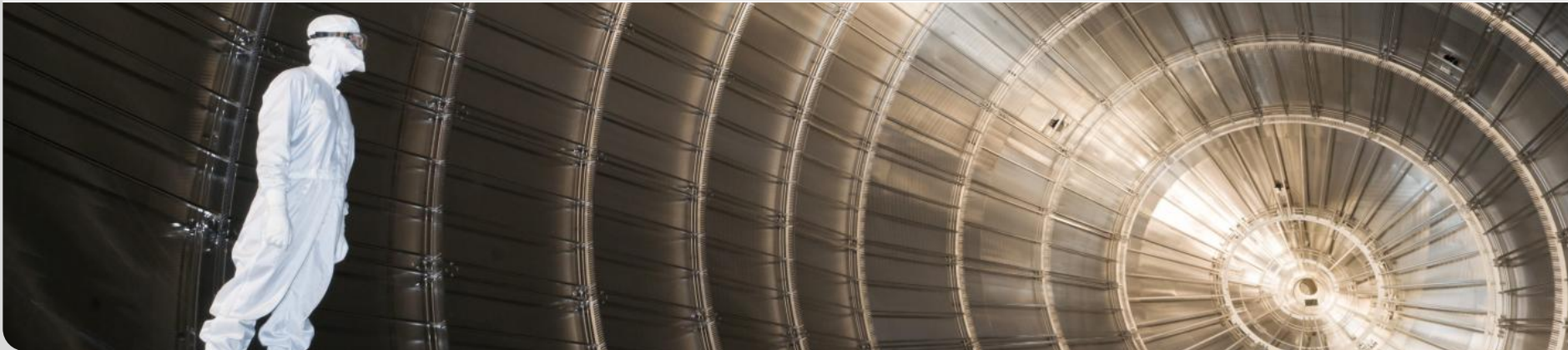


Measuring the energy loss function of e^-T_2 scattering inside the Tritium source of KATRIN

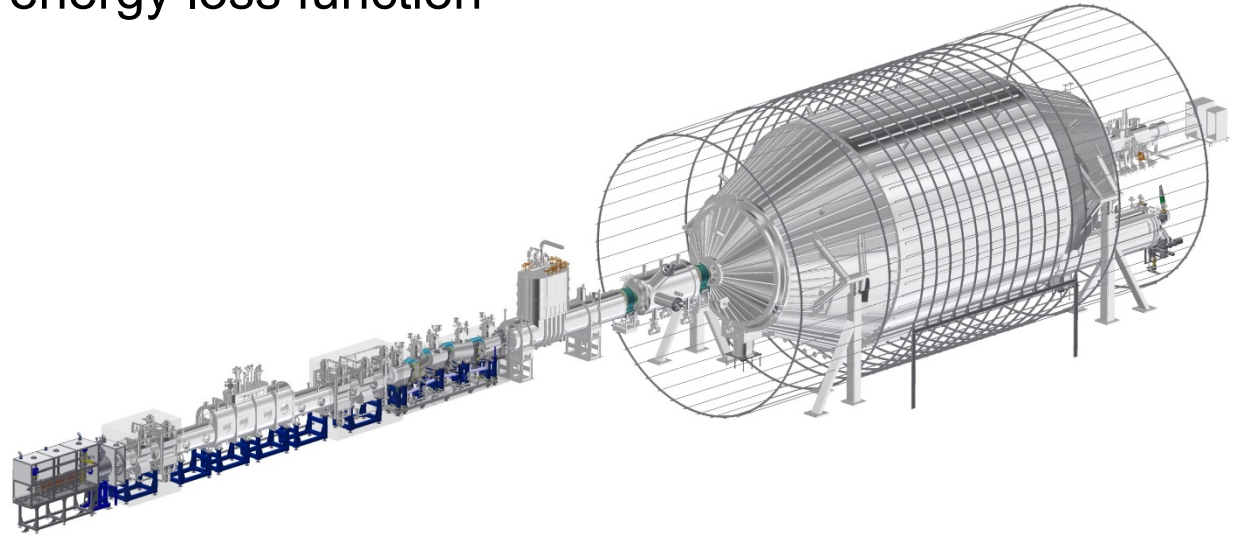
Lutz Schimpf

Institute of Experimental Particle Physics (ETP)

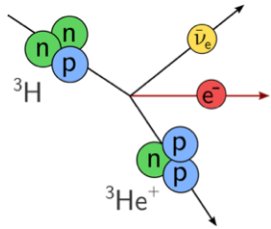


Outline

- The KATRIN neutrino mass experiment
- Existing energy loss models
- Measurement of the energy loss function
- Data analysis
- Outlook



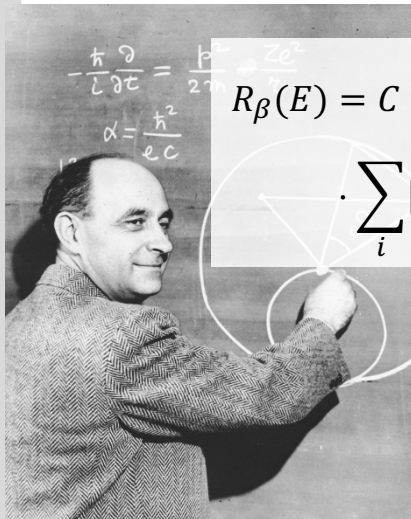
Principle of direct ν mass measurements



Measurement of beta decay spectrum of molecular Tritium

$$E_0 = 18.6 \text{ keV}$$

$$t_{1/2} = 12.3 \text{ yr}$$

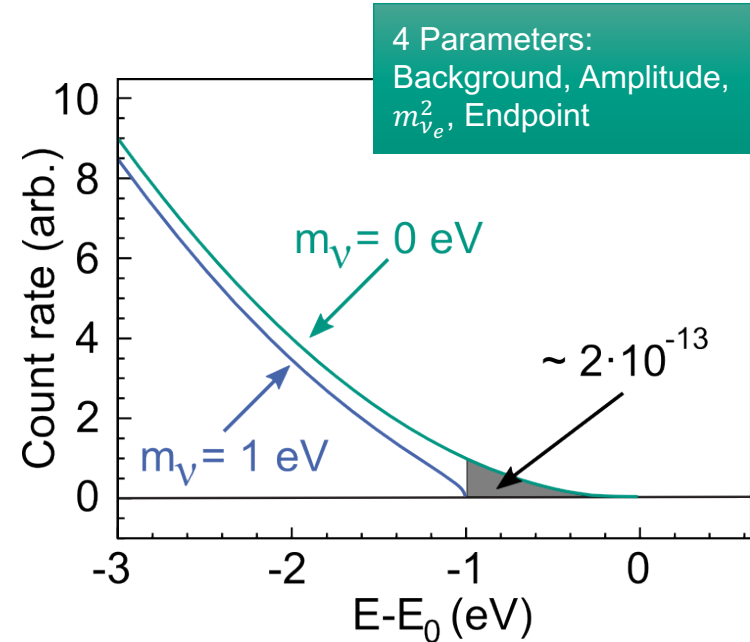


$$R_\beta(E) = C \cdot F(Z, E) \cdot p(E + m_e c^2) \cdot (E - E_0)$$

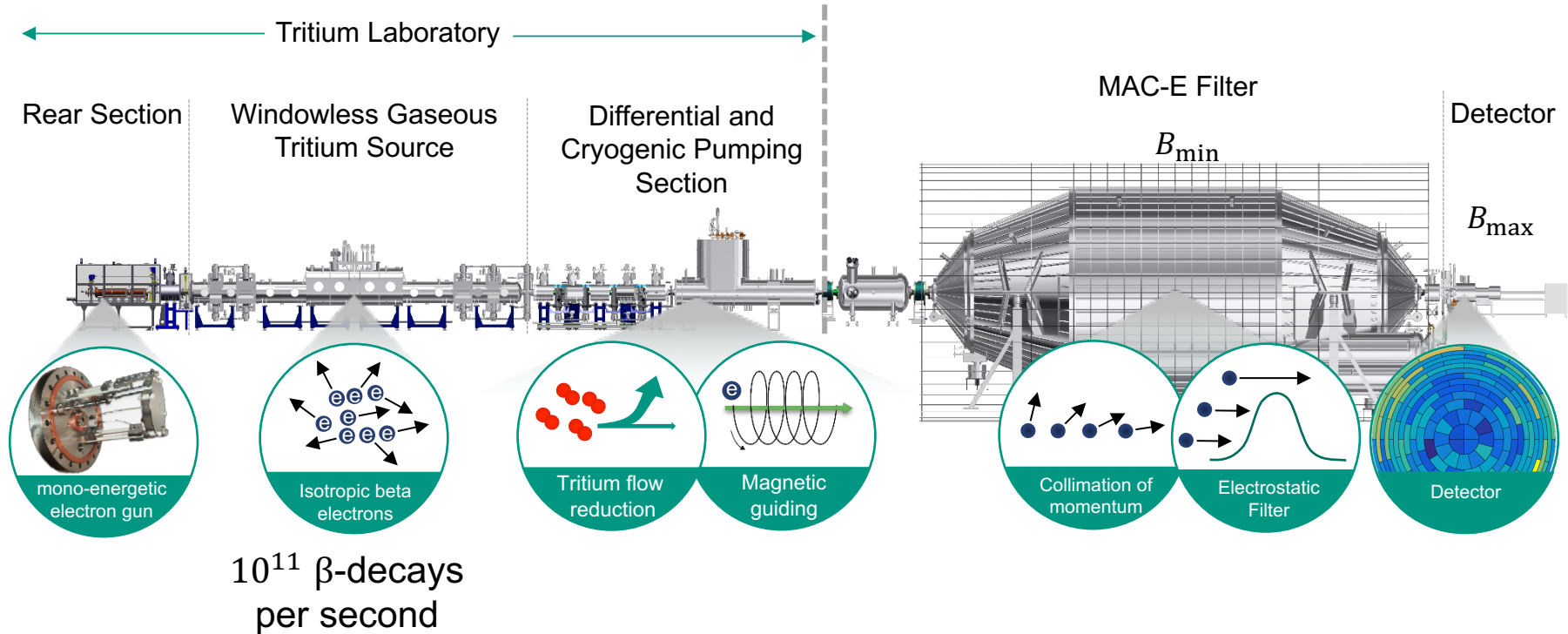
$$\cdot \sum_i |U_{ei}|^2 \cdot \sqrt{(E_0 - E)^2 - m_i^2} \cdot \Theta(E_0 - E - m_i)$$

