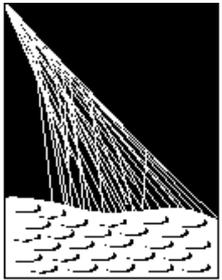


***Results from a while ago ...***

***Lessons about **muons** from  
CASA-MIA***



**PIERRE  
AUGER**  
OBSERVATORY

**Jim Matthews**

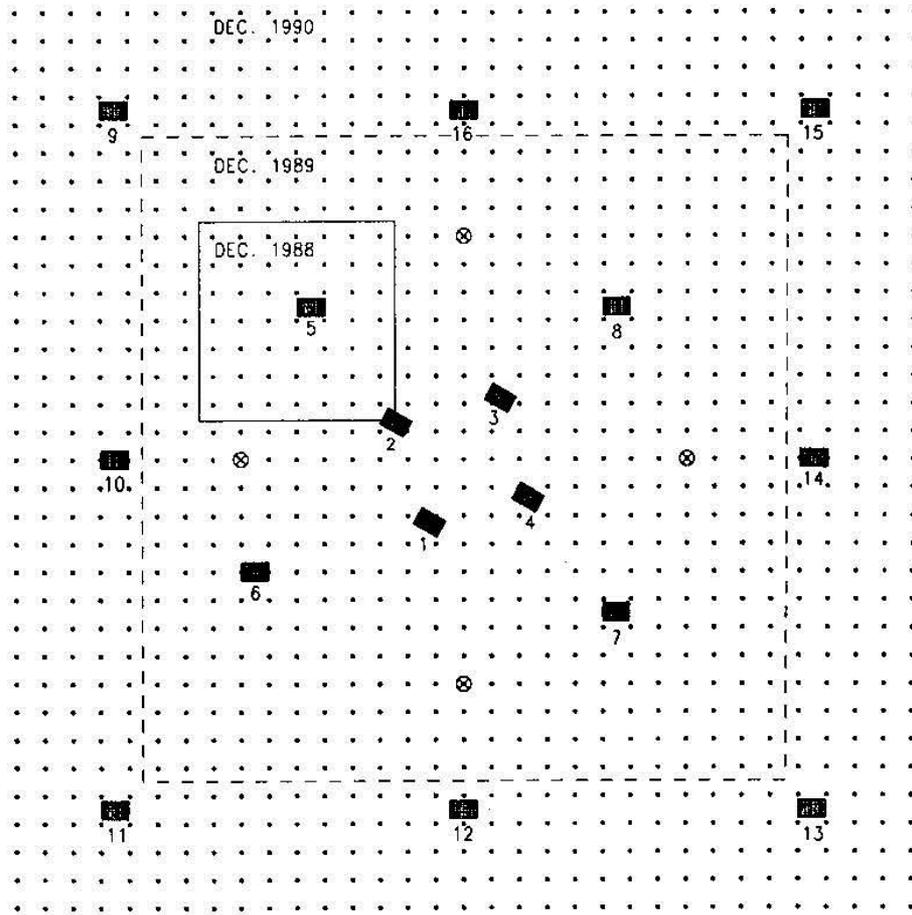
***Louisiana State  
University***

## CASA-MIA Dublin ICRC 1991

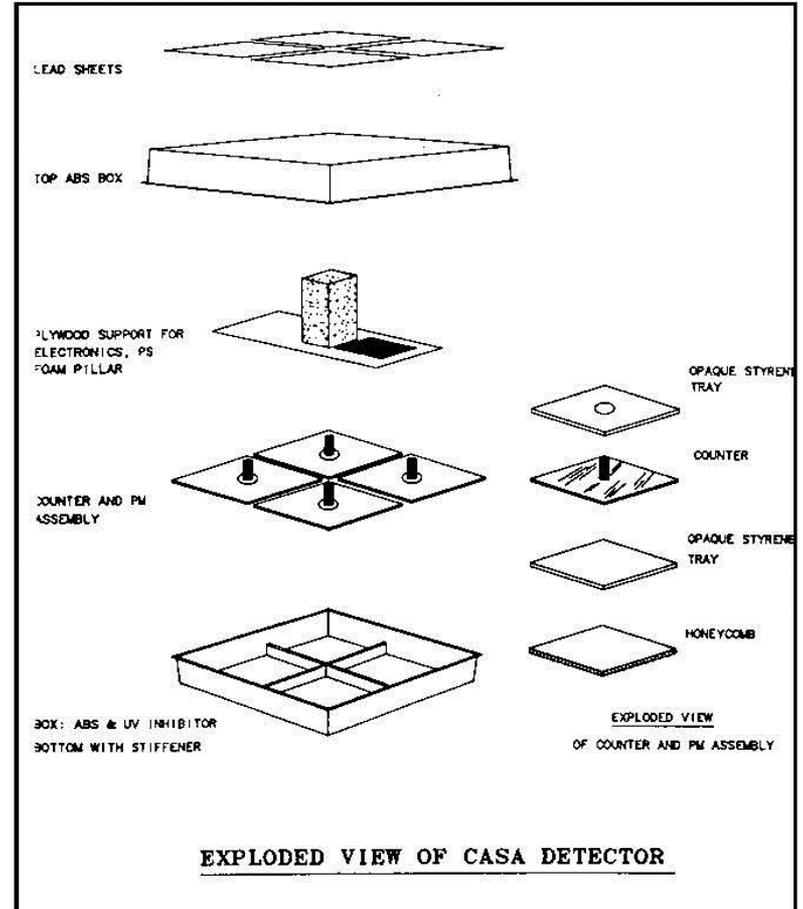


