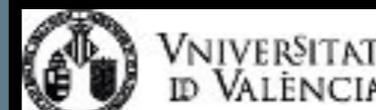


# Neutrino masses: knowns and unknowns from *Cosmology et al*



Olga Mena  
IFIC-CSIC/UV Valencia (Spain)

in**visibles**Plus  
elusi**ves**  
neutrinos, dark matter & dark energy physics



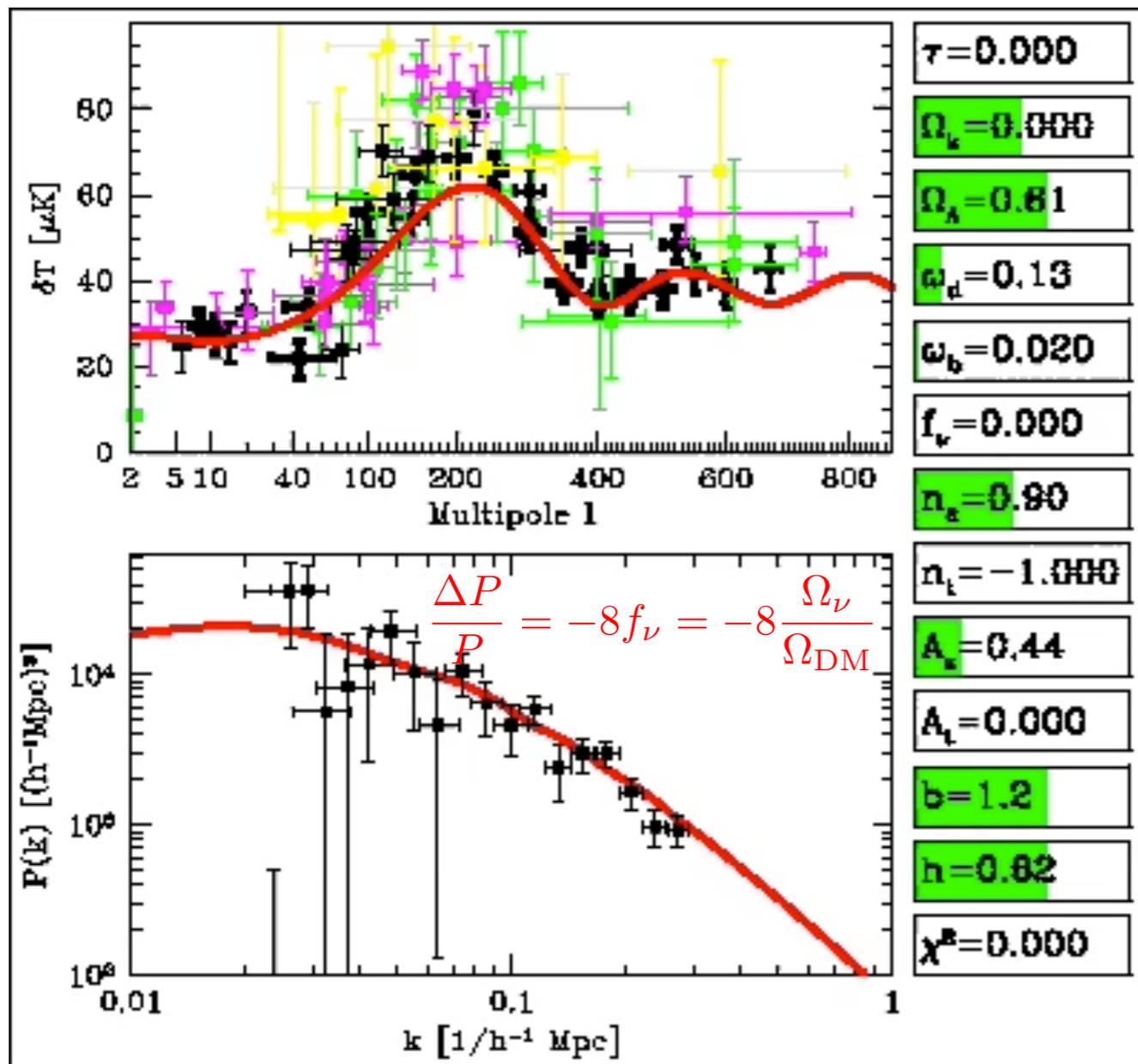
## The **knowns** and the **unknowns**:

- What **we know**: Neutrino mass bounds from cosmology
- What we **do not know (yet!)** but **we will probably know**: Neutrino mass ordering from bounds on  $\Sigma m_\nu$
- What will be **extremely hard to know**: Neutrino mass ordering from individual  $m_i$ 's
- The Dark Justice League game:  $\Sigma m_\nu$  versus  $w(z)$

# What we know: Massive neutrinos cosmological signatures

@ CMB: Early Integrated Sachs Wolfe effect. The transition to the non relativistic neutrino regime gets imprinted in the decays of the gravitational potentials near the recombination period (maximal around the first peak). **CMB Lensing.**

@LSS: Suppress structure formation on scales larger than the free streaming scale when they turn non relativistic. (*Bond et al PRL'80, Hu et al PRL'98*)



$$1 + z_{nr,\nu} \simeq 1890 \left( \frac{m_\nu}{1\text{eV}} \right)$$

At least two massive eigenstates became non-relativistic in the matter period

$$k_{fs,\nu}(z) \simeq 0.7 \left( \frac{m_\nu}{1\text{eV}} \right) \sqrt{\frac{\Omega_M}{1+z}} \text{ h Mpc}^{-1}$$

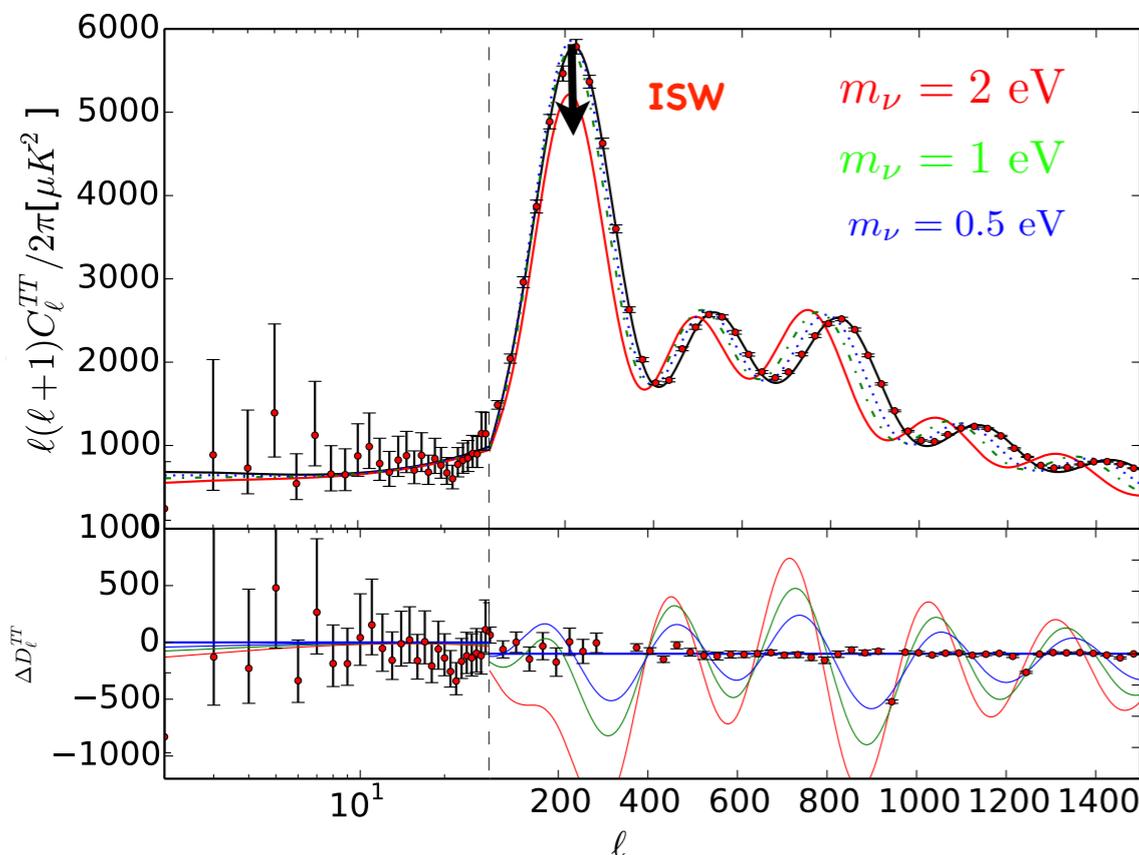
# What we know: Massive neutrinos cosmological signatures

@ CMB: Early Integrated Sachs Wolfe effect (ISW)

$$\Theta(\hat{n}) = \frac{\delta T}{T}(\hat{n}) \simeq \Theta_0 + \Psi + \hat{n}(\hat{v}_e - v) + \int \dot{\Psi} + \dot{\Phi} d\eta$$

In matter domination, the gravitational potential is constant: **NO ISW effect!**

The transition **from the relativistic to the non relativistic neutrino regime** gets imprinted in the decays of the gravitational potentials near the recombination period, **contributing to the ISW effect!**



This early ISW effect leads to a depletion of:

$$\frac{\Delta C_\ell}{C_\ell} = -\left(\sum m_\nu / 0.1 \text{ eV}\right)\%$$

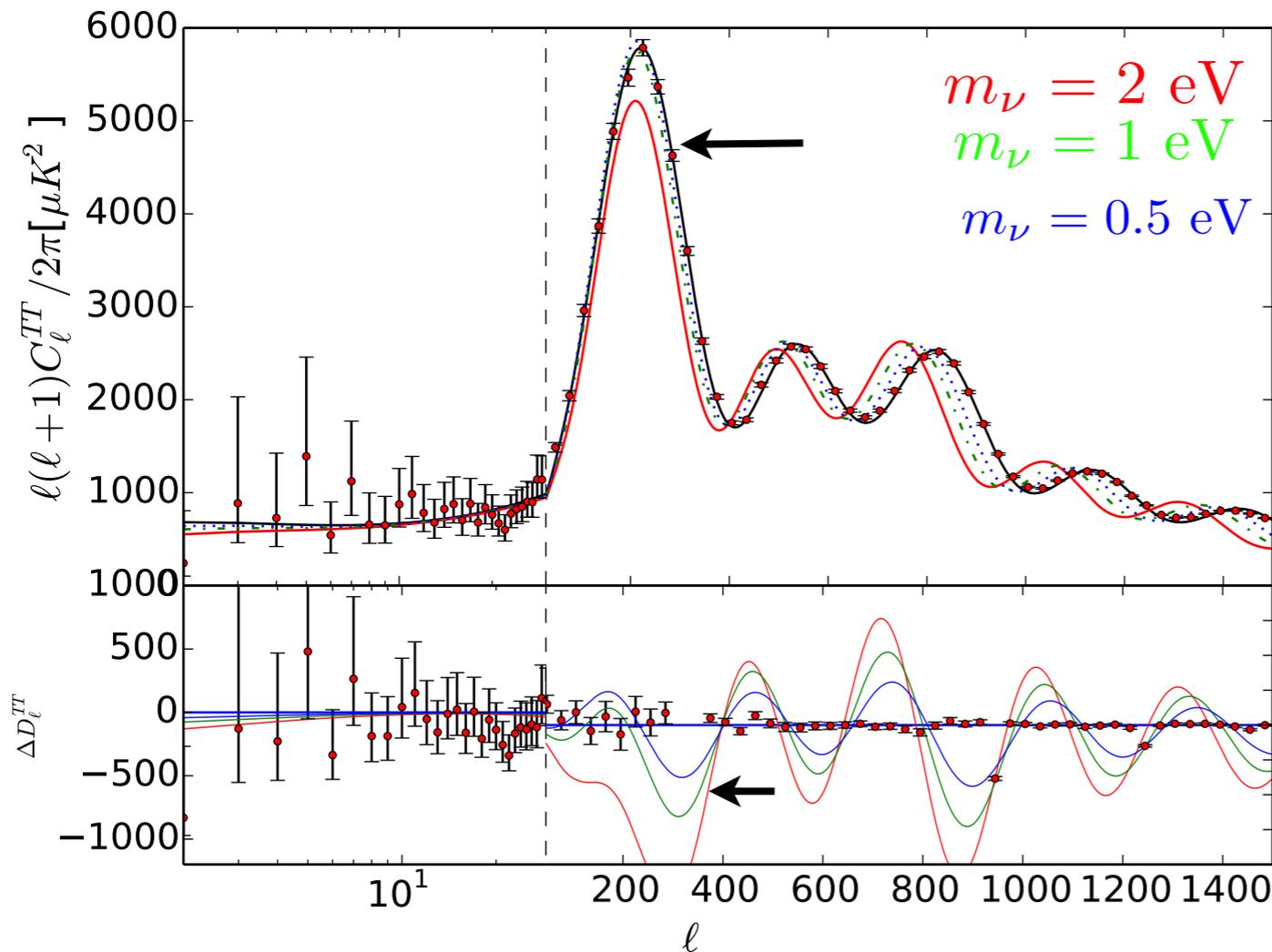
on multipoles:

$$20 < \ell < 200$$

# What we know: Massive neutrinos cosmological signatures

@ CMB: Early Integrated Sachs Wolfe effect (ISW).