Observable

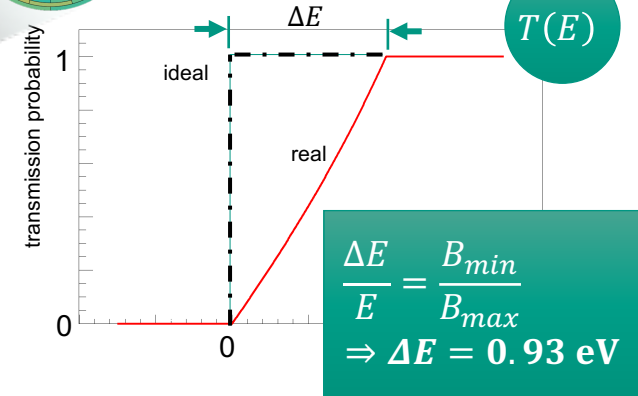
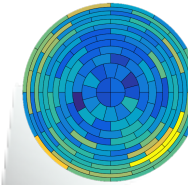
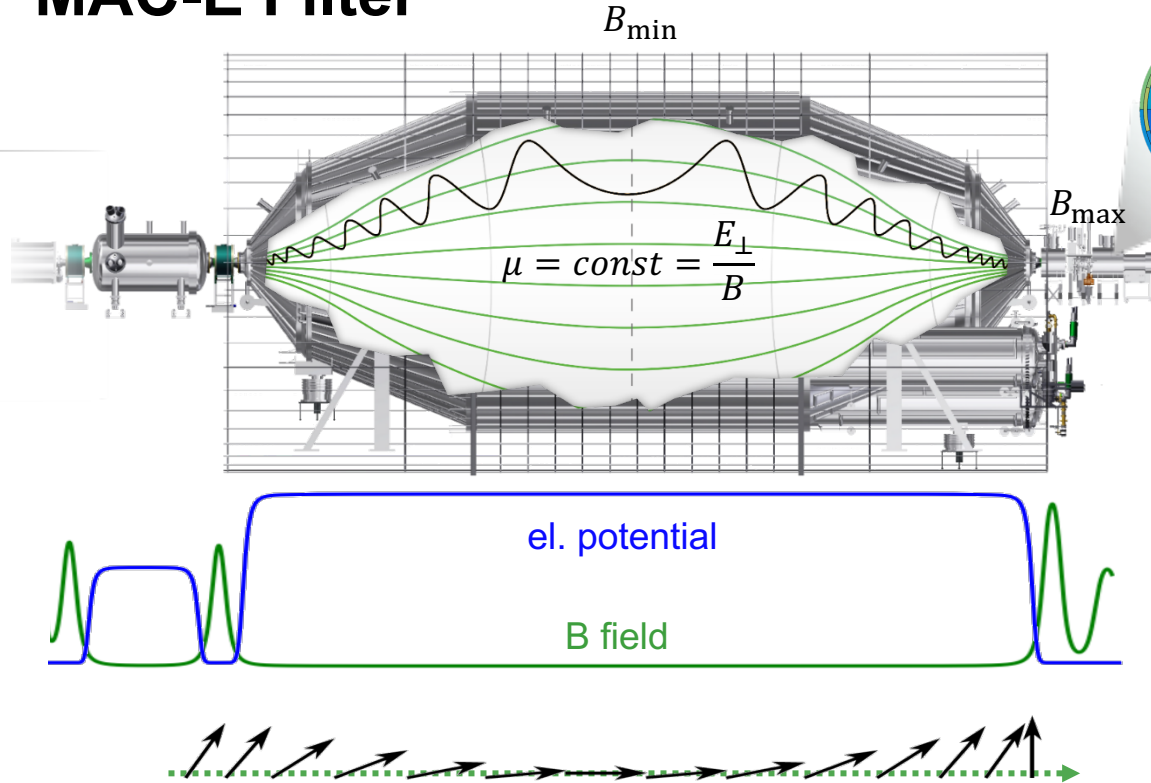
$$m_{\nu_e}^2 = \sum_i |U_{ei}|^2 \cdot m_i^2$$



Experimental Setup



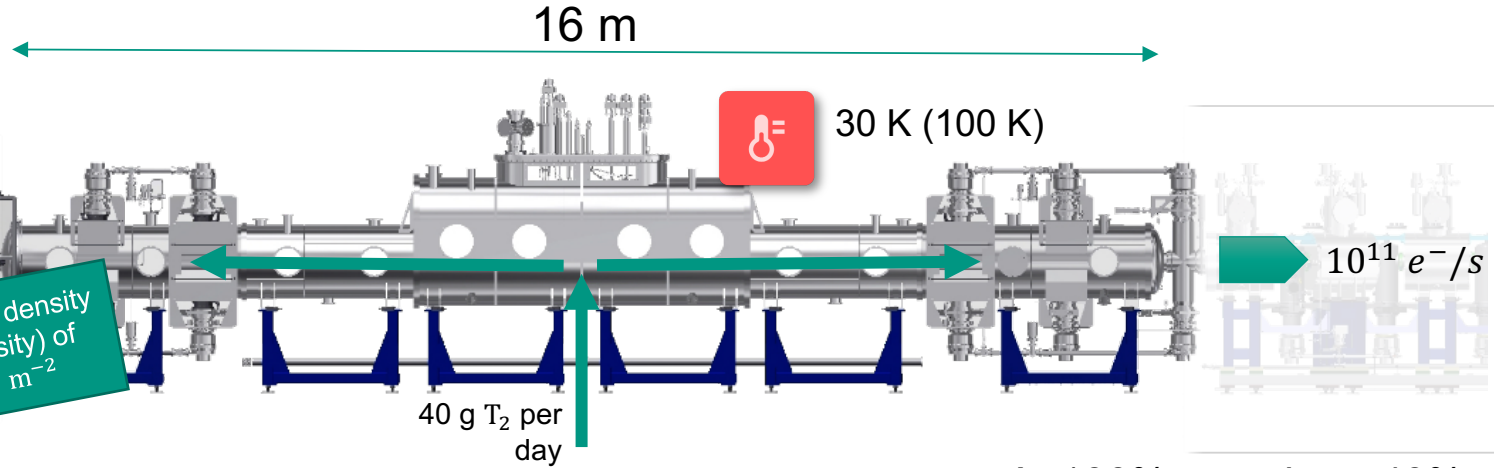
MAC-E Filter



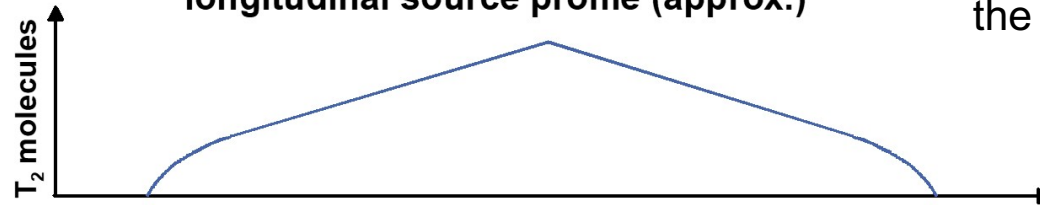
Integrating high-pass filter

$$R(E) = T(E) \otimes R_{\beta}(E)$$

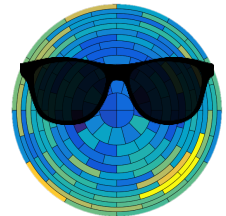
Gaseous Tritium Source



longitudinal source profile (approx.)



At 100% $\rho_0 d$ about 40% of the beta-electrons scatter



Response function modelling

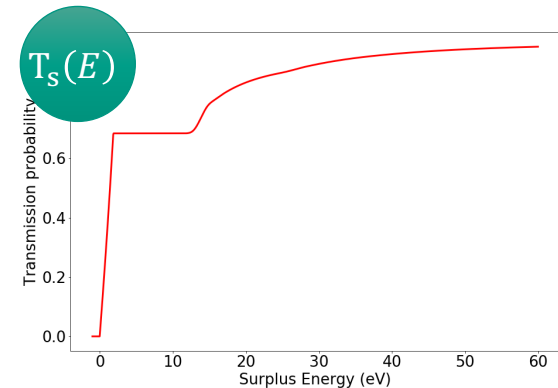
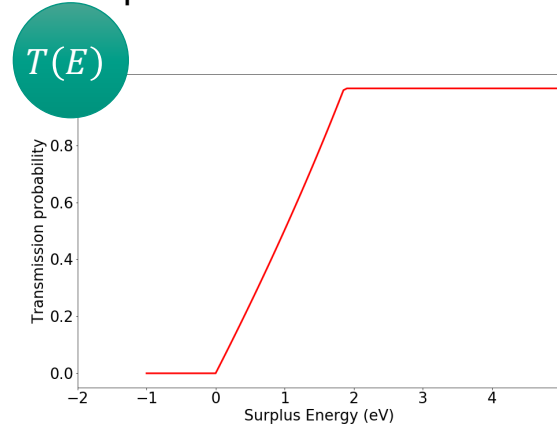
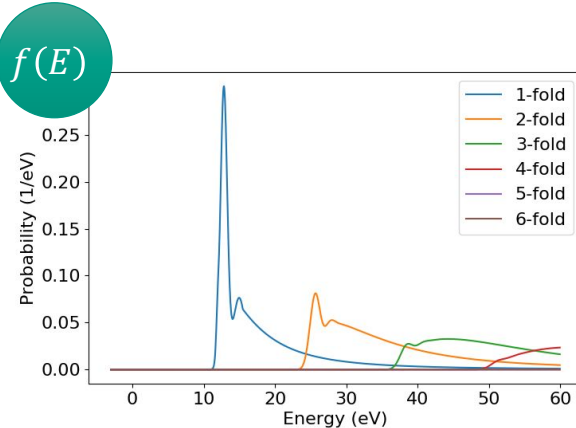
$$R(E) = T(E) \otimes R_\beta(E)$$

