

LOW SCALE LEPTOGENESIS AND DARK MATTER

A. CAPUTO

BASED ON

A.C, P. HERNANDEZ, N.RIUS [ARXIV:1807.03309](https://arxiv.org/abs/1807.03309)

Invisible18 Workshop

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MODEL AND MOTIVATIONS

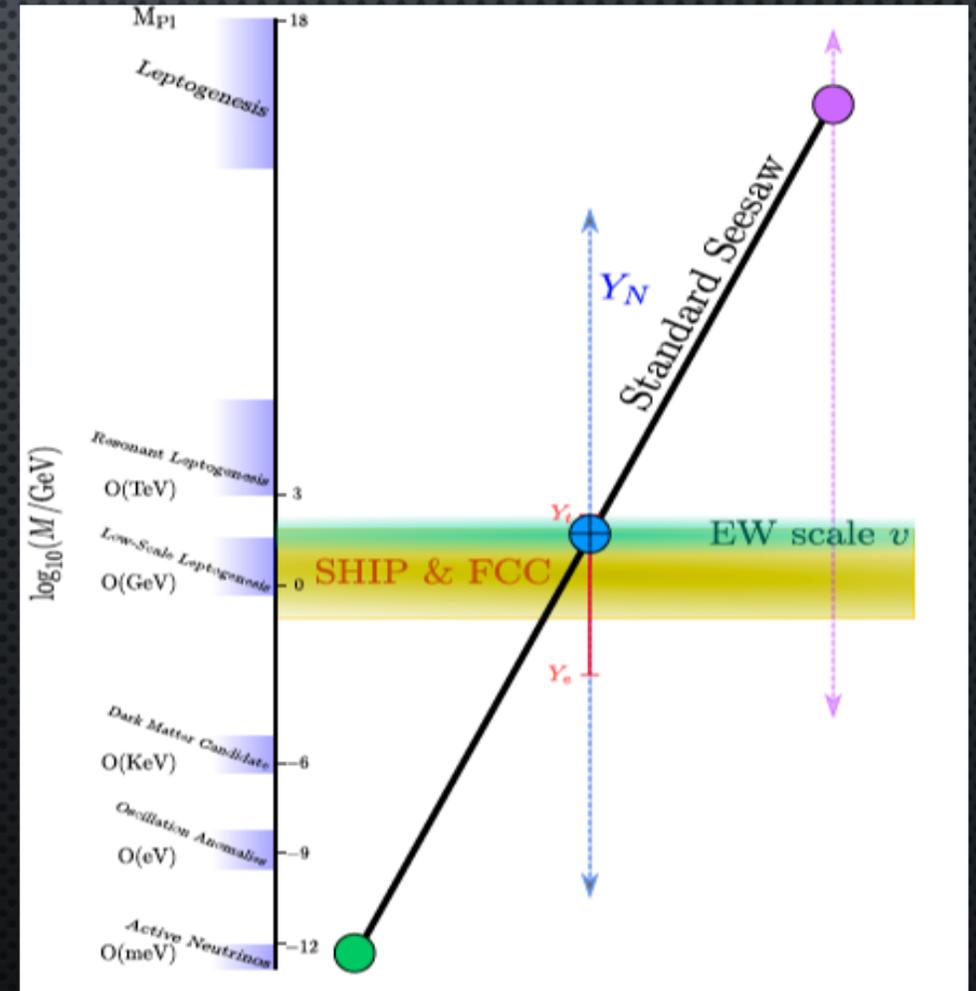
- Observed neutrino masses 

MODEL AND MOTIVATIONS

- $$\mathcal{L}_{seesaw} = \mathcal{L}_{SM} - \sum_{\alpha,i} \overline{L}_{\alpha} Y^{\alpha,i} \tilde{\phi} N_i - \sum_{i,j=1}^2 \frac{1}{2} \overline{N}_i^C M_N^{i,j} N_i + h.c$$

P. Minkowski(1977), M. Gell-Mann, P. Ramond and R. Slansky (1979),
 T. Yanagida (1979), R.N. Mohapatra and G. Senjanovic (1980)

