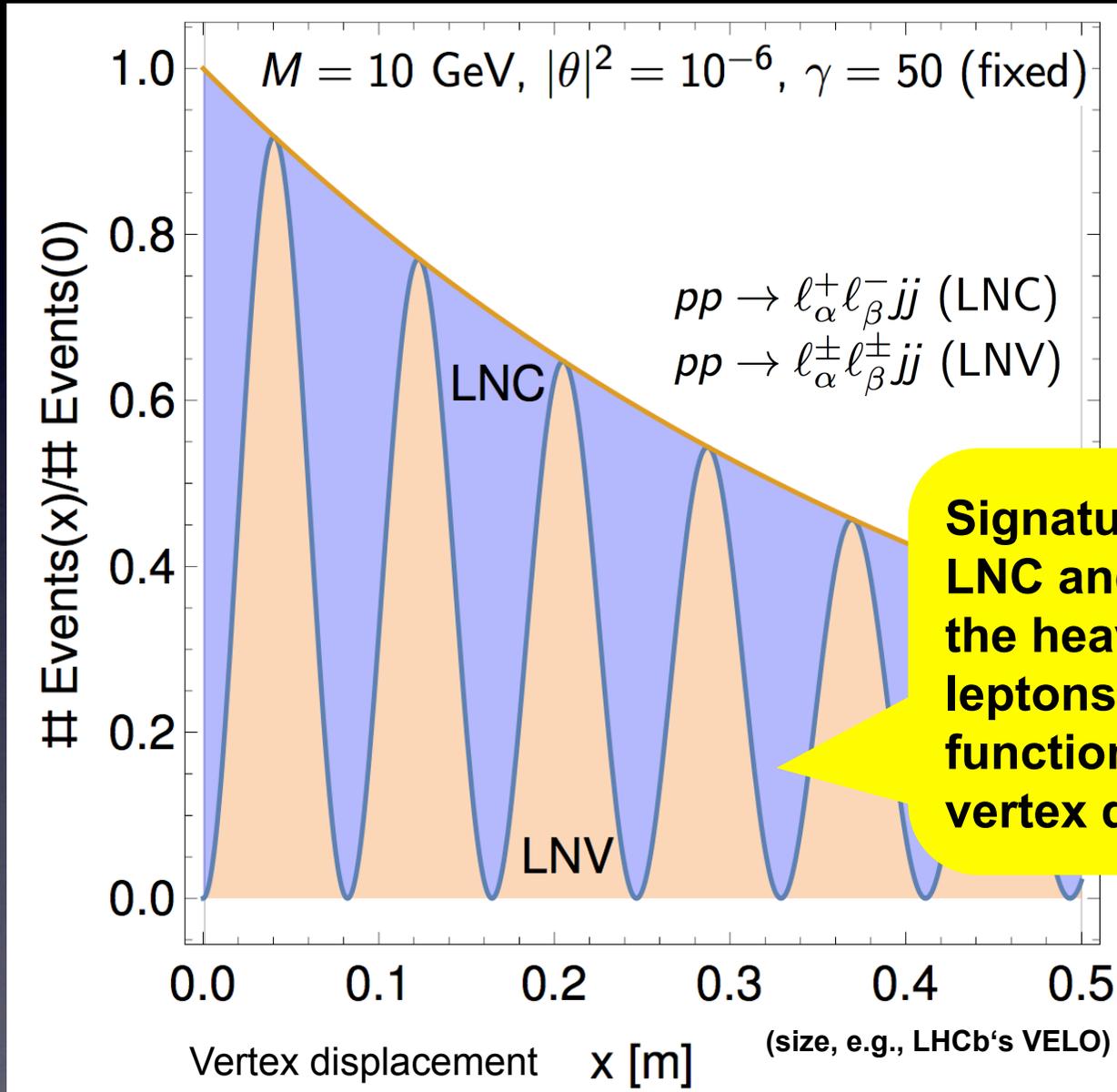
# Heavy neutrino-antineutrino oscillations could be resolvable

**Example:**  
**Linear seesaw**  
**(inverse mass ordering)**

(using the prediction for  $\Delta M$  in the minimal linear seesaw model for inverse neutrino mass ordering)

Integrated effect discussed in:  
 J. Gluza and T. Jelinski (2015),  
 G. Anamiati, M. Hirsch and E. Nardi (2016),  
 S.A., Cazzato, Fischer (2017),  
 A. Das, P. S. B. Dev and B. R. N. Mohapatra (2017)

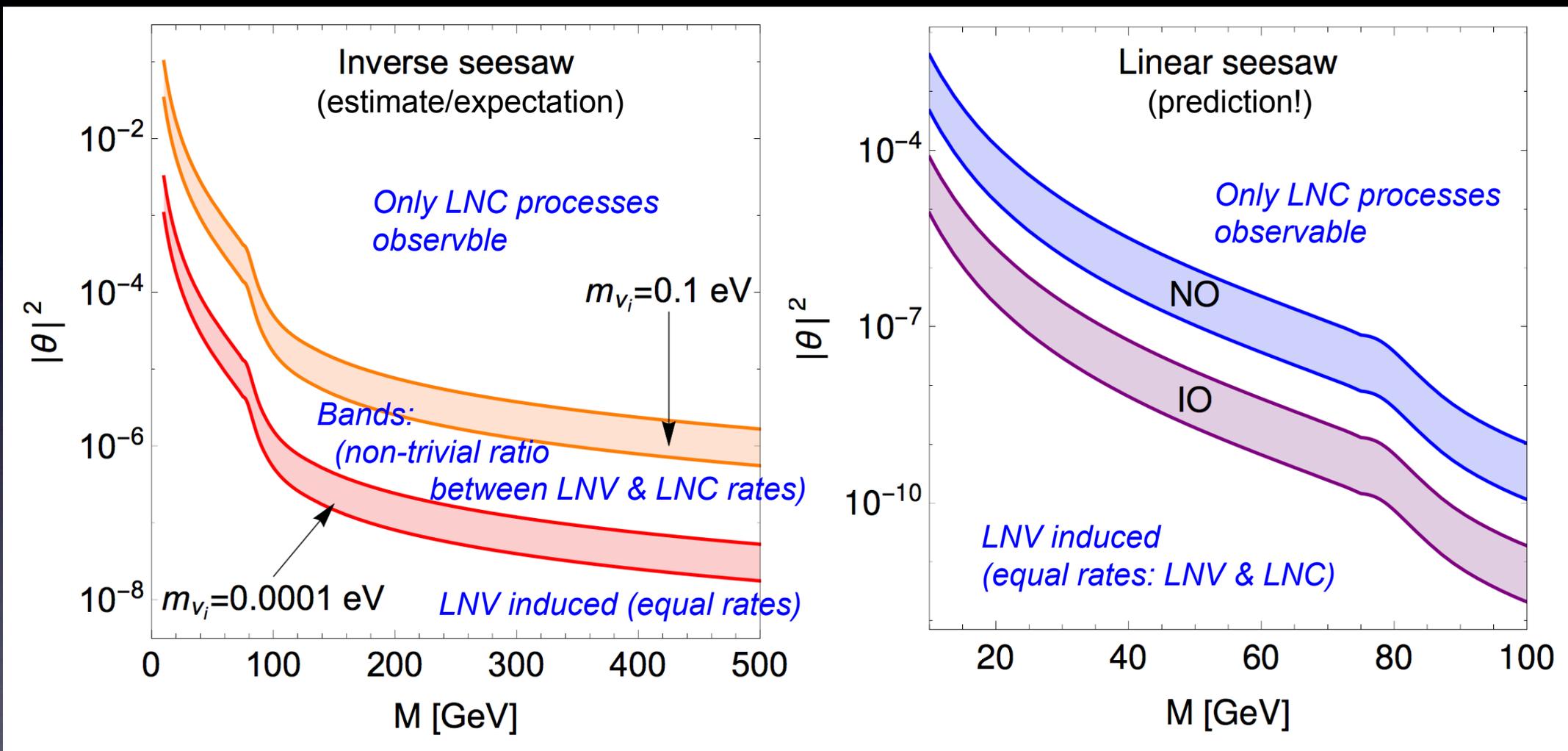
S. A., E. Cazzato,  
 O. Fischer  
 (arXiv:1709.03797)