Include scattering

$$\begin{aligned} T_s(E) = & P_0 \cdot T(E) \\ & + P_1 \cdot f(E) \otimes T(E) \\ & + P_2 \cdot f(E) \otimes f(E) \otimes T(E) \\ & + \dots \end{aligned}$$

With

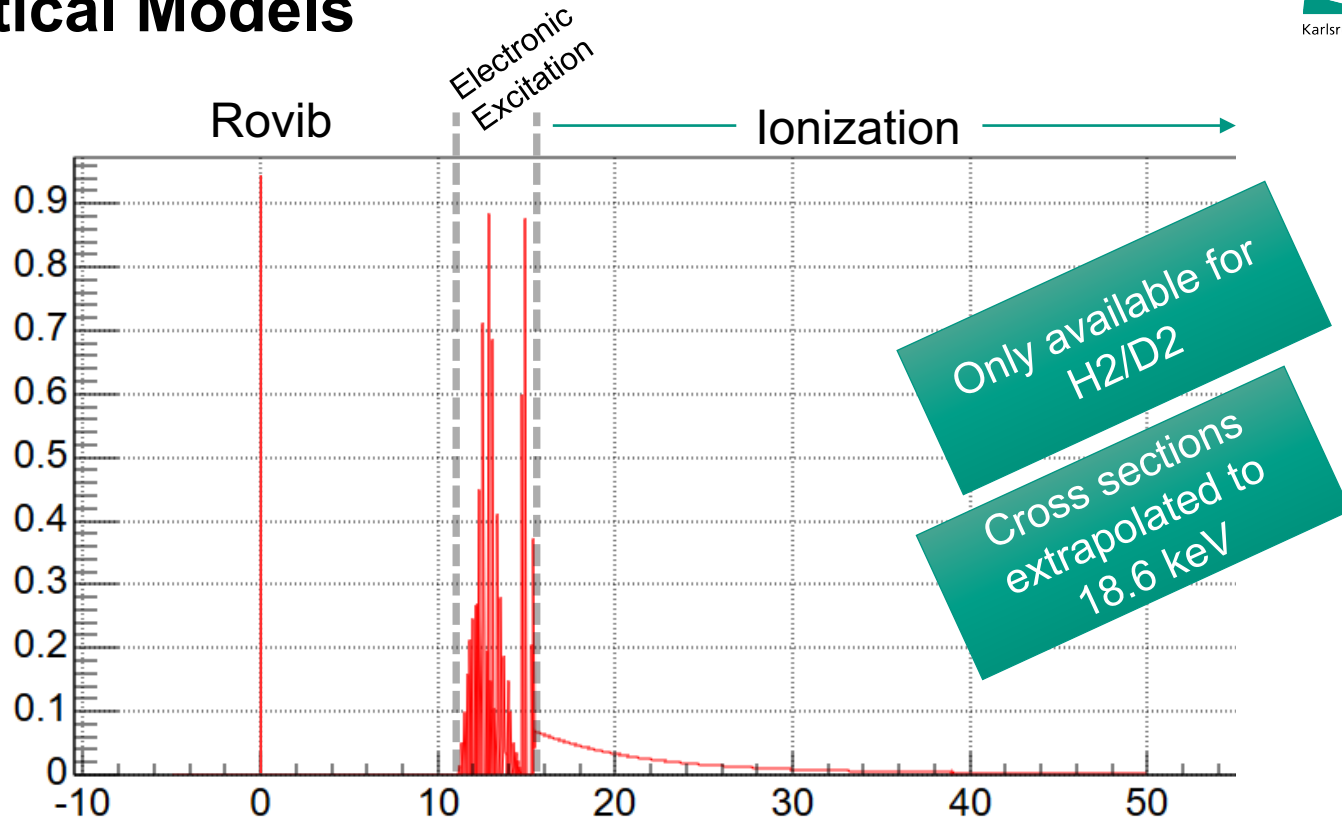
$$P_n = \frac{(\rho d \sigma)^n}{n!} \exp(-\rho d \sigma)$$