Shift in the angular position of the peaks.



$$\theta_s = \frac{r_s}{D_A}$$

$$r_s = \int_0^{t(z_d)} c_s (1+z) dt = \frac{2}{3k_{\text{eq}}} \sqrt{\frac{6}{R_{\text{eq}}}} \ln \frac{\sqrt{1+R_d} + \sqrt{R_d + R_{\text{eq}}}}{1 + \sqrt{R_{\text{eq}}}}$$

$$D_A = \int_0^{z_{\text{rec}}} \frac{dz}{H(z)}$$

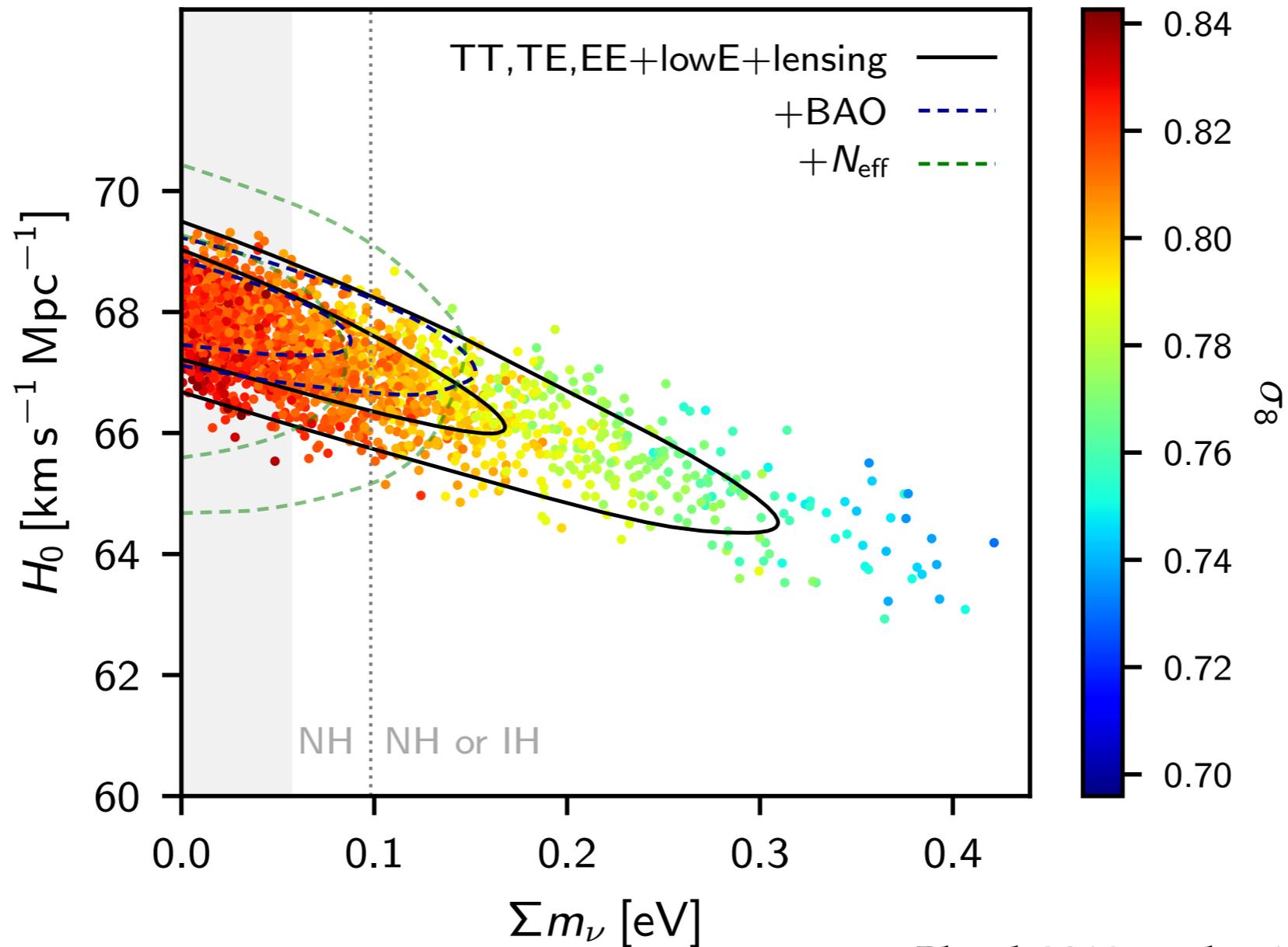
The higher the neutrino mass, the lower the angular diameter distance.

Peaks shift to lower multipoles. But this effect can be compensated with a lower

Hubble constant:

**Strong degeneracy between  $\Sigma m_\nu$  and the Hubble constant  $H_0$ !**

# What we know: Massive neutrinos cosmological signatures



*Planck 2018 results, 1807.06209*

**Strong degeneracy between  $\Sigma m_\nu$  and the Hubble constant  $H_0$ !**

# What we know: Massive neutrinos cosmological signatures

@ CMB: Early Integrated Sachs Wolfe effect (ISW).

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# What we know: Massive neutrinos cosmological signatures

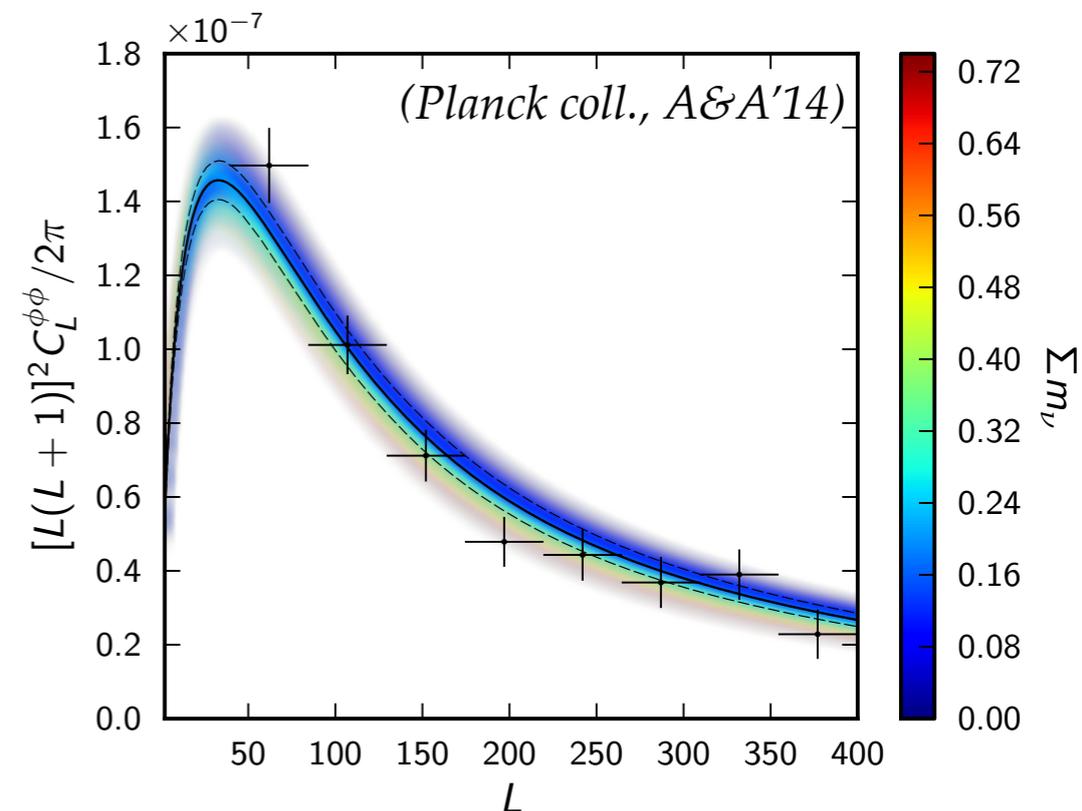
@ CMB: Lensing remaps the CMB fluctuations:  $\Theta_{\text{lensed}}(\hat{n}) = \Theta(\hat{n} + \nabla\phi(\hat{n}))$

Lensing potential  $\phi$  is a measure of the integrated mass distribution back to the last scattering surface

$$\phi(\hat{n}) = -2 \int_0^{z_{\text{rec}}} \frac{dz}{H(z)} \underbrace{\Psi(z, D(z)\hat{n})}_{\text{Matter distribution}} \underbrace{\left( \frac{D(z_{\text{rec}}) - D(z)}{D(z_{\text{rec}})D(z)} \right)}_{\text{Geometry}}$$

$$C_L^{\phi\phi} = \frac{8\pi^2}{L^3} \int_0^{z_{\text{rec}}} \frac{dz}{H(z)} D(z) \left( \frac{D(z_{\text{rec}}) - D(z)}{D(z_{\text{rec}})D(z)} \right)^2 P_{\Psi}(z, k = L/D(z))$$

Neutrino free streaming affects the **gravitational potential**, changing the gravitational lensing of CMB photons as they traverse these potentials! *(Kaplinghat et al PRL'03, Lesgourgues et al, PRD'06)*



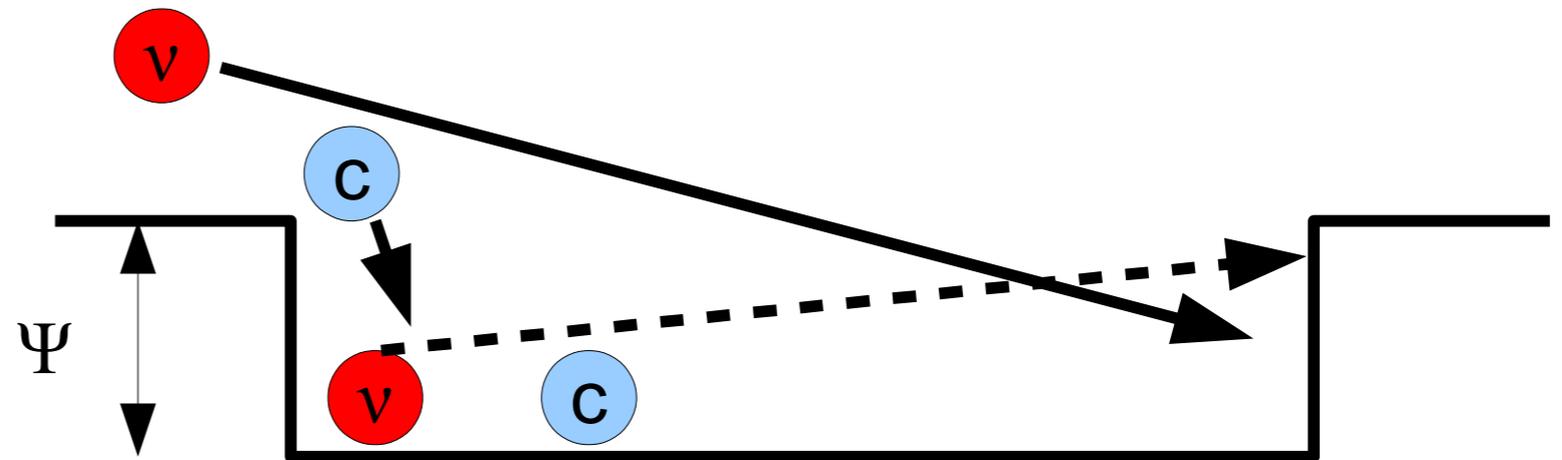
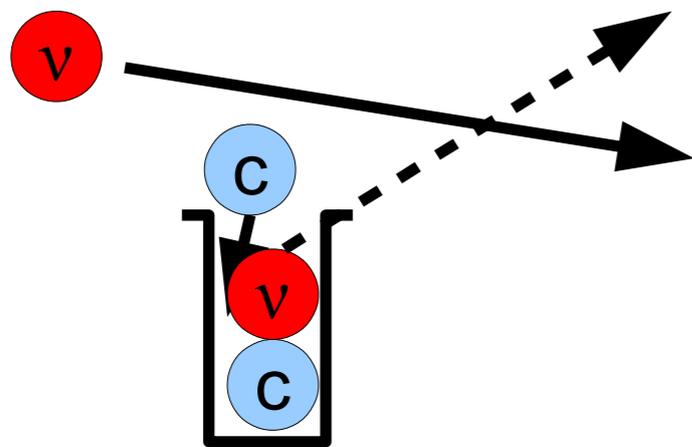
# What we know: Massive neutrinos cosmological signatures

Neutrino masses suppress structure formation on scales larger than their free streaming scale when they turn non relativistic. (*Bond et al PRL'80*)

Neutrinos with eV masses are hot relics with large thermal velocities!

$$\langle v_{\text{thermal}} \rangle \simeq 81(1+z) \left( \frac{\text{eV}}{m_\nu} \right) \text{ km s}^{-1}$$

Cold dark matter instead has zero velocity and therefore it clusters at any scale!