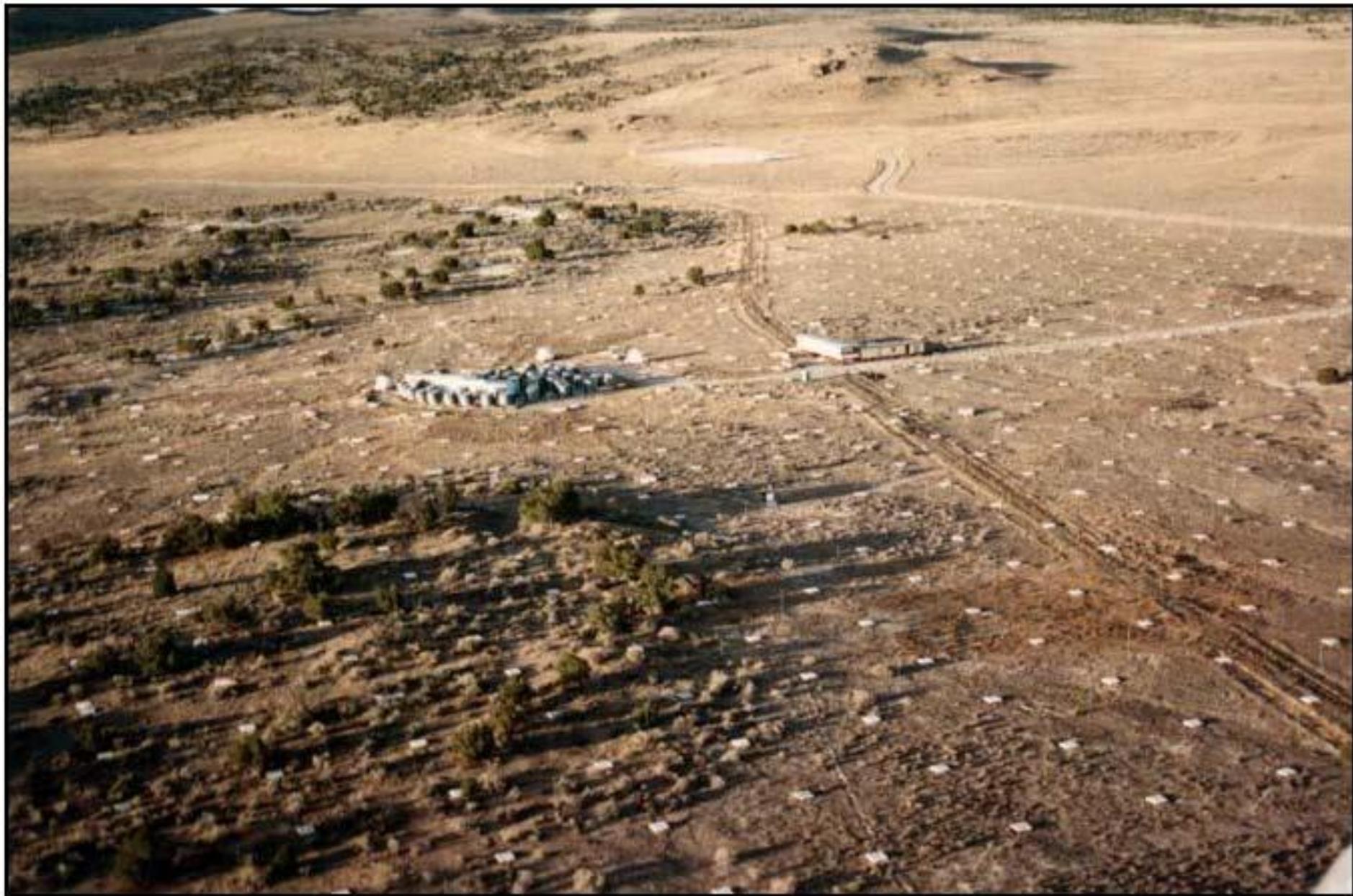
# CASA-MIA ~1987-1997

## UMC DETECTORS



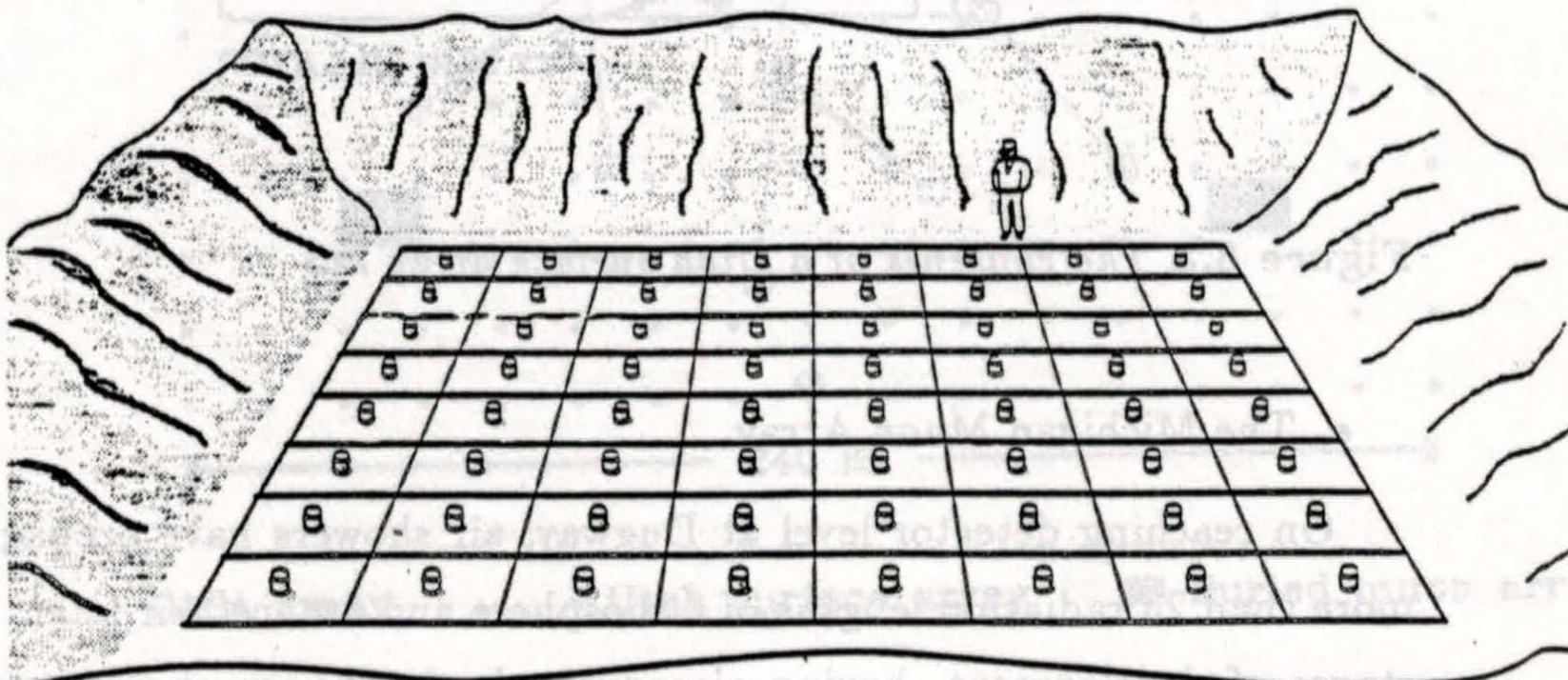
- LEGEND:
- CASA DETECTOR
  - MICHIGAN MUON PATCH
  - ⊗ UTAH CERENKOV TELESCOPE





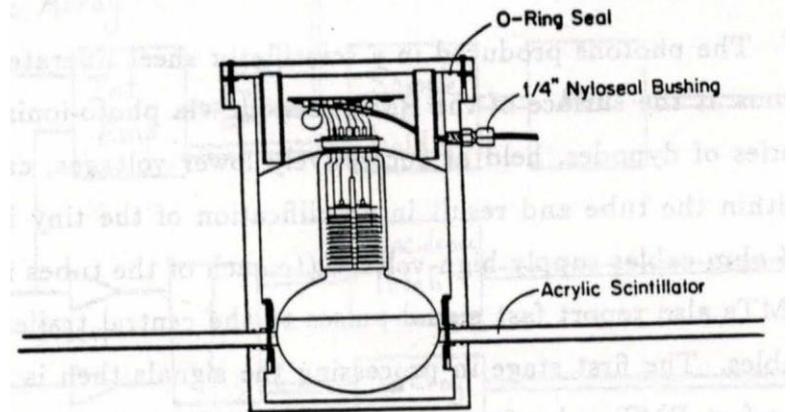
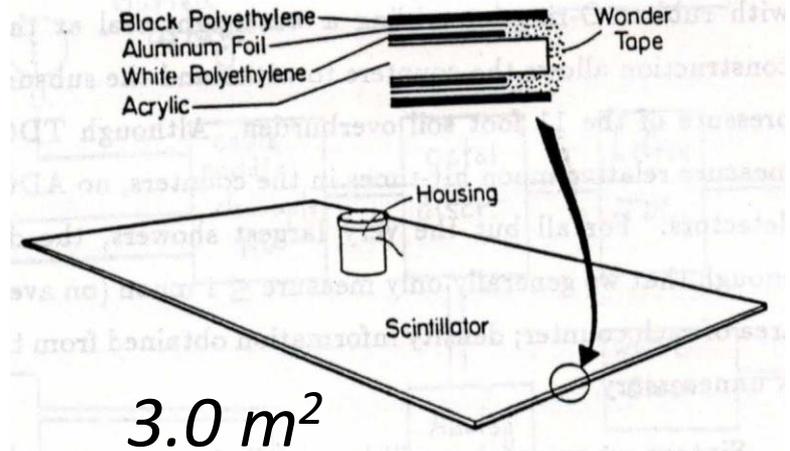