Theoretical and empirical

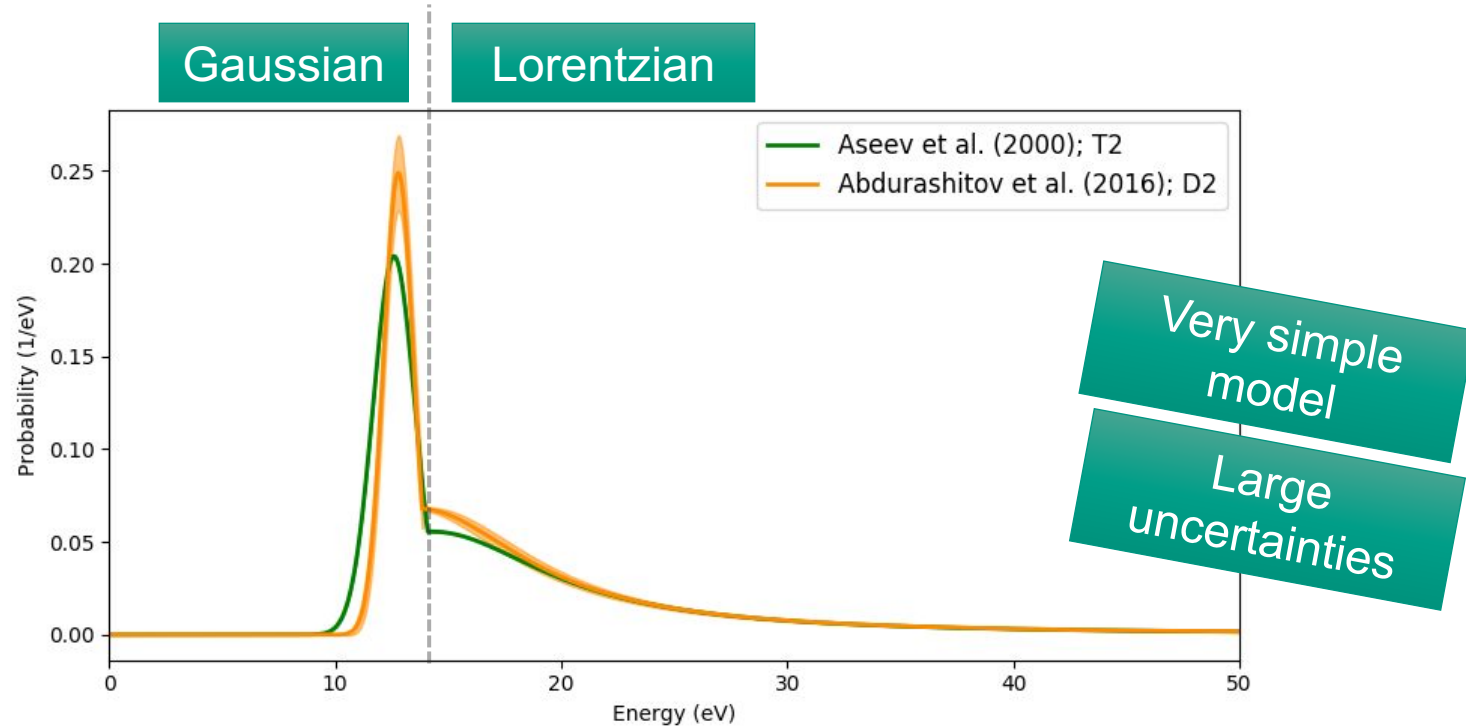
ENERGY LOSS MODELS

Theoretical Models



See N. Trost 2019, DOI: 10.5445/IR/1000090450

Experimental Models



Energy loss function

MEASUREMENT AT KATRIN

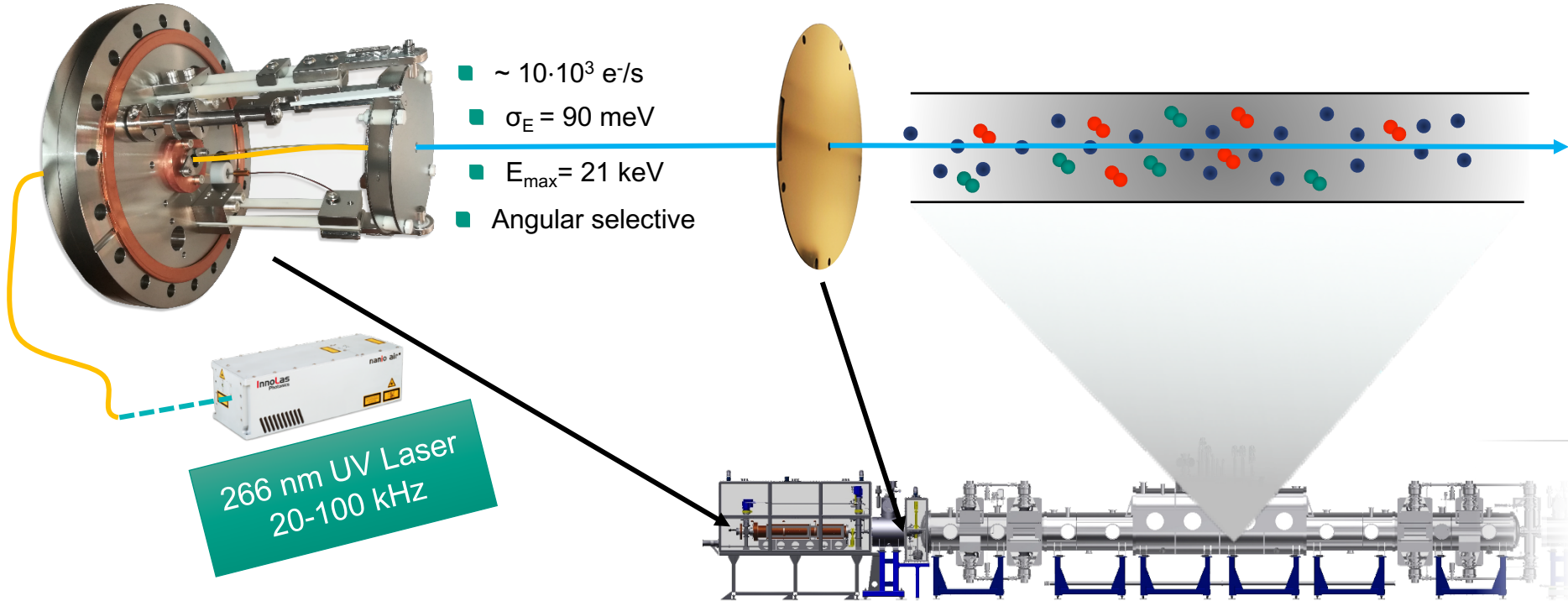
Rear Section

Electron gun (e-gun)

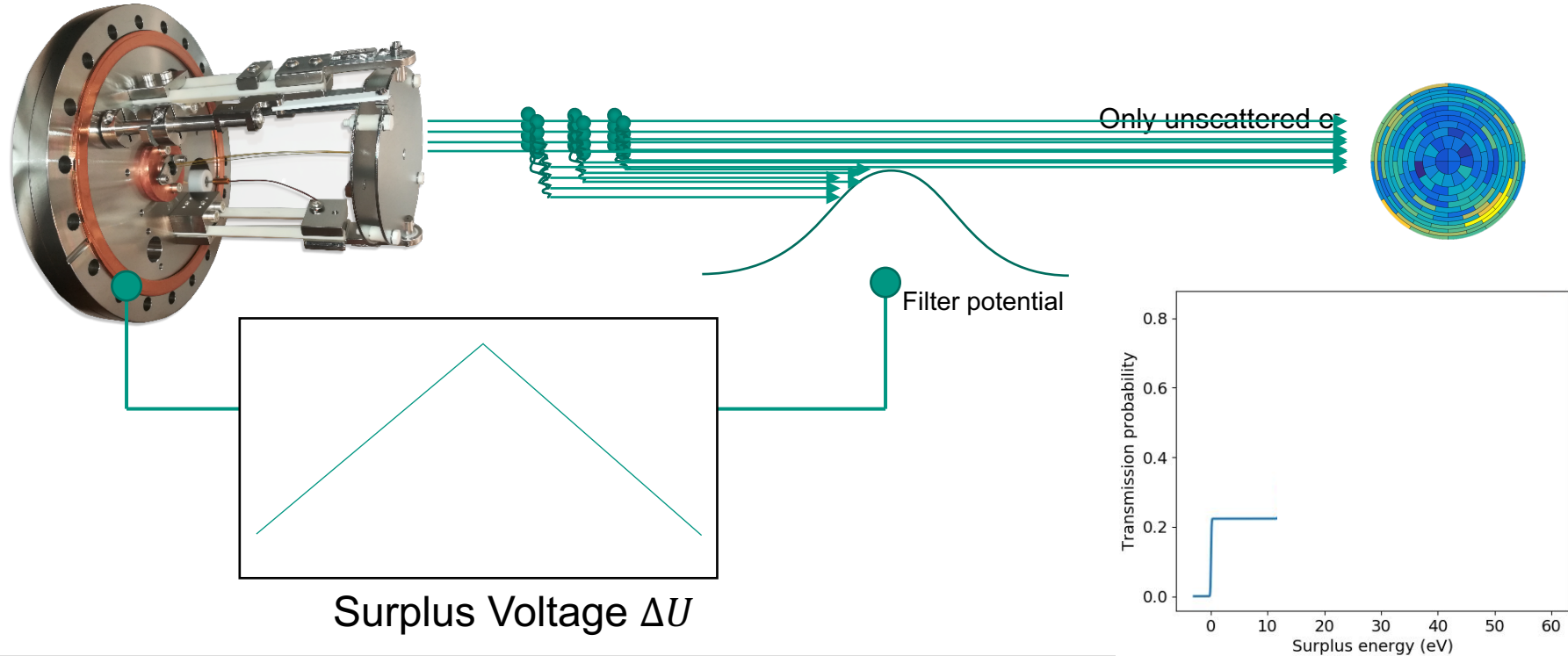
- $\sim 10 \cdot 10^3 \text{ e}^-/\text{s}$
- $\sigma_E = 90 \text{ meV}$
- $E_{\text{max}} = 21 \text{ keV}$
- Angular selective

