



Particle propagation for CORSIKA in PROPOSAL

Speaker: Jean-Marco Alameddine 19.06.2019

Technische Universität Dortmund





Introduction

- PROPOSAL: Tool to propagate particles through media
 - ightarrow MC simulations, multivariate statistics
- **Requirements:** Accuracy, performance
- **Processes:** Energy losses, scattering, decays
- C++ library with Python bindings
- GitHub, UnitTests (Travis Cl), ...



https://github.com/tudoastroparticlephysics/PROPOSAL











PROPOSAL code structure

jean-marco.alameddine@udo.edu

PROPOSAL code structure





- const std::vector<Sector::Definition>&,
- const Geometry&,
- const InterpolationDef&)

Propagator as base class to propagate a particle

Objects owns all information necessary for propagation





const std::vector<Sector::Definition>&,

const Geometry&,

const InterpolationDef&)

- ParticleDef includes static information about particle
- \rightarrow Wide range of predefined particles available
- \rightarrow Simple creation of additional particles:

ParticleDef new_particle = ParticleDef::Builder().SetMass(1000).build();





const std::vector<Sector::Definition>&,

<mark>const</mark> Geometry&,

const InterpolationDef&)

- List of Sector::Definition objects
- → Chain of resposibility: Propagation of our particle through several sectors
- \rightarrow Each Sector object is responsible for the propagation within its borders



Parameter	Description
Medium	Medium of the sector
EnergyCutsSettings	Stores e_{cut} and v_{cut}
Geometry	Geometry of the sector
stopping_decay	Whether to force a final decay of the particle if its energy
	$is \le e_{low}$
cont_rand	Whether to use continuous randomization
exact_time	Whether to calculate the time exactly out of the tracking
	integral or to use $v = c$ as an approximation
scattering_model	Choice of the multiple scattering model
particle_location	Location of the particle
utility_def	Definition of cross section parameters

Sector::Defintion properties, adapted from arXiv:1809.07740





const std::vector<Sector::Definition>&,

const Geometry&,

const InterpolationDef&)

Geometry describing the detector

Different options for particle infront / inside / behind the detector volume





const std::vector<Sector::Definition>&, const Geometry&,

const InterpolationDef&)

- InterpolationDef as an optional parameter
- $\rightarrow\,$ When used, calculated crosssections (and several derived values) are saved in interpolation tables
- $\rightarrow~{\rm Error}$ of interpolation compared to integration: $\leq 10^{-5}$
- ightarrow Performance increased by several orders of magnitude





Simple usage of a configuration (json) file is possible





```
1 {
    "global":
2
3
      "seed" : 1,
4
      "continous_loss_output" : false,
5
      "only_loss_inside_detector" : false,
6
7
      "interpolation":
8
      {
9
         "do interpolation" : true.
10
         "path_to_tables" : ["resources/tables"],
      },
12
      "exact time" : true,
14
      "stopping decay" : true,
15
      "scattering" : "Highland",
16
17
      "brems" : "BremsAndreevBezrukovBugaev",
18
      "photo" : "PhotoButkevichMikhailov",
19
   jean-marco.alameddine@udo.edu
```

```
"lpm" : false,
  "photo hard component" : true,
  "photo_shadow" : "ShadowButkevichMikhailov",
},
"sectors": [
    "hierarchy": 0,
    "medium": "ice",
    "density correction": 1.
    "geometry":
      "shape": "sphere",
      "origin": [0, 0, 0],
      "outer_radius": 6374134000000,
      "inner radius": 0
    }.
    . . .
```

```
PROPOSAL code structure
```

20

21

22

23

24

25

26

27

28

29

30

31 32

33

34

35 36

37

38





Propagation algorithm

Propagation algorithm





std::vector<DynamicData*> Propagator::Propagate(double MaxDistance_cm)







double Sector::Propagate(double distance)

Remember: Differentiate between continuous losses and stochastic losses !

 $v < v_{\rm cut}$ continuous losses

 $v > v_{\rm cut}$ stochastic losses

with
$$v_{\text{cut}} = \min\left[\frac{e_{\text{cut}}}{E}, v'_{\text{cut}}\right]$$

Propagation algorithm





double Sector::Propagate(double distance)

Remember: Differentiate between continuous losses and stochastic losses !













































Propagation of 10⁴ muons with energy 10⁸ MeV through 300 m of standard rock.

Propagation algorithm



































std::vector<DynamicData*> Propagator::Propagate(double MaxDistance_cm);

Return value: List of DynamicData objects, including

- 1. Stochastic losses (type, energy, position, time, ...)
- 2. Decay particles (no redundant static information!)
- 3. Produced particles (e.g. muon pair)
- **4.** (Continuous losses)





C++ code example

```
1 Propagator prop(MuMinusDef::Get(), "resources/config.json");
2 Particle& mu = prop.GetParticle();
3 Particle mu_backup(mu);
5 mu_backup.SetEnergy(9e6); //energy in MeV
6 mu_backup.SetDirection(Vector3D(0, 0, -1));
7
std::vector<double> ranges;
9
10 for (int i = 0; i < 10; i++)
      mu.InjectState(mu_backup);
11
      prop.Propagate();
12
      ranges.push back(mu.GetPropagatedDistance());
13
14 }
```





Python code example

```
1 prop = pp.Propagator(particle def=pp.particle.MuMinusDef.get(),
                        config file="path/to/config.json")
2
3 mu = prop.particle
4 mu backup = pp.particle.Particle(mu)
5
6 mu backup.energy = 9e6 #energy in MeV
7 mu_backup.direction = pp.Vector3D(0, 0, -1)
8
9 ranges = []
10
11 for i in range(10):
      mu.inject_state(mu_backup)
12
      secondaries = prop.propagate()
13
      ranges.append(prop.particle.propagated_distance)
14
```