ACBBA ACB  
PMT



The muon counters were designed as a **veto** for gamma-ray showers

Only timing recorded, not pulse height



*(old IMB tubes)*

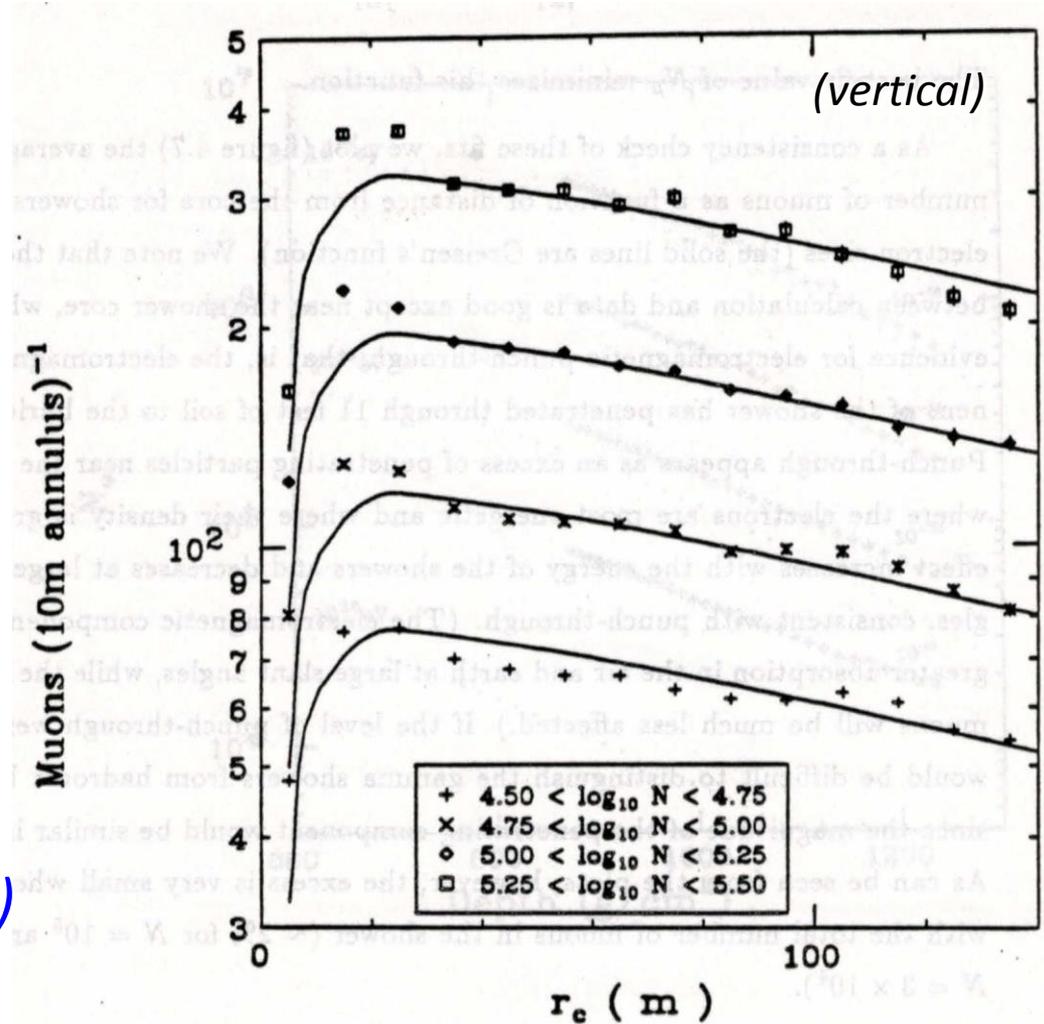
# Maximum-likelihood fit of the lateral distribution for the purpose of finding total muon size $N_\mu$