# Intrgrated effects of (non-resolvable) heavy neutrino-antineutrino oscillations

# Even if these oscillations are not resolvable, induced LNV can be relevant (depends on $\theta^2$ )

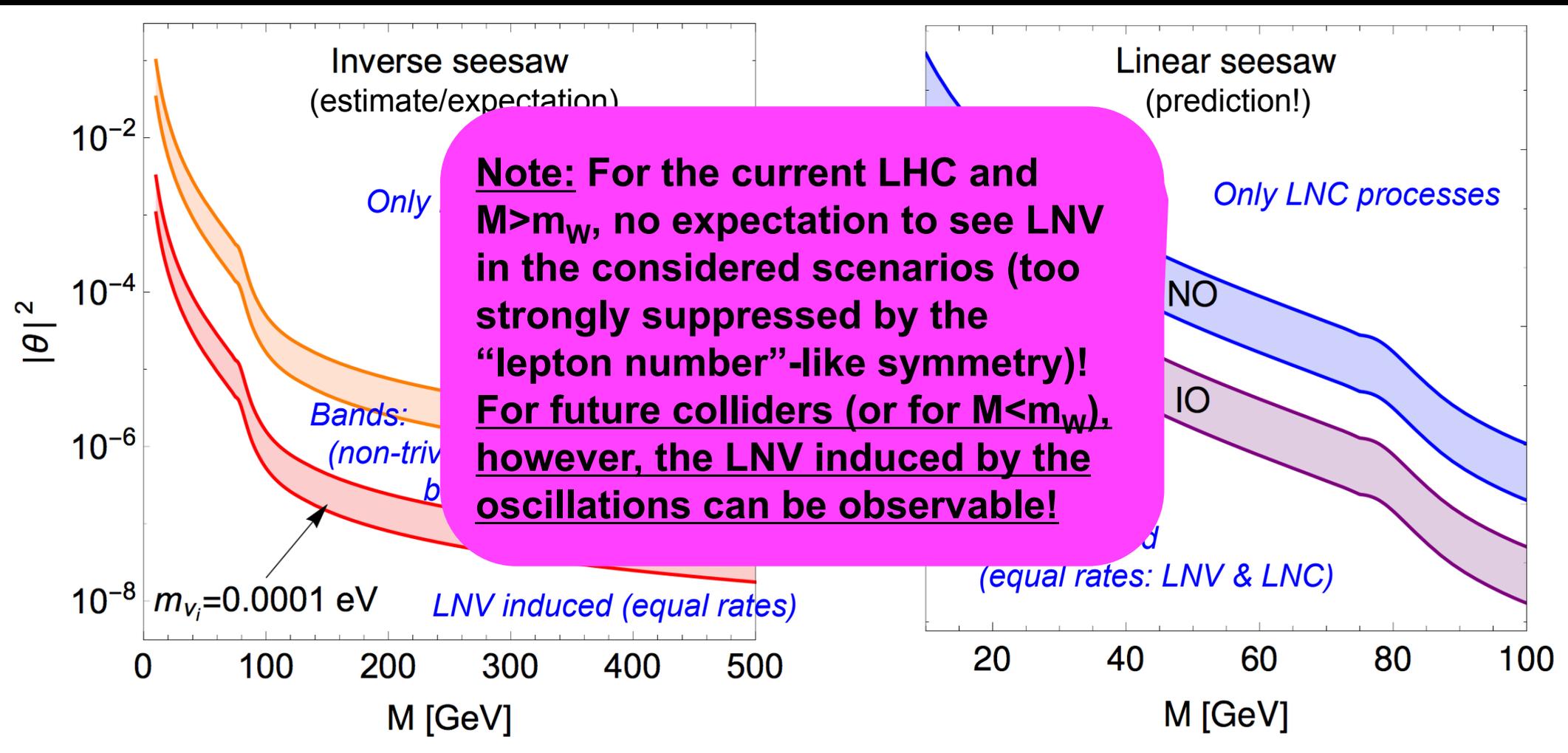
Plot from S. A., E. Cazzato, O. Fischer (arXiv:1709.03797)



See also: J. Gluza and T. Jelinski (2015), P. S. Bhupal Dev and R. N. Mohapatra (2015), G. Anamiati, M. Hirsch and E. Nardi, JHEP 1610 (2016), A. Das, P. S. B. Dev and R. N. Mohapatra (2017)

# Even if these oscillations are not resolvable, induced LNV can be relevant (depends on $\theta^2$ )

Plot from S. A., E. Cazzato, O. Fischer (arXiv:1709.03797)



See also: J. Gluza and T. Jelinski (2015), P. S. Bhupal Dev and R. N. Mohapatra (2015), G. Anamiati, M. Hirsch and E. Nardi, JHEP 1610 (2016), A. Das, P. S. B. Dev and R. N. Mohapatra (2017)

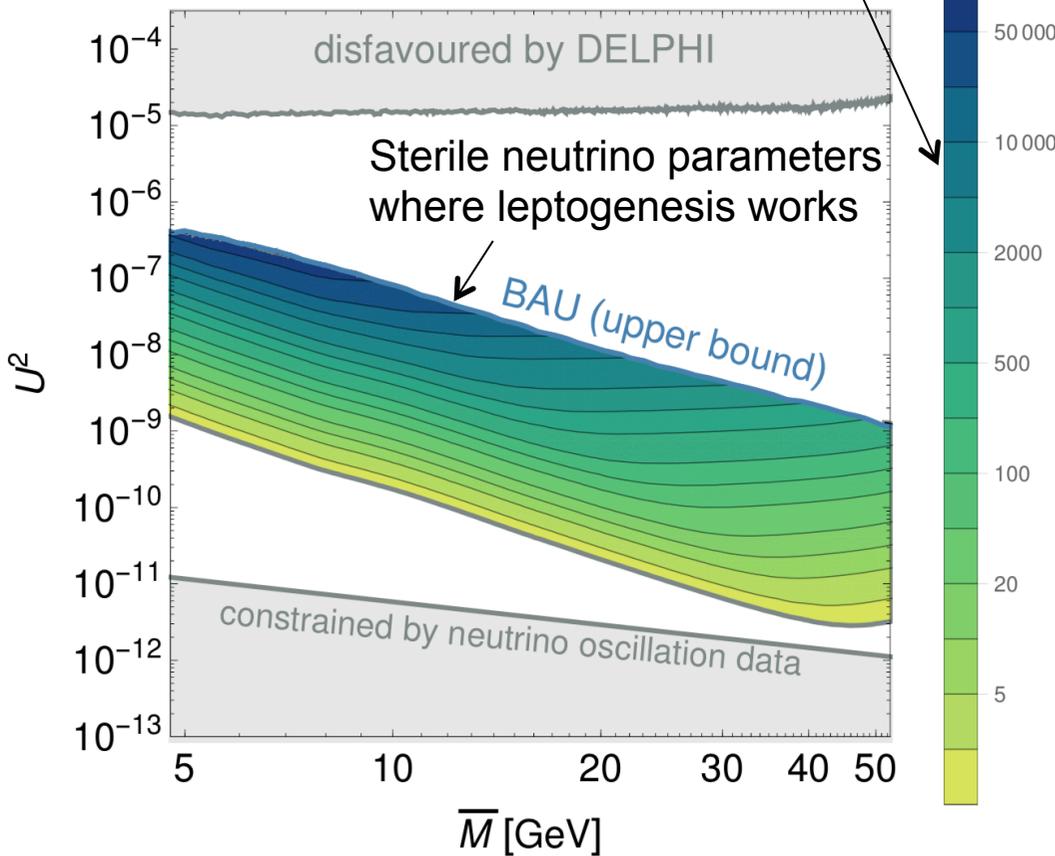
# Towards measuring the flavor-dependent active-sterile mixing angles at future colliders ... and probing leptogenesis