$$\lambda \ll \lambda_{fs,\nu} \rightarrow k \gg k_{fs,\nu}$$

$$\lambda \gg \lambda_{fs,\nu} \rightarrow k \ll k_{fs,\nu}$$

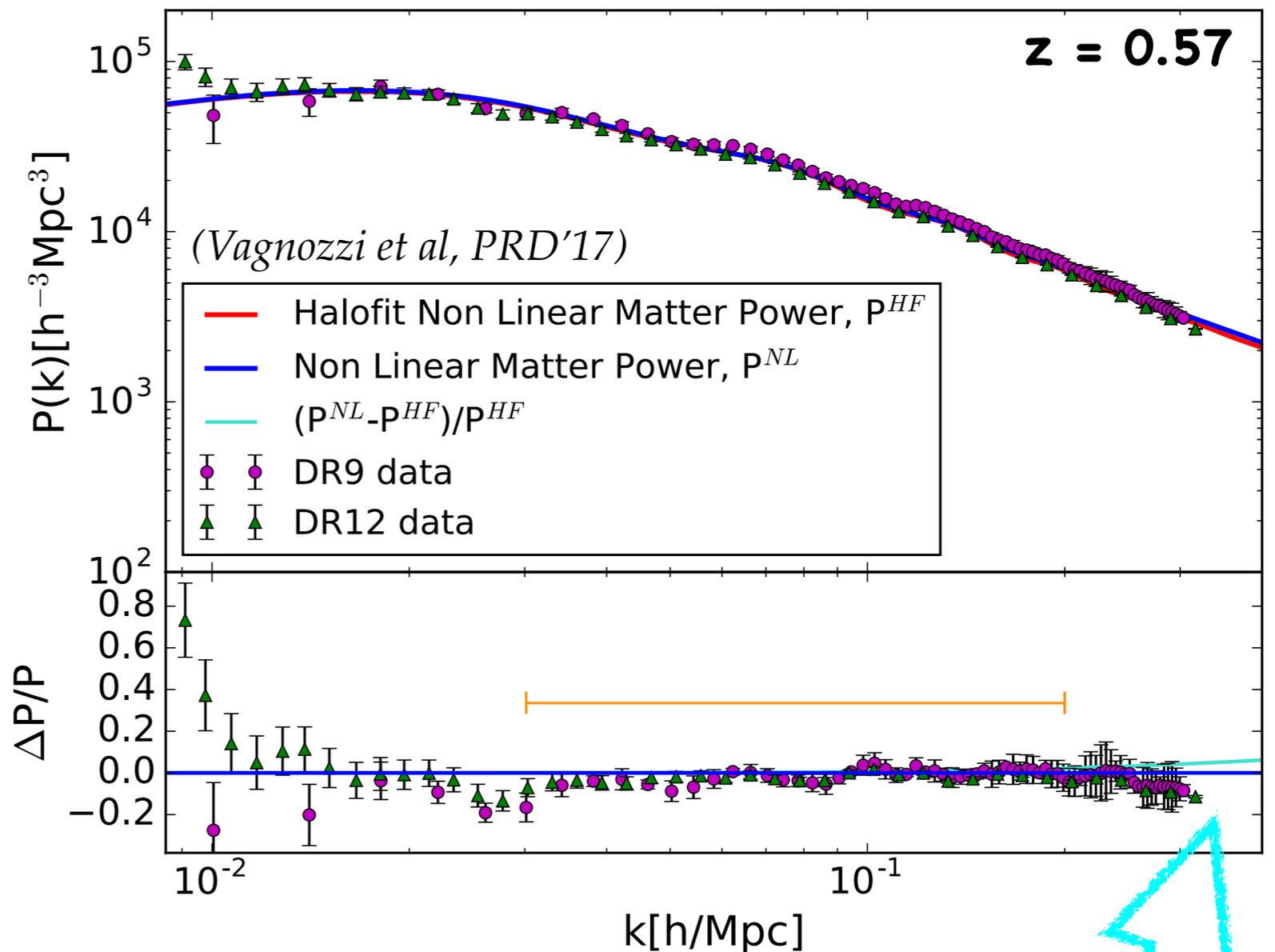
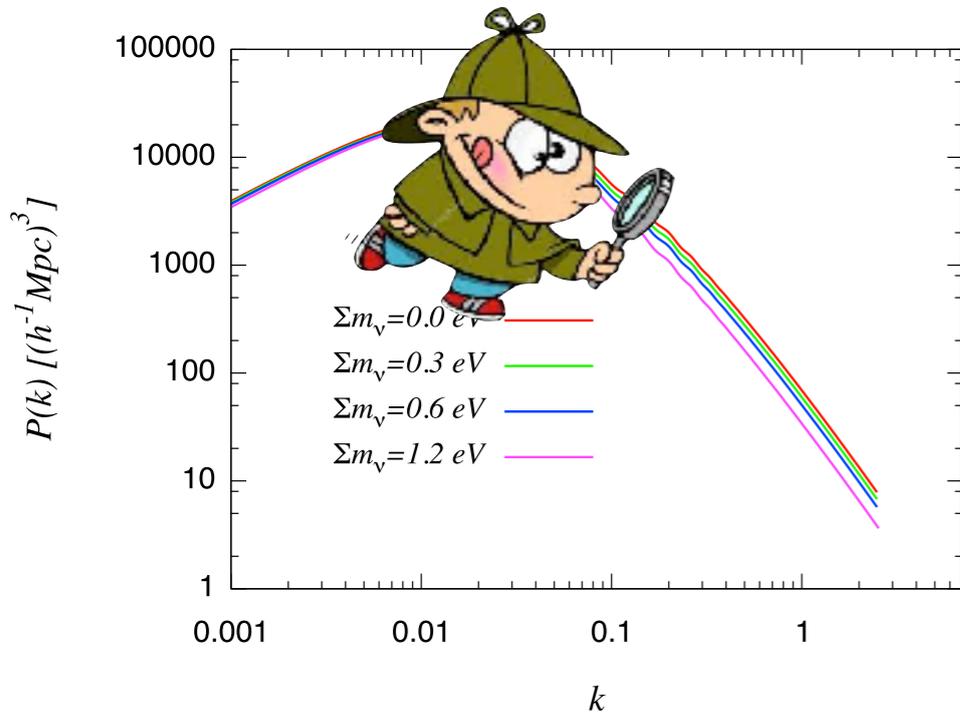


(From Y. Wong)

# What we know: Massive neutrinos cosmological signatures

@LSS: Caveats, NON-LINEARITIES

Beyond a given scale  $k_{nl}$ , linear perturbation theory breaks down!



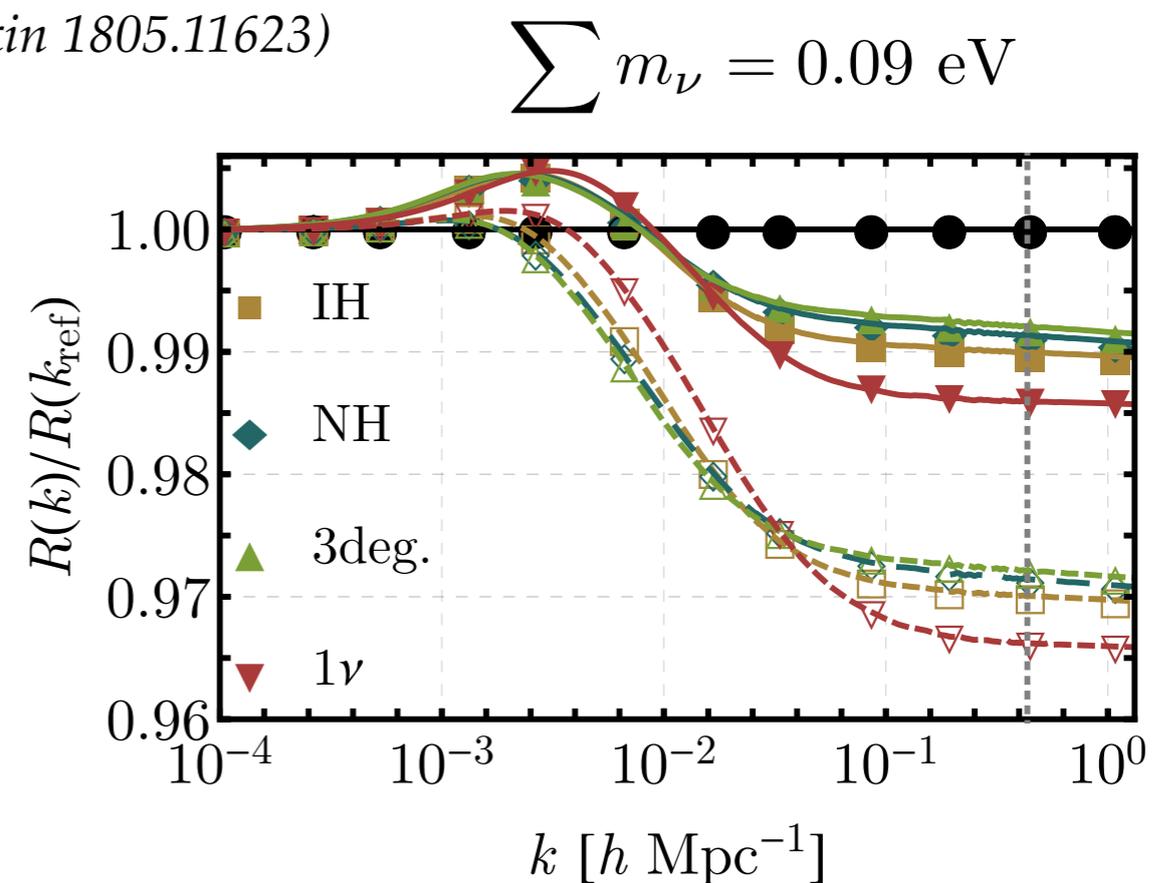
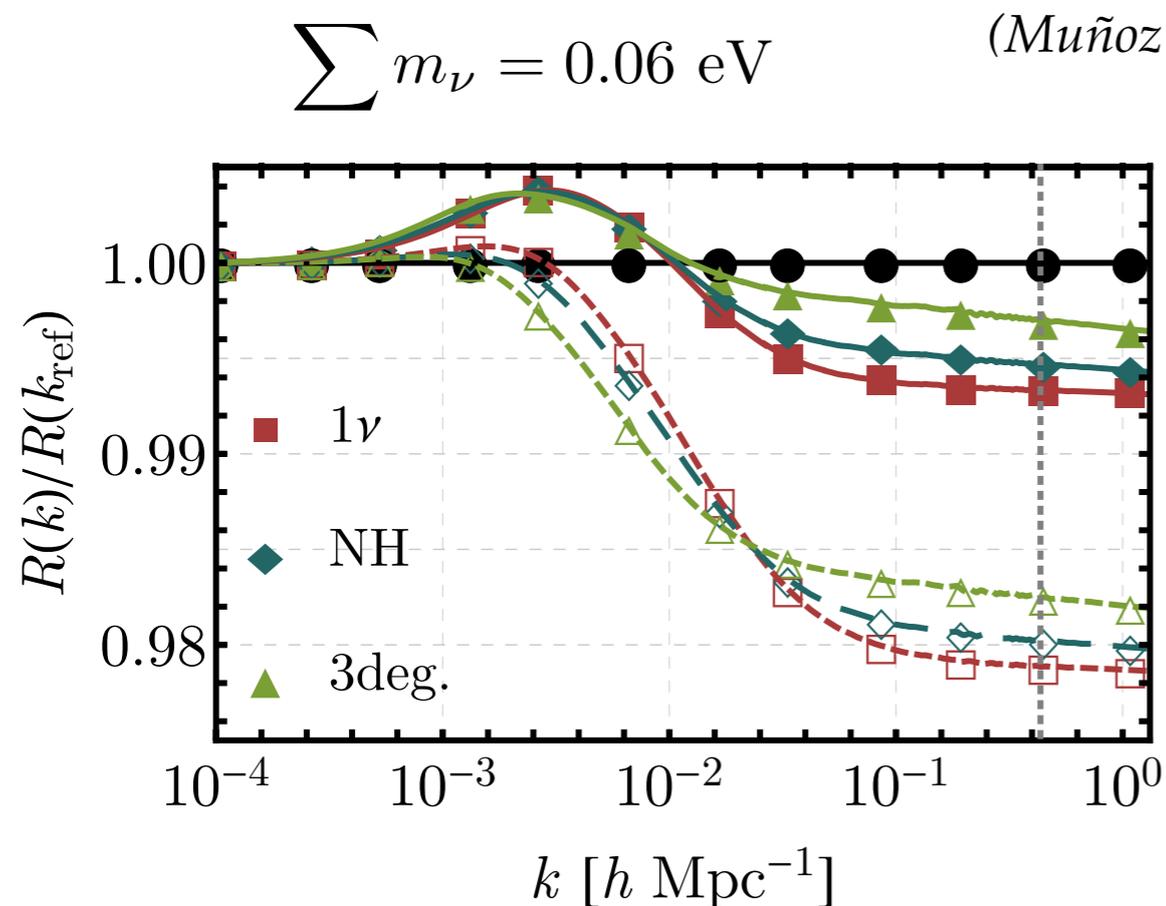
# What we know: Massive neutrinos cosmological signatures

@LSS: Caveats, BIAS!

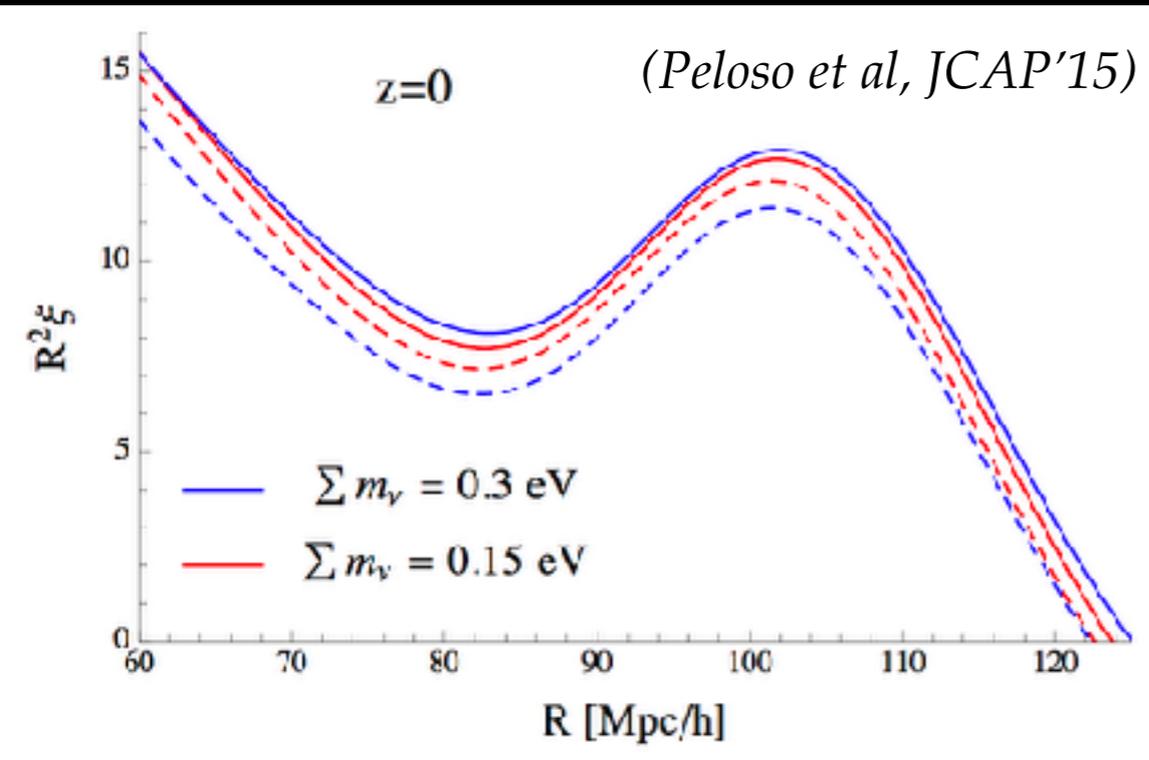
$$P_{gg}(k, z) = \textit{bias}^2 P(k, z)$$

Galaxies are **biased** tracers of the underlying matter density field! *(Kaiser, APJ'84)*