Greisen Function\*:

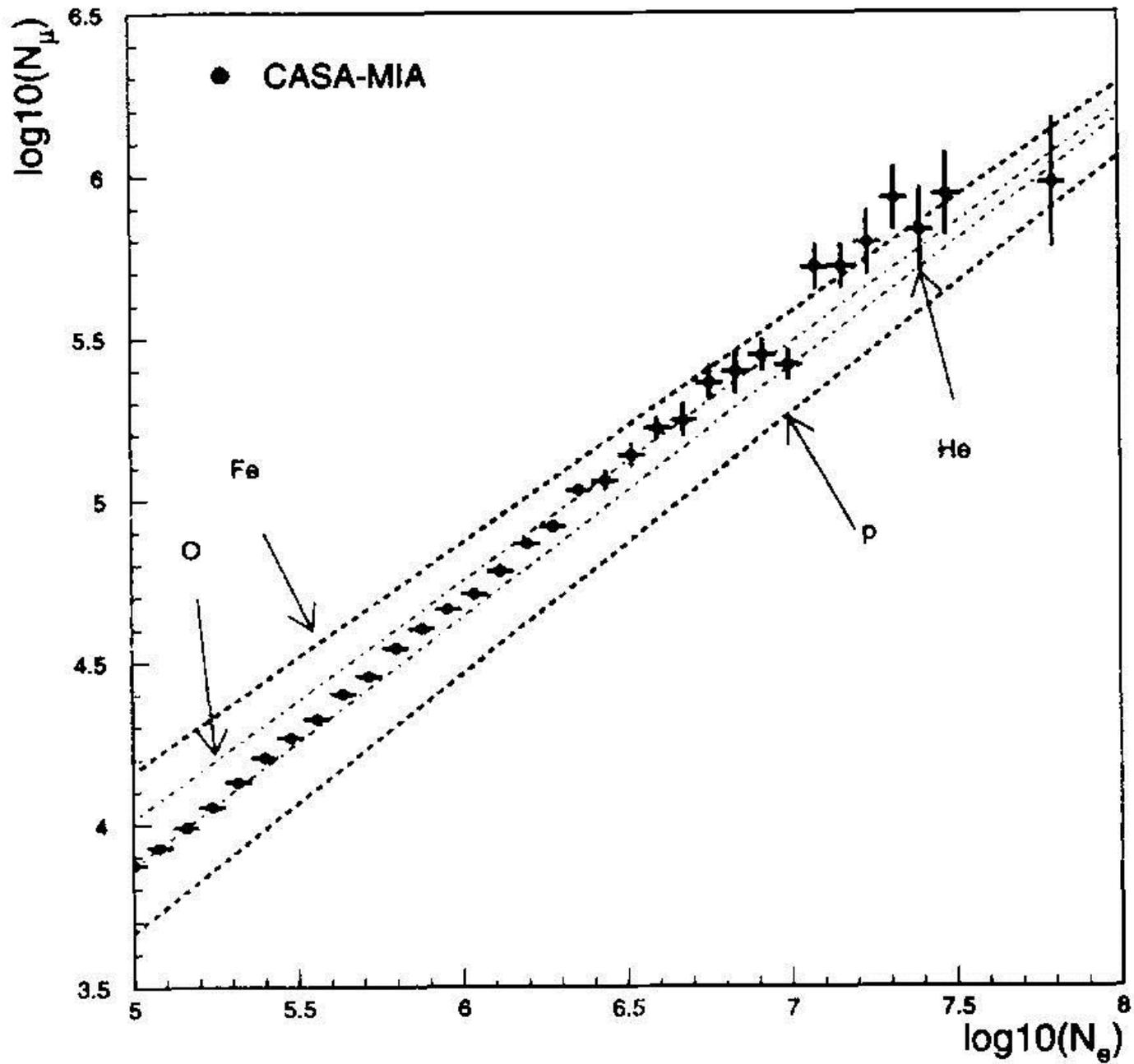
$$\rho_\mu \sim N_\mu r^{-0.75} (1+r/r_0)^{-2.5}$$