- Observed neutrino masses 😊

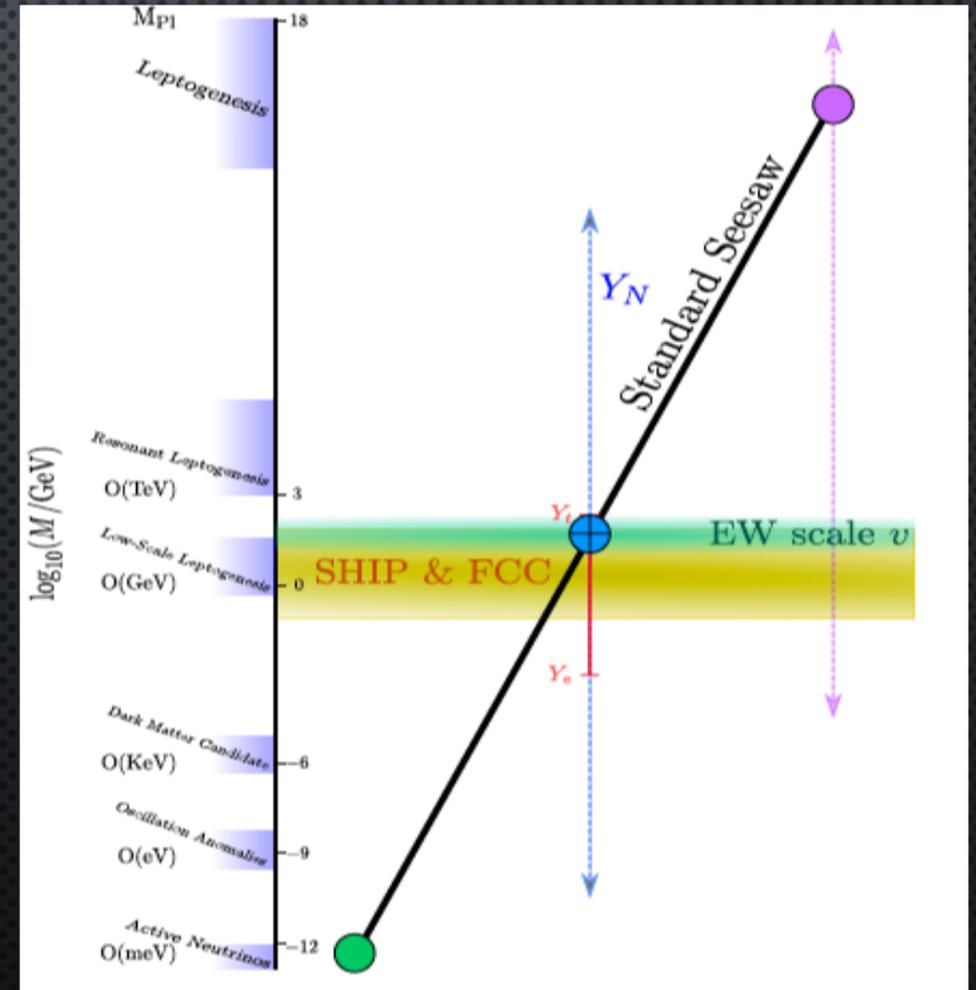


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- Observed neutrino masses 😊
- Explain Matter-Antimatter asymmetry via neutrino oscillations if $M_N \in [1, 10^2] GeV$ 😊