# Probing leptogenesis – and precision for the flavoured active-sterile mixing angles

## Probing Leptogenesis

NO, FCC-ee at  $\sqrt{s} = 90$  GeV

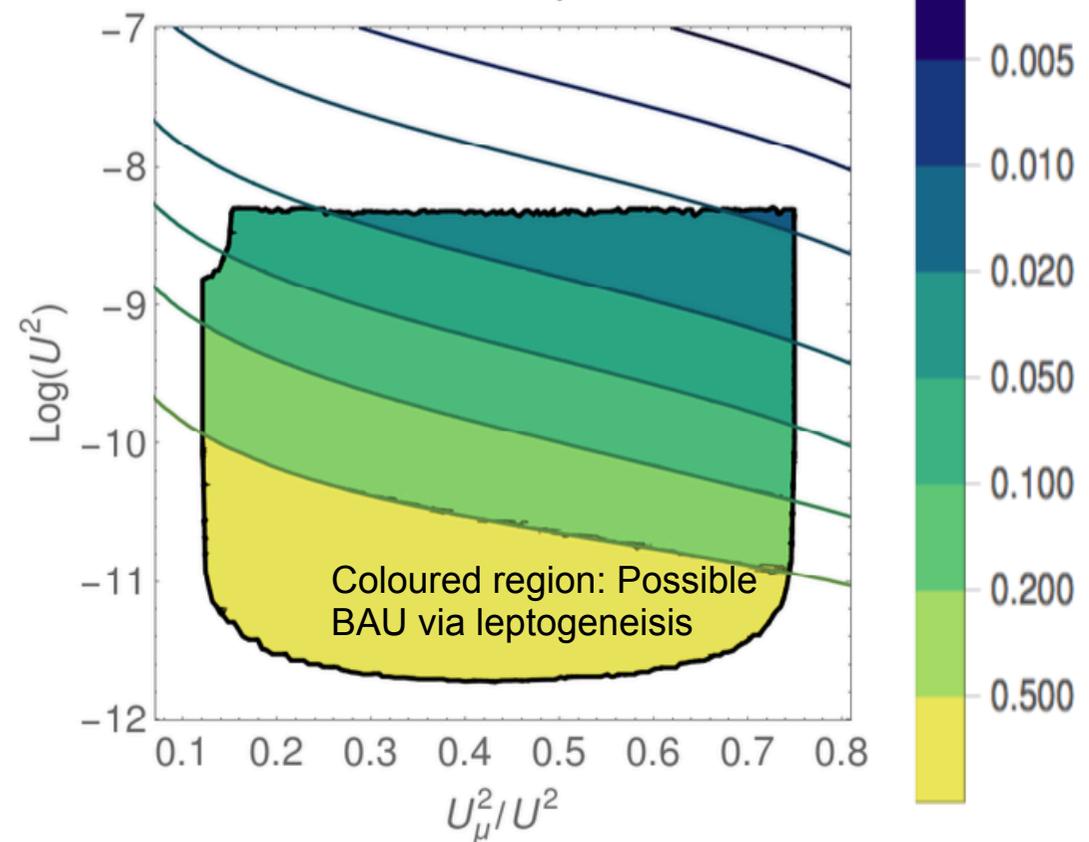
Colour code: number of events



With:  $U^2 = |\theta|^2$  and, for example,  $U_{\mu}^2 = |\theta_{\mu}|^2$   
(NO = normal light neutrino mass ordering)

## Precision for $U_{\mu}^2 / U^2$ (Example: $M = 30$ GeV)

NO, FCC-ee at  $\sqrt{s} = 90$  GeV



Estimates from semi-leptonic heavy neutrino decays  $N \rightarrow \mu jj$ , measurements also possible for the other flavours e and  $\tau$ !

S.A., E. Cazzato, M. Drewes, O. Fischer, B. Garbrecht, D. Gueter, J. Klaric (arXiv:1407.6607)