$$r_0 = 300 \text{ m}$$

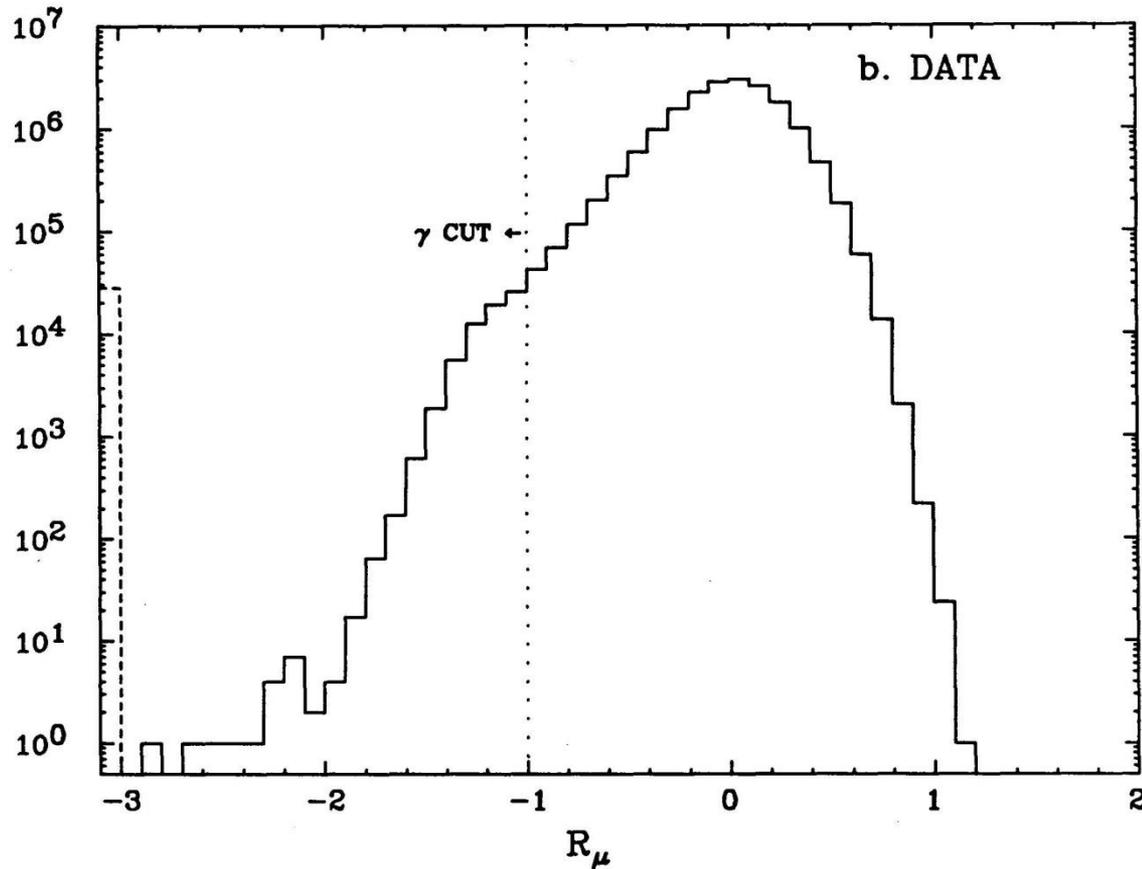
*(Also used things like  $\rho_\mu(600)$ )*



\*K. Greisen, Prog. Elem. Part. C.R. Phys. III (1956)

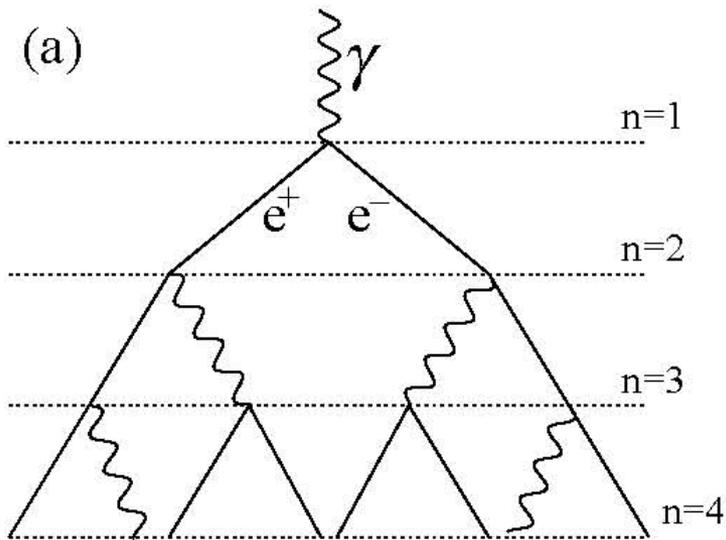


$$R_\mu = \log N_\mu - \langle \log N_\mu \rangle$$



**Diffuse gamma rays in the knee region: flux limit  $\sim 10^{-5}$  of CR**

*J. Matthews et al., Ap. J. 375 (1991) 202; M. Chantell et al., PRL 79 (1997) 1805;  
A. Borione et al., Ap. J. 493 (1998) 175*