Rear wall

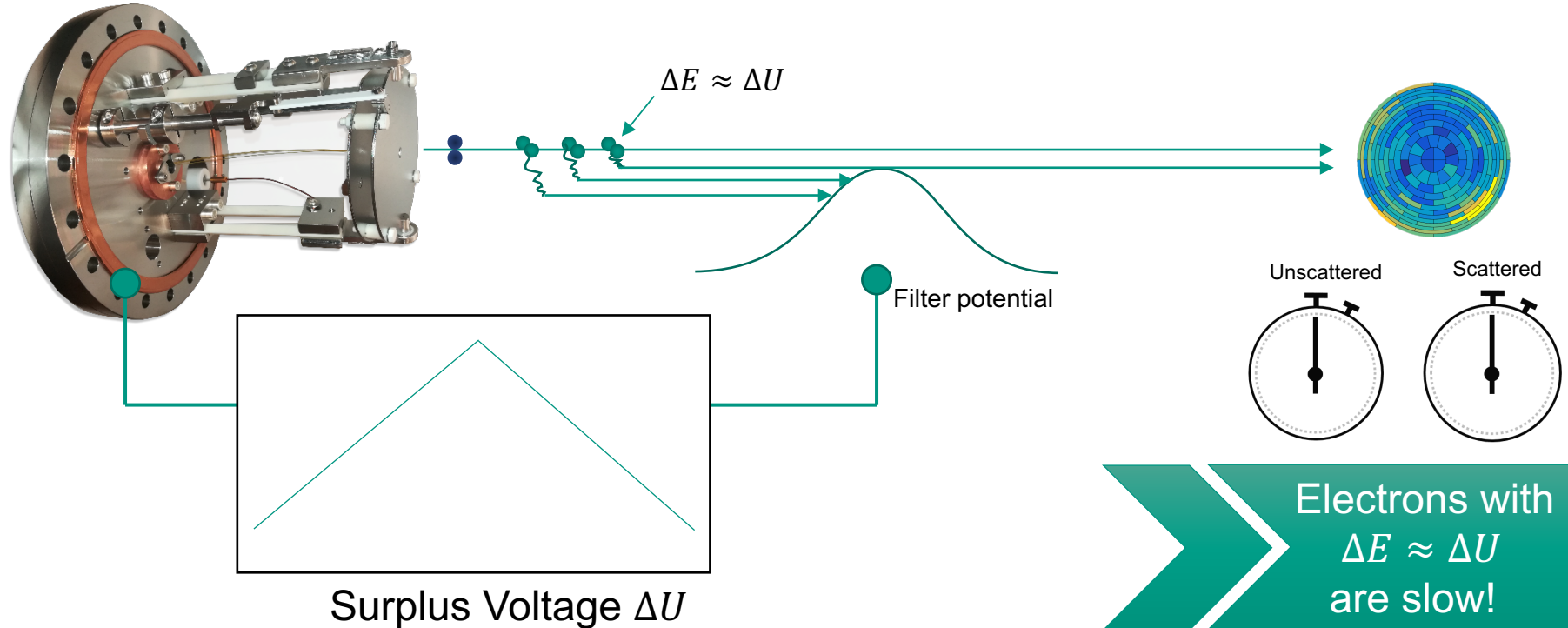
Tritium source



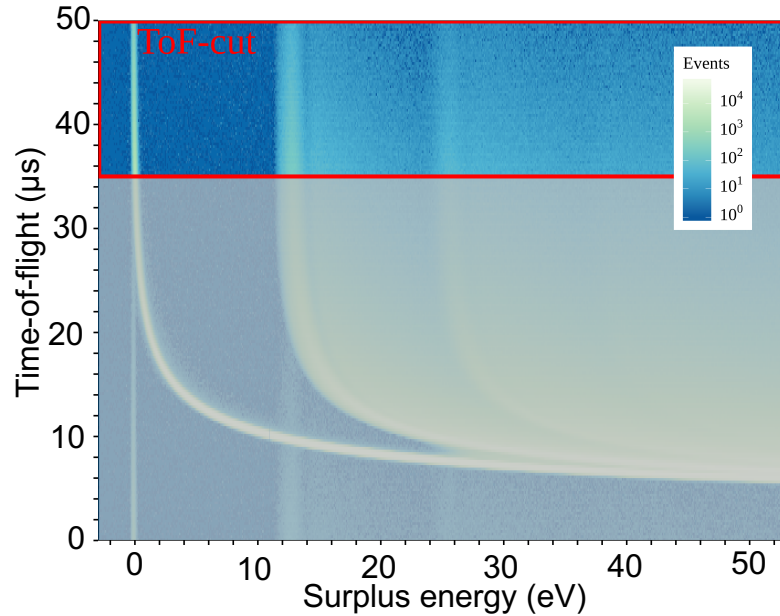
Integral Measurements



Differential Measurements

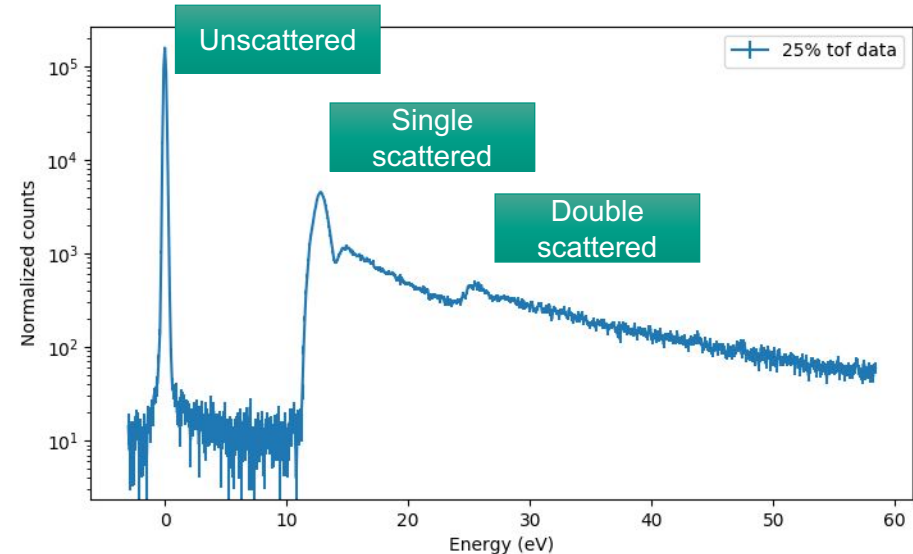


Energy loss function measurements



- Long time-of-flight in MAC-E filter for $\Delta E \approx \Delta U$

- Only slow electrons (i.e. $\Delta E \approx \Delta U$) are selected
- ➔ Narrowband filter