Neutrinos themselves induce a scale-dependent bias *(LoVerde & Zaldarriaga; Castorina et al)*



# What we know: Massive neutrinos cosmological signatures



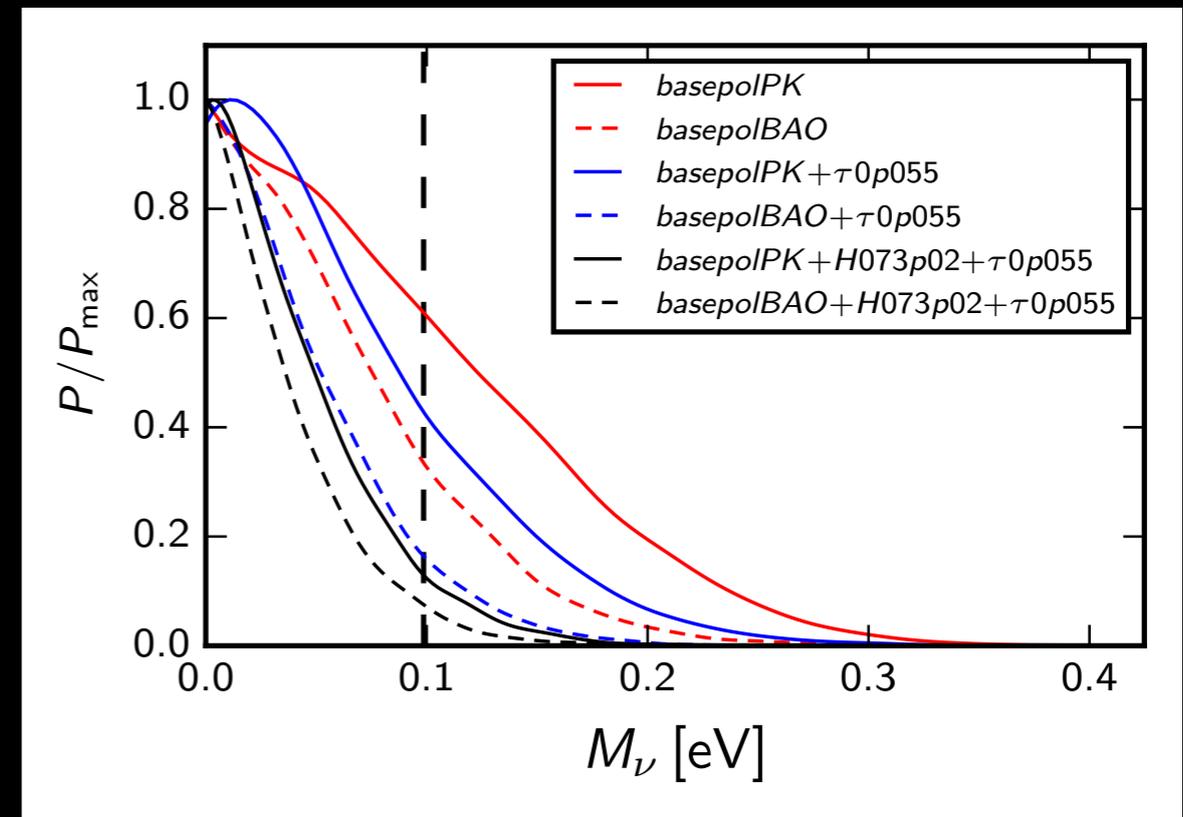
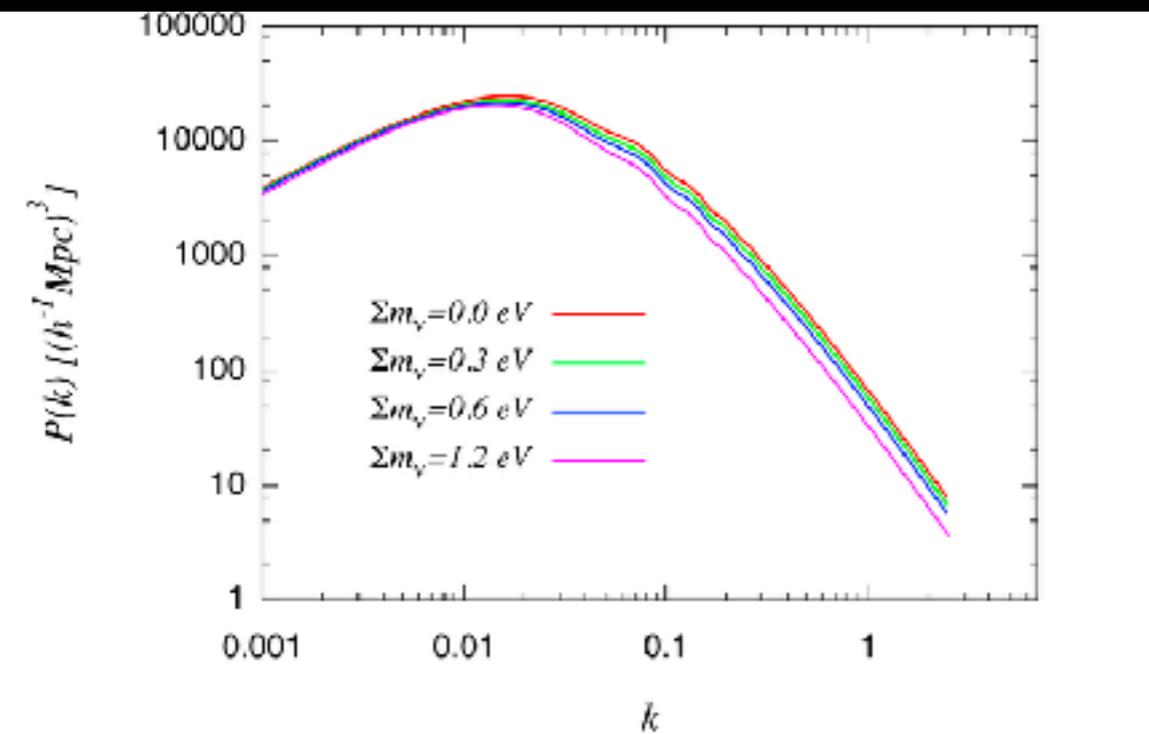
Large scale structure measurements can be interpreted either in the geometrical or shape forms

2 point correlation function

Fourier Transform

Matter power spectrum

BAO information more powerful



Planck TTTEEE+lowT+lowE+lensing

$$\sum m_\nu < 0.24 \text{ eV } 95\% \text{CL}$$

+ BAO

$$\sum m_\nu < 0.12 \text{ eV } 95\% \text{CL}$$

+ BAO + SNIa

$$\sum m_\nu < 0.11 \text{ eV } 95\% \text{CL}$$

+ BAO + SNIa +  $H_0 = 73.45 \pm 1.66 \text{ km/s/Mpc}$

*Riess et al, APJ'18*

$$\sum m_\nu < 0.0970 \text{ eV } 95\% \text{CL}$$

## Planck TTTEEE+lowT+lowE+lensing

$$\sum m_\nu < 0.26 \text{ eV} \quad N_{\text{eff}} = 2.90 \pm 0.37 \text{ 95\%CL}$$

+ BAO

$$\sum m_\nu < 0.12 \text{ eV} \quad N_{\text{eff}} = 2.96^{+0.34}_{-0.33} \text{ 95\%CL}$$

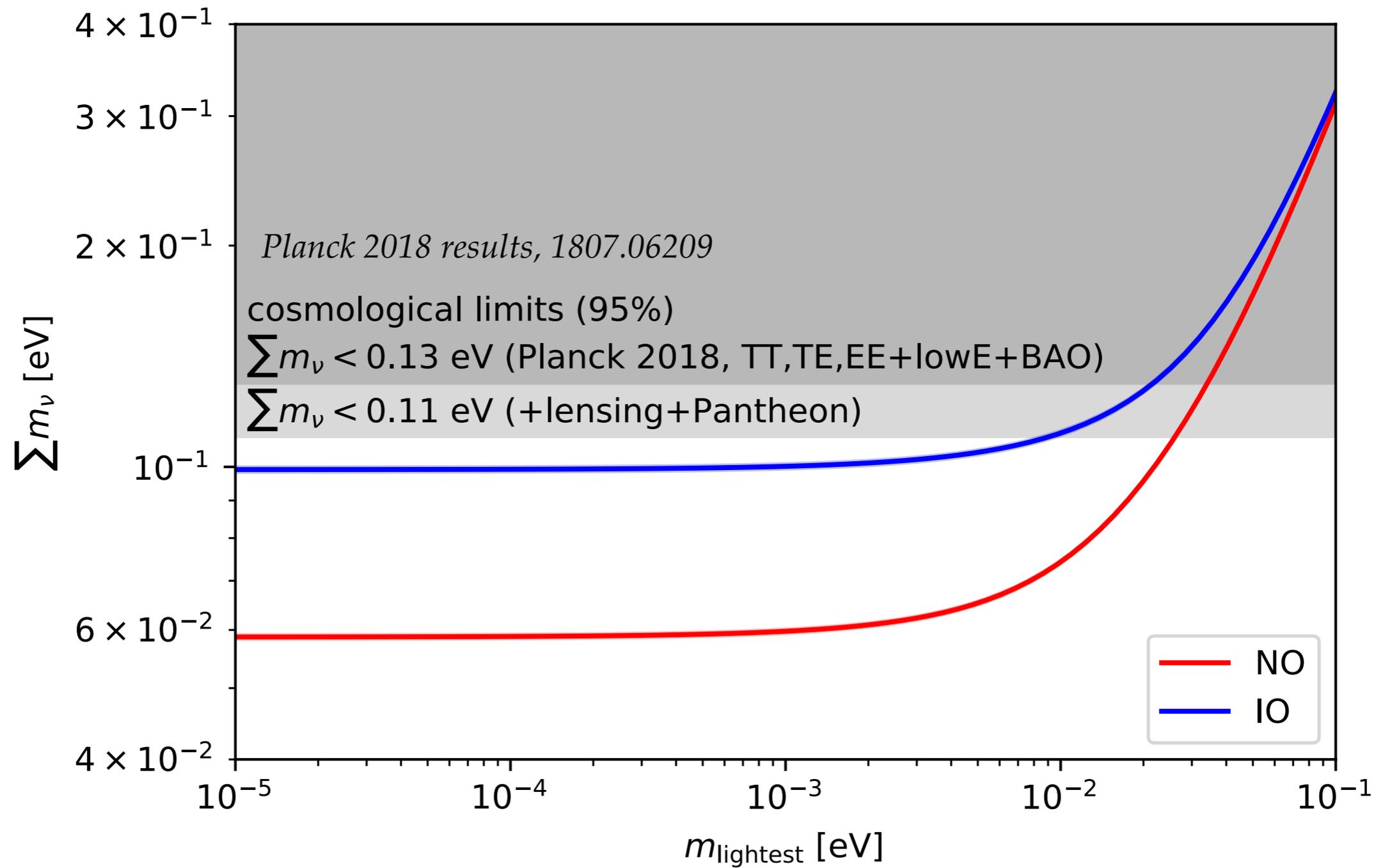
+ BAO + SNIa

$$\sum m_\nu < 0.11 \text{ eV} \quad N_{\text{eff}} = 2.98^{+0.35}_{-0.33} \text{ 95\%CL}$$

+ BAO + SNIa +  $H_0=73.45 \pm 1.66 \text{ km/s/Mpc}$  + w + nrun

$$\sum m_\nu < 0.16 \text{ eV} \quad N_{\text{eff}} = 3.11^{+0.38}_{+0.38} \text{ 95\%CL}$$

# What we know



- What we do not know (yet!): Neutrino mass ordering

Cosmology IS **CURRENTLY UNABLE** to extract individually the mass of the neutrino eigenstates and the ordering of their mass spectrum:

All the limits on the neutrino mass ordering come from the bound on  $\Sigma m_\nu$ .

Parameterizations:

(A)  $m_1, m_2, m_3$

(B)  $m_{\text{lightest}}, \Delta m_{13}^2, \Delta m_{12}^2$



Priors:

Linear

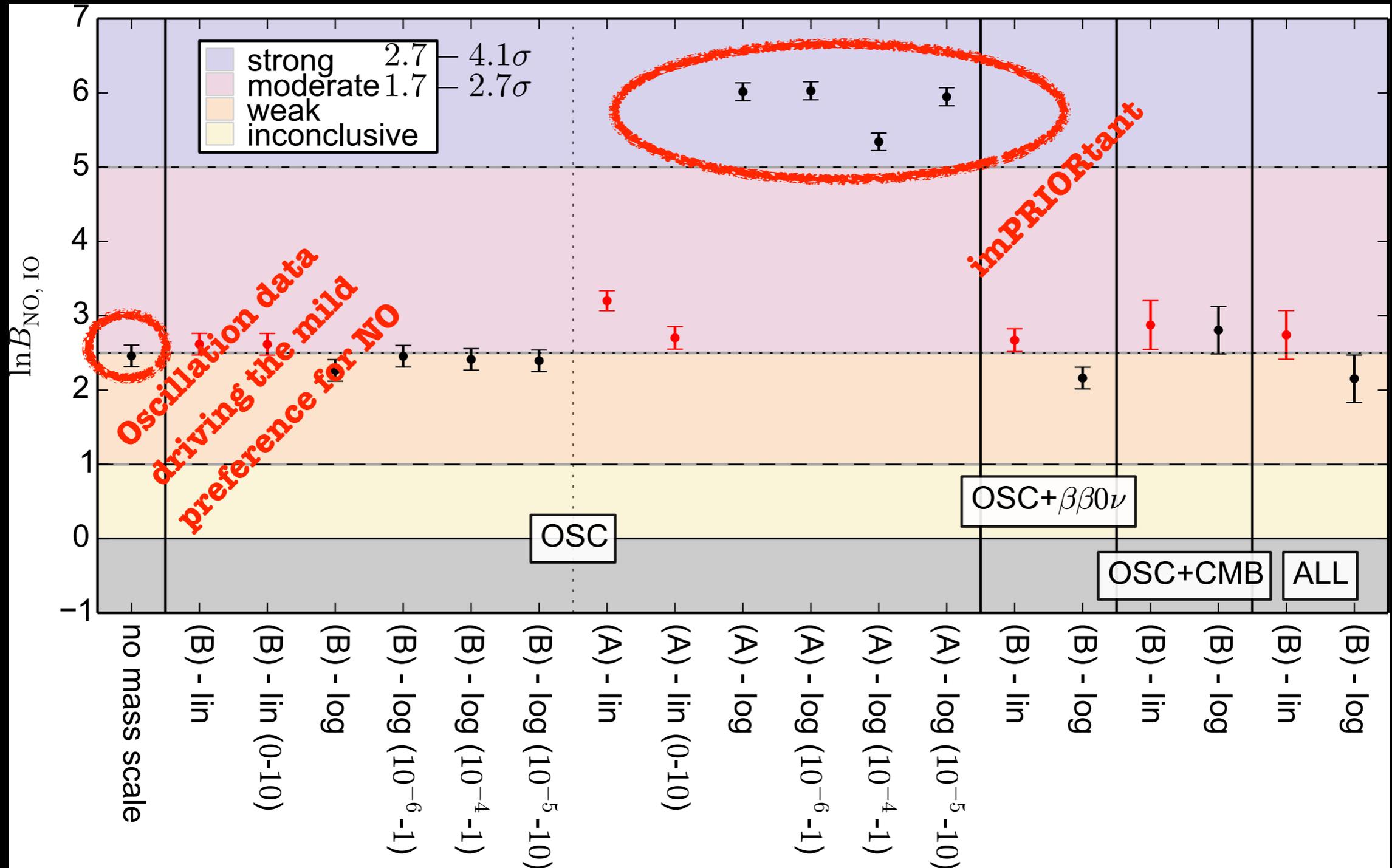
Logarithmic



The most effective prior/parameterization is the one which minimizes the fraction of initial parameter space incompatible with data