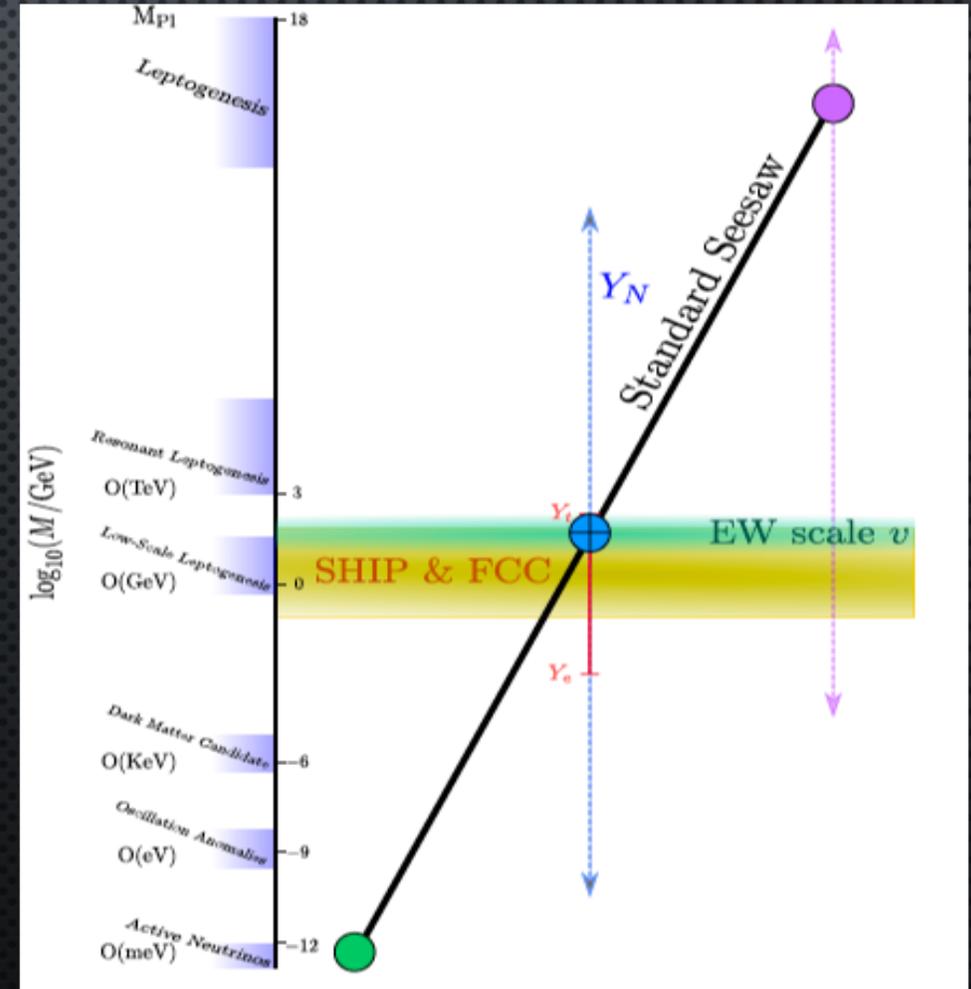
E.K.Akhmedov, V.Rubakov, A.Y. Smirnov
Asaka, Shaposhnikov



MODEL AND MOTIVATIONS

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- Observed neutrino masses 😊
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- Testable scenario in beam dump experiments and future colliders 😊



The question we want to address is, can we easily extend the model to solve other issues of the SM?

In particular, can we easily add a *Dark Matter* candidate to the model?

This is not that simple because we have to make sure **we do NOT spoil** Leptogenesis

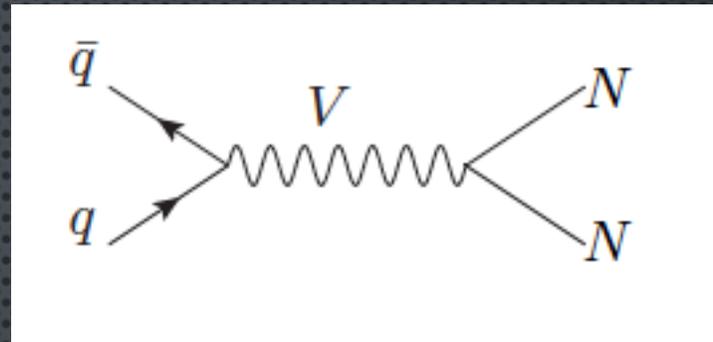
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It is essential that at least one of the sterile neutrinos **does not equilibrate** by the time of electroweak transition

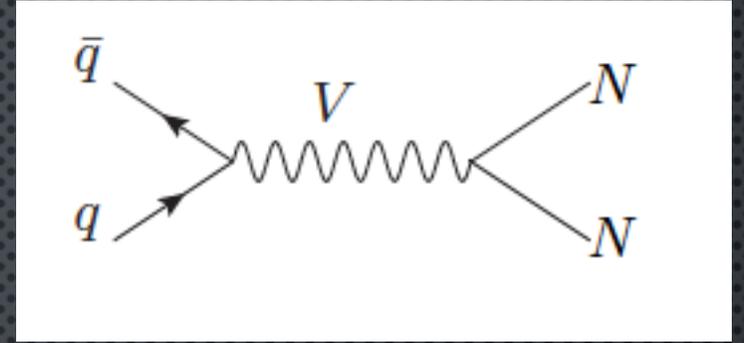
$$\Gamma(T_{EW}) < H(T_{EW})$$

B-L gauged

$$\mathcal{L} \supset g_{B-L} \left(\sum_f Q_{B-L}^f V_\mu \bar{f} \gamma^\mu f - \sum_\alpha V_\mu \bar{N}_\alpha \gamma^\mu N_\alpha \right)$$