# Sensitivity estimates for signatures at pp and ep colliders

# Sterile neutrino signatures at $pp$ colliders

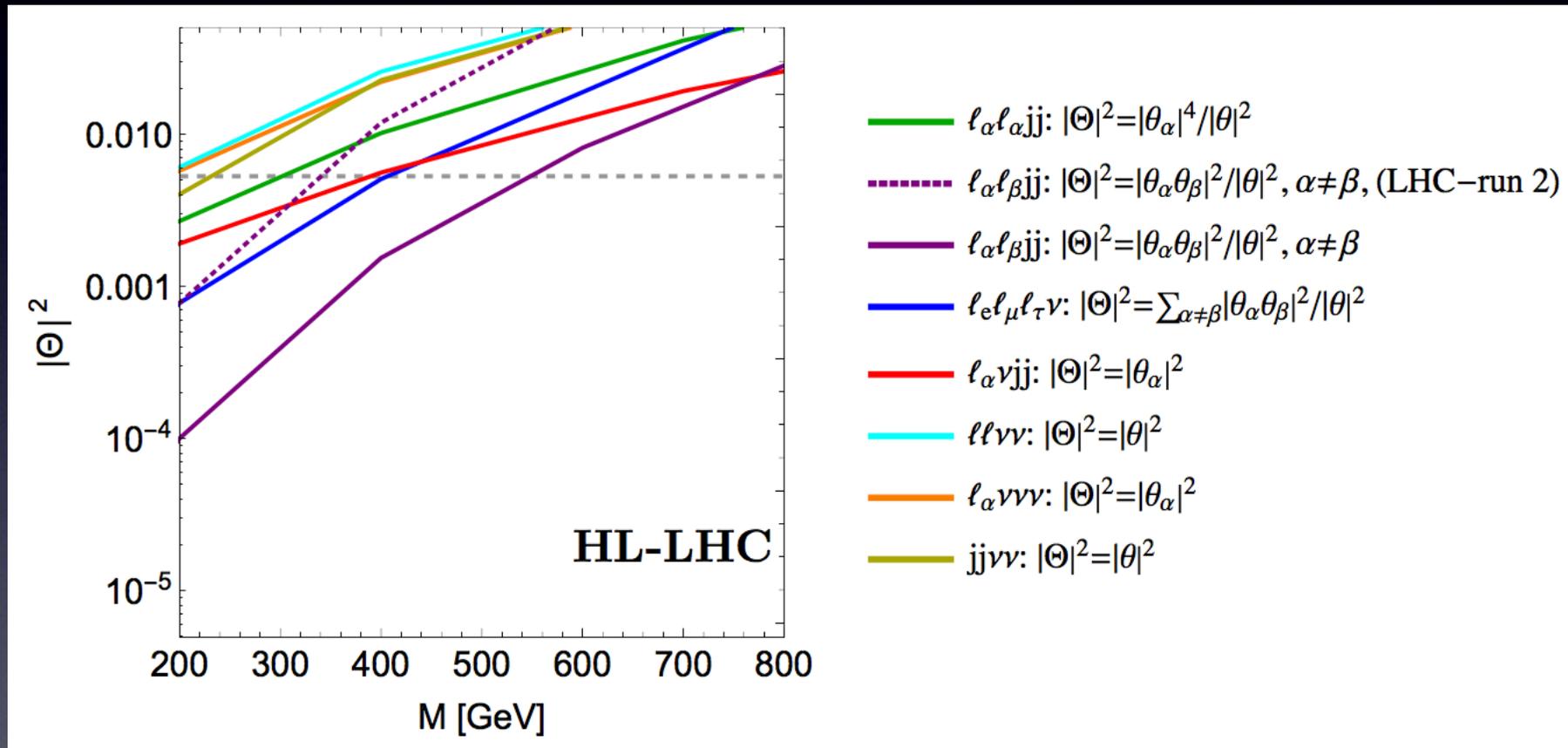
Name	Final State	Channel [production,decay]	$ \theta_\alpha $ dependency	LNV/LFV
dilepton-dijet	$\ell_\alpha \ell_\beta jj$	$[\mathbf{W}_s, W]$	$\frac{ \theta_\alpha \theta_\beta ^2}{\theta^2}$	$\checkmark/\checkmark$
trilepton	$\ell_\alpha \ell_\beta \ell_\gamma \nu$	$[\mathbf{W}_s, \{W, Z(h)\}]$	$\left\{ \frac{ \theta_\alpha \theta_\beta ^2}{\theta^2},  \theta_\alpha ^2 \right\}^{(*)}$	$\times/\checkmark$
lepton-dijet	$\ell_\alpha \nu jj$	$[\mathbf{W}_s, Z(h)], [\mathbf{Z}_s, W]$	$ \theta_\alpha ^2$	$\times$
dilepton	$\ell_\alpha \ell_\beta \nu \nu$	$[\mathbf{Z}_s, \{W, Z(h)\}]$	$\{ \theta_\alpha ^2,  \theta ^2\}^{(*)}$	$\times$
mono-lepton	$\ell_\alpha \nu \nu \nu$	$[\mathbf{W}_s, Z]$	$ \theta_\alpha ^2$	$\times$
dijet	$\nu \nu jj$	$[\mathbf{Z}_s, Z(h)]$	$ \theta ^2$	$\times$

Table 4: Signatures of sterile neutrinos at leading order for  $pp$  colliders with their corresponding final states, production and decay channels (cf. section 2.2), and their dependency on the active-sterile mixing parameters. A checkmark in the ‘‘LNV/LFV’’ column indicates that an unambiguous signal for LNV and/or LFV is possible (cf. discussion in sections 2.2.3 and 2.2.4).

(\*) : The dependency on the active-sterile mixing can be inferred when the origin of the charged leptons is known.

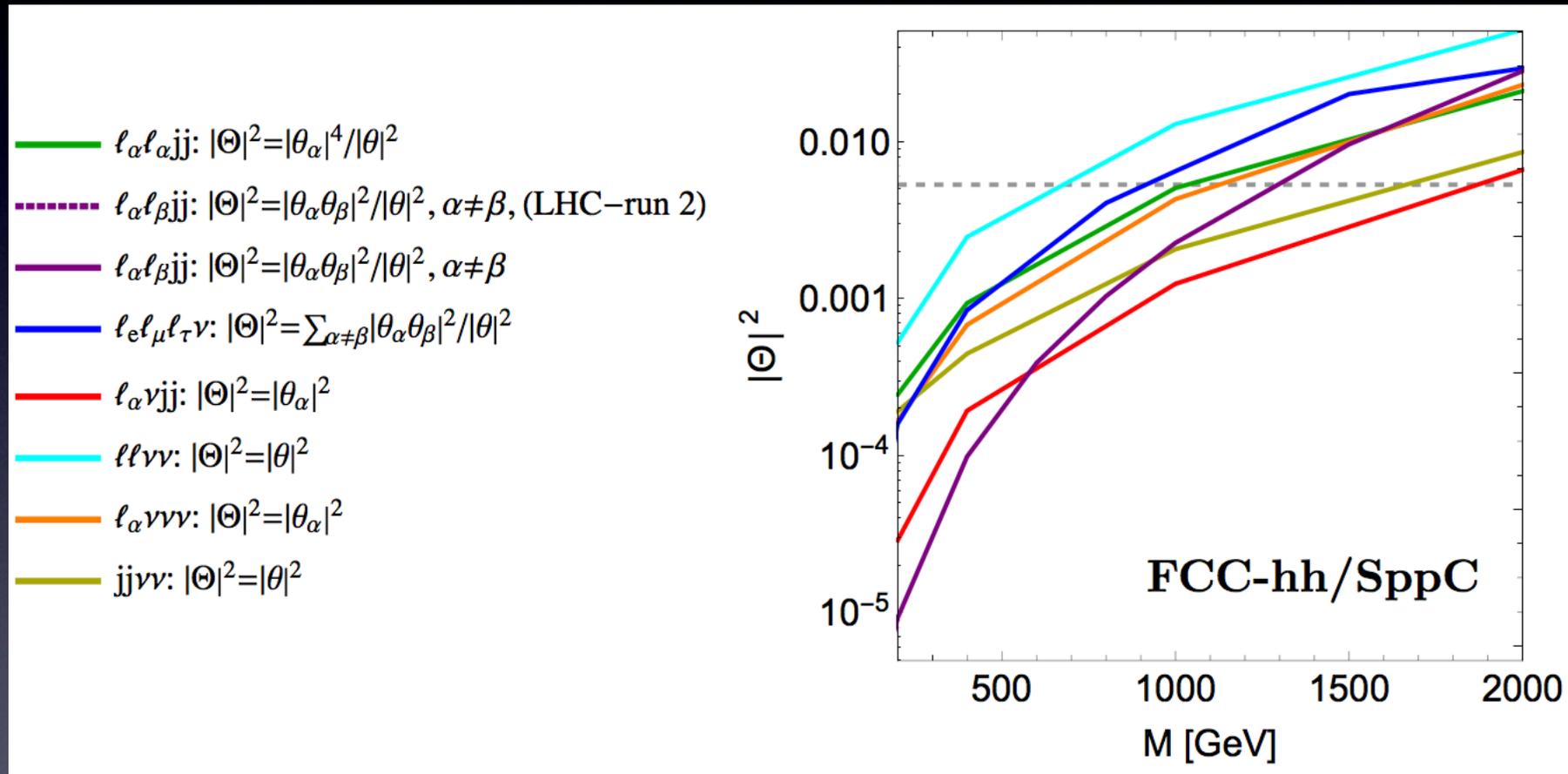
S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