PROPOSAL changes for CORSIKA

PROPOSAL changes for CORSIKA





Displacement calculation

$$-f(E) = \sum_{\text{crosssec. comp.}} \frac{\mathrm{d}E}{\mathrm{d}x}$$

Homogeneous medium:

$$\begin{aligned} -f(E) \, \rho_0 &= \frac{\mathrm{d}E}{\mathrm{d}x} \\ \mathrm{d}x &= -\frac{1}{\rho_0} \frac{\mathrm{d}E}{f(E)} \\ x_f &= x_i - \frac{1}{\rho_0} \int_{E_i}^{E_f} \frac{\mathrm{d}E}{f(E)} \end{aligned}$$

Non-homogeneous medium

$$-f(E) \rho(\mathbf{x}) = \frac{\mathrm{d}E}{\mathrm{d}x}$$
$$\mathrm{d}x \rho(\mathbf{x}) = -\frac{\mathrm{d}E}{f(E)}$$
$$\int_{x_f}^{x_i} \mathrm{d}x \rho(\mathbf{x}) = -\int_{E_i}^{E_f} \frac{\mathrm{d}E}{f(E)}$$

solve for x_f

PROPOSAL changes for CORSIKA





Future work

- Check / include cross sections for electron / positron propagation
- Photon propagation
- ightarrow Comparison with EGS4
 - Magnetic field deflection









https://github.com/tudoastroparticlephysics/PROPOSAL https://arxiv.org/abs/1809.07740

PROPOSAL may be modified and distrubuted under terms of a modified LGPL license. More information on our GitHub page.

PROPOSAL changes for CORSIKA









Propagation







Propagation

$$v < v_{\rm cut}$$
 continuous losses



with
$$v_{\text{cut}} = \min \left[{^{e_{\text{cut}}}} / {^{E}}, v'_{\text{cut}} \right]$$





Propagation







Standard interactions:

- e pair production
- Bremsstrahlung
- Photonuclear
- Ionization

Rare interactions:

- \blacksquare μ pair production
- Weak interaction
- → Negligible contribution to overall energy loss
- → Observable, interesting signature







Propagation of 10⁴ muons with energy 10⁸ MeV through 100 m of standard rock.





Direct Production of Muon Pairs



Energy fraction transferred to the muon pair:

$$v = \frac{\left(\epsilon_{+} + \epsilon_{-}\right)}{E}$$

Asymmetry parameter:

$$\rho = \frac{(\epsilon_+ - \epsilon_-)}{(\epsilon_+ + \epsilon_-)}$$

E: Initial energy of the incoming muon μ_i ϵ_{+} : Energy of the produced (anti)muon Backup slides



experimentelle physik 5 astroteilchenphysik

Double-differential cross section

For production of muon pairs ¹:

$$\frac{\mathrm{d}\sigma}{\mathrm{d}v\mathrm{d}\rho} = \frac{2}{3\pi}(Z\alpha r_{\mu})^{2}\frac{1-v}{v}\varPhi(v,\rho)\ln\left(X\right)$$

For production of electron positron pairs²:

$$\frac{\mathrm{d}\sigma}{\mathrm{d}v\mathrm{d}\rho} = \frac{2}{3\pi} Z \left(Z + \xi\right) \left(\alpha r_e\right)^2 \frac{1 - v}{v} \left(\Phi_e + \frac{m_e^2}{m_\mu^2} \Phi_\mu\right)$$

¹Kelner, Kokoulin, Petrukhin: Phys. of Atomic Nuclei, Vol. 63, No. 9, 2000, pp. 1603-1611
 ²Kokoulin, Petrukhin: Proceedings of 12th ICCR, 1971, p. 2436





Continous energy loss per distance

$$-\left\langle \frac{\mathrm{d}E}{\mathrm{d}x} \right\rangle = E \frac{N_{\mathrm{A}}}{A} \int_{v_{\mathrm{min}}}^{v_{\mathrm{cut}}} v \frac{\mathrm{d}\sigma}{\mathrm{d}v} \mathrm{d}v$$

with





Comparion of *e*-pair and μ -pair production, only continous losses (i.e. $v_{cut} = v_{max}$).







Stochastic losses, standard rock, 10^6 muons with $E = 10^8$ MeV, $e_{cut} = 500$ MeV, $v_{cut} = 5 \cdot 10^{-2}$.

jean-marco.alameddine@udo.edu

technische universität dortmund





Sampling of ρ for muons with $E = 1 \cdot 10^6$ MeV and different v in standard rock.





Weak interaction



- Highly suppressed process
- Similarities with "lollipop" signature in *τ*-events
- Crossing symmetry³:

$$\mathrm{d}\sigma\left(\mu Z \to \nu_{\mu} Z\right) = \frac{1}{2} \mathrm{d}\sigma\left(\nu_{\mu} Z \to \mu Z\right)$$

³Sandrock, Alexander: Higher-order corrections to the energy loss cross sections of high-energy muons, 2018, pp. 38-40





Future: Physical improvements in PROPOSAL

- Improvement of electron propagation
- Propagation of high-energy photons
- Deflection of particles in magnetic fields
- Propagation through media with non-homogenous density









https://github.com/tudoastroparticlephysics/PROPOSAL https://arxiv.org/abs/1809.07740

PROPOSAL may be modified and distrubuted under terms of a modified LGPL license. More information on our GitHub page.