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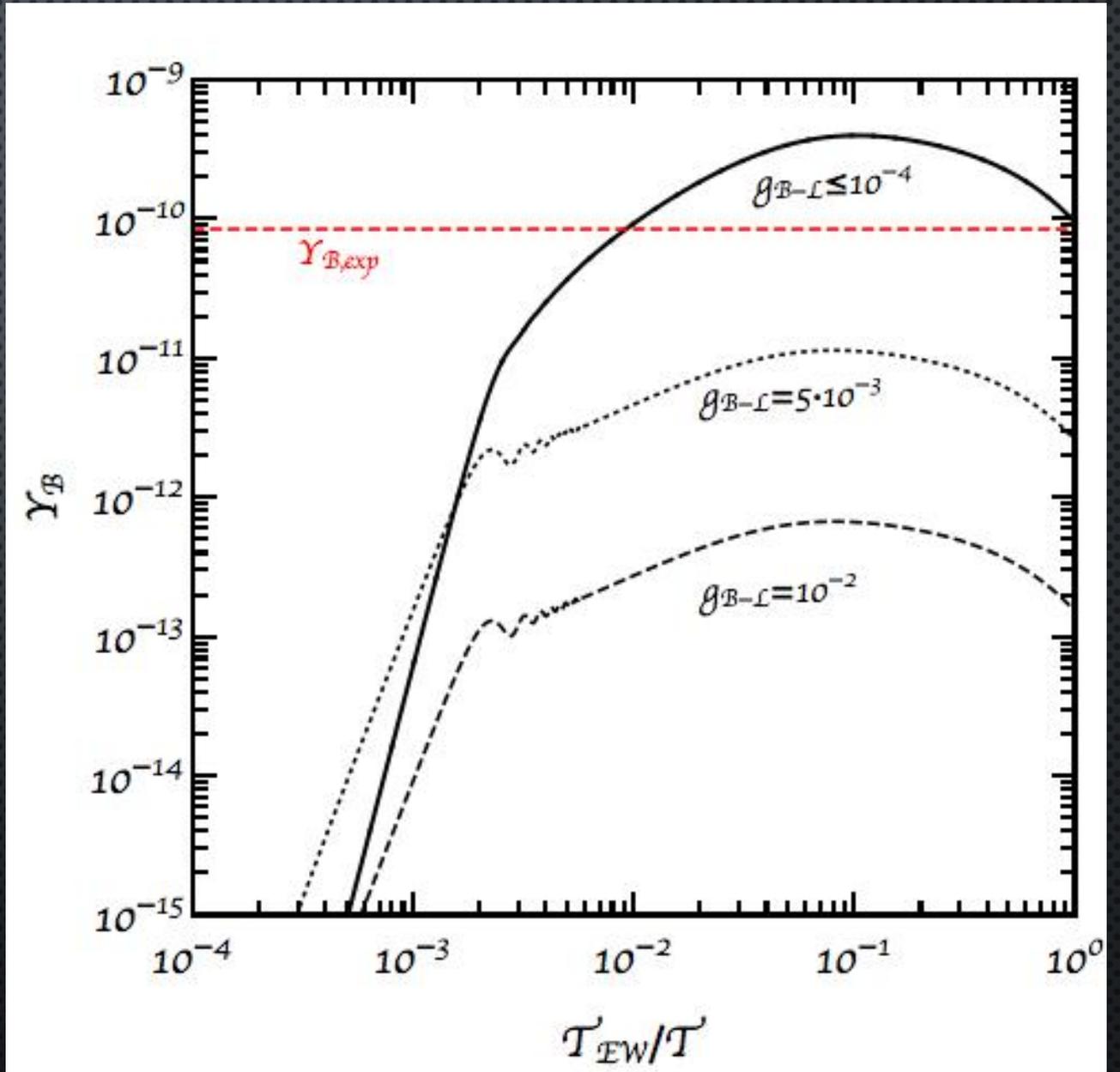