# Sensitivity estimates for sterile neutrino signatures at the HL-LHC



S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

# Sensitivity estimates for sterile neutrino signatures at the FCC-hh/SppC



S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

# Sterile neutrino signatures at $e^-p$ colliders

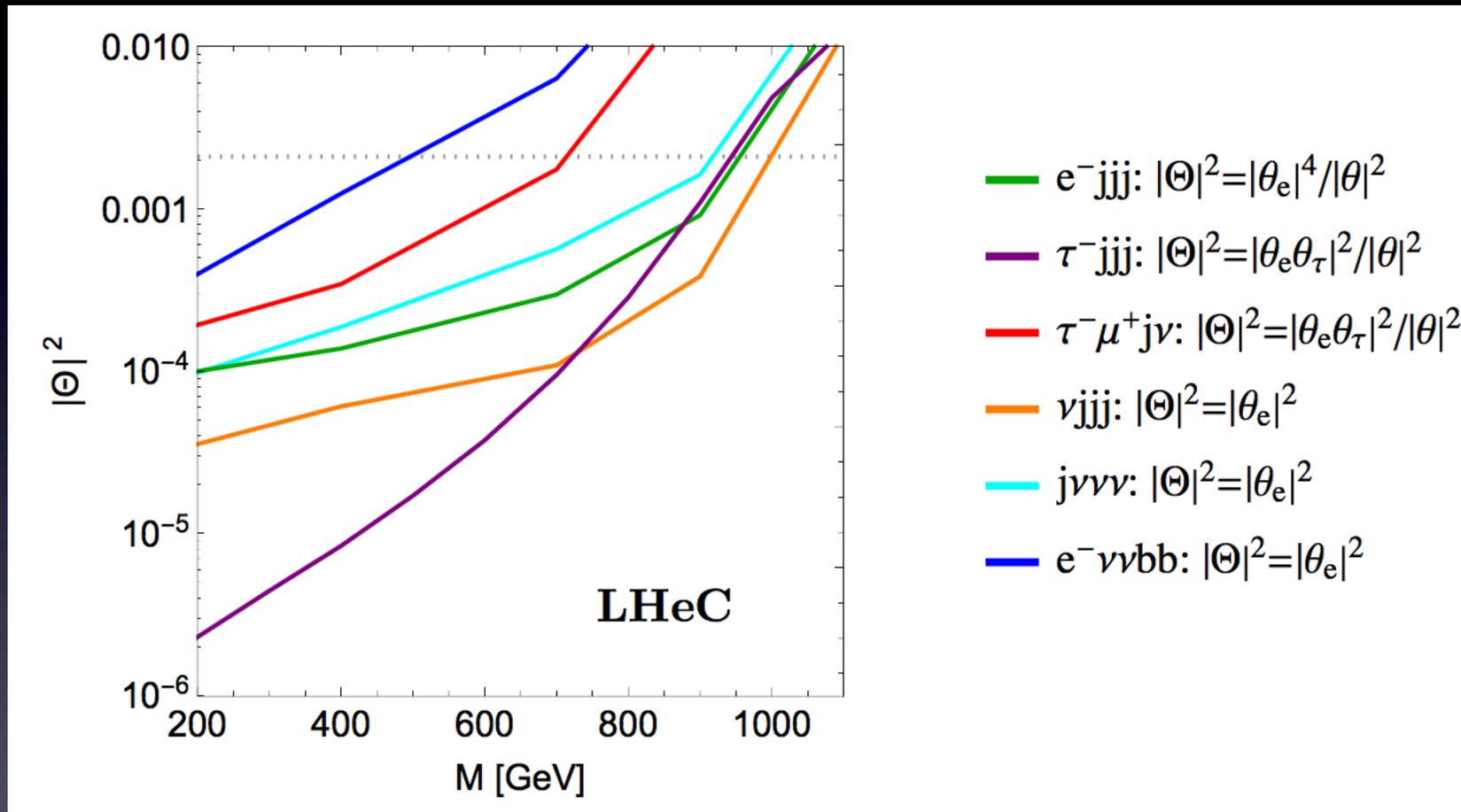
Name	Final State	Channel [production,decay]	$ \theta_\alpha $ dependency	LNV/LFV
lepton-trijet	$jjj\ell_\alpha$	$[\mathbf{W}_t^{(q)}, W]$	$\frac{ \theta_e\theta_\alpha ^2}{\theta^2}$	$\checkmark/\checkmark$
jet-dilepton	$j\ell_\alpha^\pm\ell_\beta^\mp\nu$	$[\mathbf{W}_t^{(q)}, \{W, Z(h)\}]$	$\left\{ \frac{ \theta_e\theta_\alpha ^2}{\theta^2},  \theta_e ^{2(*)} \right\}$	$\times/\checkmark$
trijet	$jjj\nu$	$[\mathbf{W}_t^{(q)}, Z(h)]$	$ \theta_e ^2$	$\times$
monojet	$j\nu\nu\nu$	$[\mathbf{W}_t^{(q)}, Z]$	$ \theta_e ^2$	$\times$

S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

lepton-quadrjet	$jjjj\ell_\alpha$	$[\mathbf{W}_t^{(\gamma)}, W]$	$\frac{ \theta_e\theta_\alpha ^2}{\theta^2}$	$\checkmark/\checkmark$
dilepton-dijet	$\ell_\alpha\ell_\beta\nu jj$	$[\mathbf{W}_t^{(\gamma)}, \{W, Z(h)\}]$	$\left\{ \frac{ \theta_e\theta_\alpha ^2}{\theta^2},  \theta_e ^{2(*)} \right\}$	$\times/\checkmark$
trilepton	$\ell_\alpha^-\ell_\beta^-\ell_\gamma^+\nu\nu$	$[\mathbf{W}_t^{(\gamma)}, \{W, Z(h)\}]$	$\left\{ \frac{ \theta_e\theta_\alpha ^2}{\theta^2},  \theta_e ^{2(*)} \right\}$	$\times/\checkmark$
quadrjet	$jjjj\nu$	$[\mathbf{W}_t^{(\gamma)}, Z(h)]$	$ \theta_e ^2$	$\times$
lepton-dijet	$\ell_\alpha^- jj\nu\nu$	$[\mathbf{W}_t^{(\gamma)}, Z(h)]$	$ \theta_e ^2$	$\times$
dijet	$jj\nu\nu\nu$	$[\mathbf{W}_t^{(\gamma)}, Z]$	$ \theta_e ^2$	$\times$
monolepton	$\ell_\alpha^-\nu\nu\nu\nu$	$[\mathbf{W}_t^{(\gamma)}, Z]$	$ \theta_e ^2$	$\times$