- What we do not know (yet!): Neutrino mass ordering

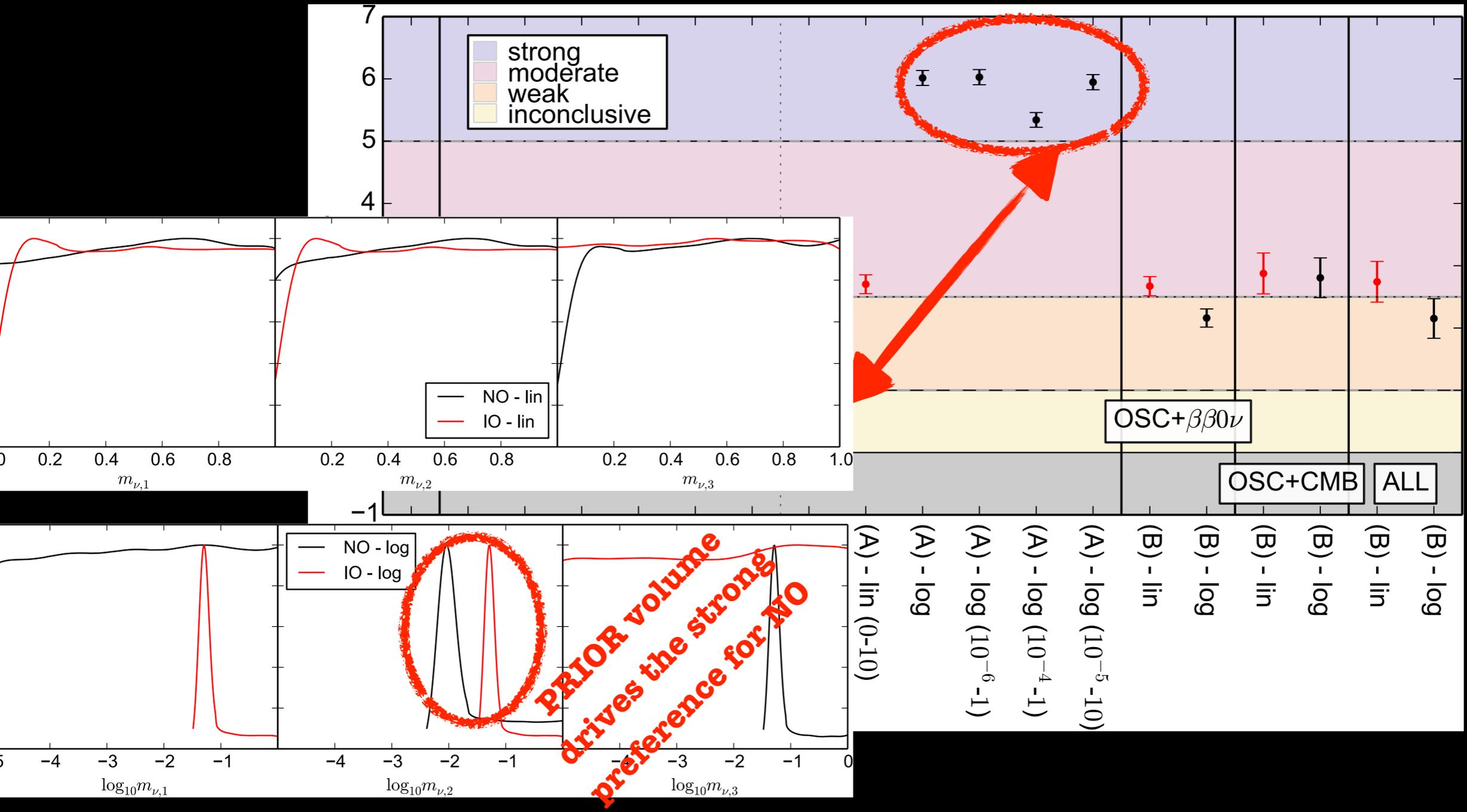
S. Gariazzo et al, JCAP'18



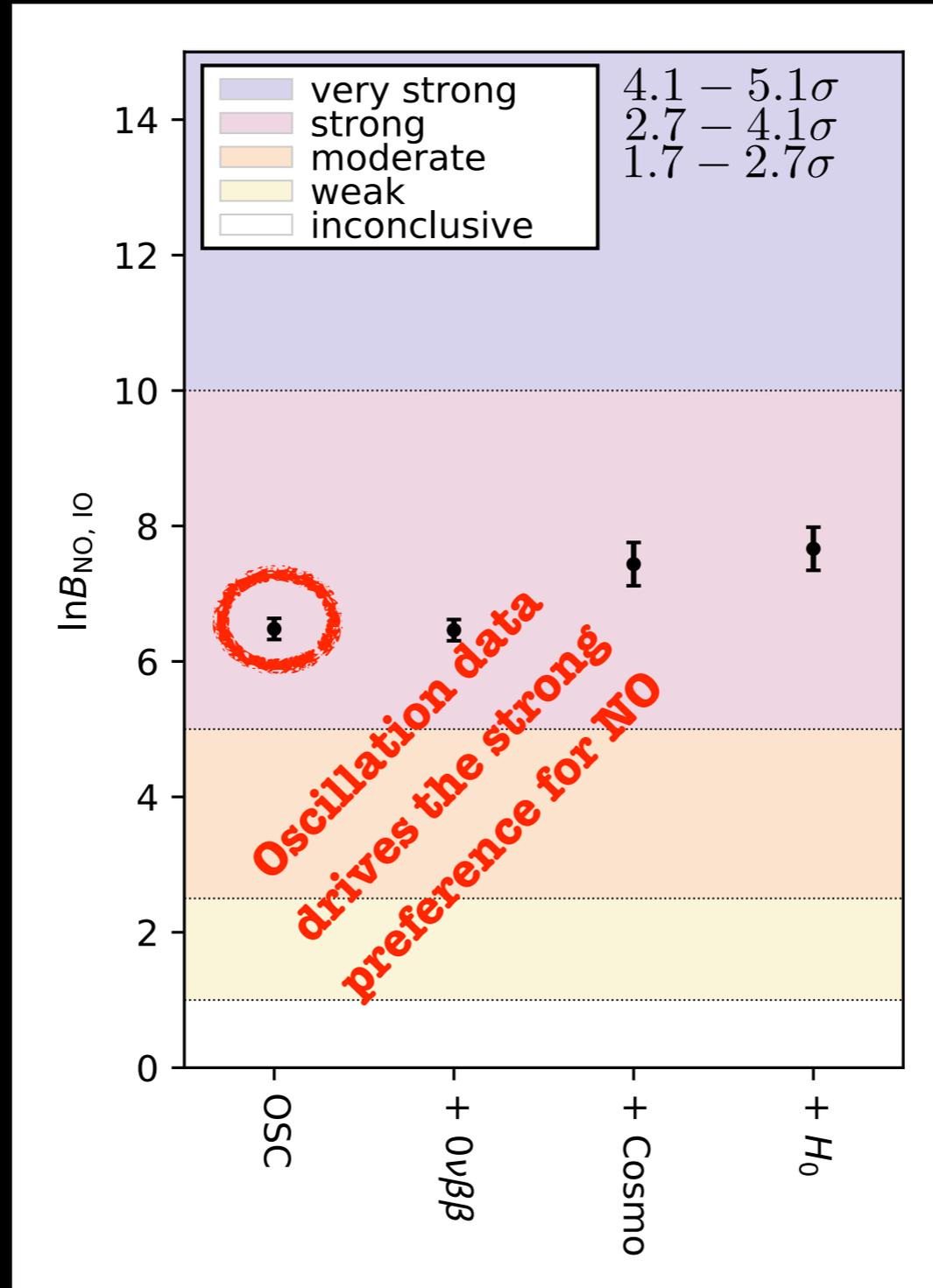
Agreement with previous analyses ( Hannestad & Schwetz, JCAP' 16, Gerbino et al, PLB'17, Vagnozzi et al, PRD'17, Caldwell et al PRD'17, Capozzi et al PRD'17)

**"The imPRIORtance":**

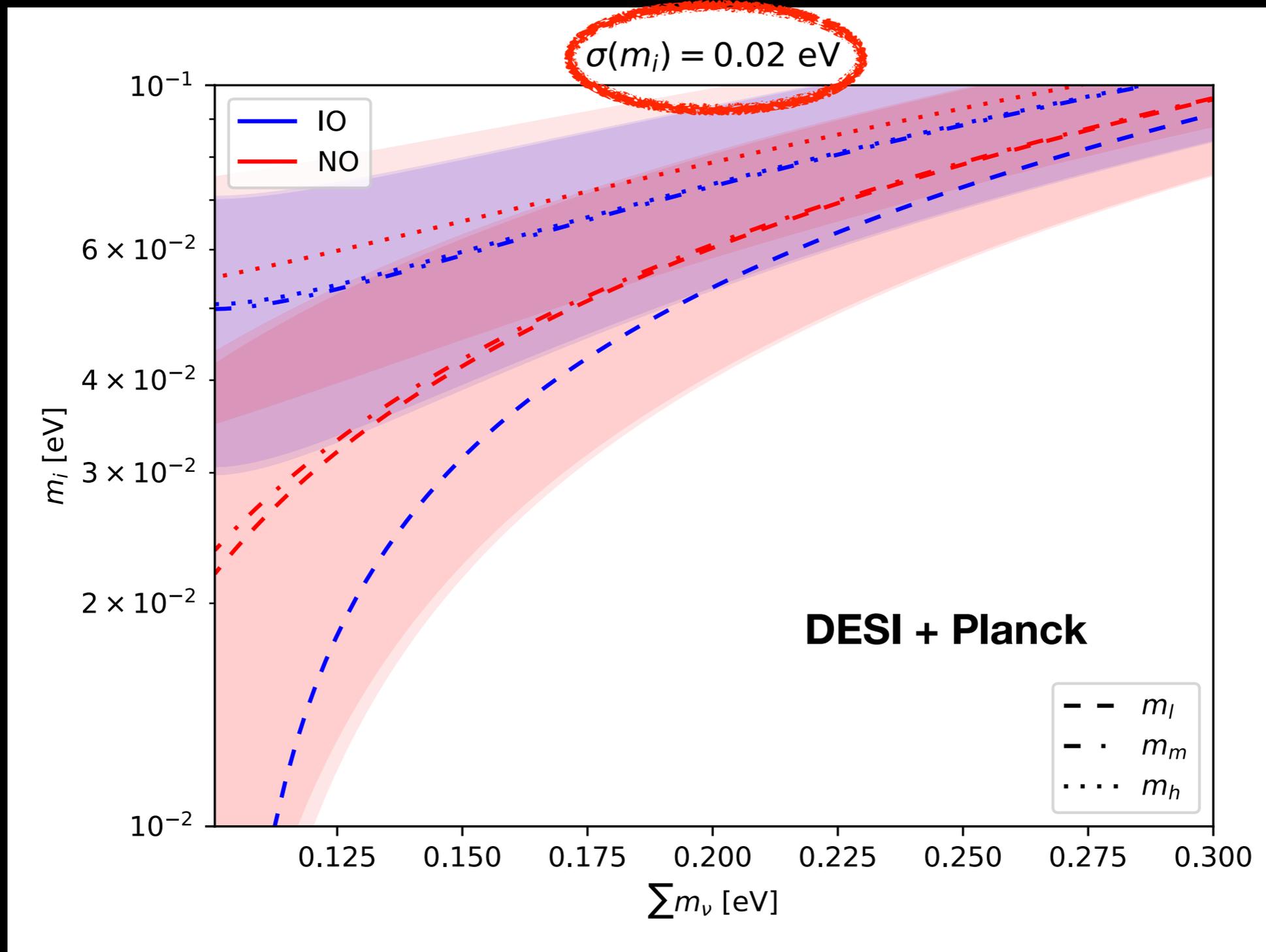
**If the PRIOR affects the posterior, the data (i.e. likelihoods) are NOT informative enough!**