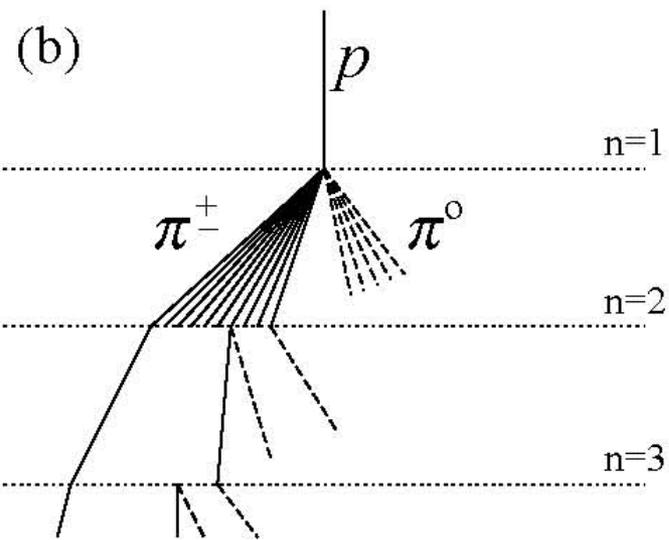
$$N_{\max} = E / \xi_c^e$$

$$X_{\max} = \lambda \ln ( E / \xi_c^e )$$

$$\xi_c^e = 85 \text{ MeV}$$

*collision losses >  
radiative losses*

**(Heitler, 1930's)**

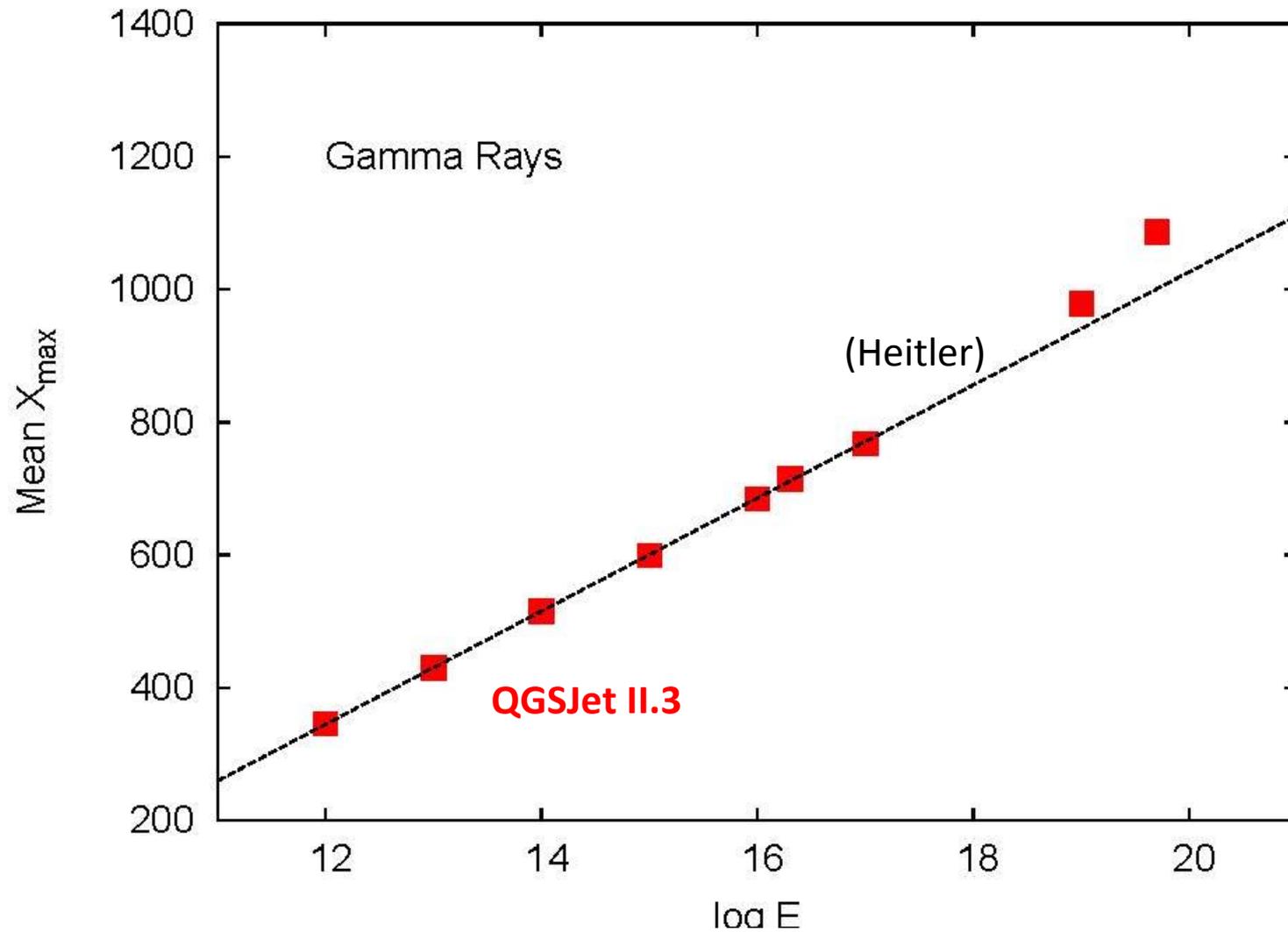


$$E_o = \xi_c^e N_{\max} + \xi_c^\pi N_\mu$$

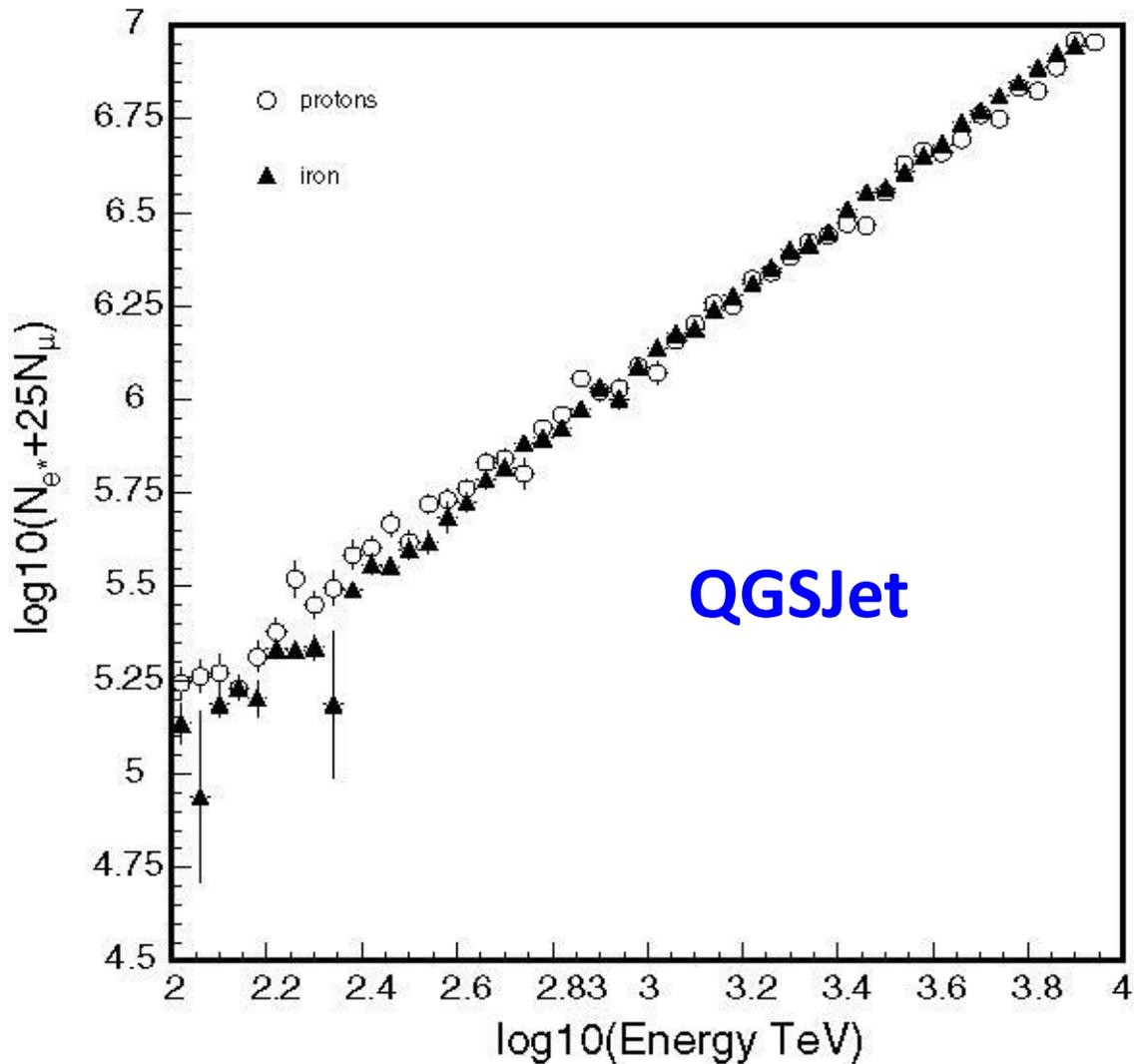
$$\xi_c^\pi = 20 \text{ GeV}$$

*Prob decay > interaction*

(J.M., *Astropart. Phys.* **22** (2005) 387)