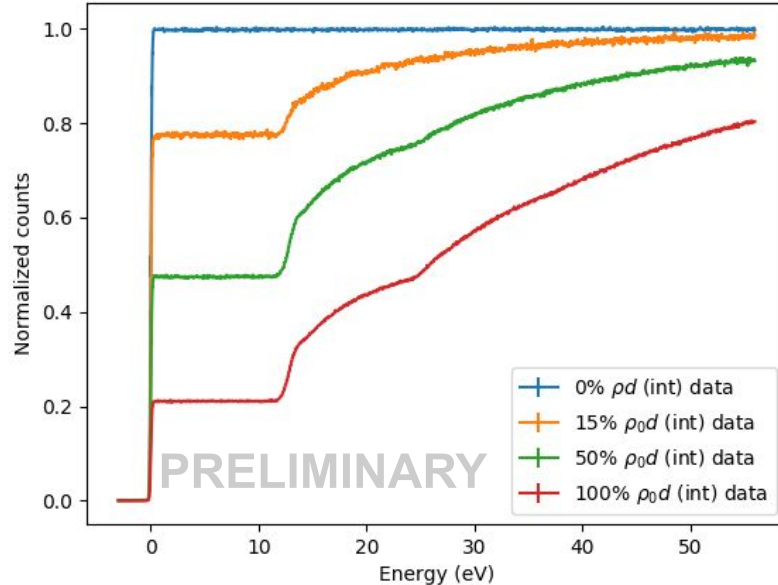


Measurement results and
DATA ANALYSIS

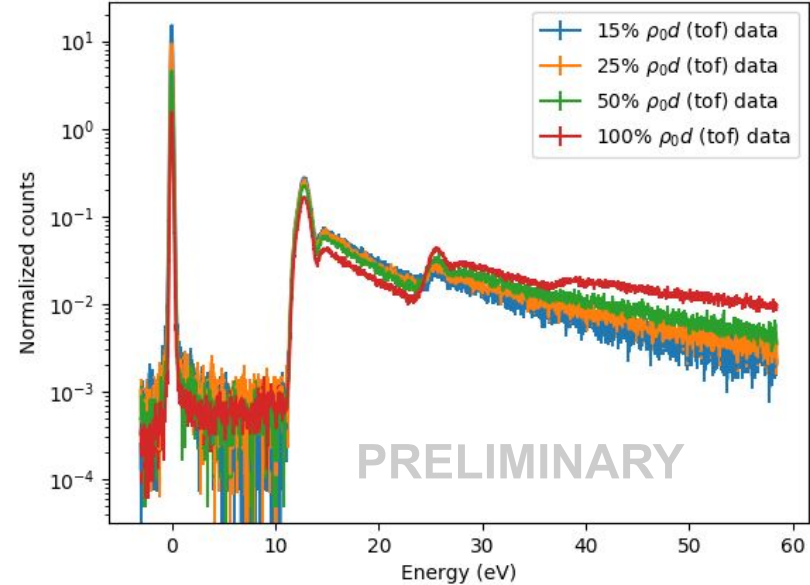
Measurement Data

■ Quality-selected runs: 119h of net measurement time

■ Integral

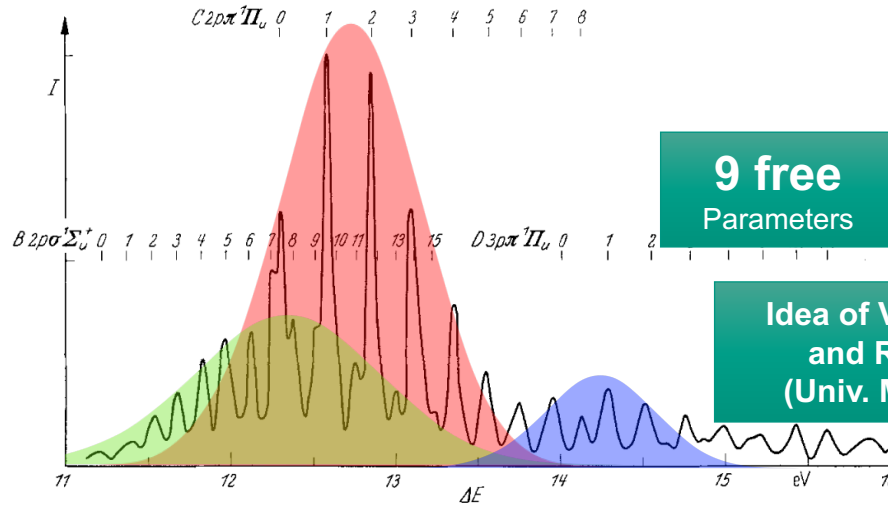


■ Differential



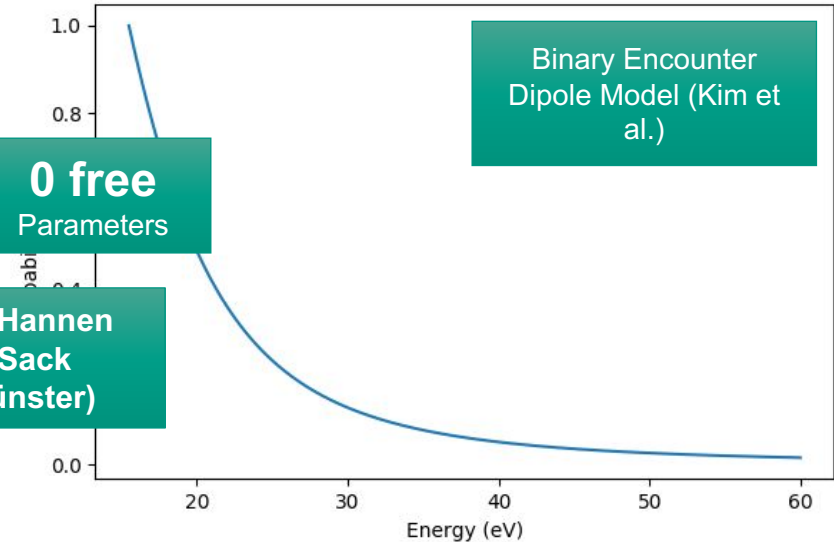
Semi-empirical energy loss model

Excitation



**9 free
Parameters**

Ionization



**0 free
Parameters**

**Idea of V. Hannen
and R. Sack
(Univ. Münster)**

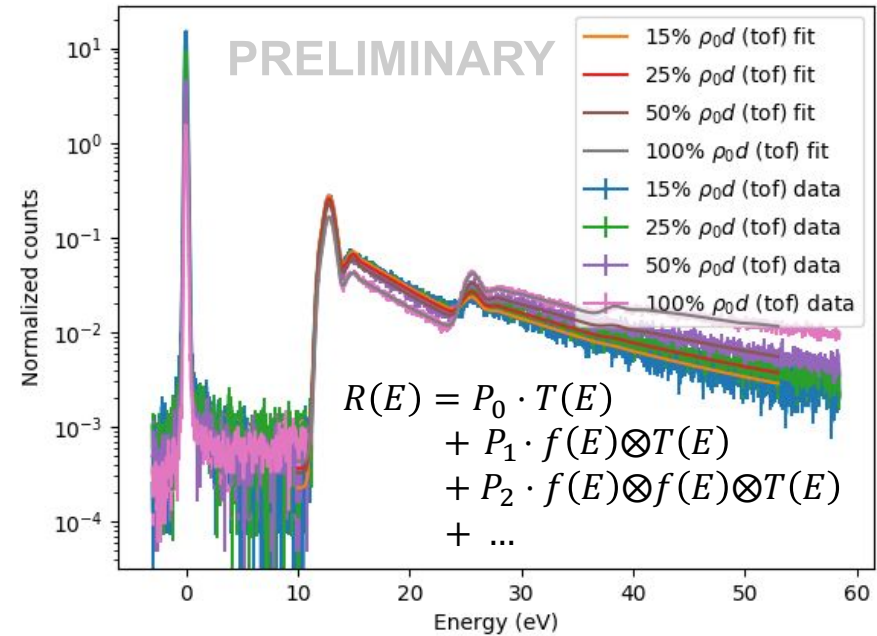
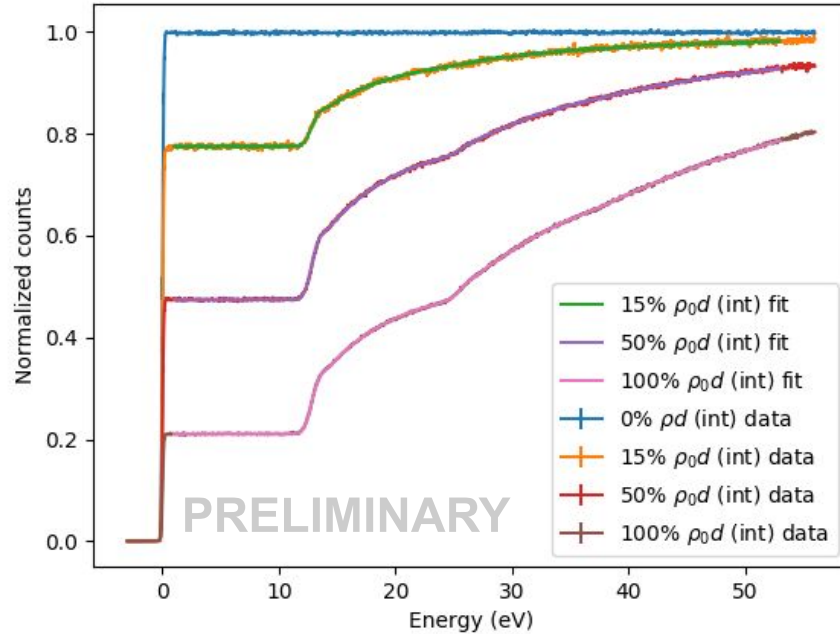
J. Geiger: Streuung von 25 keV-Elektronen an Gasen (1964)
DOI: 10.1007/BF01380873

Y. Kim et al. : Binary-encounter-dipole model for
electron-impact ionization (1994) DOI:10.1103/PhysRevA.50.3954

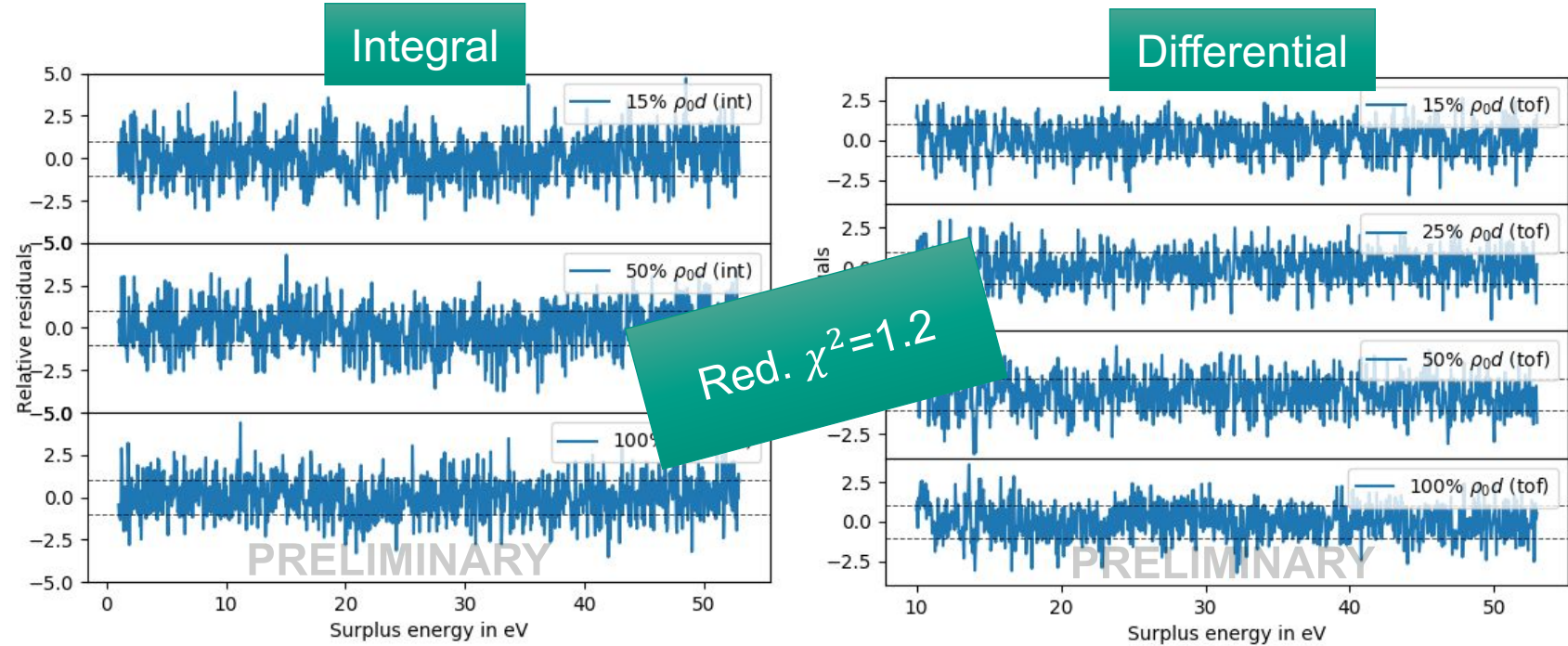
Fit results

Combined χ^2 fit

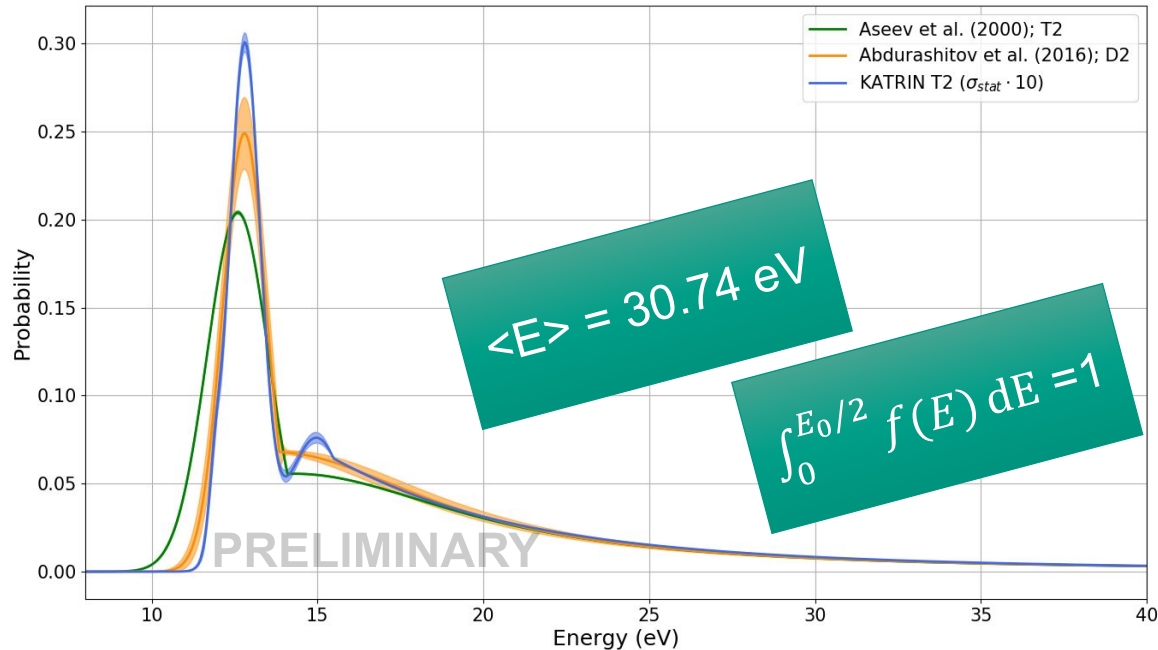
30 free parameters



Fit results



Final result

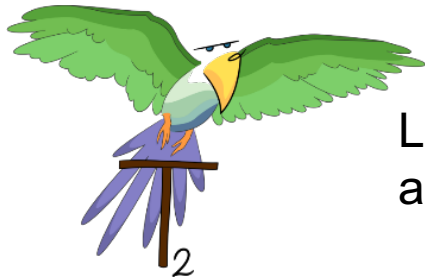


- Plot only showing 1σ statistical uncertainty
- Full Monte Carlo error propagation and KATRIN sensitivity studies ongoing
- Publication in preparation

Summary and outlook

- Energy loss measurement of 18.6 keV electrons for T2 using precision electron gun
 - Integral
 - Differential
- ✓ Improved semi-empirical energy loss model for T2
- ✓ Measured energy loss function used for KATRIN first ν mass result

Improved Upper Limit on the Neutrino Mass from a Direct Kinematic Method by KATRIN (2019) DOI: 10.1103/PhysRevLett.123.221802



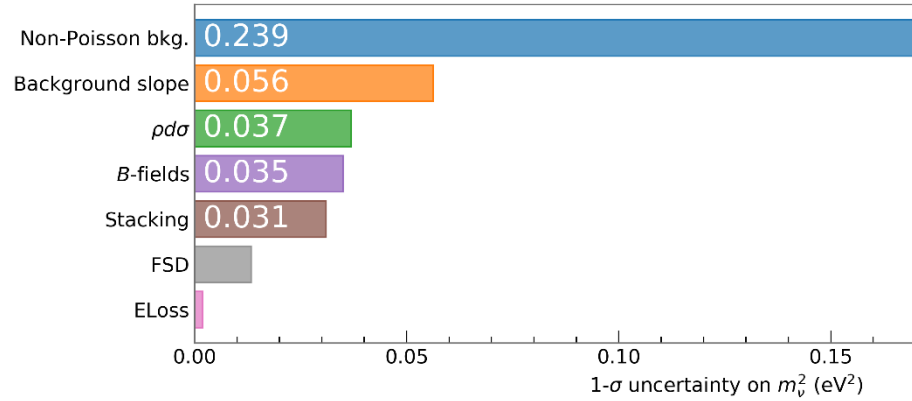
Long-term measurements (starting this year)
aim for sensitivity of 200 meV



THANK YOU!