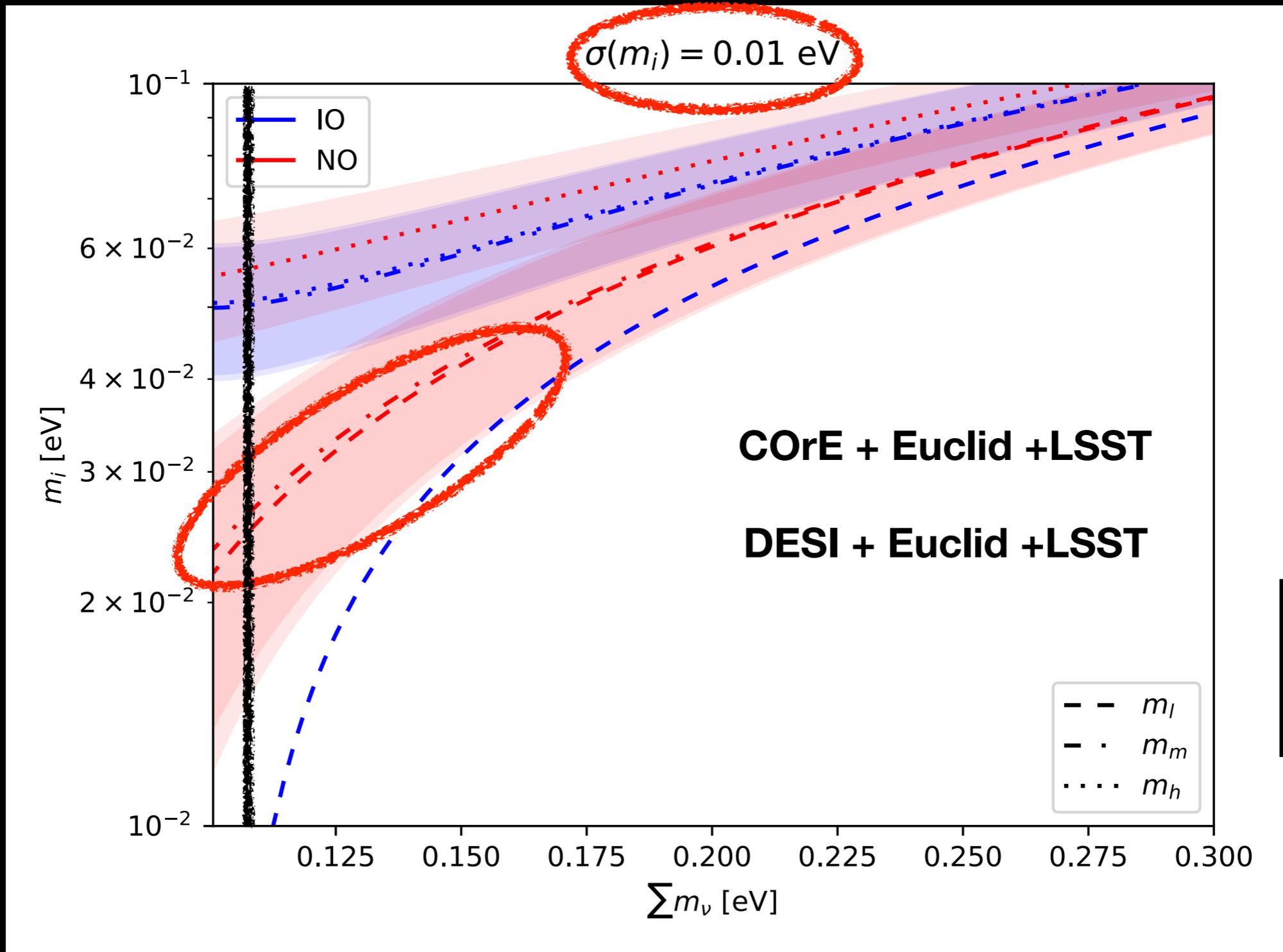
# What we do not know but we'll probably (soon?) know.....



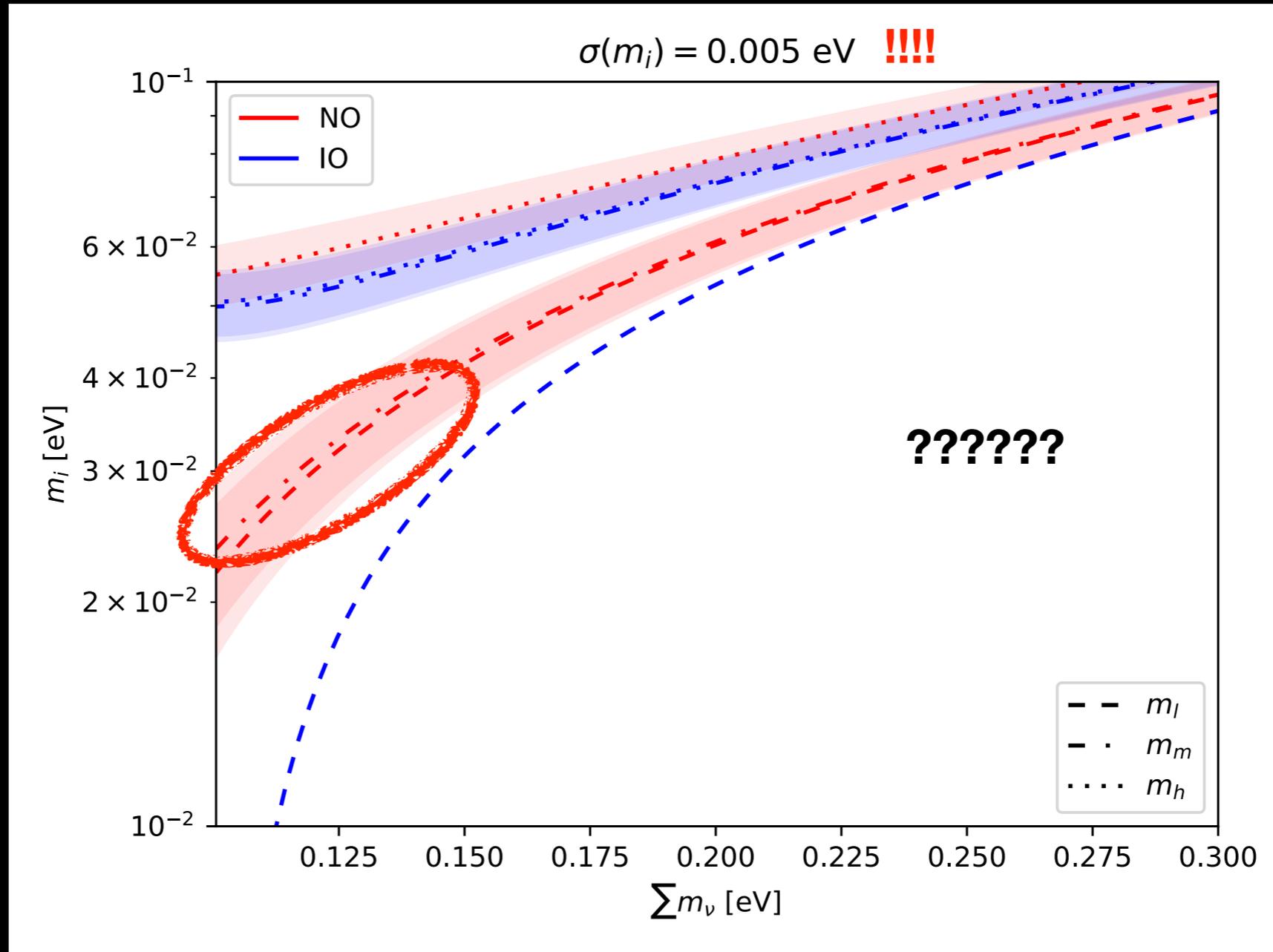
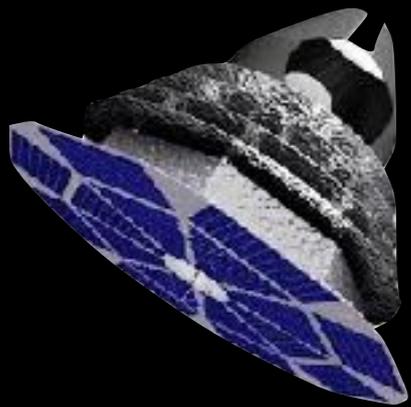
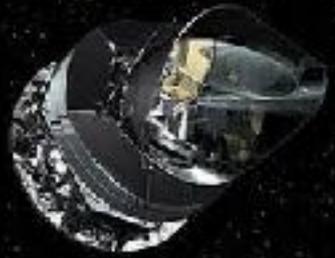
# What will be extremely hard to know.... Neutrino mass ordering from individual $m_i$ 's



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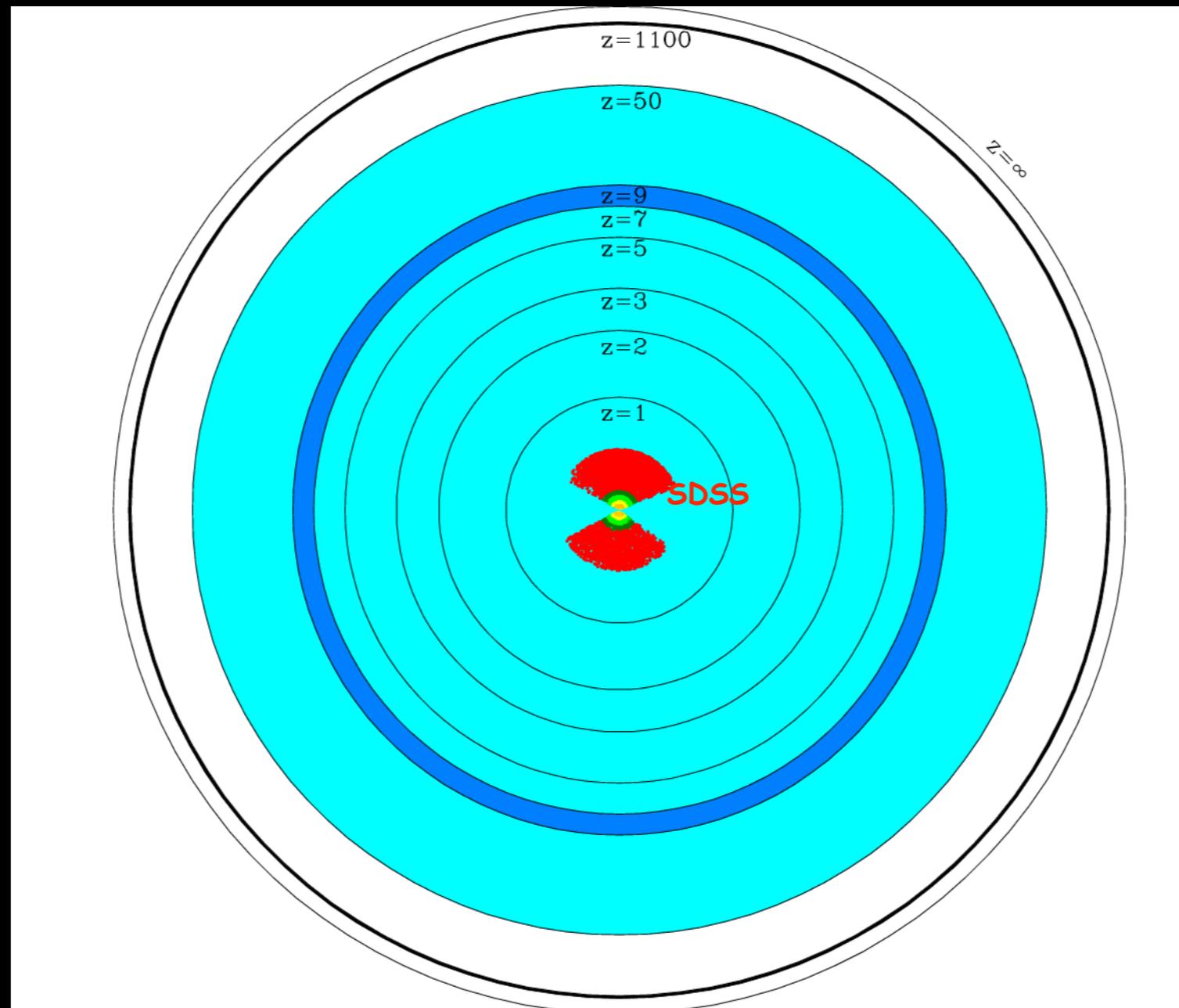


# What will be extremely hard to know.... Neutrino mass ordering from individual $m_i$ 's



# The 21 cm universe

21 cm cosmology could be able to map most of our observable universe, whereas the CMB probes mainly a thin shell at  $z \approx 1100$  and large-scale structure maps only small volumes near the center so far.