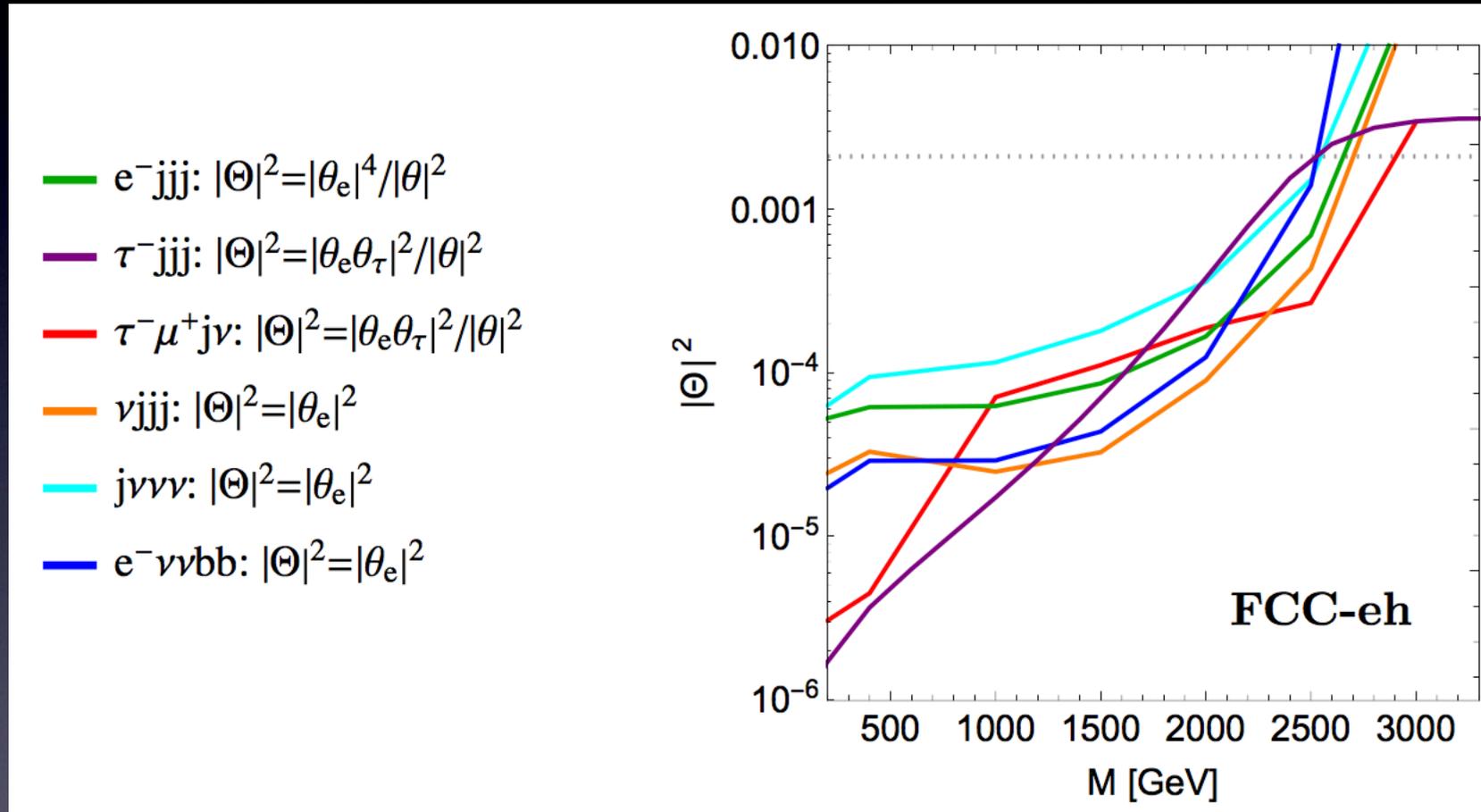
Table 5: Signatures of sterile neutrinos at leading order for  $e^-p$  colliders with their corresponding final states, production and decay channels (cf. section 2.2), and their dependency on the active-sterile mixing parameters. A checkmark in the ‘‘LNV/LFV’’ column indicates that an unambiguous signal for LNV and/or LFV is possible (cf. discussion in sections 2.2.3 and 2.2.4). The upper and lower part of the table contains signatures where the heavy neutrino is produced via electron-quark scattering ( $\mathbf{W}_t^{(q)}$ ) and  $W\gamma$ -fusion ( $\mathbf{W}_t^{(\gamma)}$ ), respectively.

# Sensitivity estimates for sterile neutrino signatures at the LHeC



S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

# Sensitivity estimates for sterile neutrino signatures at the FCC-eh



S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

# Sensitivity forecasts for displaced vertex searches at the FCC-ee, hh and eh

# General: Number of signal events from displaced vertices

$N_{\text{dv}}$ : Number of signal events from displaced vertices

$N_{\text{xN}}$ : Overall number of events from N decays

Production cross section  $\sigma$

Br into desired final state

$$N_{\text{dv}}(\sqrt{s}, \mathcal{L}, M, |\theta|^2) = \sum_{\mathbf{x}=\nu, \ell^\pm} \overbrace{\sigma_{\mathbf{xN}}(\sqrt{s}, M, |\theta|^2) \text{Br}_{\mu jj} \mathcal{L}}^{N_{\text{xN}}} \times \int D_{\mathbf{xN}}(\vartheta, \gamma) P_{\text{dv}}(x_{\text{min}}(\vartheta), x_{\text{max}}(\vartheta), \Delta x_{\text{lab}}(\tau, \gamma)) d\vartheta d\gamma.$$

$\mathcal{L}$ : Integrated luminosity

$D_{\mathbf{xN}}$ : Probability distribution for producing N with certain  $\theta$  and  $\gamma$ .

$D_{\mathbf{xN}}$ : Probability distribution for for the decay to occur within a certain detector part.

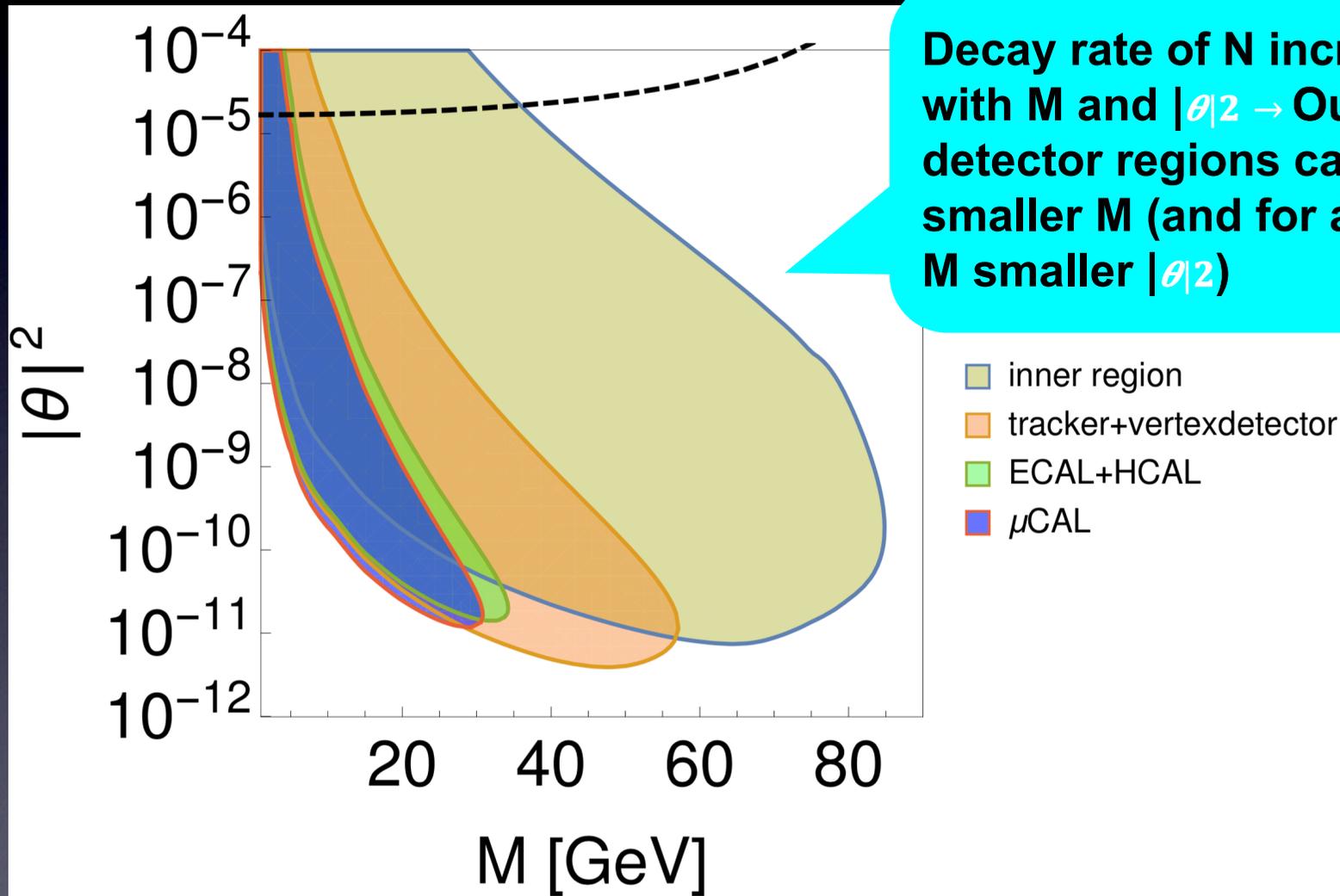
Now in addition one needs:

- Efficiencies for the various FCC detector regions, ...?
- Backgrounds when closer to primary vertex, cuts ...?