BACKUP

Systematics budget

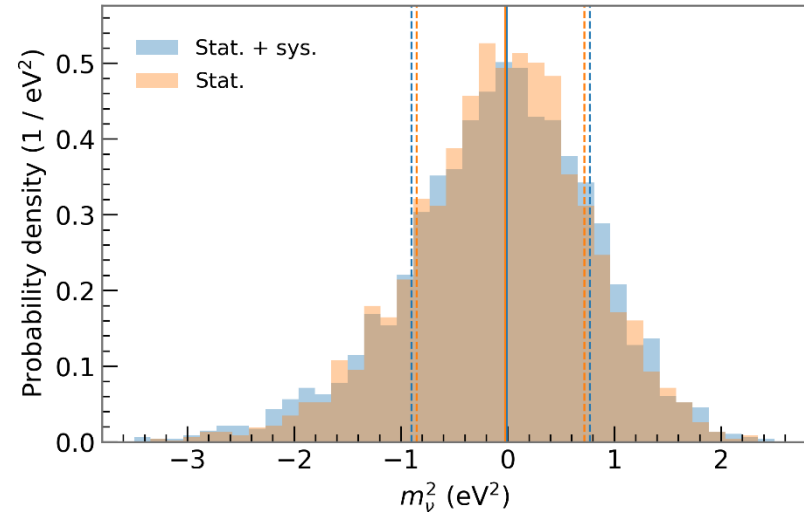


$$\sigma_{\text{stat}} = 0.97 \text{ eV}^2$$

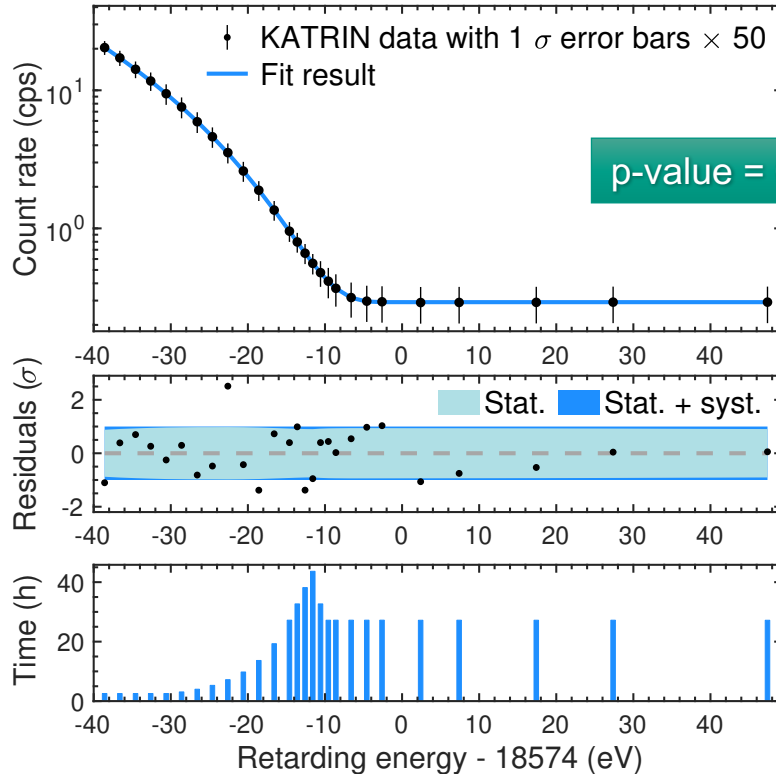
$$\sigma_{\text{syst}} = 0.32 \text{ eV}^2$$

Results of MC
error propagation

Similar for Covariance Matrix
approach



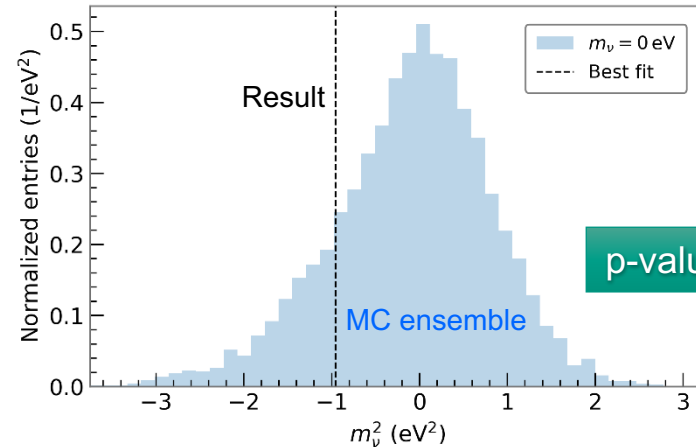
Fit result m_ν^2



p-value = 0.56

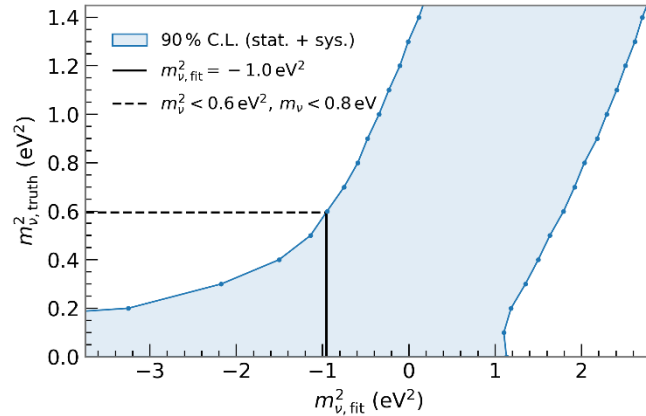
Combined fit result (90 eV range):