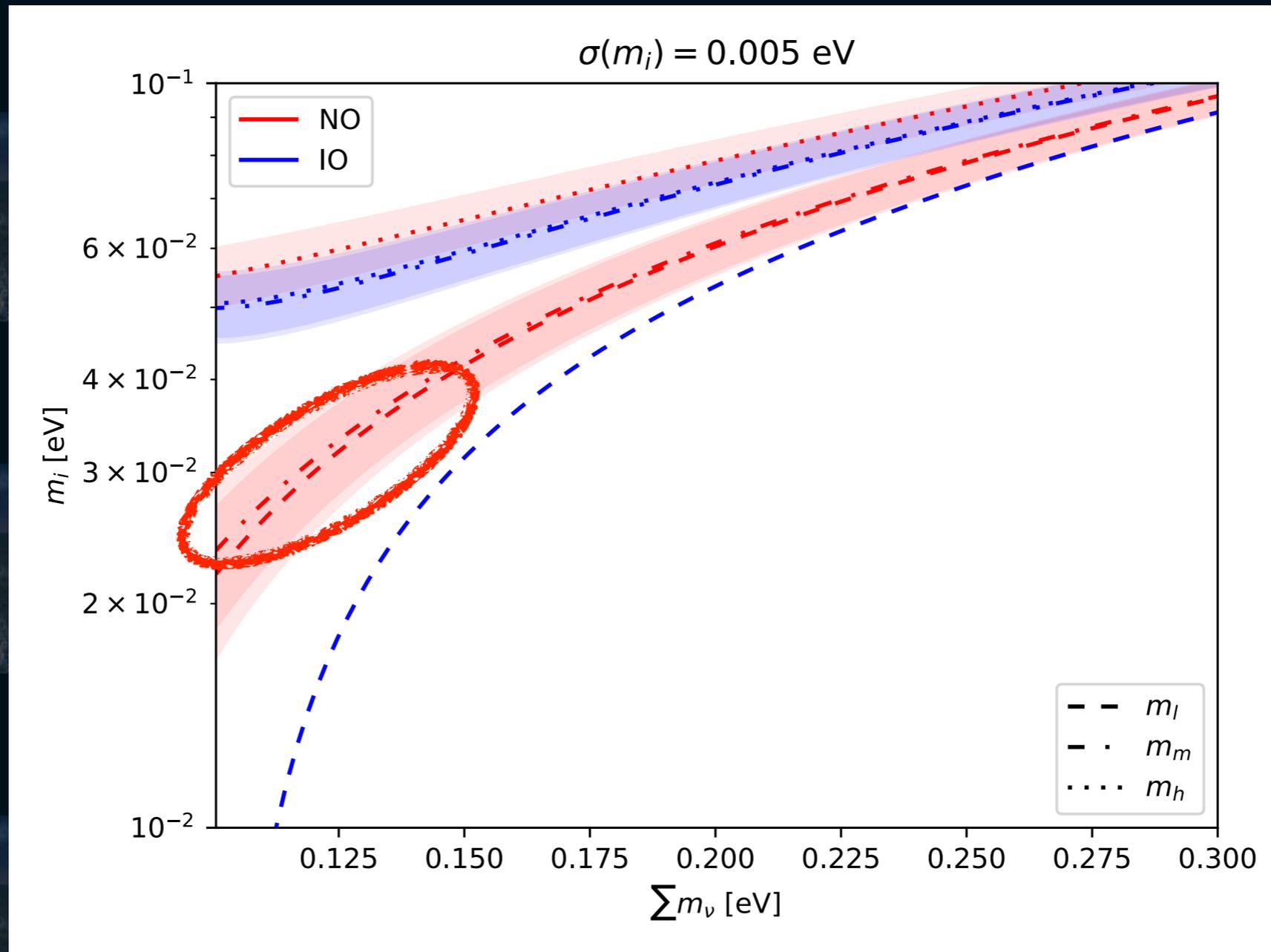


# The 21 cm universe: SKA



2000 high & mid frequency dishes plus a million low-frequency antennas:  
Effective collecting area of one million m<sup>2</sup>

# An extremely futuristic and optimistic hope!



Galaxy surveys

Invisibles'18 world cup KARLSRUHE

21 cm cosmology



## Galaxy clustering

Largest signal from relic neutrino masses and their ordering appears at scales which, at that redshifts, lie within the mildly non-linear regime.

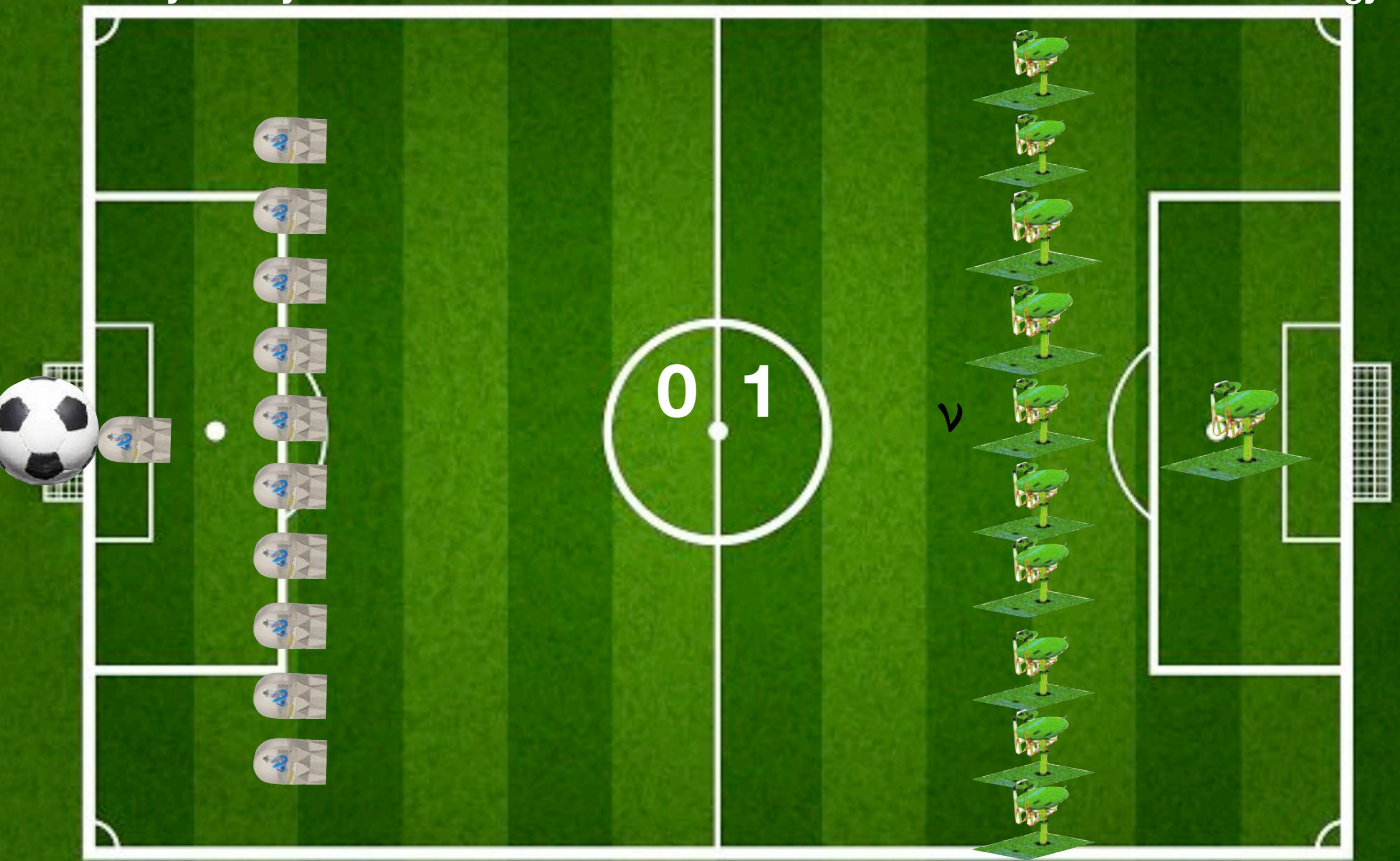
**One needs to rely on either N-body simulations or on analytical approximations!**

## 21 cm cosmology

Epoch of Reionization 21 cm experiments will achieve the required scales to observe the neutrino signature **within the linear regime, avoiding simulation problems and** widely surpassing the constraints on neutrino and other relic masses from even very large galaxy surveys.

Galaxy surveys

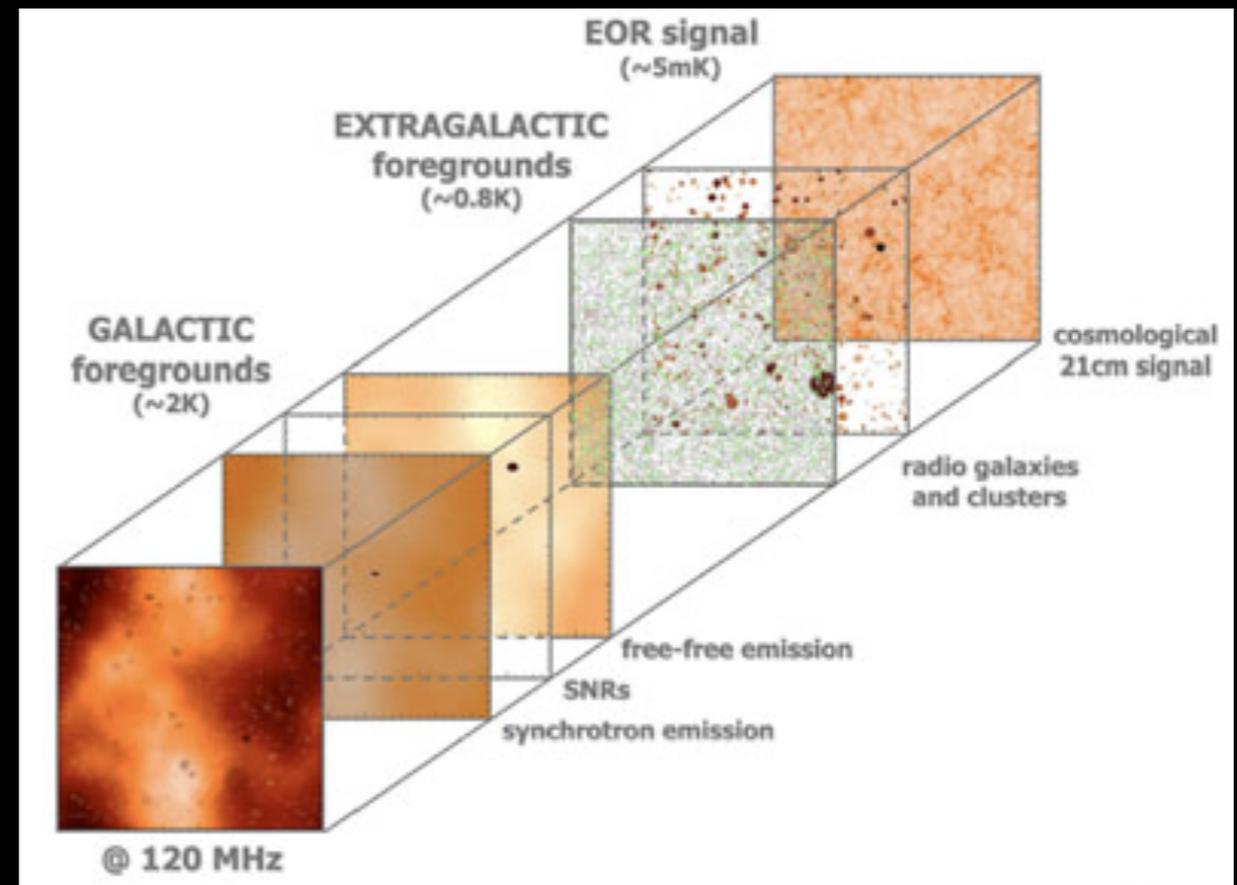
21 cm cosmology



# Galaxy clustering

# 21 cm cosmology

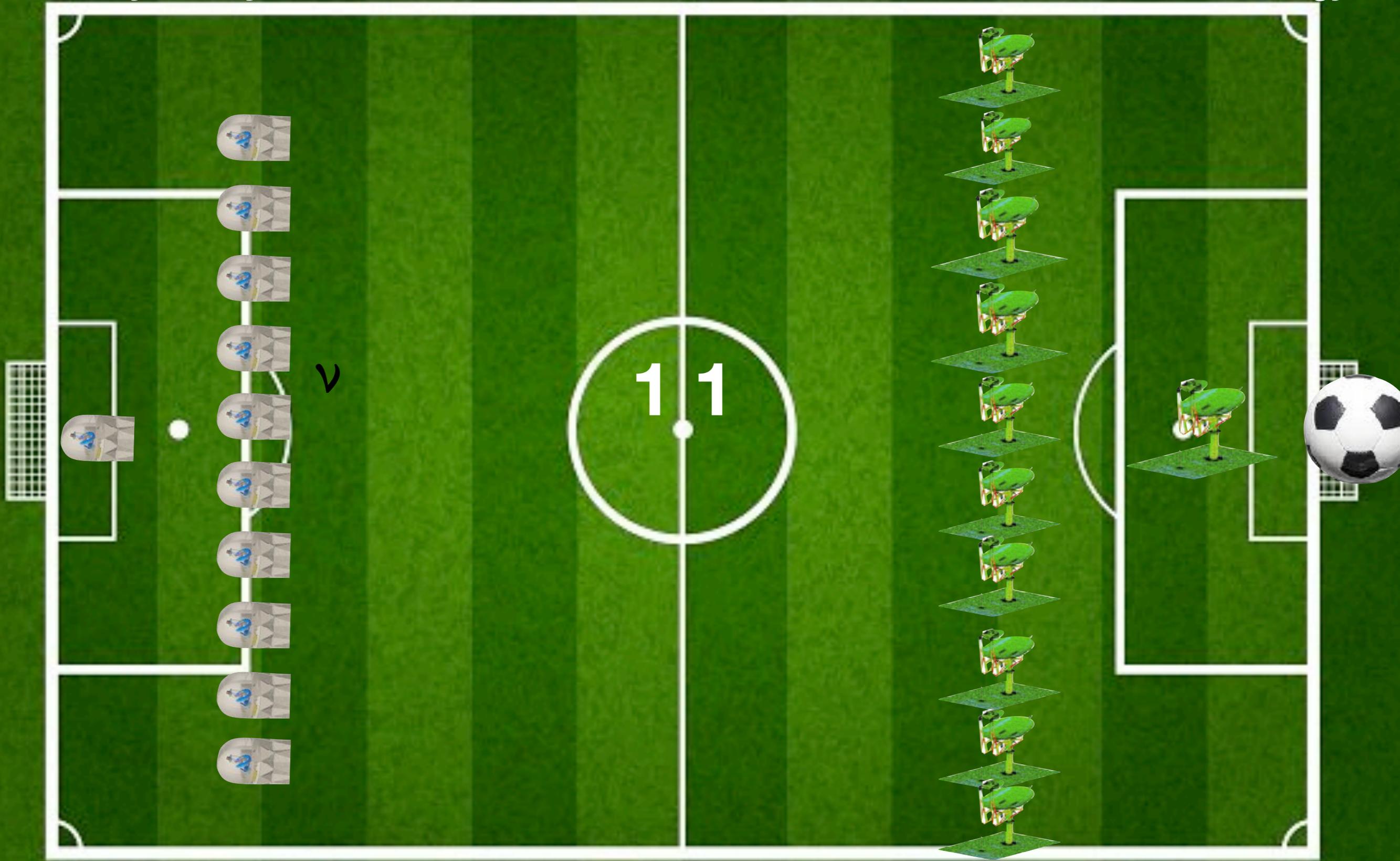
## Foreground removal



(From S. Zaroubi)

Galaxy surveys

21 cm cosmology



## Galaxy clustering

At redshifts  $z < 2$ , the universe starts to be dominated by the dark energy fluid and the growth of matter perturbations is modified depending on the dark energy equation of state  $w(z)$ , whose precise time-evolution is unknown.