If we consider $2 \leftrightarrow 2$ processes ($m_V < 2m_N$) we get

$$g_{B-L} \leq 10^{-4}$$

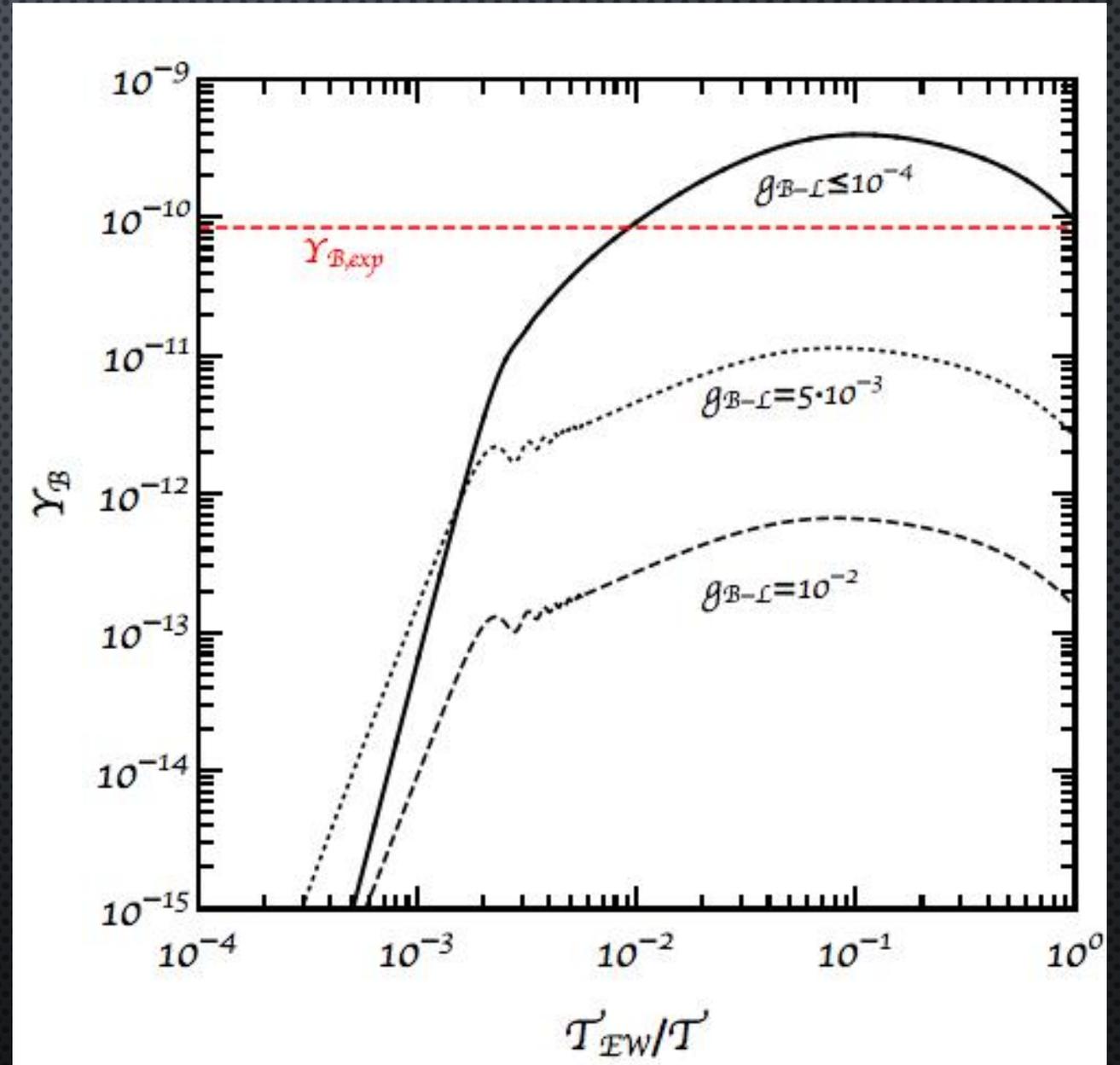
Just simply imposing $\Gamma_{EW}(f\bar{f} \leftrightarrow NN) < H(T_{EW})$

Solving the quantum kinetic equations for ARS mechanism actually we find a similar result



Solving the **quantum kinetic equations** for ARS mechanism actually we find a similar result

The effect of the new gauge boson is to thermalize neutrinos more, and **dilute** the generated asymmetry



WHAT ABOUT DARK MATTER CANDIDATES?

Come to the poster session and
look at the end of the story!



THANKS FOR ATTENTION

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