**Heitler:  $X_{max} = 37 \ln(E/\xi_c^e)$**



$$E \sim N_e + 25 N_\mu$$

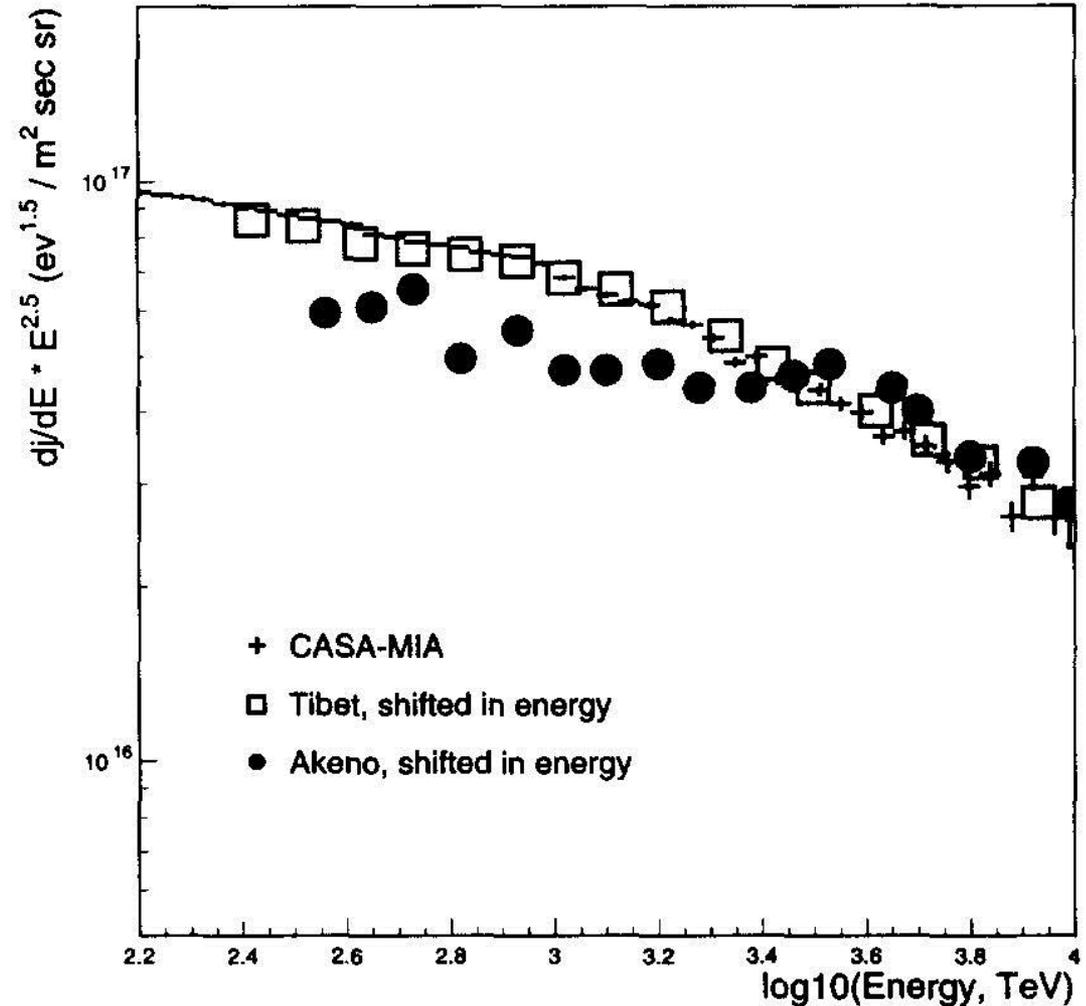
*Independent of  
primary ...*

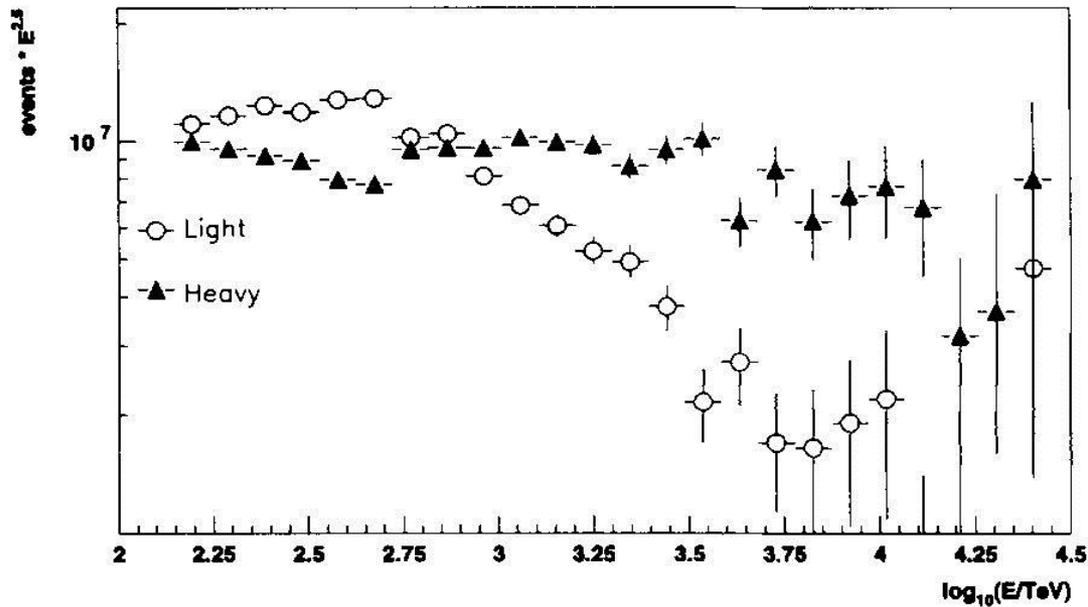
*("25" is detector-  
dependent)*

The “knee” looked very much like that seen by the Tibet experiment

The energy systematically was less than Tibet, Akeno by about 20%

*Glasmacher et al., Astropart. Phys.*  
*10 (1999) 291*





Distinguish “heavy” versus “light” by comparing ( $N_{\mu}$ ,  $N_e$ , LDF slope) to simulation population.

See a different knee.

*Glasmacher et al., Astropart. Phys. 12 (1999) 1*

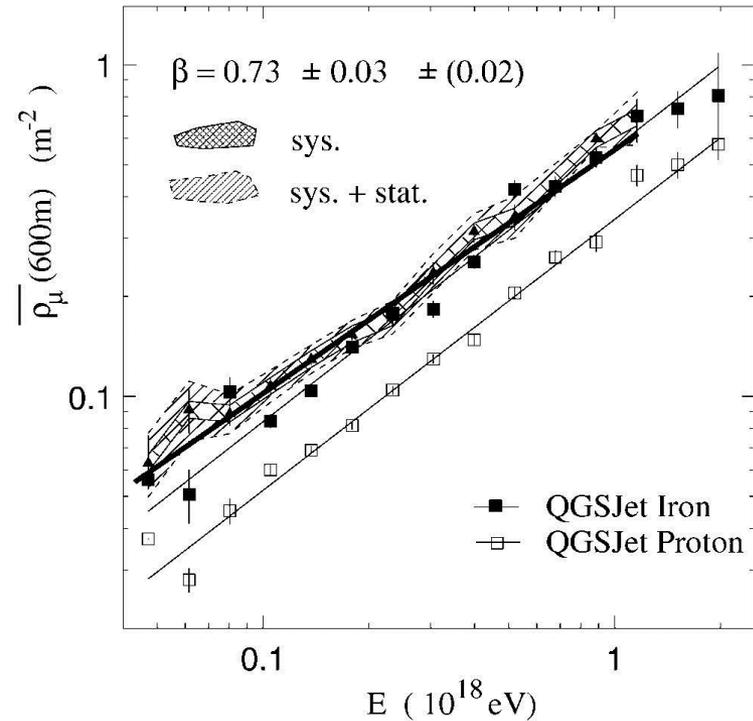
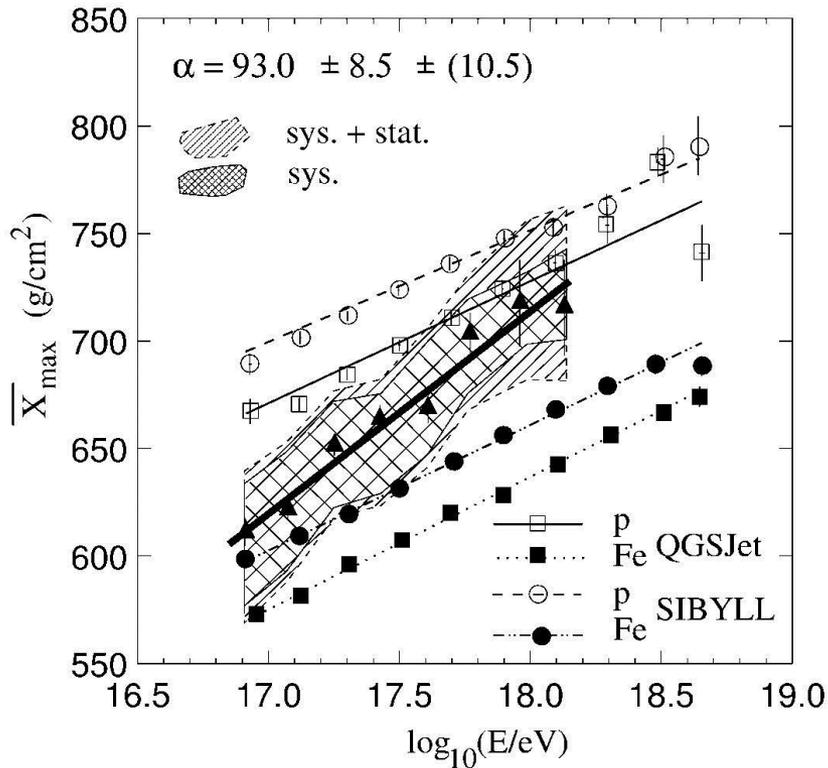
$$R = N_{\text{ch}} / N_{\text{tot}}$$

where “ $N_{\text{ch}}$ ” meant  $\pi^\pm$ , but really is the number of particles which could decay into muons

$$\frac{dN_\mu}{N_\mu} = \frac{\ln[E_\circ / \xi_c^\pi]}{\ln[N_{\text{tot}}]} \frac{dR}{R} \approx (5 - 10) \frac{dR}{R}$$

*Small changes in particle production (EPOS) or  $\rho^0$  can have much larger changes in muon production*

# Hi-Res (prototype) – MIA elongation rate



Fits use both HiRes and MIA (geometry)

Models: not enough muons?

## Conclusions (or history lesson):

**Muons** are a vital and important measurement of air showers, and always have been.

*(This is called “Preaching to the Choir”)*