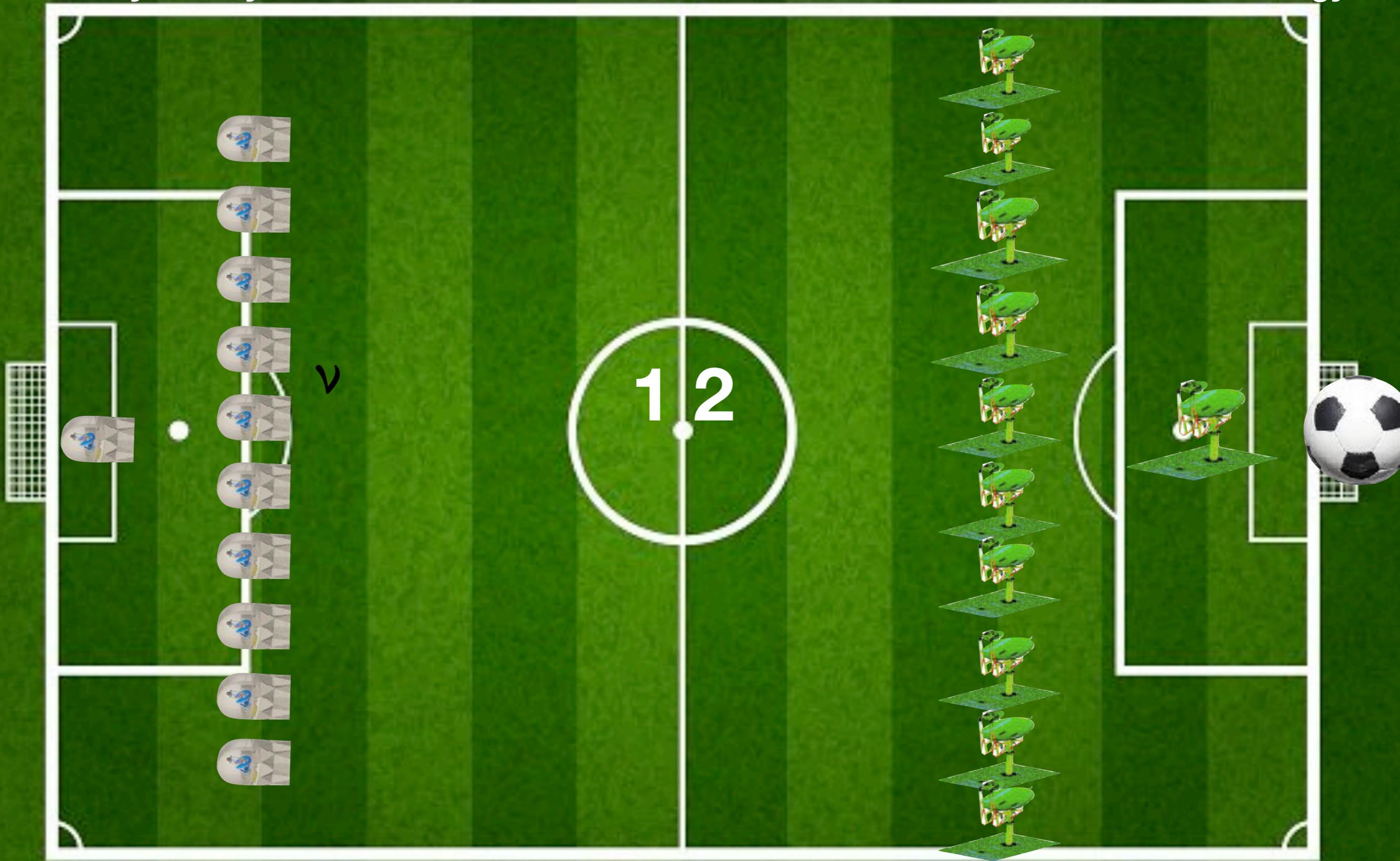
Consequently, for a given perturbation in the matter fluid, a suppression in its growth of structure could be due either to the **presence of massive neutrinos or to an evolving dark energy fluid.**

## 21 cm cosmology

Focusing at higher redshifts, the neutrino mass ordering constraints from 21 cm probes **will be largely independent from the uncertainties in the dark energy fluid properties!**

Galaxy surveys

21 cm cosmology



The 3-Neutrino representative,

$$\Omega_\nu$$

Madame Dark energy  $\Omega_\Lambda$

Mr Inflation

The radiation  
member,  
 $N_{\text{eff}}$

Lady Cold Dark matter,  
 $\Omega_{\text{cdm}}$





## The Dark JUSTICE GAME:

The 3-Neutrino representative  $\Sigma m_\nu$

versus

the Dark energy equation of state  $w(z)$

## GAME RULES:

1. Choose your favourite cosmological model
2. Derive cosmological bounds on  $\Sigma m_\nu$  within that model, discarding neutrino oscillations (i.e. prior  $\Sigma m_\nu > 0$ )
3. Are cosmological bounds consistent with oscillation data?

**YES!**

**GREAT! You just won the game!**

Your model is not ruled out (yet!)

Go to 1.

**NO!**

(i.e.  $\Sigma m_\nu < 0.06$  eV or  $\Sigma m_\nu < 0.1$  eV)

**Write a paper**

**GAME OVER...after referral process**

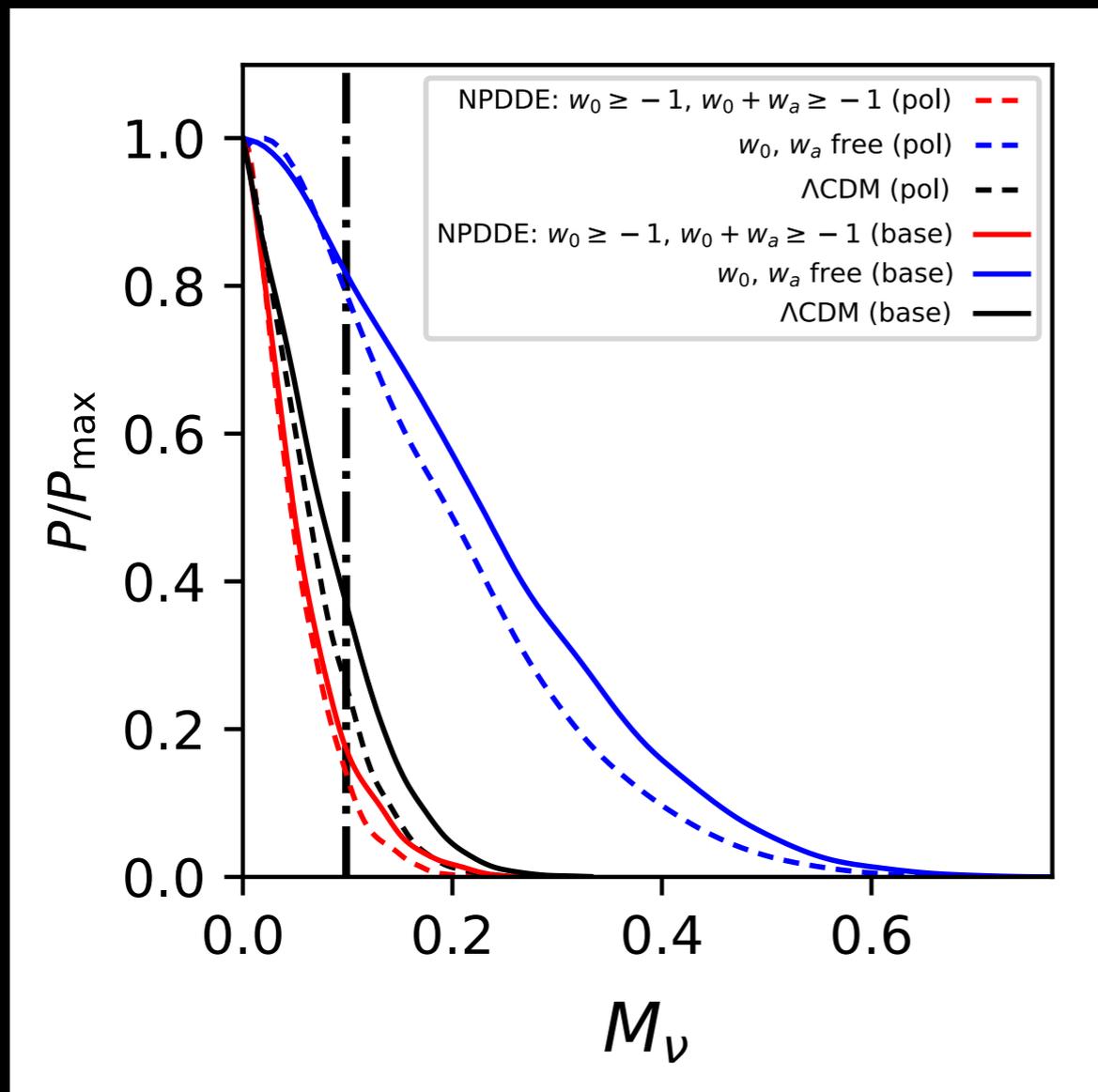
# The Dark Justice Game

$$w(z) = w_0 + w_a \frac{z}{1+z}$$

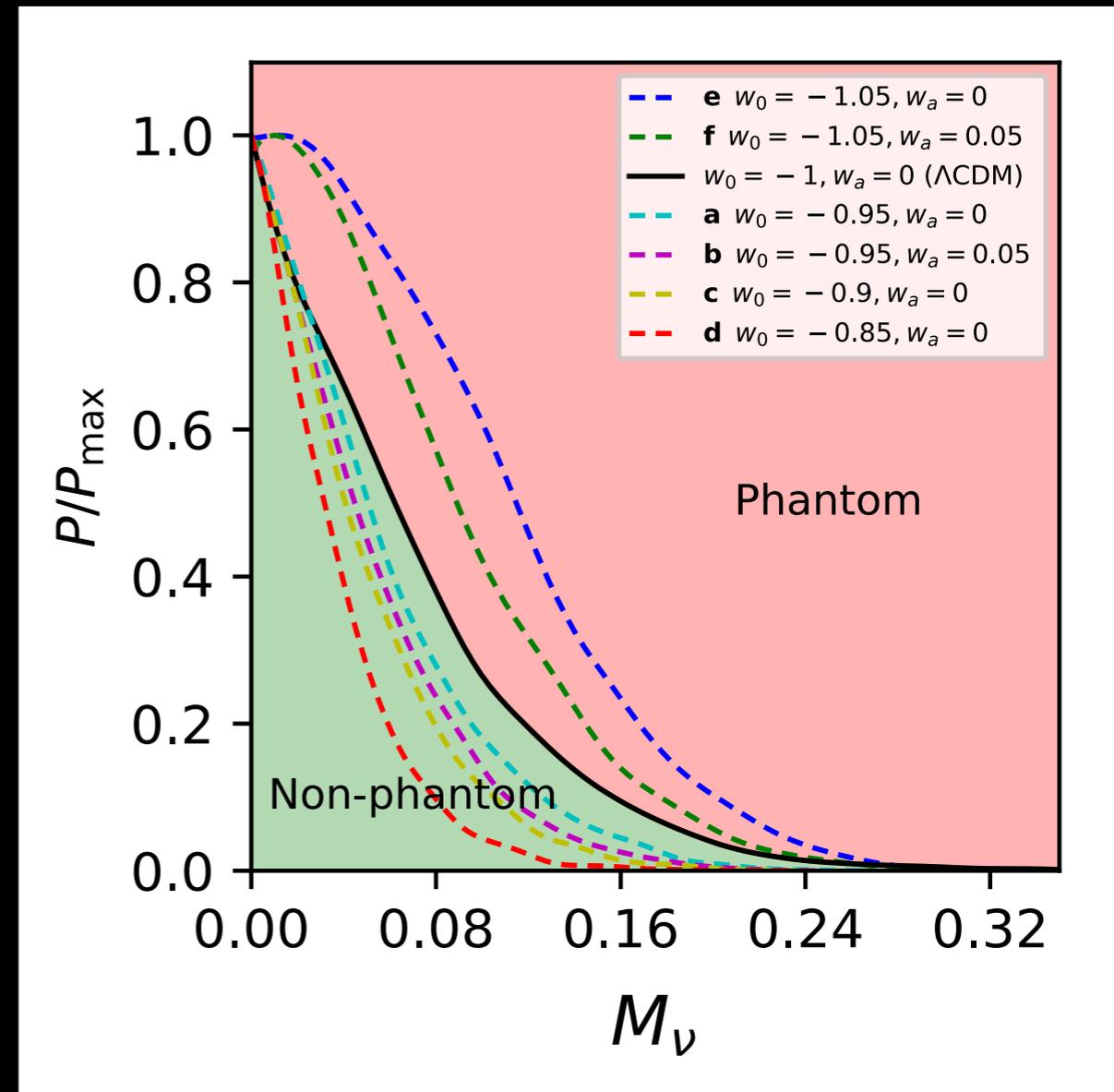
*Chevalier & Polarsky'01 & Linder'03*

$$w_0 \geq -1 \quad w_0 + w_a \geq -1$$

**NON-PHANTOM REGION**



?



*Vagnozzi et al'18*

PHANTOM



# The "Take Home" messages



- **Neutrino masses** leave key signatures in cosmological observables.
- **NO** hints so far for neutrino masses!
- Neutrino masses@CMB: Early ISW, **lensing**
- Neutrino masses@LSS: **Free streaming**
- Geometrical probes (**BAO**) more powerful than shape measurements
- $\Sigma m_\nu < 0.12$  eV (95%CL) from **2018** Planck TTTEEE+lensing plus BAO data
- **Strong evidence ( $3.5\sigma$ ) for NO mostly FROM OSCILLATION MEASUREMENTS**
- **Very futuristic 21 cm cosmological probes could provide the individual  $m_i$ 's**
- For non-phantom (physical) dynamical dark energy,  $\Sigma m_\nu$  bounds get tighter!