$$m_\nu^2 = (-1.0^{+0.9}_{-1.1}) \text{ eV}^2$$



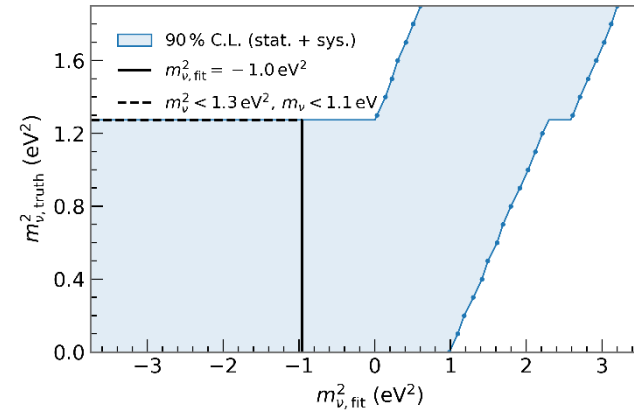
Neutrino mass limit

Feldman-Cousins



$$m_{\nu} < 0.8 \text{ eV (90\% C.L.)}$$

Tkachov-Lokhov

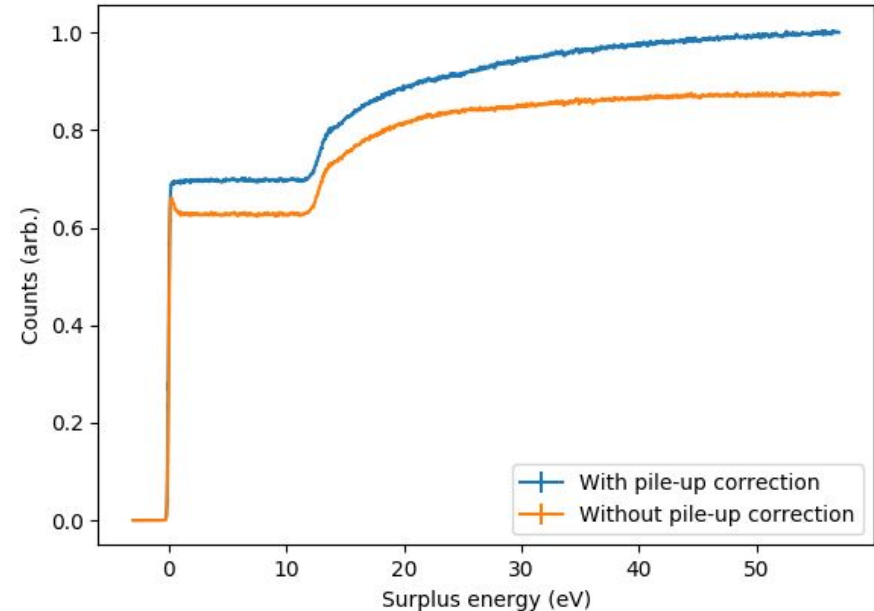


$$\underline{m_{\nu} < 1.1 \text{ eV (90\% C.L.)}}$$

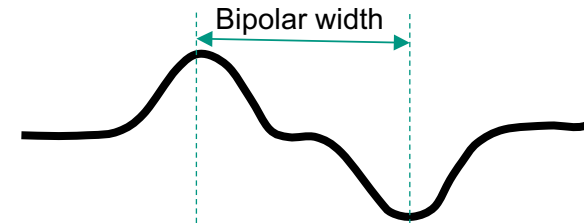
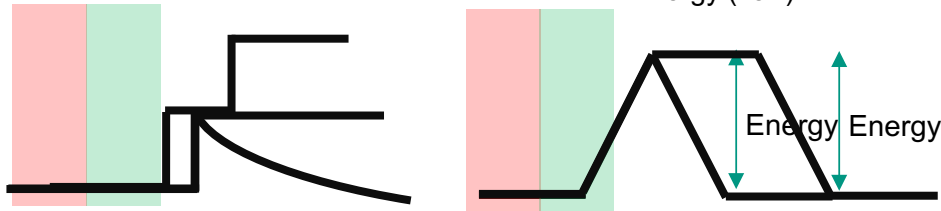
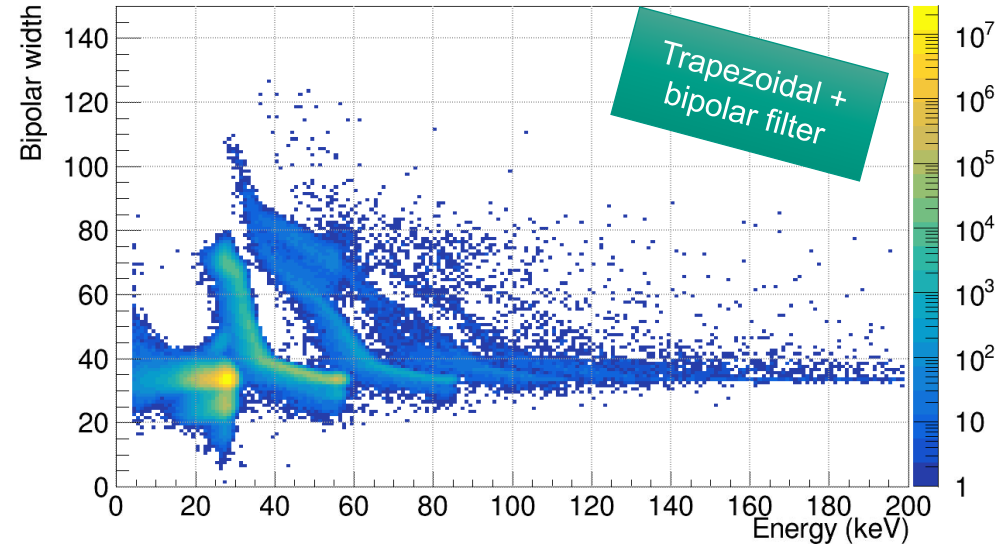
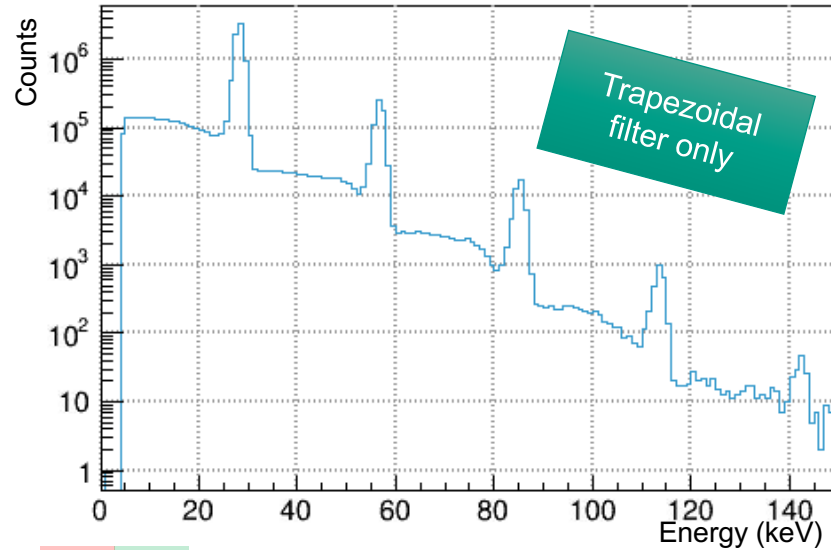
A. V. Lokhov, F. V. Tkachov (2015): Confidence intervals with a priori parameter bounds, 10.1134/S1063779615030089

Pile-up Correction

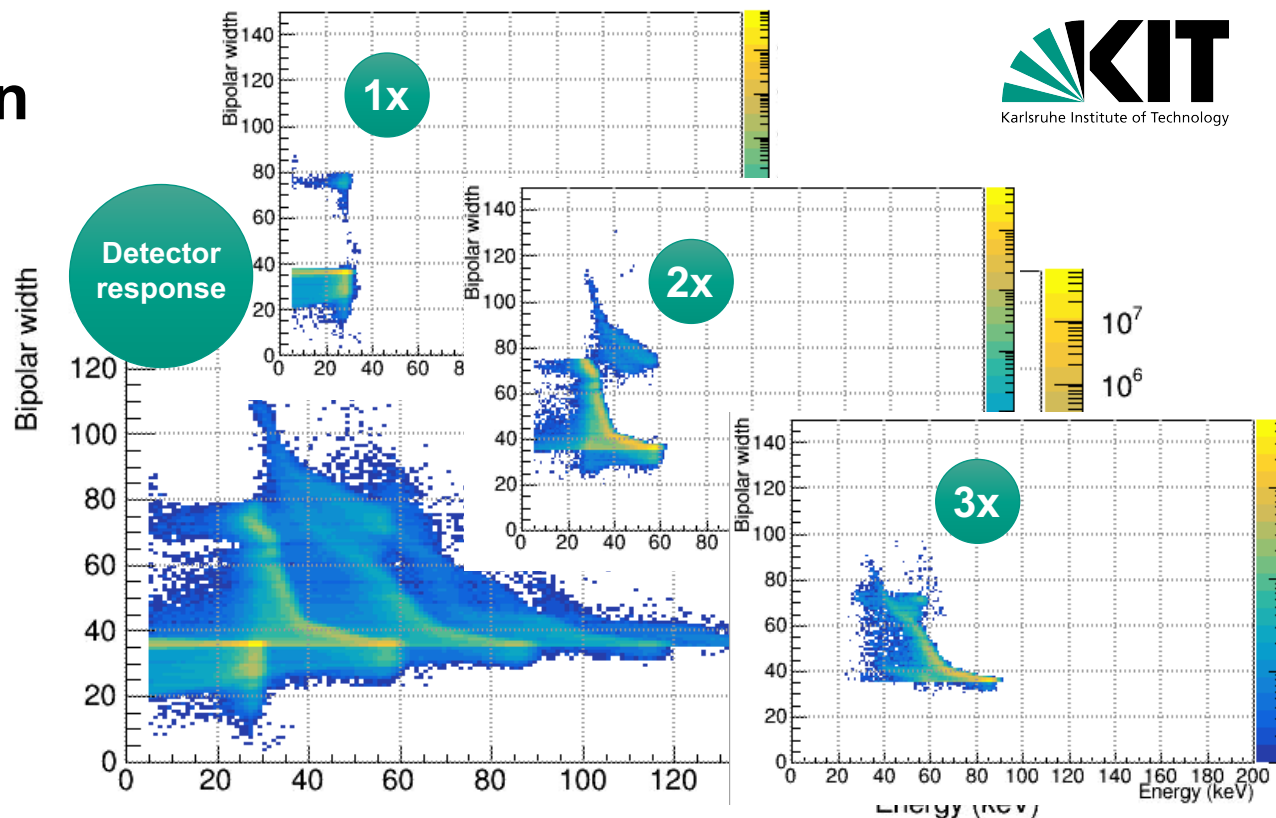
- Detector designed for single electron detection
 - Laser with pulse lengths of $<18\text{ns}$ FWHM
 - Retarding potential influencing the time-of-flight
- ➔ Non-Poissonian pile-up



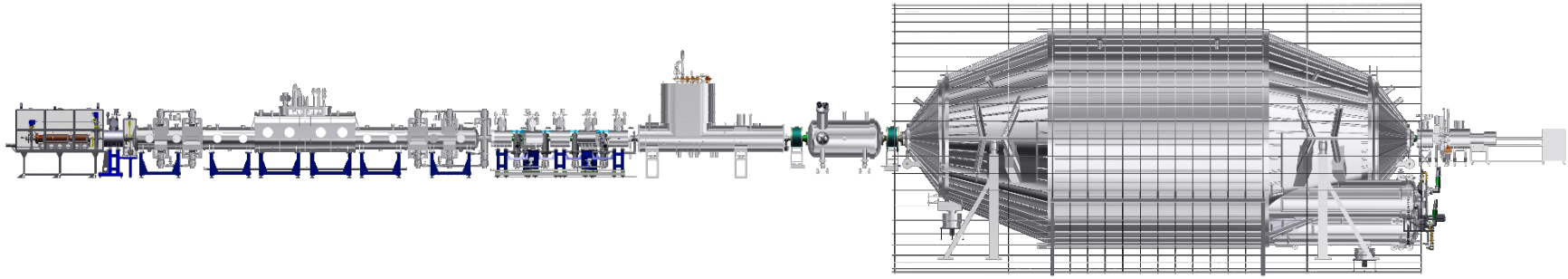
Pile-up Correction

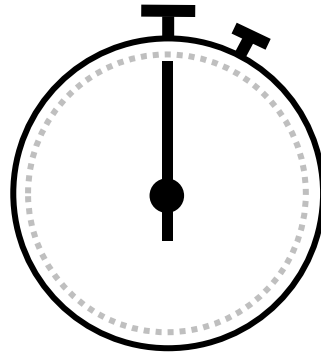


Pile-up Correction



Experimental Setup





Mean Stopping power

- Stopping power: 18.58keV: 30.96 MeV cm²/g
<https://physics.nist.gov/PhysRefData/Star/Text/ESTAR.html>
- And $M_{H2}=3.3E-24g$ (wolfram Alpha)
- $\rightarrow dE/(\rho \cdot dx)=1.0217E-16 \text{ eV cm}^2$
- Liu: 3,49E-18 cm²
- Aseev et. al. : 3,40E-18 cm²
- Glück: 3.668E-18cm²
<https://ikp-katrin-wiki.ikp.kit.edu/katrin/images/3/36/SigmainelTheorH2D2T2.pdf>
- Stopping Power $\langle E \rangle = dE/\sigma = 30.04 \text{ eV}$ (for Aseev)