→ **A lot of work to be done ...**

# Parameter sensitivities of the different detector regions

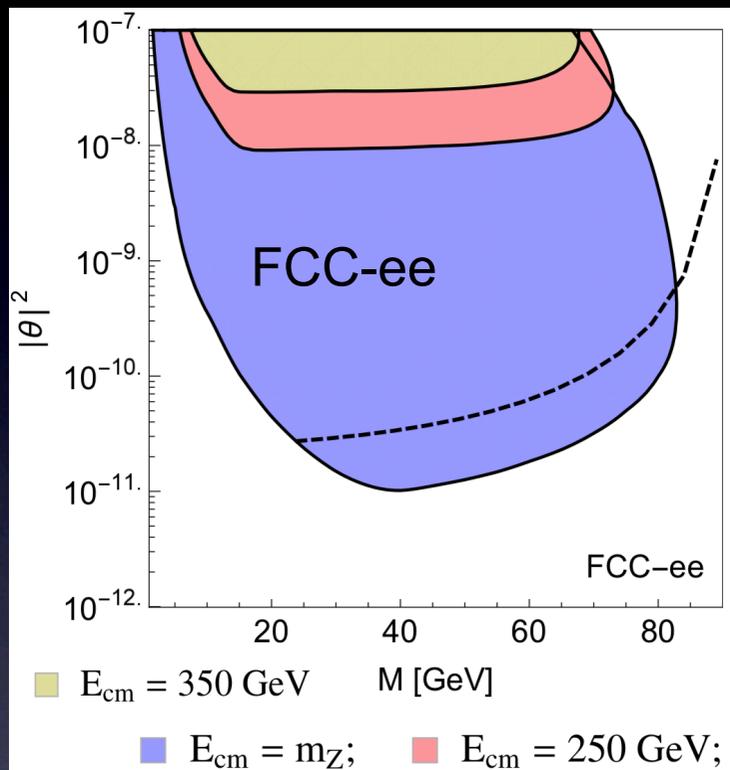
Example: FCC-ee, Z pole run, SiD-like detector



Decay rate of N increases with M and  $|\theta|^2 \rightarrow$  Outer detector regions can probe smaller M (and for a given M smaller  $|\theta|^2$ )

Plot by Eros Cazzato

# Estimated/“first look“ sensitivities via displaced vertices at FCC-ee, -hh and -eh



Estimate for FCC-ee [using SiD-like detector,  $L = 110 \text{ ab}^{-1}$  at the Z pole]:

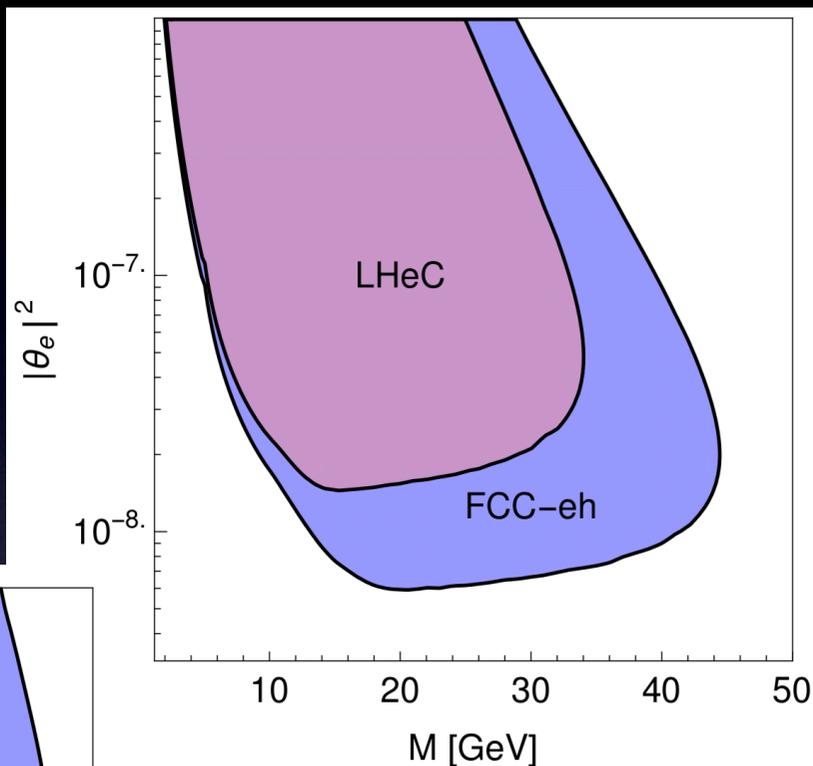
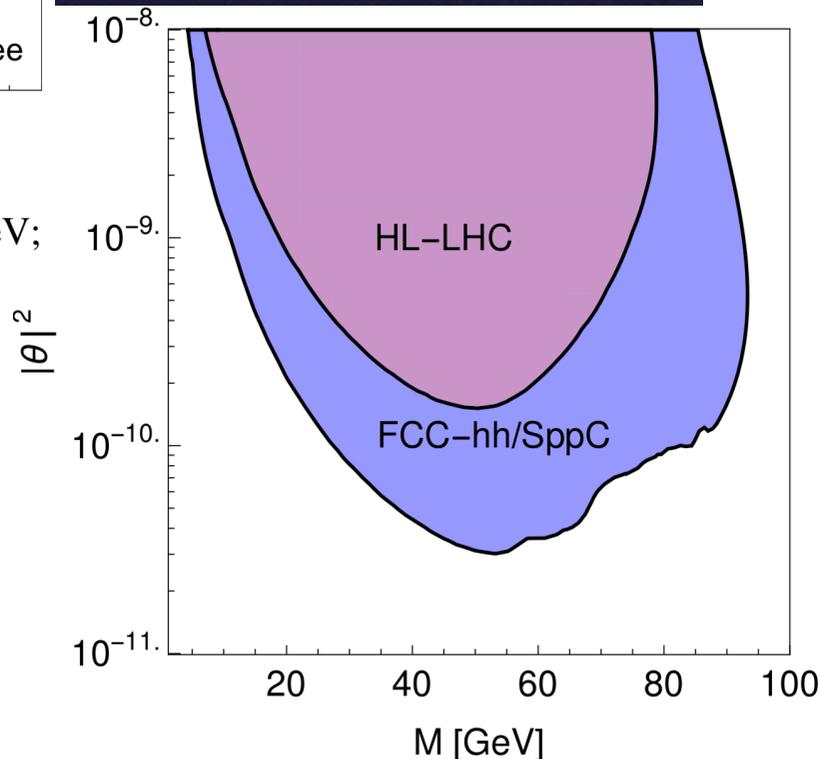
S.A., E. Cazzato, O. Fischer (arXiv:1604.02420)

See also:

Blondel, Graverini, Serra, Shaposhnikov (FCC study team, 2014)

“First look” result for FCC-hh:  
S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

[Assumed for FCC-hh “first look”:  
 $x_{\text{min}} = 1 \text{ mm}$ ,  $x_{\text{max}} = 1 \text{ m}$ ,  $\gamma_{\text{average}} = 40$  (LH-LHC), 100 (FCC-hh),  
 $L = 20 \text{ ab}^{-1}$ , 100% efficiency]

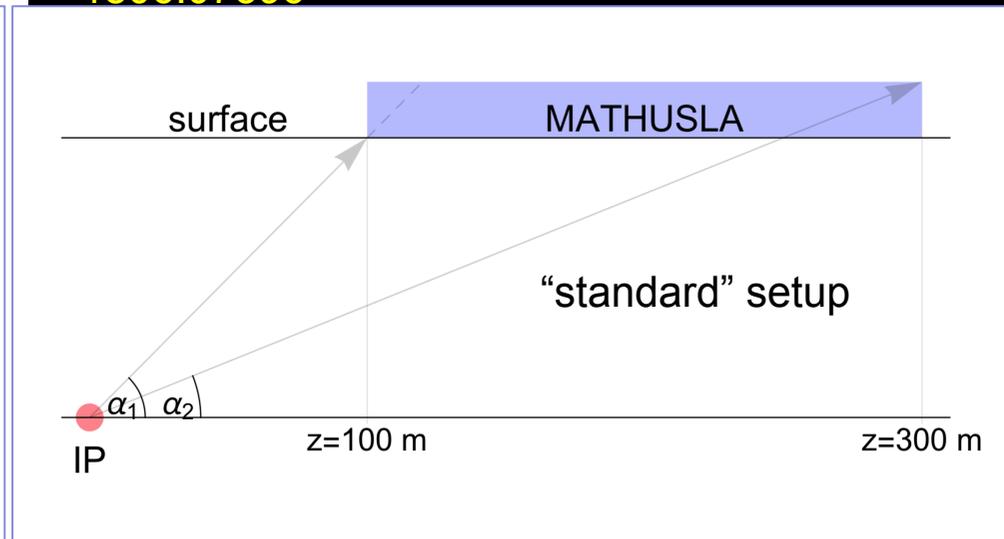
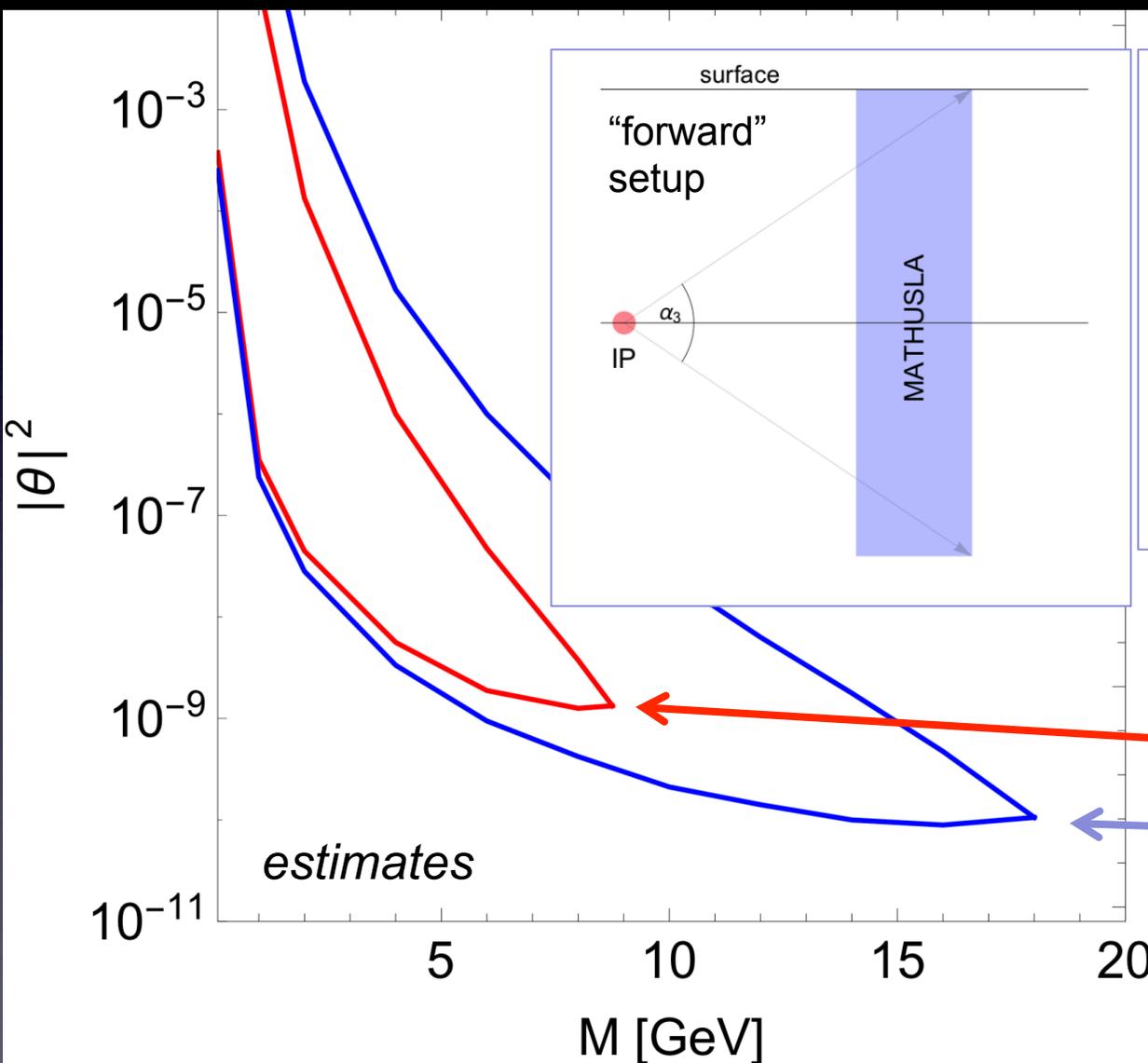


“First look” result for FCC-eh:  
S.A., E. Cazzato, O. Fischer (arXiv:1612.02728)

[Assumed for FCC-eh “first look”:  
 $x_{\text{min}} = 1 \text{ mm}$ ,  $x_{\text{max}} = 1 \text{ m}$   
 $\gamma_{\text{average}} = 3$  (LHeC), 5 (FCC-eh)  
 $L = 1 \text{ ab}^{-1}$ , 100% efficiency]

# Probing lower $M$ : Extra distant detector (e.g. MATHUSLA-type) with FCC-hh

See also MATHUSLA physics case: arXiv: 1806.07396



	$z$ [m]	$y$ [m]	$x$ [m]
"standard"	[100,300]	[100, 120]	[-100, 100]
	$z$ [m]	$r$ [m]	$\phi$ [m]
"forward"	[20,40]	[5,30]	[0, $2\pi$ ]

Table 1: Possible detector geometries for MATHUSLA at FCC-hh. The origin of the coordinate system is the IP, with  $(z, y, x) = (0, 0, 0)$ , with the  $z$  axis pointing along the direction of the beam, and  $y$  in the vertical and  $x$  in the horizontal direction. The "forward" detector variant is assumed to be symmetric in the angle  $\phi$  (which rotates in the  $x$ - $y$  plane) and with the fiducial detector volume starting outside of an inner circle with radius 5 m (to account for the beam pipe).